

NEW EVIDENCE OF 4Q
STRUCTURE IN THE X SYSTEM

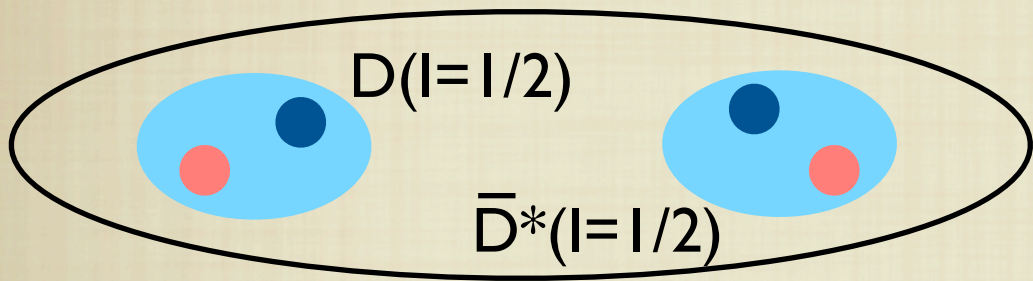
AD POLOSA
INFN ROMA I - LA SAPIENZA

ISOSPIN VIOLATION AND TWO X'S

$$\frac{\mathcal{B}(X \rightarrow \pi^+ \pi^- \pi^0 J/\psi)}{\mathcal{B}(X \rightarrow \pi^+ \pi^- J/\psi)} = 1.0 \pm 0.4 \pm 0.3$$

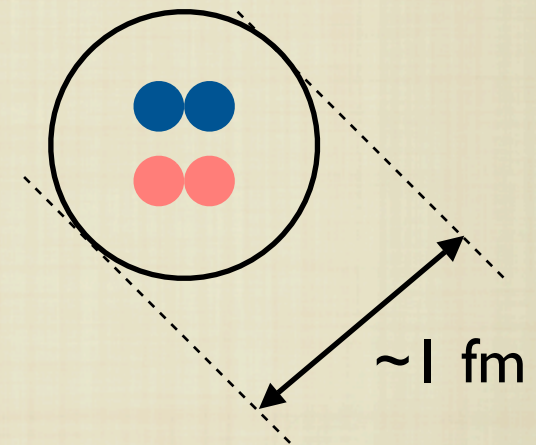
FROM EARLY OBSERVATIONS BY BELLE AND BABAR ('03-'04)

MOLECULES



NO PROBLEM WITH ISOSPIN VIOLATION :: 1 STATE ::
SMALL DECAY RATE TO DDπ

4-QUARKS



NEED TWO STATES, AND MAKE ISOSPIN VIOLATION POSSIBLE

$$X_u = [cu][\bar{u}\bar{c}]$$

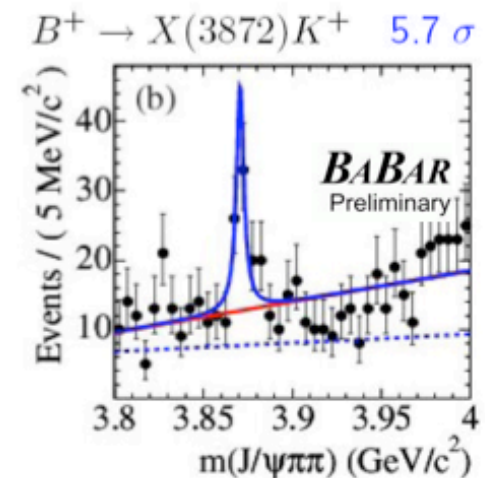
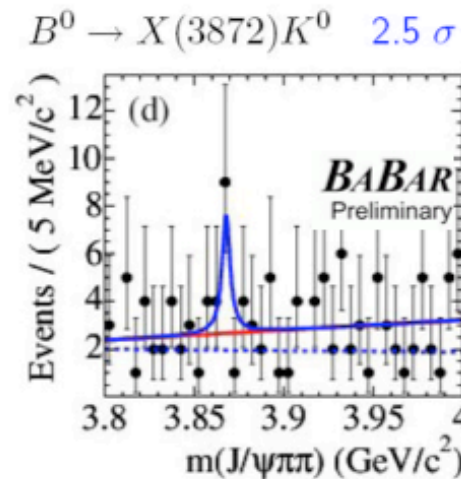
$$X_d = [cd][\bar{d}\bar{c}]$$

FIND THESE TWO X'S IN DATA

A **MASS DIFFERENCE** $X_U - X_D$ OF ABOUT ~ 5 MEV WAS PREDICTED :: THEY COULD APPEAR IN B^+ AND B^0 SEPARATELY

$B^+ \rightarrow K^+ X_u$ with rate Γ_1
 $B^+ \rightarrow K^+ X_d$ with rate Γ_2
 suppose $\Gamma_1 \gg \Gamma_2 \triangleright \Gamma_4 \gg \Gamma_3$
 $B^0 \rightarrow K^0 X_u$ with rate Γ_3
 $B^0 \rightarrow K^0 X_d$ with rate Γ_4

