

Can electron multipacting explain the pressure rise in the ANKA cold bore superconducting undulator?

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Abstract

Preliminary studies performed with the cold bore superconducting undulator installed in the ANKA (ANgstrom source KARlsruhe) storage ring suggest that the beam heat load is mainly due to the electron wall bombardment. Electron bombardment can both heat the cold vacuum chamber and induce an increase in the pressure because of gas desorption. In this contribution we compare the measurements of the pressure in a cold bore performed in the electron storage ring ANKA with the predictions obtained using the equations of gas dynamic balance in a cold vacuum chamber exposed to synchrotron radiation and electron bombardment. The balance results from two competing effects: the photon and electron stimulated desorption of the gas contained in the surface layer of the chamber wall and of the gas cryosorbed, and the cryopumping by the cold surface. We show that photodesorption alone cannot explain the experimental results and that electron multipacting is needed to reproduce the observed pressure rise. Electron bombardment can at the same time explain the observed beam heat load.

INTRODUCTION

In order to produce synchrotron radiation of highest brilliance, third generation synchrotron sources make use of insertion devices (IDs). The state of the art available today for IDs is the permanent magnet technology with magnet blocks placed inside the vacuum of the storage ring. Following an initial proposal at SPRING8 [1], the concept of Cryogenic Permanent Magnet Undulators (CPMU) is presently considered as a possible future evolution of in-vacuum undulators [2, 3, 4, 5]. Superconducting undulators can reach, for the same gap and period length, higher fields even with respect to CPMU devices, allowing to increase the spectral range and the brilliance. At ANKA we are running a research and development program on superconducting insertion devices (SCIDs). One of the key issues for the development of SCIDs is the understanding of the beam heat load to the cold vacuum chamber. The beam heat load is a fundamental input parameter for the design

of SCIDs since it is needed to specify the cooling power.

Studies performed on the cold bore superconducting undulator installed at ANKA indicate that a simple model of electron bombardment could explain the beam heat load and observed pressure rise during normal user operation [6]. In this paper we go a step further solving the equations of gas dynamic balance in a cold vacuum chamber exposed to synchrotron radiation and electron bombardment. We show that the observed pressure rise can be explained by the occurrence of electron multipacting and not by photodesorption alone. The paper is organized as follows. For completeness, in the next two sections we summarize respectively the experimental setup and the observations described in more detail in Ref. [6]. Afterwards we present the equations of gas dynamic balance and the input parameters derived from the literature and used to solve the model, and we derive an approximate analytical solution to those equations and discuss its properties. We discuss then the main results of the comparison between observations and simulations, and finally we give some conclusions and outlook.

EXPERIMENTAL SETUP

ANKA is an electron storage ring used as a synchrotron facility [7]. A cold bore superconducting undulator built by ACCEL Instr. GmbH, Bergisch Gladbach, Germany [8], is installed in one of the four straight sections of the ring; the rest of the ring is at room temperature. The vacuum chambers of the warm part of ANKA have been baked before installation at 200°C for 48 hours and vented with nitrogen.

The storage ring compatible cryostat is shown in Fig. 1. The system is cryogen free and is cooled by three Sumitomo cryocoolers (RDK-408D @ 50 Hz) [9]: two of them cool the coils to about 4 K and one cools the UHV (Ultra High Vacuum) tank, which is at 10 K and protects the coils from the external thermal radiation. The cryostat consists of two separate vacuum systems for the cold mass: an UHV vacuum system for the beam and an insulation vacuum system for the coils and the rest of the cold mass. The pressure of the two vacua are monitored by pressure gauges at room temperature. A 300 μm stainless steel foil coated with 30 μm of copper is placed between the cold mass and the beam vacuum. A taper system connects the normal beam pipe with the cold mass and has two func-

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tions: 1) smooth transition for wake fields, 2) thermal transition between the cold bore at 4 K and the beam pipe at room temperature. Several temperature sensors are placed on the different elements: coils, UHV tank, taper entrance, taper exit, etc. A pressure gauge (PRT) and a residual gas analyzer (RGA) are located in the room temperature region about 0.5 m upstream from the entrance of the undulator cryostat. A unique diagnostic in this undulator, absent in other cold bore wigglers installed in the different synchrotron light sources [10, 11] (because of the different design) is a pressure gauge with direct access to the cold bore (PCB). The undulator vacuum chamber at 4.2 K is 1.4 m long, it has a rectangular cross section with 66 mm width. The undulator can be operated with different gap sizes: 16, 12, and 8 mm, and it can be opened to 29 mm without current in the coils during injection. The height of the beam vacuum chamber changes accordingly. In this paper we describe results obtained with the beam stay clear height of 29 mm and no current in coils, which means no magnetic field. In order to protect the undulator from the

