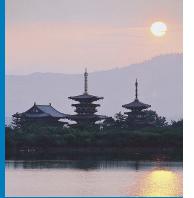


CLEO Bottomonium Results



Brian Heltsley

on behalf of the CLEO Collaboration

6th International
Workshop on Heavy Quarkonia
Nara, Japan December 2008

Outline:

Transition:

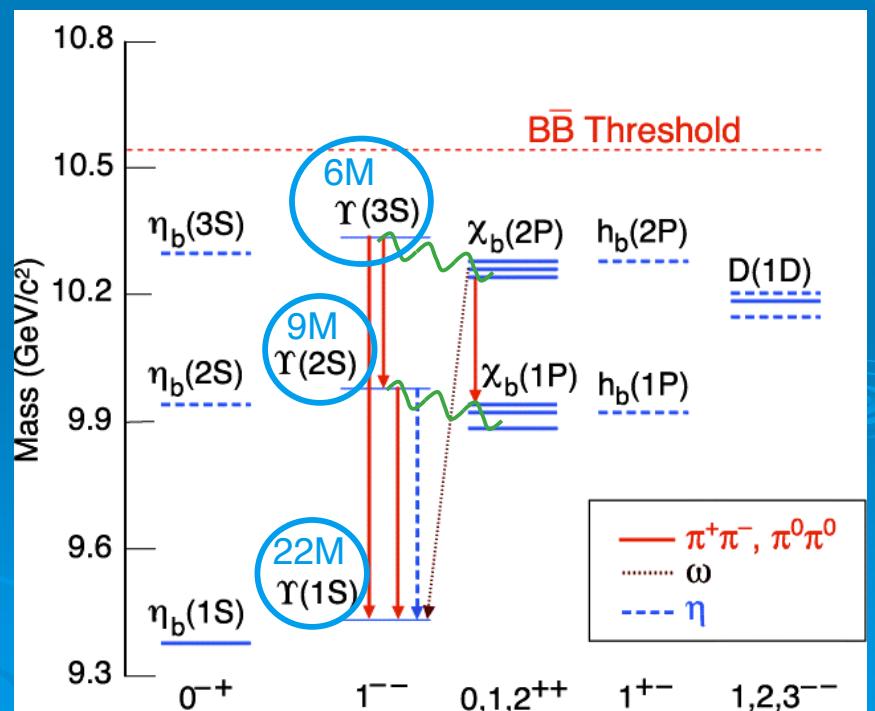
$\pi\pi$ – precision

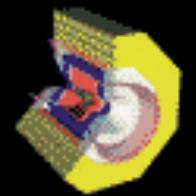
η / π^0 – discovery

Decay:

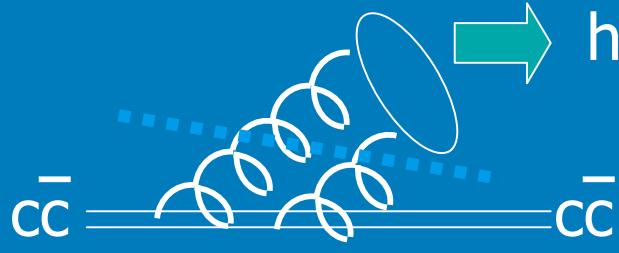
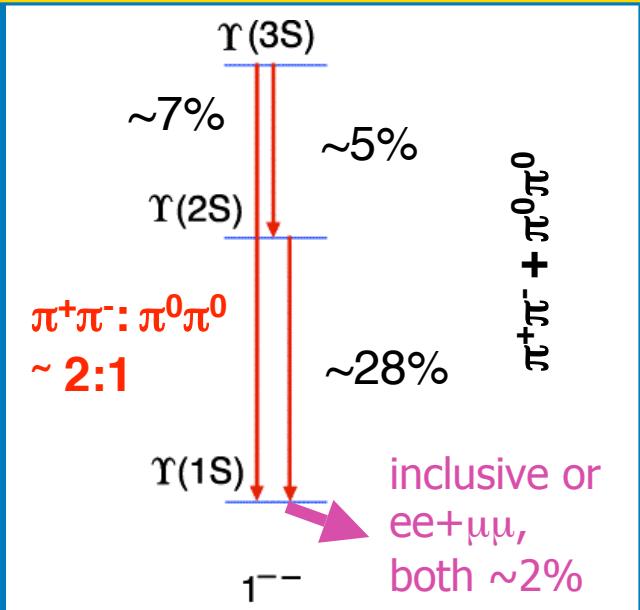
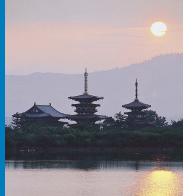
Charm production – copious

Light quark modes – many but rare





$\Upsilon(3,2S) \rightarrow \pi\pi + \Upsilon(2,1S)$

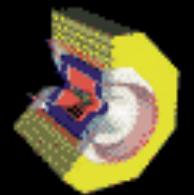


Factorization:
gluon emission
followed by
hadronization

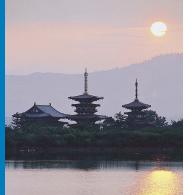
multipole picture: $2 \times E1 \Rightarrow h = \pi\pi$

Other hadronic transitions in the Υ system:
 $\chi_{bJ}(2P) \rightarrow \omega \Upsilon(1S)$, $\chi_{bJ}(2P) \rightarrow \pi\pi \chi_{bJ}(1P)$,
other Υ dipion transitions,
 $\Upsilon(2,3S) \rightarrow \eta/\pi^0 \Upsilon(1S)$ (later)

- Substantial branching fraction, precision measurement possible and desirable
 - Dipion tag often used to clean up lower-n decay samples
- Test non-perturbative, non-relativistic calculations:
 - Predictions: $\Upsilon(2S) \rightarrow \pi^+\pi^- + \pi^0\pi^0$ $\Upsilon(1S)$ 50% [Yan PRD 22, 1652 (1980)]
40.6% [Kuang hep-ph/0601044]



$\Upsilon(nS) \rightarrow \pi\pi + \Upsilon(mS)$



Goal: precision rate measurement.

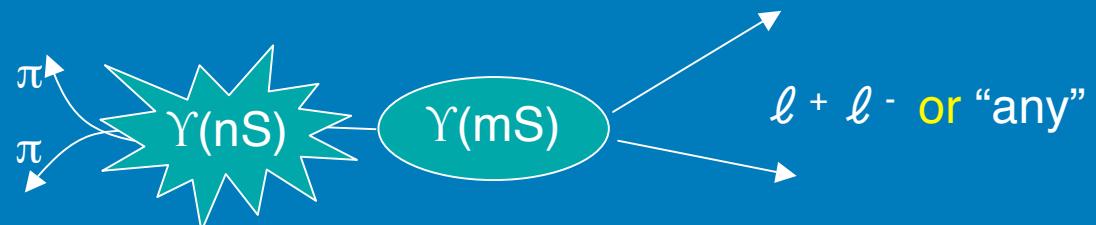
As much statistics as possible, as little systematics as necessary.

Primary observable:

$$m(\pi\pi\text{-recoil}) = m(\Upsilon(mS))$$

$\pi\pi$: charged or neutral

- two low-momentum tracks (pion hypothesis)
- or $4\gamma = 2\pi^0$ and allow one extra shower



Exclusive selection: identify dilepton decay
(two stiff tracks, no particle ID needed).