Properties of the X(3872)



211 fb⁻¹

$$\left\{ \begin{array}{l} R = B^0/B^+ = 0.61 \pm 0.36 \pm 0.06 \\ \Delta m = 2.7 \pm 1.3 \pm 0.2 \text{ MeV}/c^2 \end{array} \right.$$



September 20, 2005

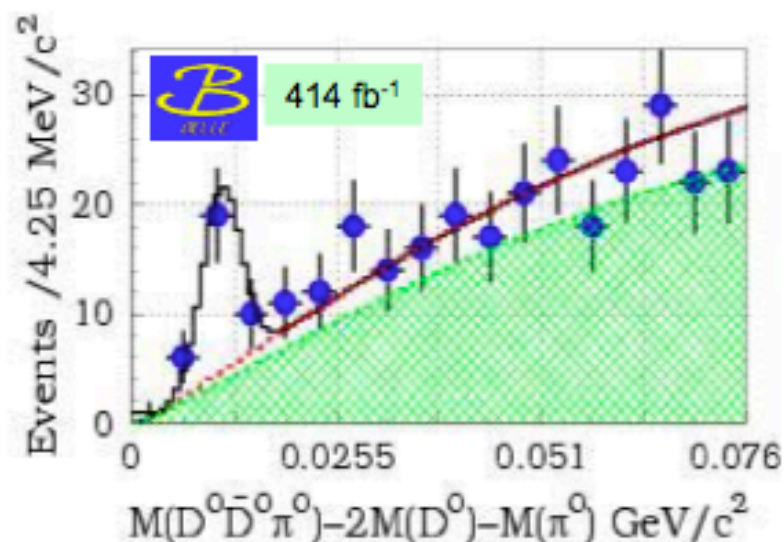
Milos Workshop



DIFFERENCE IN MASS FROM DATA NOT SIGNIFICATIVE

X(3872): STILL SOME SURPRISES

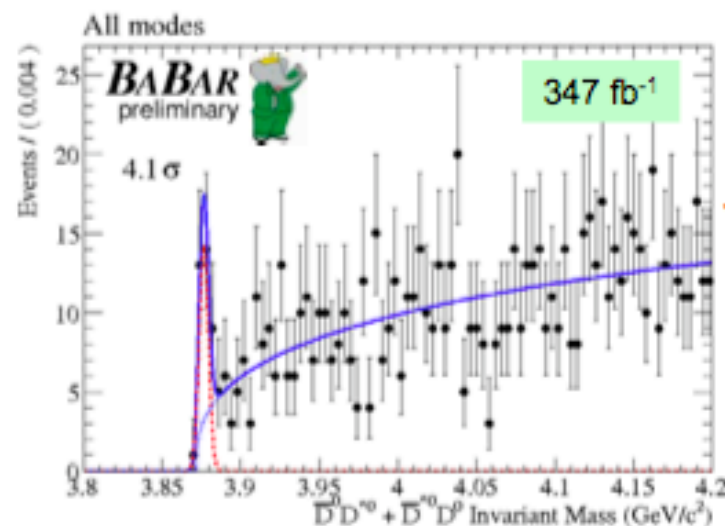
- Belle: looking at $B \rightarrow \bar{D}^0 D^0 \pi^0 K$



- Excess in the $\bar{D}^0 D^0 \pi^0$ invariant mass

- $M = 3875.4 \pm 0.7^{+1.2}_{-2.0}$ MeV/c²

- BaBar: looking at $B \rightarrow \bar{D}^0 D^{*0} K$
($D^{*0} \rightarrow D^0 \pi^0 / \gamma$)



New result
preliminary

- Excess in the $\bar{D}^0 D^{*0}$ invariant mass

- $M = 3875.6 \pm 0.7^{+1.4}_{-1.5}$ MeV/c²

- Masses between Belle and BaBar in good agreement
- 2.5 σ away from the X(3872) world average!
- If X(3872), $J^P = 2^+$ disfavored

$M(J/\psi \pi^+ \pi^-) = 3871.2 \pm 0.5$ MeV (World Average)

hep-ex/0606055

ARE THERE TWO DIFFERENT X PARTICLES?