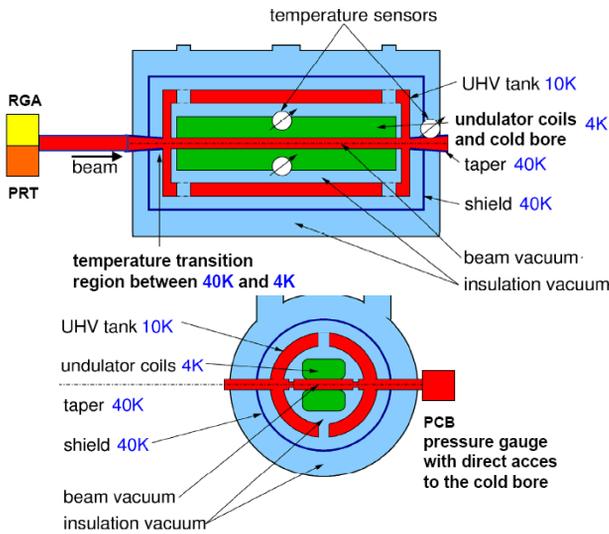


Figure 1: Schematic layout of the vacuum system of the superconducting undulator and the position of the temperature sensors, a pressure gauge (PRT) and a residual gas analyzer (RGA) located in the room temperature region, and a pressure gauge with direct access to the cold bore (PCB).

synchrotron radiation emitted by the upstream magnets a collimator system is located at about 1 m from the entry point of the undulator [14].

OBSERVATIONS

The superconducting undulator has been operating in the ANKA storage ring since 2005 [8]. The beam heat load and the pressure in the cold vacuum chamber have been monitored since then. A typical run is shown in Fig. 2 where the average beam current, the beam energy, the UHV pressure [15] and the temperature of the coils are reported as

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a function of time. The temperature increase of the coils

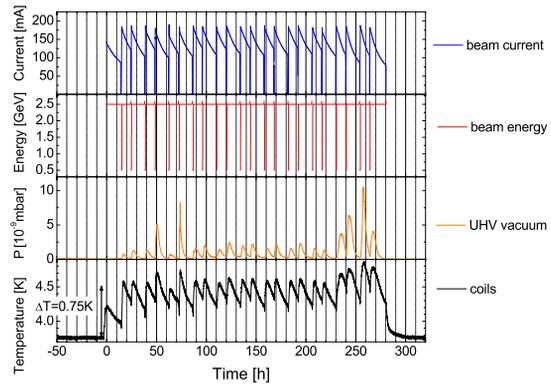


Figure 2: Typical user operation run with open gap (= 29 mm) and no current in the undulator. The beam current, the beam energy, the UHV pressure and the temperature of the coils are reported as a function of time.

can be converted into the deposited beam heat load. The calibration has been performed using a resistor in thermal contact with the coils. The time constant to reach thermal equilibrium is of the order of two hours. The beam heat load to the coils is about 1 W.

A pressure rise is observed after beam injection. A correlation between the heat load and the pressure is observed in several runs, see Fig. 3. In Fig. 4 a comparison of the

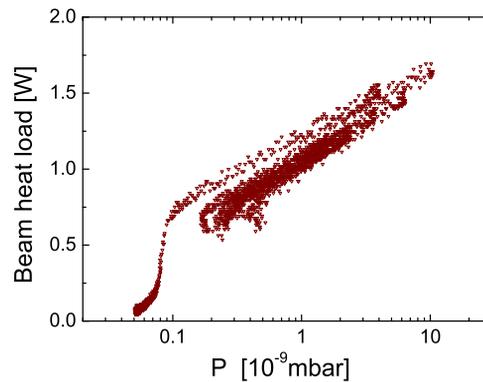


Figure 3: The beam heat load as a function of the UHV pressure in the cold bore from Fig. 2.

pressure behavior in the cold bore (green squares) and in the room temperature region (red triangles) is displayed. In the cold bore the pressure reaches a maximum after 1-3 hours from injection, while in the room temperature region this happens within few minutes. The plot shows also that the decay of the pressure in the cold bore is much faster than the decay of the pressure in the room temperature region. The dynamic pressure increases nonlinearly with the average beam current [6]. A similar pressure rise with cur-

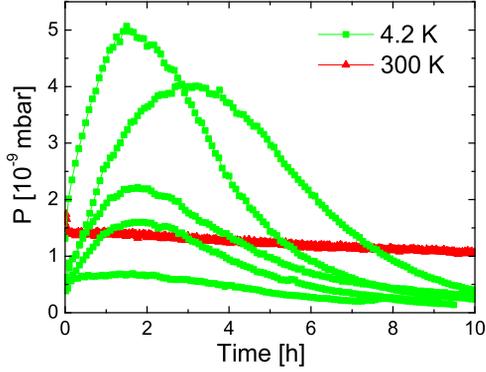


Figure 4: Comparison of the dynamic pressure in the cold bore (green squares) with the one in the room temperature region (red triangles). The static pressure in the cold bore (PCB) is about 2×10^{-11} mbar and in the room temperature region (PRT) is about 2×10^{-10} mbar.

rent has been observed in positron rings (machines at room temperature) and has been attributed to electron multipacting [12, 13]. We will come back to this in the section where we describe the results.