Momentum conservation cut

Inclusive ($\pi^+\pi^-$): don't require anything
(no momentum conservation cut)

Backgrounds:

● **Inclusive:**

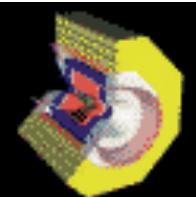
- Continuum: $e^+e^- \rightarrow \pi^+\pi^-X$
- direct decay: $\Upsilon \rightarrow \pi^+\pi^-X$

● **Exclusive:**

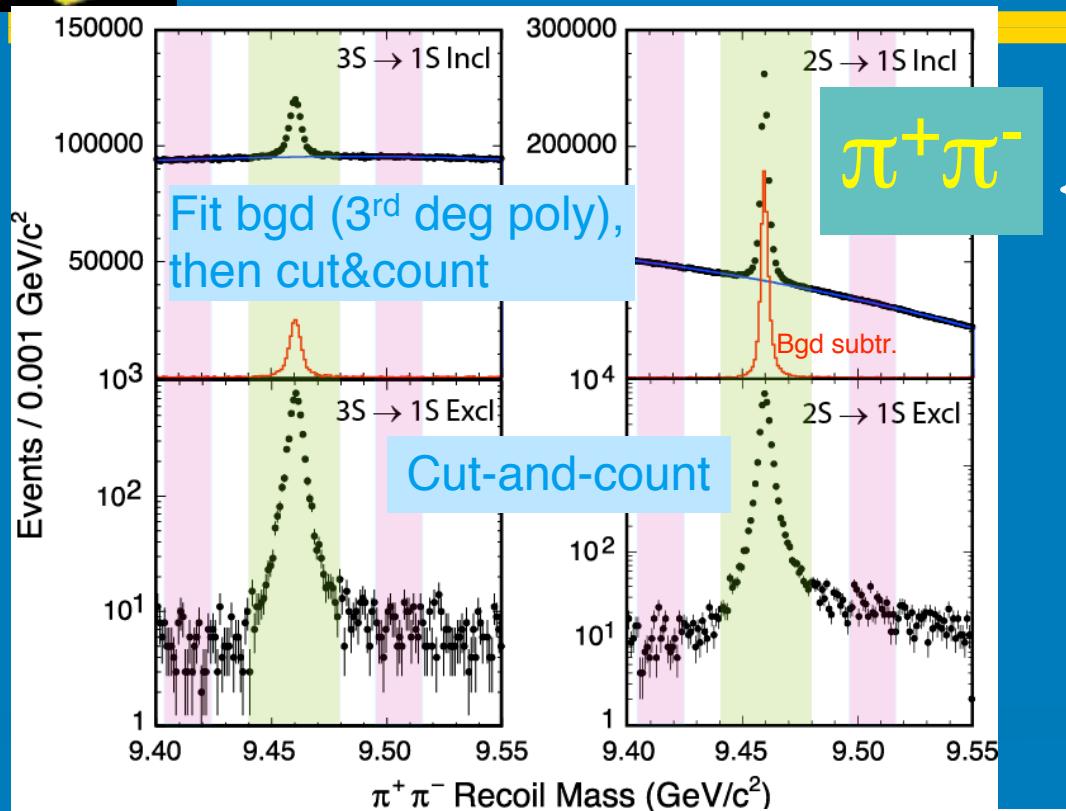
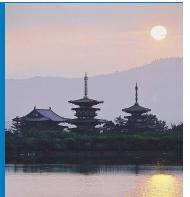
- direct $\Upsilon(nS)$ decay
- other hadronic transitions
- $\pi^0\pi^0$: four-photon cascades through χ_{bJ}

} No $m(\pi\pi\text{-recoil})$ peak,
can sort out through fit

} Tiny rate,
subtract via sidebands



$\Upsilon(3,2S) \rightarrow \pi\pi + \Upsilon(2,1S)$



arXiv:0809.1110

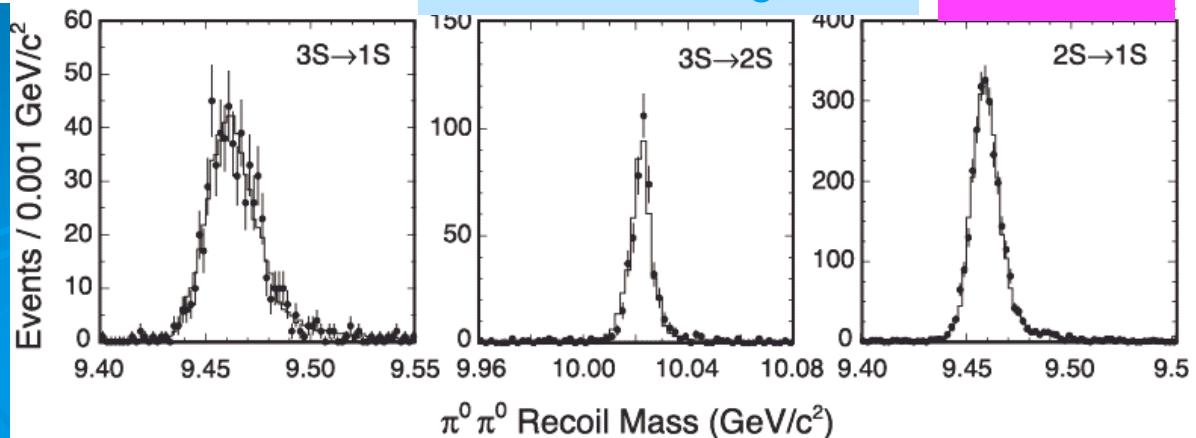
BR (%)

3S → 1S incl	$4.47 \pm 0.06 \pm 0.18$
excl	$4.46 \pm 0.01 \pm 0.14$
ave	$4.46 \pm 0.01 \pm 0.13$
2S → 1S incl	$18.26 \pm 0.11 \pm 0.81$
excl	$17.99 \pm 0.02 \pm 0.59$
ave	$18.02 \pm 0.02 \pm 0.61$
3S → 1S	$2.24 \pm 0.09 \pm 0.11$
3S → 2S	$1.82 \pm 0.09 \pm 0.12$
2S → 1S	$8.43 \pm 0.16 \pm 0.42$

Systematics: 3-6%

$\pi^0\pi^0$

Fit, linear background



$$\frac{\Upsilon(nS) \rightarrow \pi^0\pi^0 \Upsilon(1S)}{\Upsilon(nS) \rightarrow \pi^+\pi^- \Upsilon(1S)}$$

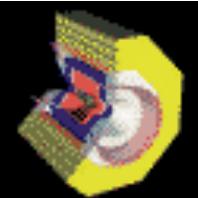
n=2:

0.462 ± 0.037 , expect 0.53

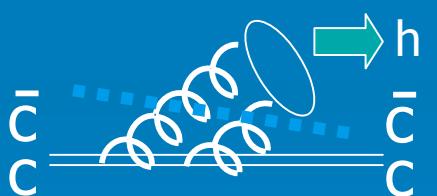
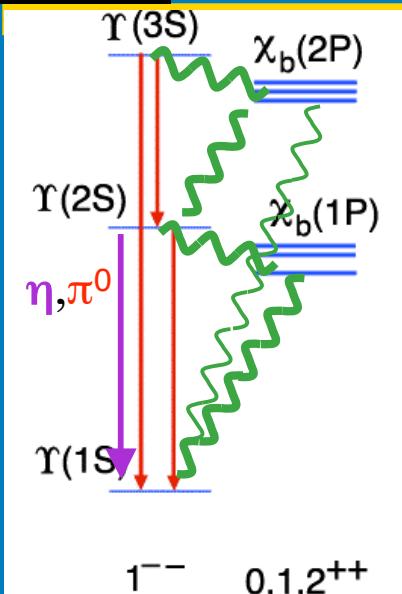
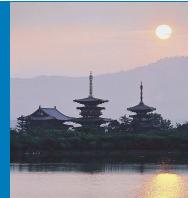
n=3:

0.501 ± 0.043 , expect 0.51

B. Heltsley QWG2008 Nara



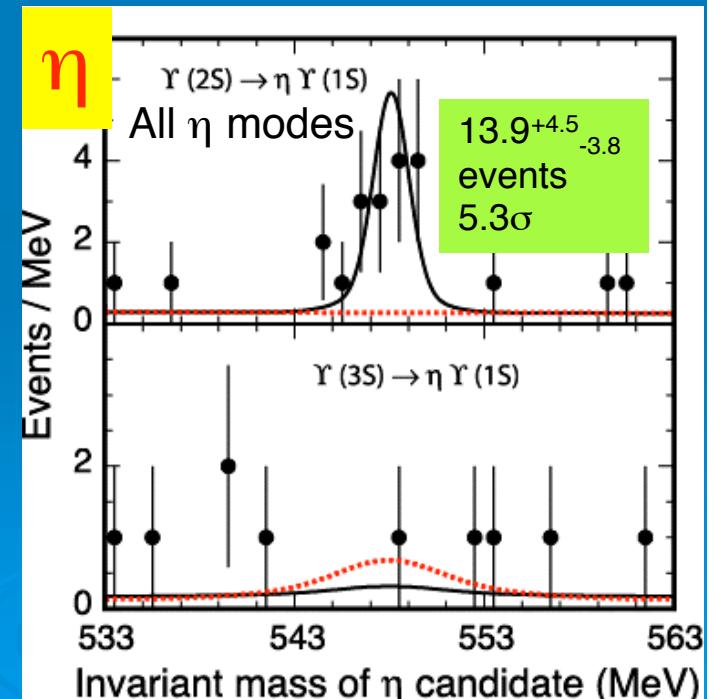
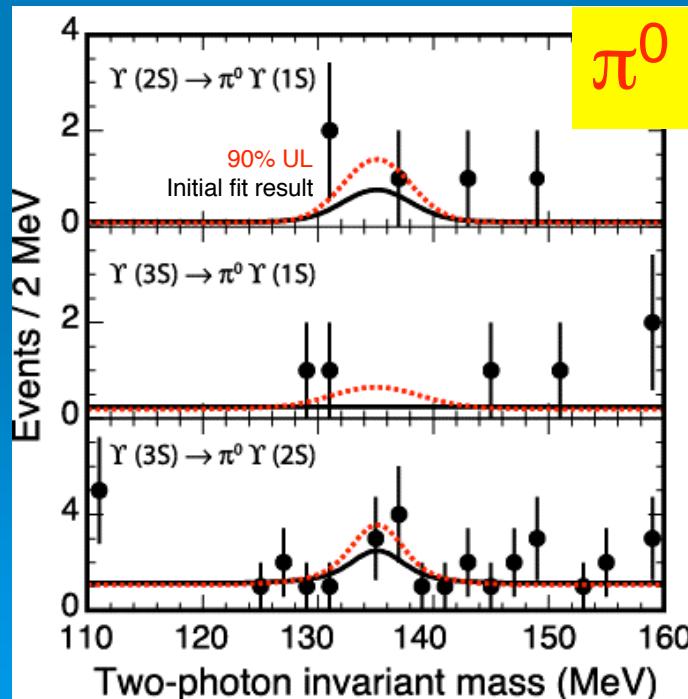
$\Upsilon \rightarrow \pi^0/\eta + \gamma$: Strategy

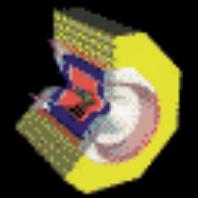


$E_1 + M_2 / M_1 + M_1 : h = \eta$
 $h = \pi^0$:
isospin suppressed
 η/π^0 mixing
 $\leftrightarrow m_d - m_u \neq 0$
produces rate $\neq 0$.

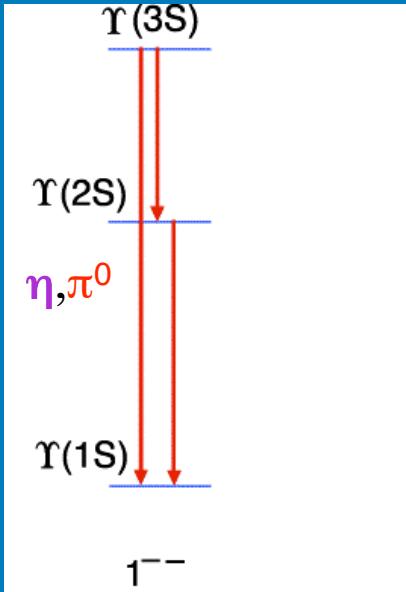
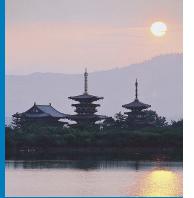
B. Heltsley QWG2008 Nara

- $\pi^0 \rightarrow \gamma\gamma, \eta \rightarrow \gamma\gamma$ (dominant), $\pi^+\pi^-\pi^0, 3\pi^0$
- Lepton species identified
- Kinematic fitting applied to whole event
 - Observable: $m(\pi^0, \eta)$ decay products
- Background suppression:
 - $\Upsilon(2,3S) \rightarrow \gamma\chi_{bJ} \rightarrow \gamma\gamma\Upsilon(1S)$ reduced through E_γ cut
 - $e^+e^- \rightarrow \gamma\gamma e^+e^-$: fit quality cut
- Systematics: ~15%





$\Upsilon \rightarrow \pi^0/\eta + \gamma$: Results

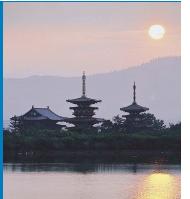
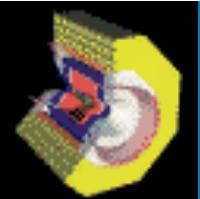


PRL 101, 192001 (2008)	BR (10^{-4})	Pred. (10^{-4})
$\Upsilon(2S) \rightarrow \eta \Upsilon(1S)$	$2.1^{+0.7}_{-0.6} \pm 0.3$	8.0, 6.9
$\psi(2S) \rightarrow \eta J/\psi$	$343 \pm 4 \pm 9$	
$\Upsilon(2S) \rightarrow \pi^0 \Upsilon(1S)$	< 1.8	1.6
$\psi(2S) \rightarrow \pi^0 J/\psi$	$13.3 \pm 0.8 \pm 0.3$	
$\Upsilon(3S) \rightarrow \eta \Upsilon(1S)$	< 1.8	6.5, 5.4
$\Upsilon(3S) \rightarrow \pi^0 \Upsilon(1S)$	< 0.7	0.03
$\Upsilon(3S) \rightarrow \pi^0 \Upsilon(2S)$	< 5.1	none

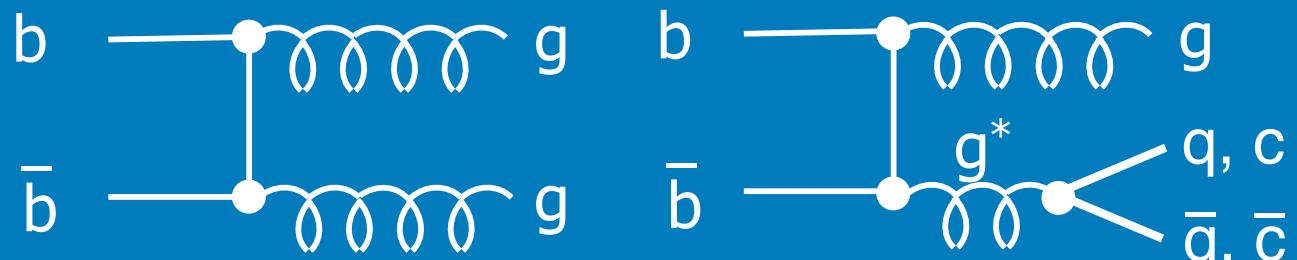
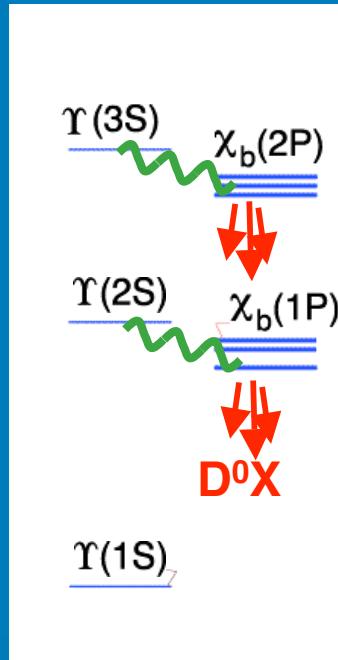
Predictions:

- η :
 - Extrapolate from charm scaling with $p_h^*{}^3/m_Q^4$
 - Direct potential model calculation
- π^0 :
 - From $\pi^0:\eta$

- $\Upsilon(2S) \rightarrow \eta \Upsilon(1S)$ transition clearly seen, rate is about $\frac{1}{4}$ of expectation
 - Two-gluon hadronization picture too naïve?
 - Fundamental suppression of the chromomagnetic moment of the b quark?
- UL for others:
 - η UL lower than prediction
 - π^0 limits consistent



$\chi_{bJ}(1,2P) \rightarrow D^0 + X$



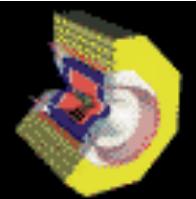
$\chi_{b0,2}: gg \gg gq\bar{q}$ $\chi_{b1}: g\bar{c}\bar{c} \approx 1/4 gq\bar{q}$, $gg = 0$