:: OUR HYPOTHESIS: TWO X, GENERICALLY PRODUCED IN B^{+0} ::

$$X_u \equiv X \text{ state decaying into } D^0 \bar{D}^0 \pi^0 = X(3876)$$

$$X_d \equiv X \text{ state decaying into } J/\psi \pi^+ \pi^- = X(3872)$$

:: THE TWO NEUTRAL STATES IN THE 4Q-COMPLEX ::

$$X^+ = [cu][\bar{c}\bar{d}] \quad X^- = [cd][\bar{c}\bar{u}]$$

$$X_u = [cu][\bar{c}\bar{u}] \quad X_d = [cd][\bar{c}\bar{d}]$$

IT IS TRICKY THAT X_D TURNS OUT TO BE LIGHTER THAN X_U

(MAYBE ELECTROSTATICS IS RESPONSIBLE FOR THIS)

HOW FAR IS THIS PICTURE CONSISTENT WITH A FOUR QUARK MODEL?

HOWEVER, THE ASSUMPTION, THAT X_U AND X_D WOULD DECAY IN J WITH SIMILAR BRANCHING RATIOS WAS NOT JUSTIFIED AND THE EARLIER SCHEME IS SUPERSEDED BY THE ONE PRESENTED HERE.

A REMARKABLE FACT

$$\bar{b} + (u) \rightarrow \bar{c} + c\bar{s} + (u) + q\bar{q} \quad (\Delta I = 0)$$

(V)alence and (S)ea needed to build the final state Kaons :: observe that the inverted pattern with B^0 was already observed in our first paper

$$\mathcal{A}(B^+ \rightarrow K^+ X_u) = V + S = \mathcal{A}(B^0 \rightarrow K^0 X_d)$$

$$\mathcal{A}(B^+ \rightarrow K^+ X_d) = V = \mathcal{A}(B^0 \rightarrow K^0 X_u)$$

$$\mathcal{A}(B^+ \rightarrow K^0 X^+) = S = \mathcal{A}(B^0 \rightarrow K^+ X^-)$$

AS A CONSEQUENCE WE HAVE

$$\begin{aligned} \left(\frac{B^0}{B^+}\right)_{J/\psi} &= \frac{\mathcal{B}(B^0 \rightarrow K^0 X_d)\mathcal{B}(X_d \rightarrow J/\psi\pi^+\pi^-)}{\mathcal{B}(B^+ \rightarrow K^+ X_d)\mathcal{B}(X_d \rightarrow J/\psi\pi^+\pi^-)} = \frac{\mathcal{B}(B^0 \rightarrow K^0 X_d)}{\mathcal{B}(B^+ \rightarrow K^+ X_d)} = \\ &= \frac{\mathcal{B}(B^+ \rightarrow K^+ X_u)}{\mathcal{B}(B^0 \rightarrow K^0 X_u)} = \frac{\mathcal{B}(B^+ \rightarrow K^+ X_u)\mathcal{B}(X_u \rightarrow D\bar{D}\pi)}{\mathcal{B}(B^0 \rightarrow K^0 X_u)\mathcal{B}(X_u \rightarrow D\bar{D}\pi)} = \left[\left(\frac{B^0}{B^+}\right)_{D\bar{D}\pi}\right]^{-1} \end{aligned}$$

WHAT DATA TELL (X(3872) AND X(3876) APPEAR TO BE RELATED BY $U \Leftrightarrow D$ SYMMETRY!)

	$f = J/\psi\pi^+\pi^-$	$f = D^0\bar{D}^0\pi^0$
$\mathcal{B}(B^\pm \rightarrow K^\pm X)\mathcal{B}(X \rightarrow f) \times 10^5$	1.05 ± 0.18	$10.7 \pm 3.1_{3.3}^{1.9}$
	$1.01 \pm 0.25 \pm 0.10$	-----
$\mathcal{B}(B^0 \rightarrow K^0 X)\mathcal{B}(X \rightarrow f) \times 10^5$	-----	$17.3 \pm 7.0_{5.3}^{3.1}$
	$0.51 \pm 0.28 \pm 0.07$	-----
$(B^0/B^+)_f$	-----	1.62 ± 0.80
	$0.50 \pm 0.30 \pm 0.05$	$2.23 \pm 0.93 \pm 0.55$

DECAYS

>=3 for
spin
parity 1+

POSSIBLE DECAY MODES:

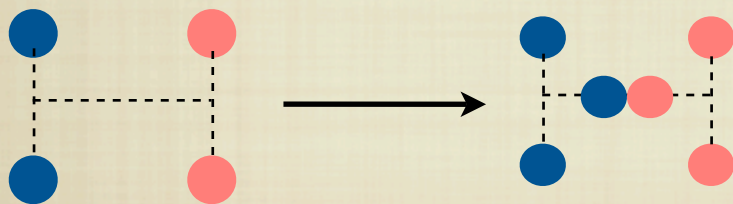
1 :: ANNIHILATION INTO GLUONS (> 2) GIVING A MULTIHADRON UNCHARGED FINAL STATE

RATE EXPECTED TO BE SIMILAR TO: $\Gamma_{ann}(X) \simeq \Gamma(\chi_{c1}) = 0.96 \text{ MeV}$