The mass spectrum (RGA) of the warm vacuum chamber with beam shows, while the undulator is cold, only the H_2 and CO lines, see Fig. 5. CO disappears when there is no beam. In the rest of the ring most of the time no CO is detected. The mass spectrum measured by warming up the undulator to room temperature in absence of electron beam shows together with H_2 the presence of CO, CO_2 and H_2O , indicating that the cryosorbed gas layer might have a more complex gas composition than simply H_2 . However, H_2 is the only gas among the ones mentioned above that has a non negligible vapour pressure at 4-20 K and we see that this is the main gas component measured when the undulator is cold.

MODEL AND INPUT PARAMETERS

The equations of gas dynamic balance inside a vacuum chamber can be written as (see Refs. [16, 17] and references therein):

$$\begin{aligned} V \frac{dn}{dt} &= q + q'(s) - \alpha S(n - n_e(s, T)) + u \frac{d^2 n}{dz^2}, \\ A \frac{ds}{dt} &= \alpha S(n - n_e(s, T)) - q'(s), \end{aligned} \quad (1)$$

where n is the volume gas density, s the surface density of the cryosorbed gas, V the vacuum chamber volume, A the vacuum chamber wall area, q is the primary beam induced desorption flux, q' the secondary beam induced desorption flux (desorption of cryosorbed molecules), α the sticking coefficient, $S = A\bar{v}/4$ is the ideal wall pumping speed, \bar{v} is the mean molecular speed, n_e the thermal equilibrium gas

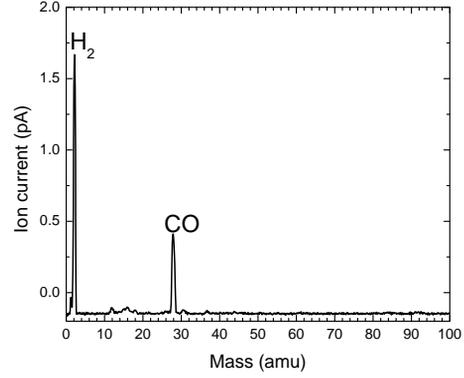


Figure 5: Mass spectrum of the warm vacuum chamber just before the undulator with beam measured with the RGA indicated in Fig. 1.

density, and u the specific vacuum chamber conductance per unit axial length. In the following, we consider the gas to consist only of H_2 .

The specific vacuum chamber conductance per unit axial length is given by $u = A_c D$, where $D = 2A_c \bar{v}/3$ is the Knudsen diffusion coefficient and A_c the area of the rectangular cross section of the vacuum chamber. Axial diffusion can be neglected when $DA_c/L^2 \ll S\alpha$ [16], which means:

$$\frac{8}{3} \frac{A_c^2}{AL^2} \ll \alpha. \quad (2)$$

Even for the lowest experimental value of the sticking coefficient for H_2 at 4.2 K, $\alpha = 0.02$ [18] condition (2) is satisfied for the geometry of the undulator vacuum chamber where $L = 1.4$ m and for a gap of 29 mm, $A_c = 0.00191$ m² and $A = 0.266$ m². Therefore in the following we neglect axial diffusion $ud^2n/dz^2 \approx 0$.

The beam induced desorption flux consists of photon (PSD) and electron (ESD) stimulated desorption:

$$\begin{aligned} q &= \eta \dot{\Gamma} + \phi \dot{\Theta}, \\ q' &= \eta' \dot{\Gamma} + \phi' \dot{\Theta}, \end{aligned} \quad (3)$$

where η and η' are the primary and secondary electron stimulated desorption yields, $\dot{\Gamma}$ is the electron flux, ϕ and ϕ' are the primary and secondary photodesorption yields, and $\dot{\Theta}$ is the photon flux. The photon flux is proportional to the beam current, so we consider it to decay exponentially with time as: $\dot{\Theta} = \dot{\Theta}_0 \exp(-t/\tau)$ where $\tau = 80000$ s is the beam lifetime which is about 22 hours. For the ANKA cold bore vacuum chamber with gap = 29 mm and average beam current $I = 150$ mA, the photon flux impinging on the lower and upper surfaces is $\dot{\Theta}_0 = 5 \times 10^{15}$ photons/s. The photon flux $\dot{\Theta}_0$ is obtained by integrating the angular and spectral distribution of number of photons emitted by the upstream dipole over all photon energies and over the horizontal and vertical acceptance defined by the cold

bore geometry and distance to the upstream bending magnet. We assume that the electron flux also decays exponentially in time: $\dot{\Gamma} = \dot{\Gamma}_0 \exp(-t/\tau_{el})$. In order to estimate $\dot{\Gamma}_0$, we assume that the bombarding electrons are initially generated (e.g. by photo-ionization of the cryosorbed H_2 molecules on the cold surface) at rest, and then accelerated against the wall by the transverse electric field of the electron bunch. For a typical 3.6×10^9 electrons/bunch we obtain a mean electron energy $\Delta W = 10$ eV [19] so that if the observed beam heat load $P = 1$ W is to be explained by electron bombardment, then $\dot{\Gamma}_0 = 6 \times 10^{17}$ electrons/s.