$\Upsilon(1S) \rightarrow ggg \rightarrow D^{*+} X$: charm is suppressed
Continuum $e^+e^- \rightarrow q\bar{q}$: charm is not suppressed

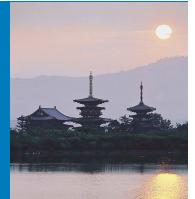
NRQCD prediction:

$$R_J = \frac{B(\chi_{bJ} \rightarrow gg, gq\bar{q} \rightarrow c\bar{c} X)}{B(\chi_{bJ} \rightarrow gg, gq\bar{q})} = 5\%, 23\%, 8\% \text{ for } J=0,1,2$$

↑
25% means “flavor blindness”



$\chi_{bJ}(1,2P) \rightarrow D^0 + X$



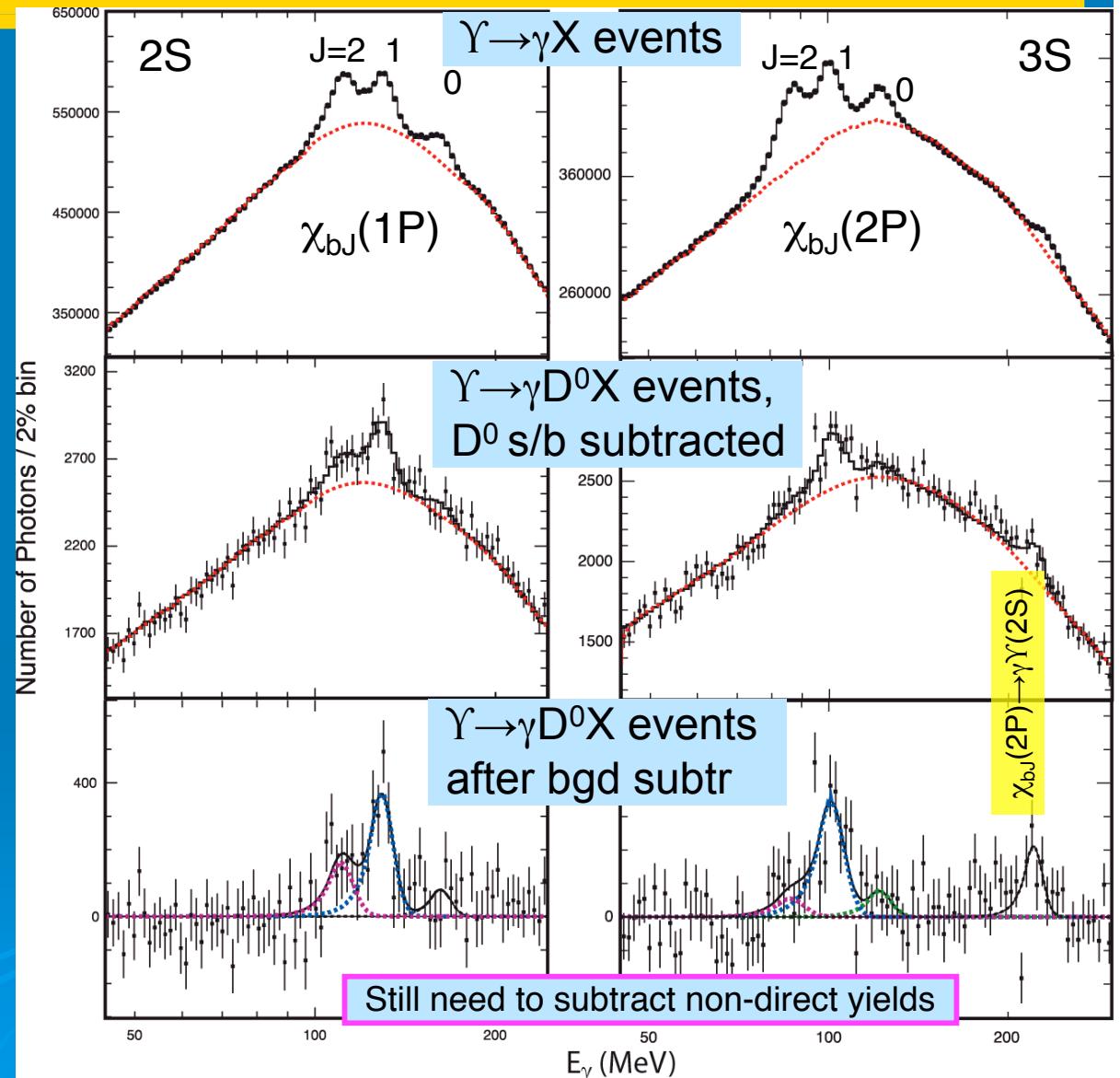
Strategy:

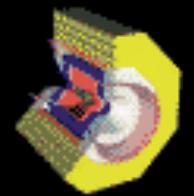
- Tag χ_{bJ} with γ^{E1}
- $D^0 \rightarrow K\pi^+, K\pi^+\pi^0, K\pi^-\pi^+$
 - Uses particle ID
 - Subtract D^0 sidebands

• $p(D^0) > 2.5\text{GeV}$

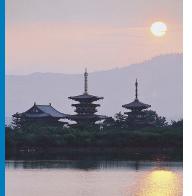
Backgrounds:

- $\gamma \rightarrow \pi^0 D^0 X$ – veto
- $\chi_{bJ} \rightarrow b\bar{b}, b\bar{b} \rightarrow D^0 X$ (non-direct) – subtract using $\gamma(1S)$ data





$\chi_{bJ}(1,2P) \rightarrow D^0 + X$: Results



... after subtracting non-direct yields:

$B(\chi_{bJ}(nP) \rightarrow gg, gq\bar{q} \rightarrow D^0X, p(D^0) > 2.5 \text{ GeV})$

State	$B(\chi_{bJ}(nP) \rightarrow gg, q\bar{q}g \rightarrow D^0X) (\%)$	90% CL UL (%)
$\chi_{b0}(1P)$	$5.6 \pm 3.6 \pm 0.5$	< 10.4
$\chi_{b1}(1P)$	$12.6 \pm 1.9 \pm 1.1$	
$\chi_{b2}(1P)$	$5.4 \pm 1.9 \pm 0.5$	< 7.9
$\chi_{b0}(2P)$	$4.1 \pm 3.0 \pm 0.4$	< 8.2
$\chi_{b1}(2P)$	$8.8 \pm 1.5 \pm 0.8$	
$\chi_{b2}(2P)$	$0.2 \pm 1.4 \pm 0.1$	< 2.4

Model independent

PRD 78, 092007 (2008)

Unambiguous signal
seen for J=1 in 1P,2P:
substantial BR!

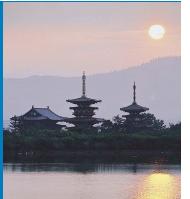
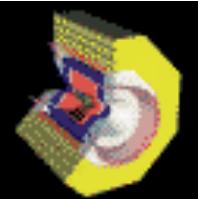
Limits in the % range
for the others.

Translate measurement into R_J :

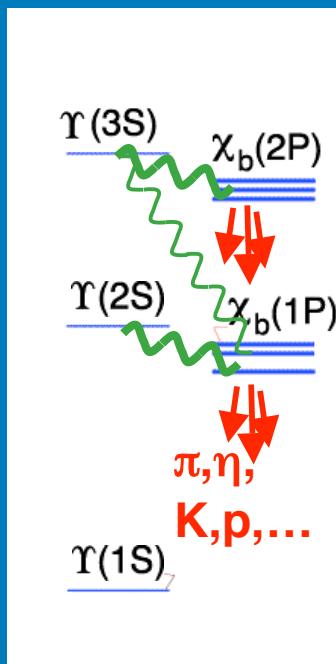
	$\frac{B(\chi_{bJ} \rightarrow gg, gq\bar{q} - c\bar{c} X)}{B(\chi_{bJ} \rightarrow gg, gq\bar{q})} (\%)$	(90%CL UL)	NRQCD Fit (*)
$\chi_{b0}(1P)$	$9.6 \pm 6.2 \pm 0.8 \pm 0.8$	(<17.9)	6.3
$\chi_{b1}(1P)$	$24.8 \pm 3.8 \pm 2.2 \pm 3.6$		23.7
$\chi_{b2}(1P)$	$9.8 \pm 3.5 \pm 0.9 \pm 0.9$	(<14.6)	10.8
$\chi_{b0}(2P)$	$8.7 \pm 6.4 \pm 0.9 \pm 0.7$	(<17.7)	4.9
$\chi_{b1}(2P)$	$25.3 \pm 4.3 \pm 2.5 \pm 2.4$		22.1
$\chi_{b2}(2P)$	$0.4 \pm 3.5 \pm 0.4 \pm 0.1$	(<6.1)	7.4

Comparison with theory:
Extrapolated experimental
value depends, through
efficiencies, on parameter
“ ρ_8 ” for NRQCD calculation:
Find best value, quote
NRQCD prediction for it (*).