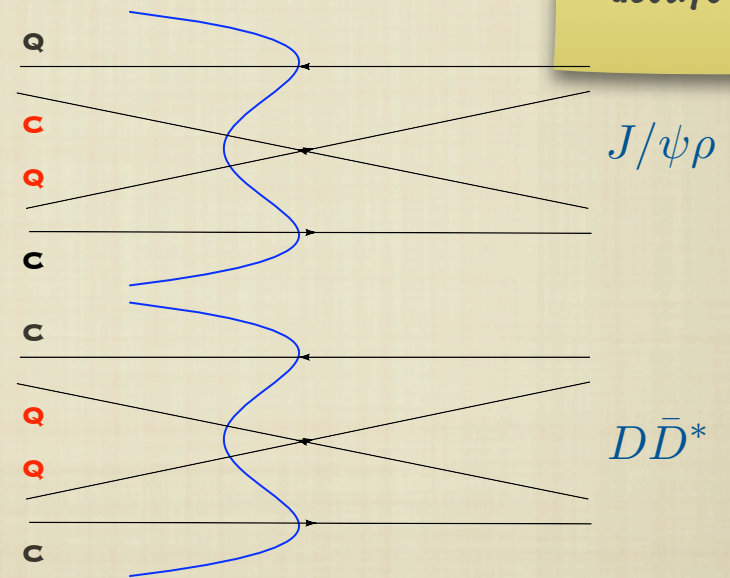
2 :: ANNIHILATION $X \rightarrow gg + q\bar{q}$ BUT CCB ARE J=1 (VOLOSHIN), SO \Rightarrow TO TWO GLUONS

3 :: QUARK REARRANGEMENT (VIA TUNNELING) GIVING OPEN CHARM OR ψ

1MeV sets the
scale of the
background of
multihadronic
decays

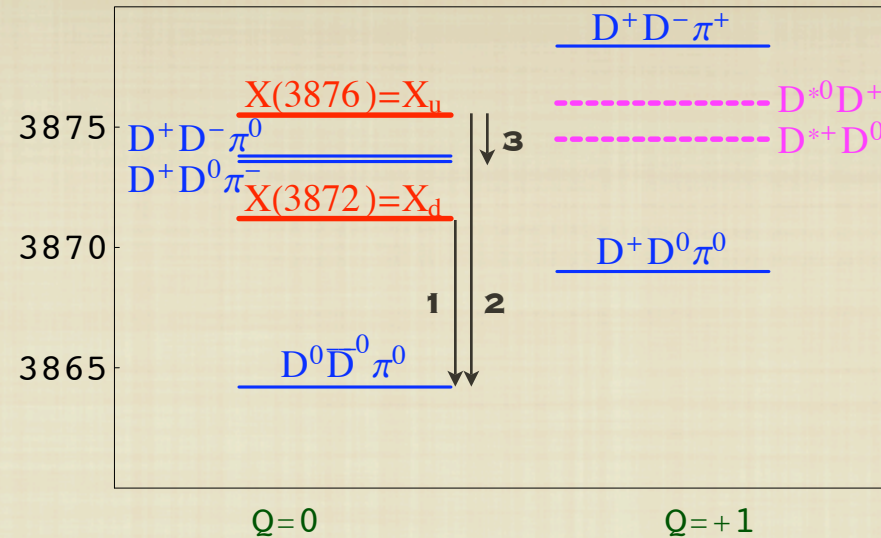


OR



(RED TWISTS)

DECAYS



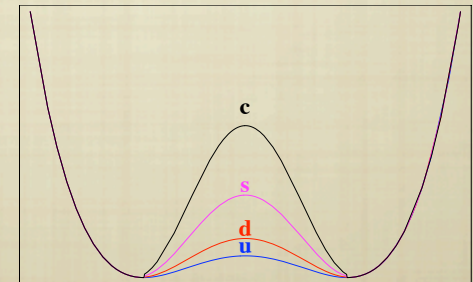
QUALITATIVELY WE EXPECT THAT :: (1) MUST BE SMALL (FLAVOR) :: (2) IS LARGER THAN (3)

ALTERNATIVE: TWIST C
AND MAKE J/ψ

BY QUARK FLAVOR CONSERVATION X_D SHOULD
DECAY IN D^+D^{*-} :: PHASE SPACE FORBIDDEN.
 D^0D^{*0} IS SUPPRESSED TWICE BECAUSE $UU \leftrightarrow DD$
& BECAUSE OF A SMALL `REDUCED RATE`