The measurements of input parameters such as the photon and electron primary and secondary desorption yields, as well as the sticking coefficient are quite challenging. Several experiments have been performed to measure those parameters for a H_2 layer cryosorbed on a copper substrate at low temperatures and a wide range of values can be found in the literature. The photon and electron primary and secondary desorption yields, as well as the sticking coefficient depend on the temperature, on the surface coverage, on the geometry (closed or open), on the photon and on the electron energy distribution and dose. The different experiments reported in the literature have been performed under a variety of conditions, and it is therefore difficult to compare them with each other and to extract the values needed for a consistent comparison with our experimental situation. Even though a comprehensive review of different experimental results on the above mentioned parameters is beyond the scope of this paper, we list below some of the values obtained in experiments performed in the last 20 years to understand the beam vacuum system of a cold bore accelerator, that started with studies motivated by the 20 TeV Superconducting Super Collider [20] and continued with studies motivated by the Large Hadron Collider (LHC) [21].

The photon primary desorption yield ϕ and the ratio of the secondary photodesorption yield ϕ' to the sticking coefficient α have been measured on a copper electroplated stainless steel liner at 4.2 K in a quasi-closed geometry by Anashin et al. [22] to vary in the range $2 \cdot 10^{-4} \leq \phi \leq 5 \cdot 10^{-2}$ and $5 \cdot 10^{-2} \leq \phi'/\alpha \leq 8$.

In a more recent work [23] measurements of the sticking coefficient α and of the sum of the primary and secondary electron stimulated desorption yields have been reported. The sticking coefficient ranges $0.25 \leq \alpha \leq 0.6$ for surface coverages of about one monolayer $s_m = 3 \times 10^{19}$ molecules/m². The sum of the primary and secondary electron stimulated desorption yield for 300 eV electrons has been measured as a function of H_2 coverage at about 2 K on the LHC beam screen to be $50 \leq \eta + \eta' \leq 2000$.

The ratio of the sum of the primary and recycling electron stimulated desorption yield to the sticking coefficient can be estimated from our measurements [6]. Following Ref. [24] we use the equation:

$$\frac{q + q'}{\alpha} = S(n - n_e(s, T)) = SG\Delta P, \quad (4)$$

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where $\Delta P = P_{\max} - P_e$ with $P_e \lesssim 2 \times 10^{-11}$ mbar the thermal equilibrium pressure at 4.2 K and

$$G = \frac{1}{k_B \sqrt{T T_{RT}}} = 2 \times 10^{23} \text{ m}^{-3} \text{ mbar}^{-1}$$

with $T = 4.2$ K and $T_{RT} = 300$ K. As mentioned above the photon flux on the ANKA cold bore vacuum chamber with gap=29 mm and $I = 150$ mA, $\dot{\Theta}_0 = 5 \times 10^{15}$ photons/s, and the estimated electron flux to explain a heat load of $P = 1$ W (for 10 eV electrons) is $\dot{\Gamma} \approx 6 \times 10^{17}$ electrons/s. Being $\phi + \phi' \lesssim \eta + \eta'$ [24, 25], we can neglect the contribution of PSD to the beam desorption flux, so that $q = \eta \dot{\Gamma}$ and $q' = \eta' \dot{\Gamma}$. The observed ΔP ranges from 2×10^{-11} mbar to 8×10^{-8} mbar [6]. For H_2 the mean molecular speed at 4.2 K is $\bar{v} = 210$ m/s and applying Eq. (4) we find that the sum of the primary and secondary desorption yields $(\eta + \eta')/\alpha$ for H_2 ranges between 10^{-4} molecules/electron to 4 molecules/electron. Our values are in good agreement with the ones measured at COLDEX [24] that range between 10^{-2} molecules/electron for an electron dose of 2×10^{23} electrons/m² to 30 molecules/electron for an electron dose of 10^{21} electrons/m², considering that in our case the temperature is lower (4.2 K instead of 12 K), the mean electron energy is an order of magnitude smaller (10 eV instead of 100 eV [24]) and that our electron dose is in some cases much higher (after two weeks of normal user operation it is about 2×10^{24} electrons/m²).