Data support general
picture within errors.



$\chi_{bJ} \rightarrow \text{light hadrons}$



- Fully reconstructed final state:
 $\Upsilon(2S, 3S) \rightarrow \gamma X_i$, $X_i = \text{final state with light mesons or protons}$

i=1...659

- Measurement:
 $B(\Upsilon(3S, 2S) \rightarrow \gamma \chi_{bJ}(2P, 1P))$
 $\times B(\chi_{bJ}(2P, 1P) \rightarrow X_i)$

- Same strategy might work for

$$\Upsilon(3S, 2S, 1S) \rightarrow \gamma^{M1} \eta_b(3S, 2S, 1S)$$

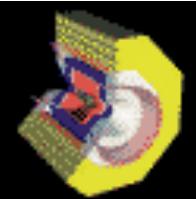
$$\times \eta_b(3S, 2S, 1S) \rightarrow X_i$$

- Results:

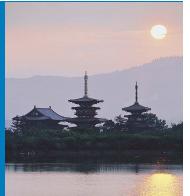
Those with $>5\sigma$ → 14 new $B(\chi_{bJ}(2P, 1P) \rightarrow X_j)$: all firsts

j=1...14

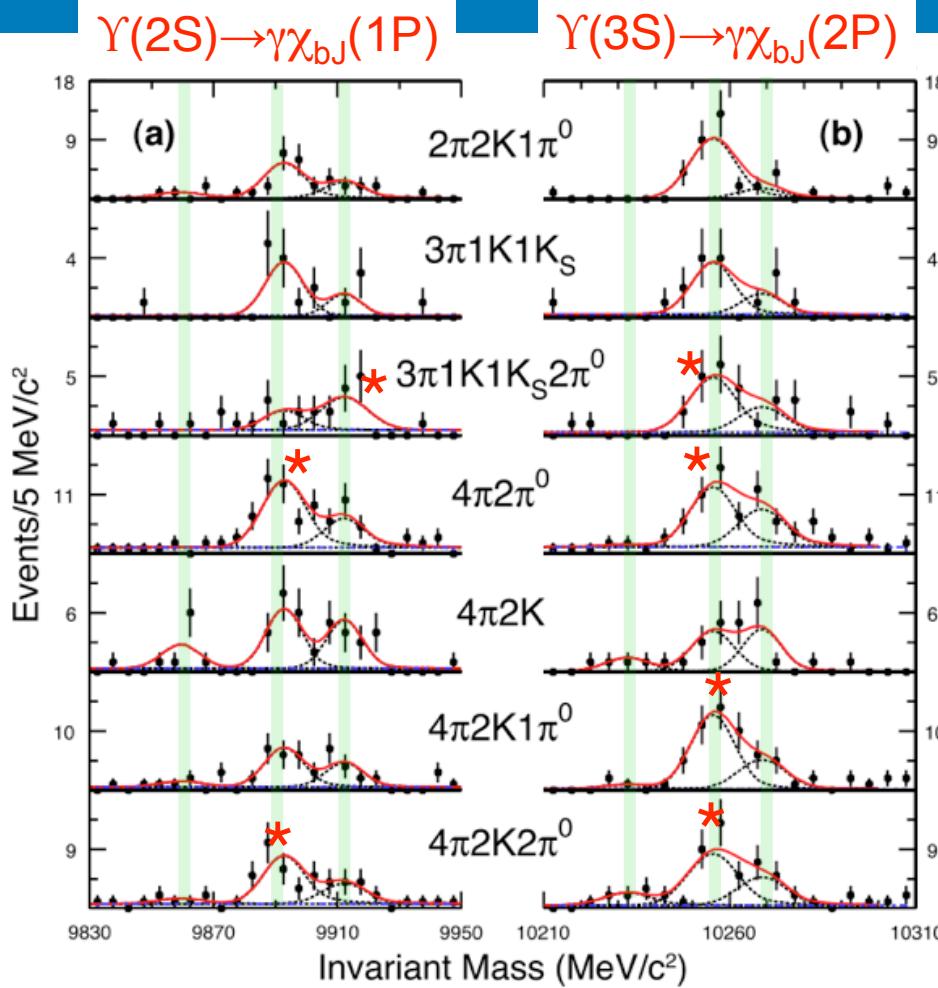
- UL on $B(\Upsilon(3S) \rightarrow \gamma \chi_{bJ}(1P))$: constraint for theory



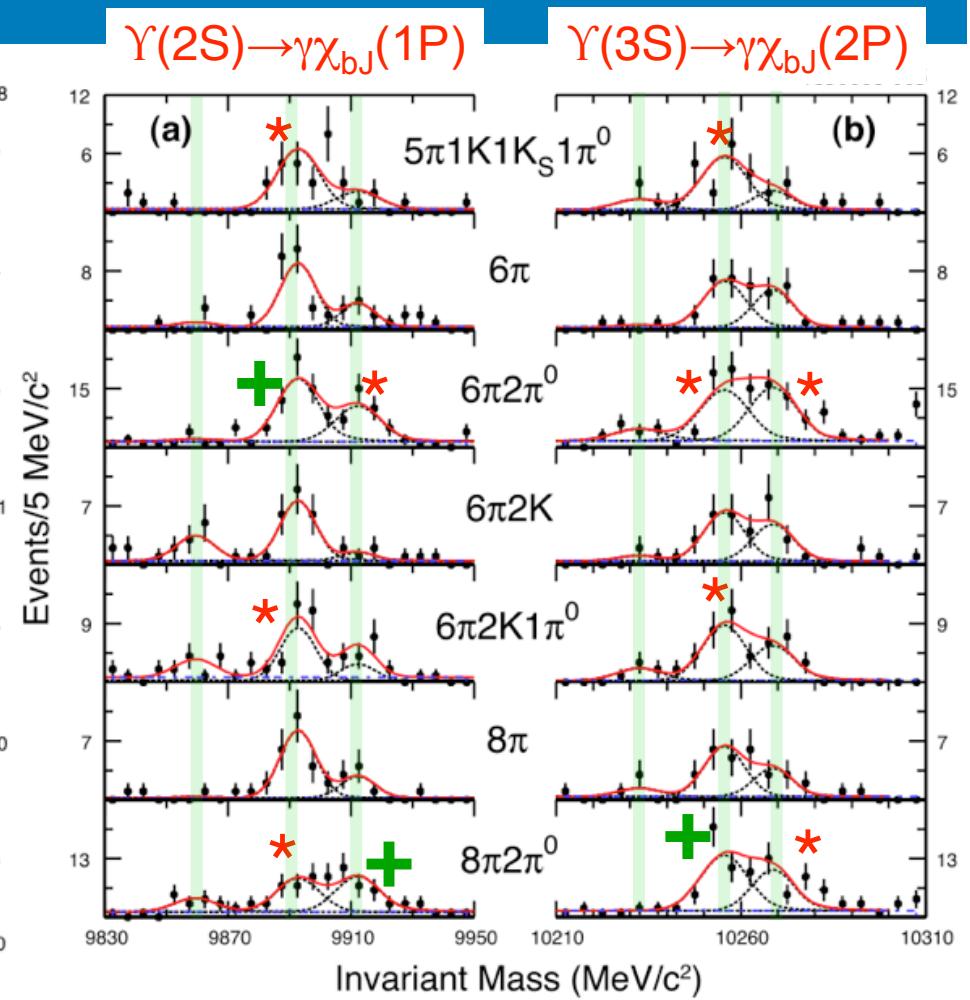
$\chi_{bJ} \rightarrow$ light hadrons

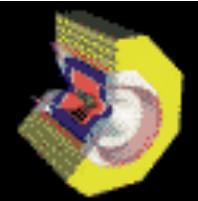


* [+] : $B=1$ [2] $\times 10^{-3}$

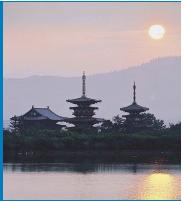


Sums to less than 1% total.