WE COULD TWIST HERE C AS
WELL; BUT THE *CHEAPEST*
ALTERNATIVE IS STILL DD^*

A QUALITATIVE PICTURE
OF THE BARRIERS



THE BARRIER, QUALITATIVELY FROM DATA:

$$\left(\frac{B^0}{B^+}\right)_{D\bar{D}\pi} = \left|\frac{V}{V+S}\right|^2 \simeq 2 \rightarrow \frac{S}{V} \simeq \begin{cases} -0.3 \\ -1.7 \end{cases}$$

AND

$$R = \frac{\mathcal{B}(B^+ \rightarrow K^+ X_u) \mathcal{B}(X_u \rightarrow D^0 \bar{D}^0 \pi^0)}{\mathcal{B}(B^+ \rightarrow K^+ X_d) \mathcal{B}(X_d \rightarrow J/\psi \pi^+ \pi^-)} \simeq 10$$

and

$$R = \left|\frac{V+S}{V}\right|^2 \frac{\mathcal{B}(X_u \rightarrow D^0 \bar{D}^0 \pi^0)}{\mathcal{B}(X_d \rightarrow J/\psi \pi^+ \pi^-)}$$

THEREFORE IT FOLLOWS

$$\mathcal{B}(X_d \rightarrow J/\psi \pi^+ \pi^-) \simeq \frac{1}{20} \mathcal{B}(X_u \rightarrow D^0 \bar{D}^0 \pi^0)$$

VISIBILITY LIMIT (NO SUSPECT OF TWO INTERFERING STRUCTURES)

$$\mathcal{B}(B^+ \rightarrow K^+ X_u) \mathcal{B}(X_u \rightarrow \psi \pi \pi) < \frac{1}{3} \times \mathcal{B}(B^+ \rightarrow K^+ X_d) \mathcal{B}(X_d \rightarrow \psi \pi \pi)$$

$$\Rightarrow \mathcal{B}(X_u \rightarrow \psi \pi \pi) \lesssim \frac{1}{30} \times \mathcal{B}(X_u \rightarrow D\bar{D}\pi)$$

rosso
inventato...

we put the X_u
here because
we trust that
it decays in psi

EFFECTIVE DECAY LAGRANGIAN

$$\mathcal{L}_{eff} = \lambda_{\psi V}^u \frac{1}{M_\rho} \epsilon^{\mu\nu\rho\sigma} (p_V)_\mu V_\nu \psi_\rho X_\sigma^{(u)} + \lambda_{D^* D}^u X^{(u)\mu} (\bar{D}_\mu^{*0} D^0 - \bar{D}^0 D_\mu^{*0}) \simeq$$

$$\simeq \lambda_{\psi V}^u \mathbf{X}^{(u)} \cdot (\mathbf{V} \times \boldsymbol{\psi}) + \lambda_{D^* D}^u \mathbf{X}^{(u)} \cdot (\mathbf{D}^{*0} D^0 - \mathbf{D}^{*0} \bar{D}^0)$$

FROM WHAT DISCUSSED ABOVE WE EXPECT

$$\lambda_{\psi V}^u \ll \lambda_{D^* D}^u$$

LET US COMPUTE THE REDUCED RATES Υ OF THE DECAYS ACCORDING TO:

$$\Gamma(X_{u,d} \rightarrow f) = |\lambda|^2 \gamma(f)_{u,d}$$

THE REDUCED RATES FOUND FOR THE 3-BODY DECAYS AT HAND ARE

	$f = J/\psi\pi^+\pi^-$	$f = D^0\bar{D}^0\pi^0$	$f = D^+D^-\pi^0$	$f = J/\psi\pi^+\pi^0$	$f = D^+\bar{D}^0\pi^0$
$X(3876)=X_u \rightarrow f$	0.59	0.26	$4.5 \cdot 10^{-7}$	—	—
$X(3872)=X_d \rightarrow f$	0.56	0.0102	0	—	—
$X^+(3877) \rightarrow f$	—	—	—	1.2	—
$X^+(3876) \rightarrow f$	—	—	—	1.2	—

$$\Gamma(X_u \rightarrow D^0\bar{D}^0\pi^0) \gg \Gamma(X_u \rightarrow J/\psi\pi^+\pi^-) \simeq$$

$$\simeq \Gamma(X_d \rightarrow J/\psi\pi^+\pi^-) \gg \Gamma(X_d \rightarrow D^0\bar{D}^0\pi^0)$$

how the limit in the latter slide transforms in a value for the couplings?