In Ref. [22] it has been shown that the secondary photodesorption yield ϕ' depends linearly on the surface coverage up to one monolayer $\phi' = \phi'_0(s/s_n)$. Similar results have been found by Tratnik [23] for the sum of the primary and secondary electrodesorption yields $\eta + \eta'$ up to one monolayer. Considering the results obtained in Ref. [24], being $5 \cdot 10^{-4} \leq \eta \leq 10^{-1}$, to solve Eqs. (1) we assume $\eta' = \eta'_0(s/s_n)$. In our model we define the normalization of the surface coverage to be $s_n = 10^{18}$ molecules/m².

The volume gas density n at a temperature T is related to the pressure measured at room temperature by:

$$n = \frac{P}{k_B \sqrt{T T_{RT}}}. \quad (5)$$

The value of the volume gas density at $t = 0$ (injection time) n_0 is obtained from Eq. (5) with $P = P_0$ [mbar] chosen to fit the experimental data. We have assumed $n_e(s, T) = 4 \times 10^{12}$ molecules/m³, corresponding to an equilibrium pressure $P_e = 2 \times 10^{-11}$ mbar. The surface coverage at equilibrium is constrained to be $s_0 < 1.5 \times 10^{19}$ molecules/m² by the measured adsorption isotherms of H_2 on copper plated stainless steel at 4.2 K from Ref. [26].

APPROXIMATE ANALYTICAL SOLUTIONS TO THE GAS DYNAMIC BALANCE EQUATIONS

Before embarking on a direct numerical computation of the solutions to Eqs. (1), we obtain a closed expression of the solution for a simplified form of these equations, namely when only photodesorption is present (i.e., assuming zero electron flux). Apart from providing a cross-check on the full numerical calculations described in section below, this simplified situation is interesting because, as our analysis will show, it cannot reproduce the experimental data, indicating that the additional ingredient of electron bombardment (and multipacting) is indeed essential. In fact, this approach allows us to obtain several relevant properties of the solutions, as well as an approximate analytical solution, valid in the limit of times short compared to the beam lifetime, which allows us to set bounds on the characteristic time constants associated with the pressure rise when only photons are present.

When the electron flux is zero, Eqs. (1) reduce to

$$\begin{aligned} V \frac{dn}{dt} &= \frac{1}{\tau_\epsilon} e^{-t/\tau} + \frac{A}{\tau_d} e^{-t/\tau} s - \alpha S(n - n_e), \\ A \frac{ds}{dt} &= \alpha S(n - n_e) - \frac{A}{\tau_d} e^{-t/\tau} s, \end{aligned} \quad (6)$$

where we have defined the time constants

$$\begin{aligned} \tau_\epsilon &= \frac{1}{\phi \dot{\Theta}_0} \\ \tau_d &= \frac{As_n}{\phi'_0 \dot{\Theta}_0}. \end{aligned} \quad (7)$$

The total number of molecules (on the surface + in the volume)

$$N_T(t) = Vn(t) + As(t) \quad (8)$$

satisfies the equation

$$\frac{dN_T}{dt} = q = \frac{1}{\tau_\epsilon} e^{-t/\tau}, \quad (9)$$

with the trivial solution

$$\begin{aligned} N_T(t) &= \frac{\tau}{\tau_\epsilon} \left(1 - e^{-t/\tau}\right) + N_{T0} \\ N_{T0} &= Vn_0 + As_0. \end{aligned} \quad (10)$$

Writing

$$s(t) = \frac{N_T(t) - Vn(t)}{A}, \quad (11)$$

we can now decouple the two equations and write an equation involving $n(t)$ only:

$$\frac{dn}{dt} + g(t)n(t) = k(t), \quad (12)$$

where

$$g(t) = \frac{e^{-t/\tau}}{\tau_d} + \frac{1}{\tau_s}$$

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$$\begin{aligned} k(t) &= \frac{e^{-t/\tau}}{V\tau_\epsilon} + \frac{n_e}{\tau_s} + \\ &+ \frac{1}{V\tau_d} e^{-t/\tau} \left[\frac{\tau}{\tau_\epsilon} \left(1 - e^{-t/\tau}\right) + N_{T0} \right], \end{aligned}$$

with

$$\tau_s = \frac{V}{\alpha S}. \quad (13)$$

This can be solved by writing

$$\begin{aligned} g(t) &= \frac{1}{h(t)} \frac{dh}{dt} \\ \frac{1}{h} \frac{d(nh)}{dt} &= \frac{dn}{dt} + g(t)n(t) = k(t) \\ h(t)n(t) - h_0n_0 &= \int_0^t h(t')k(t')dt' \end{aligned}$$

and finally

$$n(t) = \frac{n_0h_0}{h(t)} + \frac{1}{h(t)} \int_0^t h(t')k(t')dt', \quad (14)$$

with

$$\begin{aligned} h(t) &= \exp \left[\frac{\tau}{\tau_d} \left(1 - e^{-t/\tau}\right) + \frac{t}{\tau_s} \right] \\ h_0 &= 1. \end{aligned} \quad (15)$$