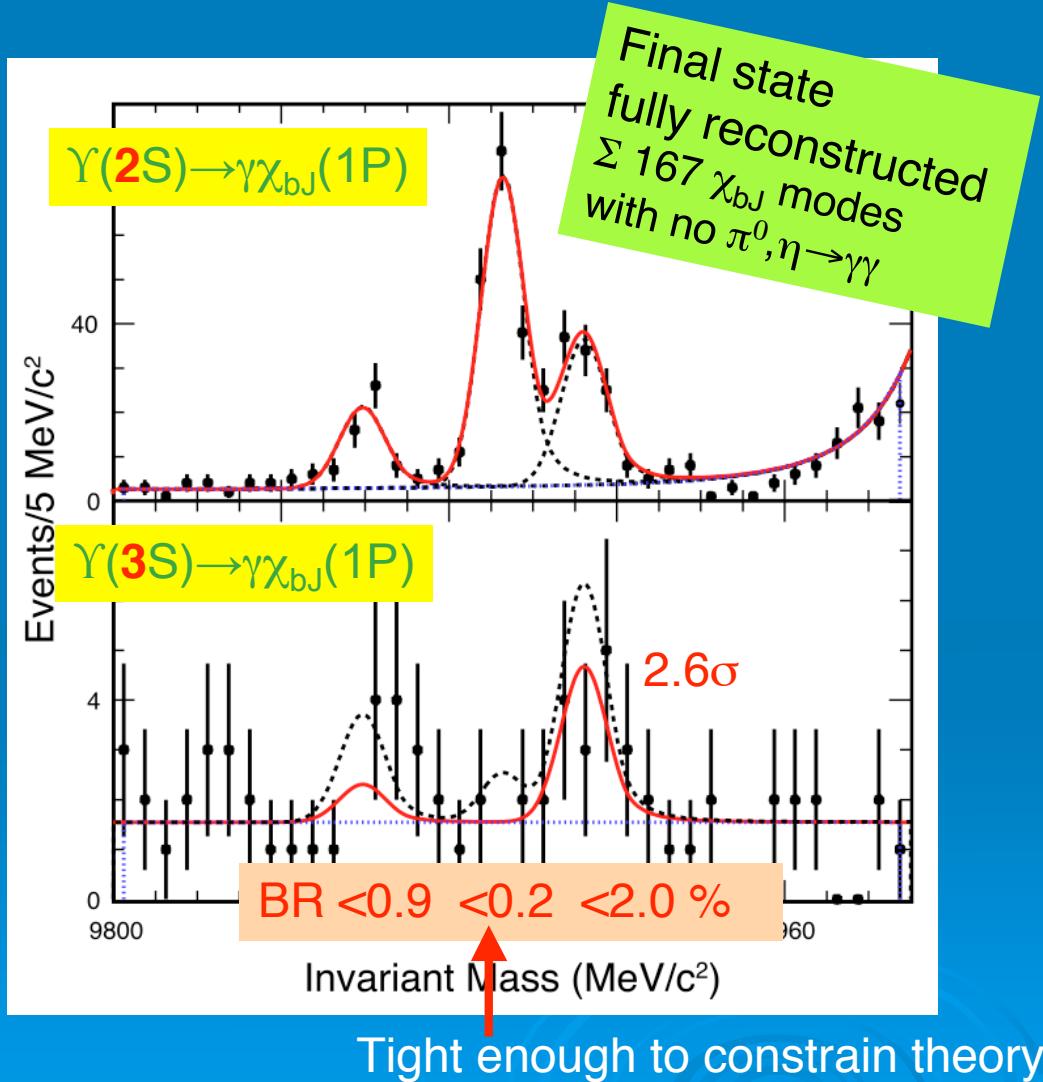




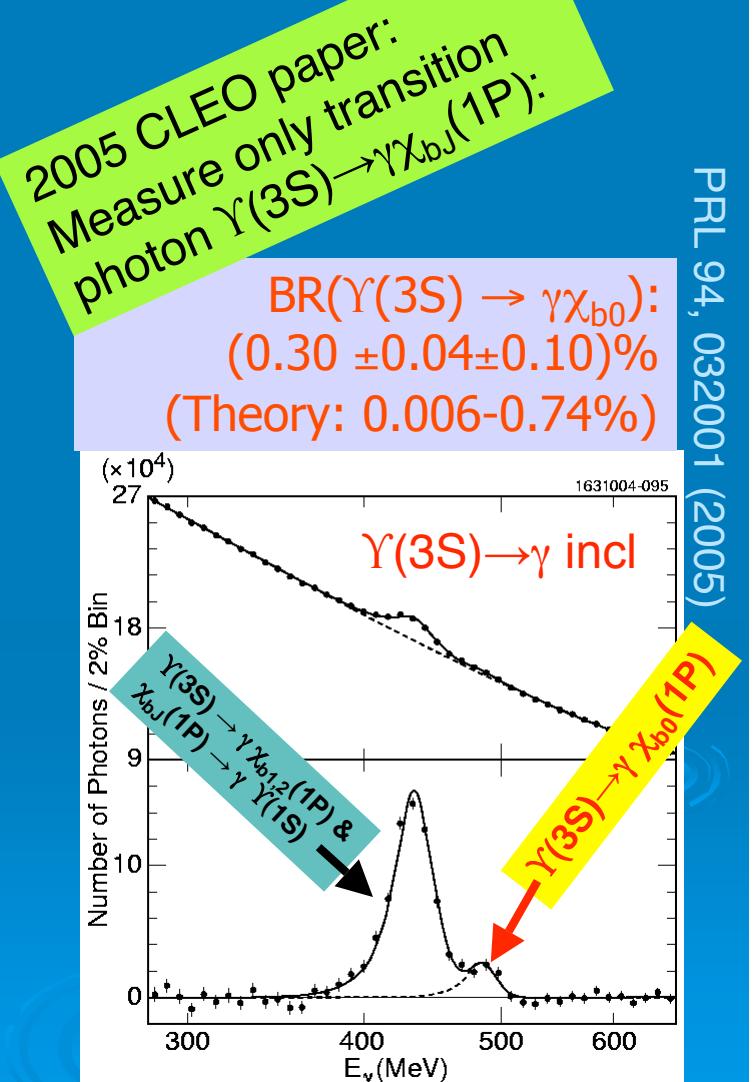
$\Delta n=2!$ $\chi_{bJ} \rightarrow$ light hadrons spin-off: 3S-1P hindered transition