N.B. THE ρ IS MUCH BROADER THAN D^* (FACTOR ~2000)

COUPLINGS

USING THE RESULT OBTAINED BEFORE

$$\mathcal{B}(X_u \rightarrow \psi\pi\pi) \lesssim \frac{1}{30} \times \mathcal{B}(X_u \rightarrow D\bar{D}\pi)$$

AND THE RATIO OF REDUCED RATES **0.26/0.59** FROM TABLE, WE GET INDEED

$$\frac{\lambda_{\psi V}^u}{\lambda_{D^* D}^u} \sim 0.13$$

and $\Gamma(X_u \rightarrow J/\psi\pi^+\pi^-) \simeq \Gamma(X_d \rightarrow J/\psi\pi^+\pi^-) \leq 0.1 \text{ MeV}$

but we expect X^+
just in between of
 X_u and X_d . $u \rightarrow d$
but a repulsion
transforms into
attraction

PICTURE

- X_u : $\Gamma(\text{multi-g}) \approx 1 \text{ MeV}$, $\Gamma(D^0 D^0 \pi^0) \approx 1-3 \text{ MeV}$ ($B=0.5$ to 1); $B(\psi\pi\pi) = \text{negl.}$
- X_d : $\Gamma(\text{multi-g}) \approx 1 \text{ MeV}$, $\Gamma(\psi\pi\pi) \approx 0.1 \text{ MeV}$ ($B=0.05$); $\Gamma(DD\pi) = 0$.
- X^+ : $\Gamma(\text{multi-g}) \approx 0.1-1 \text{ MeV}$, $\Gamma(\psi\pi\pi) \approx 0.2 \text{ MeV}$; $\Gamma(DD\pi) = \text{strongly mass dependent, may be dominant for } M > 3876$

THE YET UNOBSERVED X^{+-}

EXPERIMENTAL BOUNDS

$$\begin{aligned}\mathcal{B}(B^+ \rightarrow K^0 X^+) \mathcal{B}(X^+ \rightarrow J/\psi \pi^+ \pi^0) &\leq 2.2 \times 10^{-5} \\ \mathcal{B}(B^0 \rightarrow K^+ X^-) \mathcal{B}(X^- \rightarrow J/\psi \pi^- \pi^0) &\leq 0.54 \times 10^{-5}\end{aligned}$$

USING PREVIOUS RESULTS WE GET

$$\begin{aligned}\frac{\mathcal{B}(X^- \rightarrow \psi \pi^- \pi^0)}{\mathcal{B}(X_d \rightarrow \psi \pi \pi)} &\equiv \frac{\mathcal{B}(B^0 \rightarrow K^+ X^-) \mathcal{B}(X^- \rightarrow \psi \pi^- \pi^0)}{\mathcal{B}(B^0 \rightarrow K^+ X^-) \mathcal{B}(X_d \rightarrow \psi \pi \pi)} \leq \\ &\leq \frac{0.54 \times 10^{-5}}{\mathcal{B}(B^0 \rightarrow K^+ X^-) \mathcal{B}(X_d \rightarrow \psi \pi \pi)} \frac{\mathcal{B}(B^0 \rightarrow K^0 X_d)}{\mathcal{B}(B^0 \rightarrow K^0 X_d)} = \frac{0.54}{0.51} \frac{\mathcal{B}(B^0 \rightarrow K^0 X_d)}{\mathcal{B}(B^0 \rightarrow K^+ X^-)} \approx \\ &\approx \left| \frac{V+S}{S} \right|^2 \times \frac{0.54}{0.51}\end{aligned}$$