Equation (14) gives the molecular density (and therefore the pressure) as a function of time in the form of a simple integral. Even without solving this integral, we may obtain the limiting behaviour of the solutions for very large time

$$\begin{aligned} N_T(t \rightarrow \infty) &\rightarrow \frac{\tau}{\tau_\epsilon} + N_{T0} \\ n(t \rightarrow \infty) &\rightarrow n_e \\ s(t \rightarrow \infty) &\rightarrow \frac{N_{T0} - Vn_e}{A} + \frac{\tau}{\tau_\epsilon A} \end{aligned}$$

Finally, in the limit $\tau \rightarrow \infty$, we obtain the approximate solution

$$\begin{aligned} n(t) &= n_0 e^{-t/\tau_{ds}} + \tau_{ds} \left(\frac{N_{T0}}{V\tau_d} + \frac{1}{V\tau_\epsilon} + \frac{n_e}{\tau_s} \right) \left(1 - e^{-t/\tau_{ds}}\right) + \\ &+ \frac{\tau_{ds}^2}{V\tau_d\tau_\epsilon} \left(\frac{t}{\tau_{ds}} - 1 + e^{-t/\tau_{ds}} \right) \end{aligned} \quad (16)$$

where we have defined yet another time constant

$$\tau_{ds} = \frac{1}{\frac{1}{\tau_d} + \frac{1}{\tau_s}} \quad (17)$$

Noting that, for typical parameters, $\tau_{ds} \ll \tau$, we see from the equation (16) that, for times such that $\tau_{ds} \ll t \ll \tau$, the volume density and therefore the pressure grows linearly with time. Clearly this approximation cannot give us the exact time at which the pressure reaches its maximum value, but it does indicate that such a maximum cannot happen at times much shorter than the beam lifetime τ since for that time range the molecular density is a monotonically increasing function of time. However, this is precisely what

the experimental data show, since the lifetime is typically of the order of 20 hours, whereas the pressure peak happens within just a few hours. This leads us to assume that some other mechanism, apart from photo desorption and with a different characteristic time constants must be involved to explain the experimental observations. In the following section, we discuss this in more detail, using a full numerical solution to the gas dynamic balance equations.

RESULTS

Various simulations have been performed solving Eqs. (1). The idea is to change the input parameters within the range of values found in the literature and to compare the pressure simulated with the one measured.

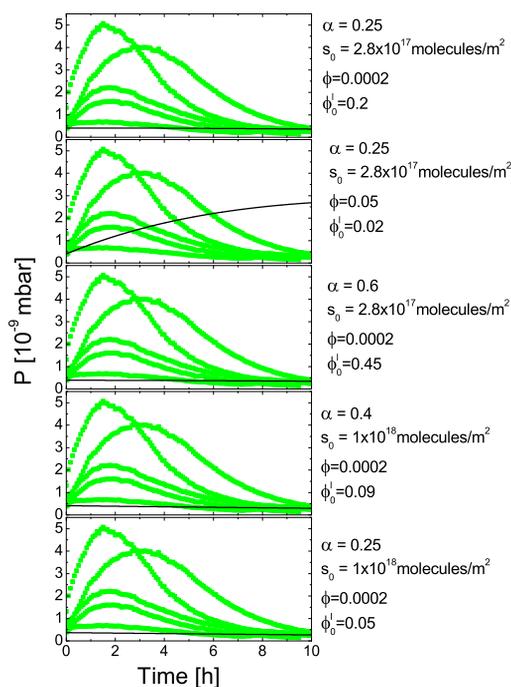


Figure 6: Pressure in the cold vacuum chamber as a function of time. The green squares indicate the typical behaviour and range of measured values. The black line displays the simulations shown in these plots consider only photo-desorption ($\dot{\Gamma}_0 = 0$ electrons/s).

As we have seen above, considering just the contribution of photons ($\dot{\Gamma} = 0$ electrons/s) to desorb molecules from the cold surface it is impossible to reproduce the measured values of the pressure as a function of time. This can also be demonstrated by showing that the first of Eqs. (1) at the time at which the pressure has a maximum t_{max} is not satisfied. Since at t_{max} $dn/dt = 0$ it follows:

$$\exp(-t_{max}/\tau) = \frac{\alpha G S \Delta P}{(\phi + \phi') \dot{\Theta}_0} \quad (18)$$

The experimental constraints on $2 \cdot 10^{-4} \leq \phi \leq 5 \cdot 10^{-2}$,
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$5 \cdot 10^{-2} \leq \phi'/\alpha \leq 8$ (Ref. [22]) and on $0.25 \leq \alpha \leq 0.6$ (Ref. [23]) described in the previous section limit $(\phi + \phi')/\alpha$ in the range $0.05 \leq (\phi + \phi')/\alpha \leq 8.2$. With this in mind and recalling from the observations that $\Delta P \simeq 5 \times 10^{-9}$ mbar, the second term of Eq. (18) is always less than 0.02. From our experimental data $t_{max} \simeq 2$ hours and $\tau \simeq 22$ hours, so the first term of Eq. (18) is about 1 and Eq. (18) is not satisfied.