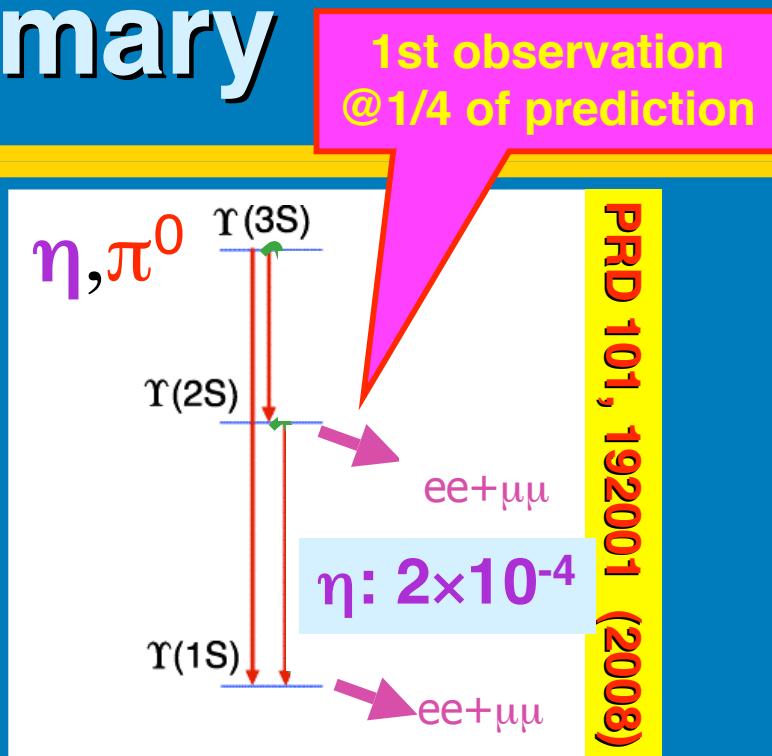
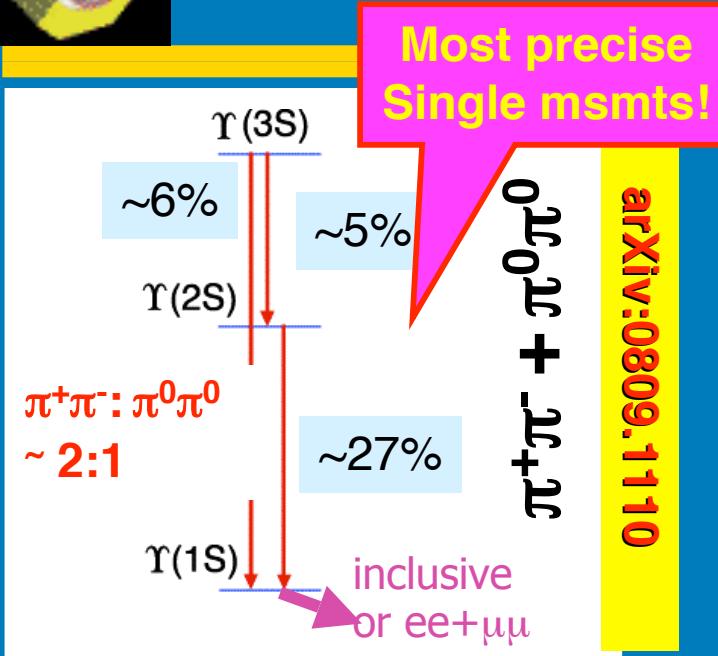
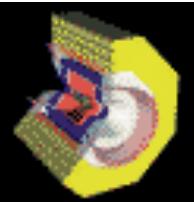
PRD 78, 091103(R) (2008)



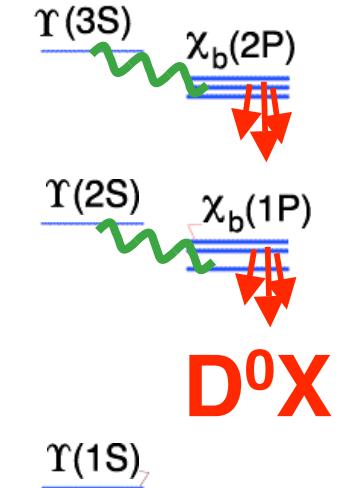
PRL 94, 032001 (2005)



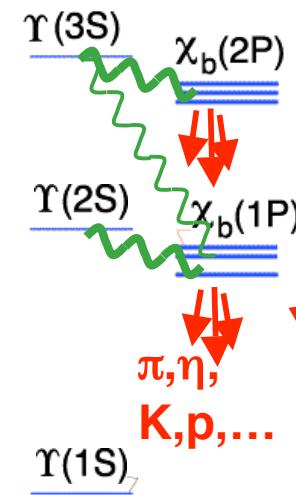
Summary



$R_1 \approx 25\%$
gq̄q̄ is ~Flavor Blind

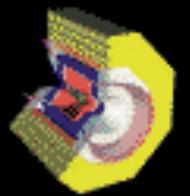


PRD 78, 092007 (2008)

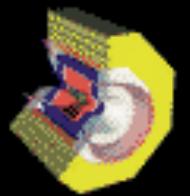


14 modes w/ $B \sim 10^{-4}$,
 $6\pi, 8\pi \ll 6\pi 2\pi^0, 8\pi 2\pi^0$

PRD 78, 091103 (2008)



Backup Section



$\chi_{bJ}(1,2P) \rightarrow D^0 + X$: Results

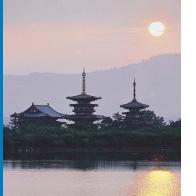
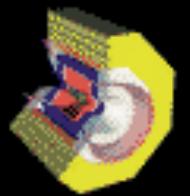


TABLE I: $\Upsilon(2S) \rightarrow \gamma \chi_{bJ}(1P)$ ($J = 0, 1, 2$) transition yields and $\chi_b \rightarrow gg, q\bar{q}g \rightarrow D^0X$ rates, for $p_{D^0} > 2.5$ GeV/c. Errors shown are statistical only.

Final state	$\chi_{b0}(1P)$	$\chi_{b1}(1P)$	$\chi_{b2}(1P)$
$N_{\chi_{bJ}}^{\text{Incl}}$	166860 ± 5988	363825 ± 6793	379457 ± 7243
$N_{\chi_{bJ}}^{D^0}$ (raw)	501 ± 303	2561 ± 346	1207 ± 360
D^0 sideband correction	11 ± 5	60 ± 6	57 ± 7
non-direct D^0	16 ± 9	191 ± 58	125 ± 34
$N_{\chi_{bJ}}^{D^0,dir}$ (direct)	474 ± 303	2310 ± 351	1025 ± 362
$\mathcal{B}(\chi_{bJ}(1P) \rightarrow gg, q\bar{q}g \rightarrow D^0X)$	$5.63 \pm 3.61\%$	$12.59 \pm 1.94\%$	$5.36 \pm 1.90\%$

TABLE II: $\Upsilon(3S) \rightarrow \gamma \chi_{bJ}(2P)$ ($J = 0, 1, 2$) transition yields and $\chi_b \rightarrow gg, q\bar{q}g \rightarrow D^0X$ rates, for $p_{D^0} > 2.5$ GeV/c. Errors shown are statistical only.

Final state	$\chi_{b0}(2P)$	$\chi_{b1}(2P)$	$\chi_{b2}(2P)$
$N_{\chi_{bJ}}^{\text{Incl}}$	219773 ± 5201	491818 ± 5197	524549 ± 5628
$N_{\chi_{bJ}}^{D^0}$ (raw)	565 ± 341	2757 ± 366	477 ± 370
D^0 sideband correction	39 ± 7	122 ± 7	122 ± 7
non-direct D^0	53 ± 24	392 ± 70	311 ± 50
$N_{\chi_{bJ}}^{D^0,dir}$ (direct)	473 ± 342	2243 ± 373	44 ± 373
$\mathcal{B}(\chi_{bJ}(2P) \rightarrow gg, q\bar{q}g \rightarrow D^0X)$	$4.13 \pm 3.00\%$	$8.75 \pm 1.47\%$	$0.16 \pm 1.37\%$



$\chi_{bJ}(1,2P) \rightarrow D^0 + X$



With these factors in hand, we fit our data for the D^0X branching fractions with $p_{D^0} > 2.5$ GeV/c to the NRQCD predictions [9] and extract ρ_8 , the ratio of color-octet to color-singlet matrix elements, in χ_{bJ} decays. Recall that both $f_{2.5}$ and $R_J^{(c)}$ depend on ρ_8 and that $f_{2.5}$ depends on fragmentation functions. For each value of ρ_8 , we may convert our directly measured branching fractions into extracted values for $R_J^{(c)}$ in the context of this NRQCD calculation (which includes the assumption that e^+e^- charm fragmentation data is representative of our charm fragmentation). The best value of ρ_8 is obtained from a fit which finds the best agreement between the predicted and extracted $R_J^{(c)}$.

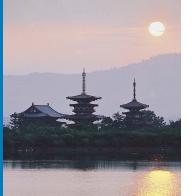
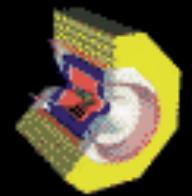
TABLE VI: Summary of factors used to relate our measured D^0X branching fractions to $R_J^{(c)}$, which measures the total $c\bar{c}X$ rate. The values of $f_{2.5}$ are evaluated at the independently fitted best values of ρ_8 for each triplet.