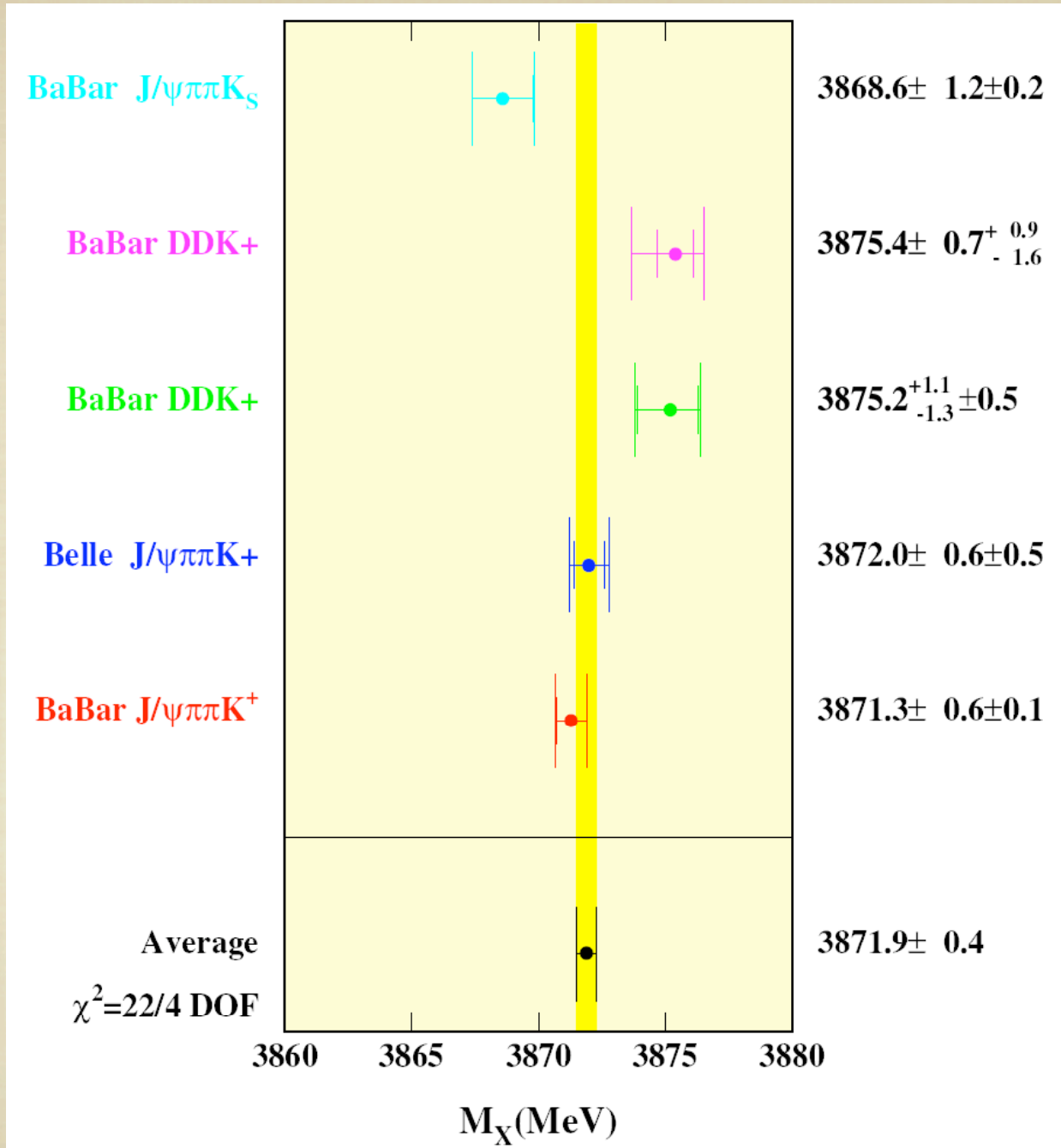
I.E., THE LIMIT

$$\mathcal{B}(X^+ \rightarrow J/\psi \pi^+ \pi^0) \leq \left| \frac{V+S}{V} \right|^2 \times \frac{0.54}{0.51} \times \mathcal{B}(X(3872) \rightarrow J/\psi \pi^+ \pi^-) \simeq 0.25$$

SUMMARY

- ARE $X(3872)$ AND $X(3876)$ TWO DIFFERENT PARTICLES? WE GUESS SO AND IDENTIFY THEM AS THE X_D AND X_U OF THE 4Q MODEL
- INDEED THEY CAN EFFECTIVELY BE ACCOMODATED AS THE NEUTRAL COMPONENTS OF A COMPLEX OF **FOUR STATES** CONTAINING ALSO TWO **CHARGED PARTICLES**
- MAYBE THE CHARGED PARTNERS HAVE TO BE SEARCHED IN OPEN CHARM FINAL STATES: $X^+ \rightarrow D^+ D^- \pi^0$
- SEE MAIANI, POLOSA, RIQUER **ARXIV:0707.3354**

MASSES



BUT...

**BELLE AND, VERY RECENTLY, BABAR
REPORT A PEAK IN $DD\pi$ AT A MASS 3875
~2.5 MEV AWAY FROM $X(3872)$!**

TWO STATES?