The solutions obtained from Eqs. (1) taking into account only photodesorption with different sets of parameters are reported in Fig. 6. The initial pressure is set to $P_0 = 4 \times 10^{-10}$ mbar. The results obtained considering also electron stimulated desorption are shown in Fig. 7. We have used the values indicated in the column 'fixed' of Table 1 which fit one of the green curves, see Fig. 7. In order to study the effect of the different parameters, we have performed different simulations by varying the parameters shown in Table 1 within the values indicated in the columns 'min' and 'max'. Increasing the sticking coefficient α or decreasing the primary and secondary electron stimulated desorption yield decreases the amount of molecules desorbed and the pressure peak while a change in the surface coverage s_0 does not significantly affect the results. Figure 7 c) also shows that an increase in the decay time of the impinging electrons τ_{el} delays the pressure peak. In

	min	max	fixed
s_0 (10^{17} molecules/m ²)	1	2.5	1.3
α	.1	.6	.3
ϕ			0.0002
ϕ'_0			0.01
η	0.0001	0.0003	0.0001
η'_0	0.001	.01	0.0035
Θ_0 (10^{15} photons/s)			5
$\dot{\Gamma}_0$ (10^{17} electrons/s)			6
τ (s)			80000
τ_{el} (s)	5000	15000	9000

Table 1: Values used as input parameters in Eqs. (1) to obtain the values of the pressure as a function of time reported in Fig. 7.

Fig. 8 we show that it is possible to tune the input parameters within the range of values found in the literature to reproduce the different measured curves of the pressure in the cold bore. We conclude that, taking into account the contribution of molecules desorbed by electrons, it is possible to reproduce the observed behaviour of the pressure by varying the input parameters in the range of values found in the literature. The measurements are well reproduced by using a decay time of the electrons desorbing H₂ from the surface in the range $8000 \text{ s} < \tau_{el} < 13000 \text{ s}$. Since the beam current I_b and the flux of electrons bombarding the wall $\dot{\Gamma}_0$ decay exponentially with time with two different time constants, respectively τ and τ_{el} ,

$$I_b = I_{b0} \exp(-t/\tau), \quad \dot{\Gamma} = \dot{\Gamma}_0 \exp(-t/\tau_{el})$$

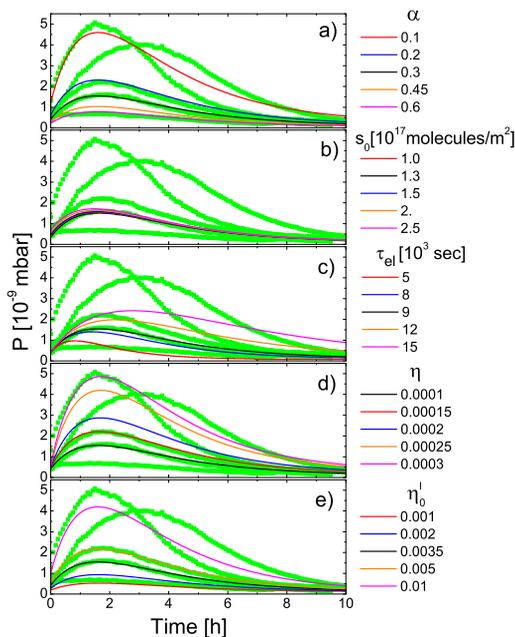


Figure 7: Pressure in the cold vacuum chamber as a function of time. The green squares indicate the typical behaviour and range of measured values. The simulations shown in these plots are obtained considering also electron stimulated desorption and using the 'fixed' values of the input parameters as in Table I varying a) the sticking coefficient α , b) the initial value of the H_2 surface coverage s_0 , c) the decay time of the electrons desorbing H_2 from the surface τ_{el} , d) the primary electron stimulated desorption yield η , e) the secondary electron stimulated desorption yield η' .

where I_{b0} is I_b at $t = 0$ it follows that

$$\dot{\Gamma} = \dot{\Gamma}_0 \exp(\tau/\tau_{el} \ln(I_b/I_{b0})) = \dot{\Gamma}_0 \left(\frac{I_b}{I_{b0}}\right)^{\tau/\tau_{el}} \quad (19)$$

An example of this power law dependence of the flux of the electrons bombarding the wall and desorbing H_2 molecules as a function of the the beam current is shown in Fig. 9. The behaviour of the electron flux $\dot{\Gamma}$ as a function of the beam current I_b displays a growth much faster than linear showing an avalanche effect, which has often been described in the literature as multipacting. The mechanism generating this drastic increase of electrons imping the wall with beam current is still not clear.