Factor	$\chi_{b0}(1P)$	$\chi_{b1}(1P)$	$\chi_{b2}(1P)$	$\chi_{b0}(2P)$	$\chi_{b1}(2P)$	$\chi_{b2}(2P)$
$\mathcal{B}(\chi \rightarrow gg, q\bar{q}g)$	0.97 ± 0.03	0.65 ± 0.08	0.78 ± 0.04	0.93 ± 0.07	0.68 ± 0.04	0.75 ± 0.03
$f_{2.5}$	0.54	0.70	0.63	0.45	0.46	0.47
f_{D^0}	1.11 ± 0.08					
$1/(f_{D^0} f_{2.5} \mathcal{B})$	1.70 ± 0.13	1.97 ± 0.28	1.83 ± 0.16	2.15 ± 0.23	2.89 ± 0.28	2.56 ± 0.21

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We fit separate ρ_8 values for each triplet by minimizing a χ^2 which has one term for each of the three states. Each term in the χ^2 is formed from the square of the deviation of the predicted and extracted $R_J^{(c)}$ values, normalized by the errors on the extracted value. Note that *both* the predicted and extracted $R_J^{(c)}$ values depend on ρ_8 . Correlated systematic uncertainties on the branching fractions are incorporated into the covariance matrix used to evaluate the χ^2 in our fits. We find, however, that results are insensitive to correlations due to the dominance of statistical errors. The best-fit values are $\rho_8(1P) = 0.160^{+0.071}_{-0.047}$ and $\rho_8(2P) = 0.074^{+0.010}_{-0.008}$ with $\chi^2(1P) = 0.40$ and $\chi^2(2P) = 4.71$, respectively, for 3 – 1 degrees of freedom each. The errors are larger for the 1P states primarily due to the non-linear dependence of the branching fractions on ρ_8 : for larger ρ_8 , the branching fractions are less sensitive to changes in its value.

It has been argued [21] that ρ_8 should be largely independent of radial quantum number. While we prefer not to assume such an equality, a joint fit to our branching fractions for both triplets obtains a best-fit common value of $\rho_8 = 0.086^{+0.009}_{-0.013}$, with $\chi^2 = 10.1$ for 6 – 1 degrees of freedom.



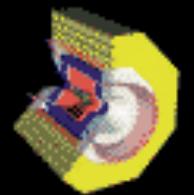
$\chi_{bJ} \rightarrow X_j$ Branching Fraction

All in 10^{-4}

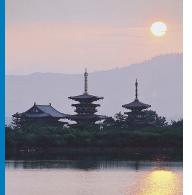
X_i	J=0		J=1		J=2	
	2S→1P	3S→2P	2S→1P	3S→2P	2S→1P	3S→2P
$2\pi 2K 1\pi^0$	< 1.6	< 0.3	$2.0 \pm 0.5 \pm 0.5$	$3.0 \pm 0.6 \pm 0.8$	$0.9 \pm 0.4 \pm 0.2$	< 1.1
$3\pi 1K 1K_S^0$	< 0.5	< 0.5	$1.3 \pm 0.4 \pm 0.3$	$1.1 \pm 0.4 \pm 0.3$	< 1.2	< 0.9
$3\pi 1K 1K_S^0 2\pi^0$	< 4.7	< 2.3	< 6.1	$7.7 \pm 2.3 \pm 2.2$	$5.3 \pm 1.9 \pm 1.5$	< 6.7
$4\pi 2\pi^0$	< 2.1	< 2.5	$7.9 \pm 1.4 \pm 2.1$	$5.9 \pm 1.2 \pm 1.6$	$3.5 \pm 1.1 \pm 0.9$	$3.9 \pm 1.2 \pm 1.1$
$4\pi 2K$	$1.2 \pm 0.5 \pm 0.3$	< 1.5	$1.5 \pm 0.4 \pm 0.4$	$0.9 \pm 0.3 \pm 0.2$	$1.2 \pm 0.3 \pm 0.3$	$0.9 \pm 0.3 \pm 0.2$
$4\pi 2K 1\pi^0$	< 2.7	< 2.2	$3.4 \pm 0.8 \pm 0.9$	$5.5 \pm 1.0 \pm 1.5$	$2.1 \pm 0.7 \pm 0.5$	$2.4 \pm 0.8 \pm 0.7$
$4\pi 2K 2\pi^0$	< 5.4	< 10.8	$8.6 \pm 2.0 \pm 2.4$	$9.6 \pm 2.3 \pm 2.8$	$3.9 \pm 1.6 \pm 1.1$	$4.7 \pm 1.8 \pm 1.4$
$5\pi 1K 1K_S^0 1\pi^0$	< 1.7	< 6.7	$9.2 \pm 2.3 \pm 2.5$	$6.7 \pm 1.9 \pm 1.9$	< 5.0	< 4.5
6π	< 0.8	< 0.7	$1.8 \pm 0.4 \pm 0.4$	$1.2 \pm 0.3 \pm 0.3$	$0.7 \pm 0.3 \pm 0.2$	$0.9 \pm 0.3 \pm 0.2$
$6\pi 2\pi^0$	< 5.9	< 12.3	$17.2 \pm 2.7 \pm 4.8$	$11.9 \pm 2.4 \pm 3.4$	$10.2 \pm 2.2 \pm 2.8$	$12.1 \pm 2.5 \pm 3.6$
$6\pi 2K$	$2.4 \pm 0.9 \pm 0.7$	< 1.5	$2.6 \pm 0.6 \pm 0.7$	$2.0 \pm 0.6 \pm 0.5$	< 0.8	$1.4 \pm 0.5 \pm 0.4$
$6\pi 2K 1\pi^0$	< 9.9	< 7.3	$7.5 \pm 1.6 \pm 2.1$	$6.1 \pm 1.4 \pm 1.8$	$3.7 \pm 1.2 \pm 1.0$	$4.2 \pm 1.2 \pm 1.2$
8π	< 0.7	< 1.7	$2.7 \pm 0.6 \pm 0.7$	$1.7 \pm 0.5 \pm 0.5$	$0.8 \pm 0.4 \pm 0.2$	$0.9 \pm 0.4 \pm 0.3$
$8\pi 2\pi^0$	< 20.5	< 6.5	$14.0 \pm 3.5 \pm 4.3$	$19.2 \pm 3.7 \pm 6.0$	$18.5 \pm 4.4 \pm 5.6$	$12.6 \pm 3.5 \pm 4.1$

Notice:

$6\pi 2\pi^0$ and $8\pi 2\pi^0$ are largest; about 10x larger than 6π and 8π .
Comparing same number of pions – $4\pi 2\pi^0 > 6\pi$, $6\pi 2\pi^0 > 8\pi$.
Less than a percent of the χ_{bJ} width is reconstructed.



$\chi_{bJ} \rightarrow$ light hadrons



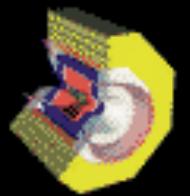
Comparison of Hindered E1 UL's to Theory

	$J = 0$	$J = 1$	$J = 2$
Inclusive expt. [4]	61 ± 22	-	-
Exclusive expt. (this work)	< 186	< 38	< 413
Moxhay–Rosner (1983)	25	25	150
Grotch <i>et al.</i> (1984) (a)	114	3.4	194
Grotch <i>et al.</i> (1984) (b)	130	0.3	430
Daghigian–Silverman (1987)	16	100	650
Fulcher (1990)	10	20	30
Lähde (2003)	150	110	40
Ebert <i>et al.</i> (2003)	27	67	97

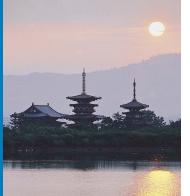
(a) Confining potential is purely scalar.

(b) Confining potential is purely vector.

Rules out several calculations



Summary - in words



- **Bottomonium provides a unique QCD laboratory:**
 - **Transitions: non-perturbative, non-relativistic**
 - **Decay: charm and light quark production**
- **Four CLEO bottomonium results:**
 - **Transitions:**
 - > Dipion transitions: precision
 - > η/π^0 transitions: discovery
 - **Decay:**
 - > Open charm copiously produced
 - > Many small light hadron modes
- **Experimental and theoretical progress is encouraging, but we're not done yet!**