**MOLECULES? $DD\pi$ IS OBSERVED TO OCCUR
AT A LARGER RATE THAN $J\rho$**

By Swanson hep-ph/0311229

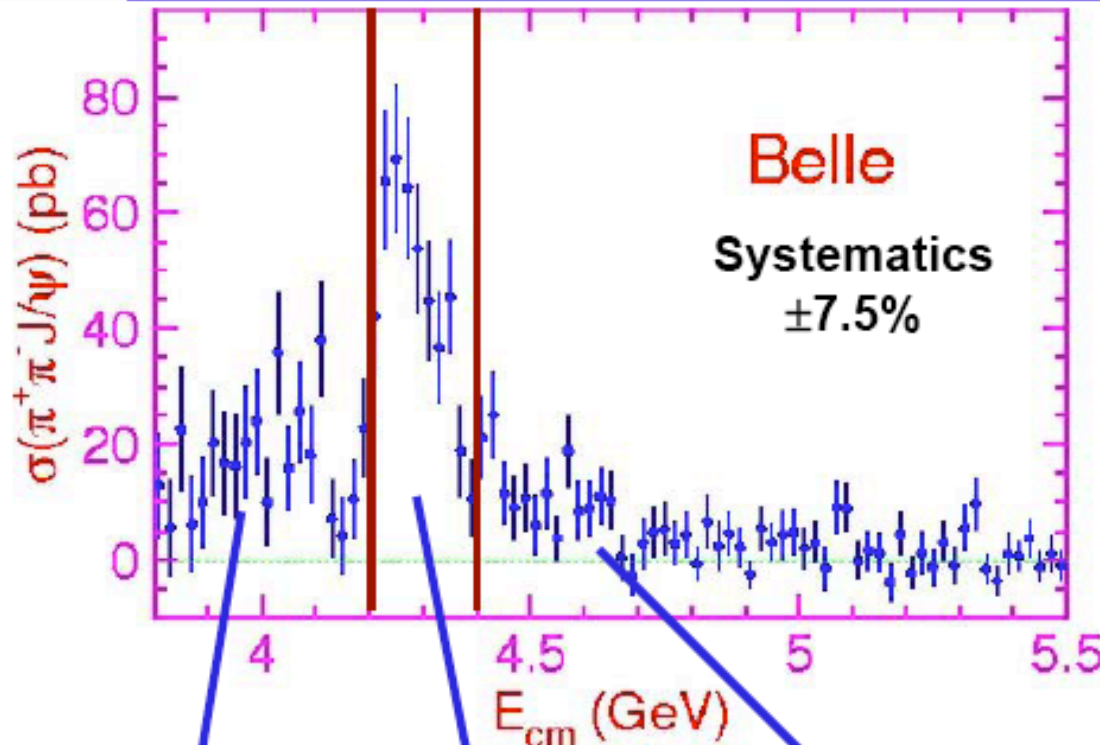
B_E (MeV)	$D^0\bar{D}^0\pi^0$	$\pi^+\pi^-J/\psi$	$\pi^+\pi^-\pi^0J/\psi$
0.7	67	1290	720
1.0	66	1215	820
2.0	57	975	1040

WHICH AGREES WITH THE SIMPLE EXPECTATION

$$\Gamma(DD\pi) \sim \Gamma(D^{*0}) = 70 \text{ KeV}$$



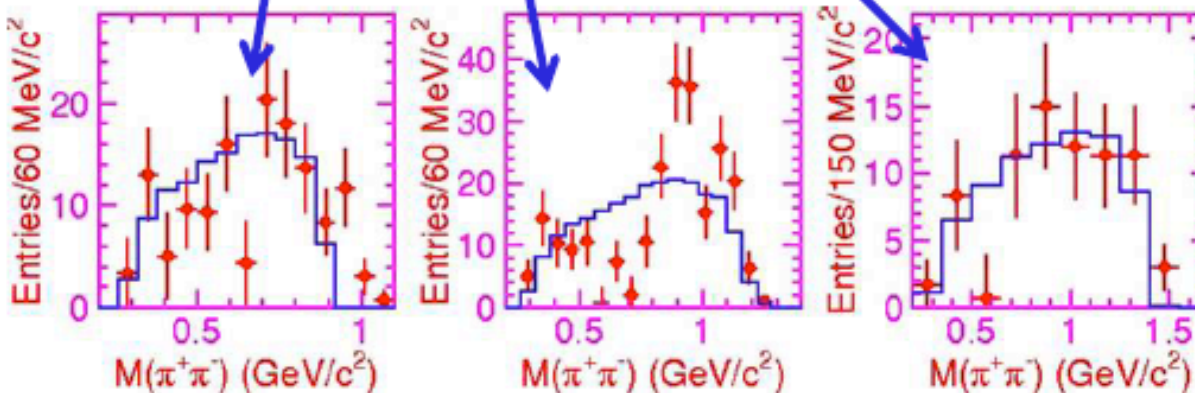
$ee \rightarrow J/\psi \pi\pi$ cross-section



Bg subtracted $M(J/\psi\pi\pi)$
corrected for efficiency
and differential
luminosity

Cross-check:
measurement of cross
section at ψ' peak:

- $\Gamma_{ee}(\psi') = 2.54 \pm 0.12 \pm 0.89$
- **PDG'06:**
 $\Gamma_{ee}(\psi') = 2.43 \pm 0.05$



$M_{\pi\pi}$ spectra in different
 \sqrt{s} regions:

- \sqrt{s} 3.8 -4.2 & 4.4-4.6 GeV in agreement with 3-body phase space
- Y(4260) region
 \sqrt{s} 3.8 -4.15 GeV: two clusters at low and high masses