CONCLUSIONS AND OUTLOOK

A simple model of electron bombardment appears to be consistent with the beam heat load and pressure rise observed in the cold bore of the superconducting undulator installed at ANKA. A common cause of electron bombardment is the build-up of an electron cloud, which strongly depends on the chamber surface properties. The

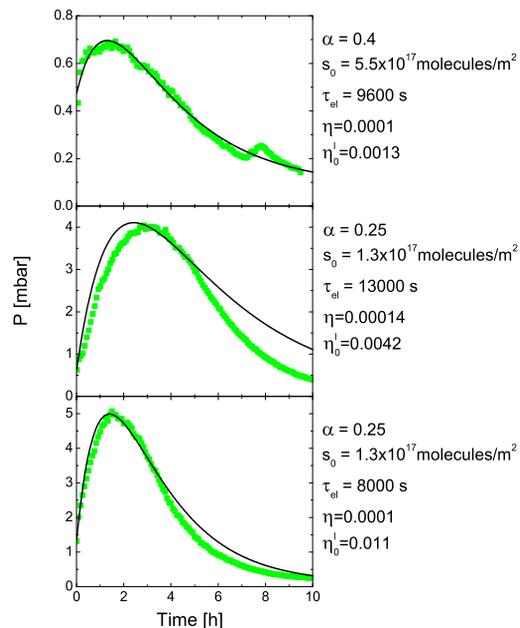


Figure 8: Pressure in the cold vacuum chamber as a function of time. The green squares indicate the typical behaviour and range of measured values. The simulations shown in these plots demonstrate that it is possible to tune the input parameters within the range of values found in the literature to reproduce the different measured curves of the pressure in the cold bore.

surface properties as secondary electron yield, photoemission yield, photoemission induced electron energy distribution, needed in the simulation codes to determine the eventual occurrence and size of an electron cloud build-up, have only partly been measured for a cryosorbed gas layer. Even using uncommonly large values for these parameters, the heat load inferred from the ECLLOUD simulations [27] is about one order of magnitude lower than the measurements [28]. While electron cloud build-up models have been well bench marked in machines with positively charged beams, in electron machines they do not reproduce the observations satisfactory. This has been shown at the ECLLOUD'10 workshop not only in our case, but also by K. Harkay [29] and by J. Calvi [31] comparing the RFA data taken with electron beams in the APS and CEsrTA, respectively, with the simulations performed using the electron cloud build-up codes POSINST [30] and ECLLOUD [27]. From these comparisons it seems that the electron cloud build-up codes do not contain all the physics going on for electron beams. In order to fit the data with the simulations, the approach at APS and CEsrTA is to change the photoelectron model. At ANKA we tried to study if the presence of a smooth ion background (i.e. a partially neutralized electron beam) can change the photoelectron dynamics so that the photo-electrons can receive a significant amount of kinetic energy from the ion cloud plus electron

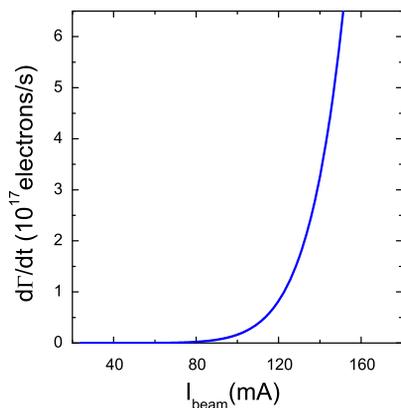


Figure 9: Flux of the electrons desorbing H_2 molecules from the surface a function of the beam current for a decay time $\tau_{el} = 9000$ s. The behaviour of the electron flux $\dot{\Gamma}$ as a function of the beam current I_b displays a growth much faster than linear showing an avalanche effect, which has often been described in the literature as multipacting.

beam system. Encouraged by preliminary analytical results by P. F. Tavares, S. Gerstl will try to fit our data at ANKA by including an ion cloud potential in the ECLLOUD code.

We have shown that in order to reproduce the pressure measurements it is necessary to include electron stimulated desorption with a shorter decay time τ_{el} than the beam lifetime τ . This implies a very fast avalanche-like growth of the electron flux $\dot{\Gamma}$ as a function of beam current suggesting electron multipacting. Considering the simplified assumptions, for example, the gas made by H_2 only and the large measurements uncertainties the agreement between simulations and measurements is satisfying. A refinement of the model makes sense once more accurate and controlled measurements will be available with the planned cold vacuum chamber (COLDDIAG) to be installed in a storage ring, implemented with the following diagnostics: i) retarding field analyzers to measure the electron flux, ii) temperature sensors to measure the total heat load, iii) pressure gauges, iv) and mass spectrometers to measure the gas content [32].

ACKNOWLEDGEMENTS

The authors are grateful to Frank Zimmermann (CERN) for useful discussions in the initial phase of this project.

Pedro F. Tavares acknowledges financial support from the Brazilian Research Council - CNPq.

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