

Latest Charm Semileptonic Decay Results from CLEO-c

OUTLINE

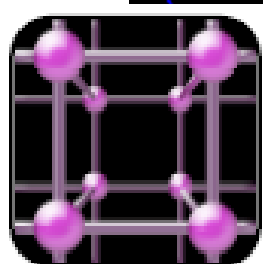
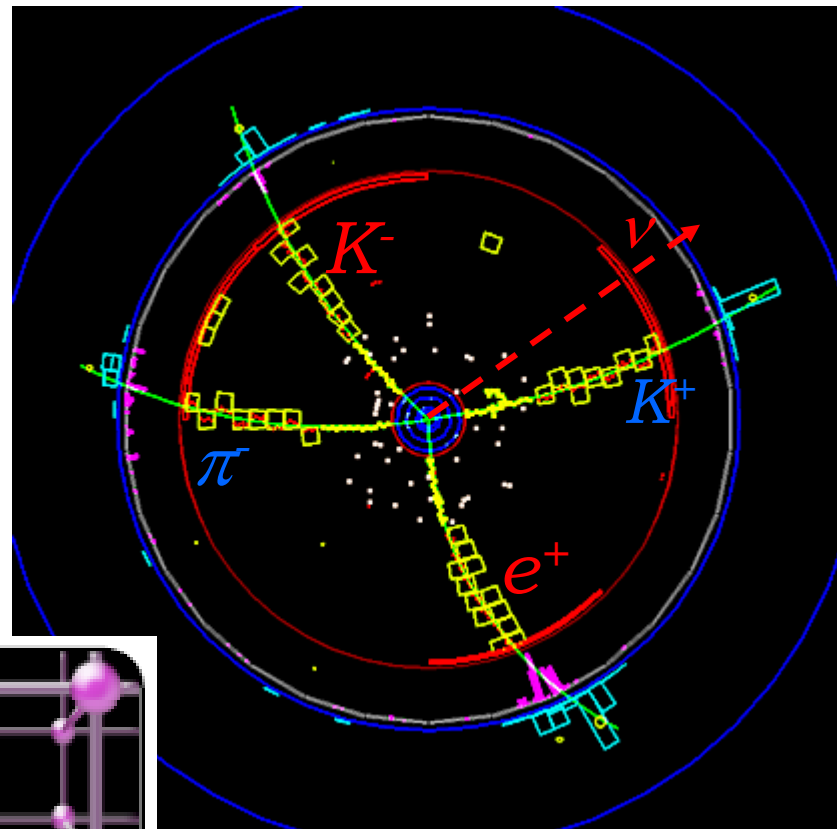
CLEO-c in the context of testing the Standard Model with precision quark flavor physics.

Decay constants

Form Factors

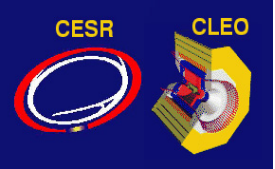
CKM matrix elements

Ian Shipsey, Purdue University
CLEO-c Collaboration



$$\psi(3770) \rightarrow D^0 \overline{D}^0$$

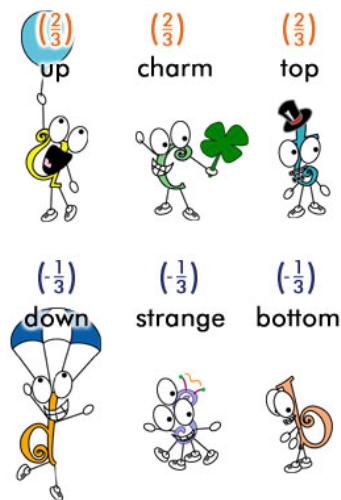
$$\overline{D}^0 \rightarrow K^+ \pi^-, D^0 \rightarrow K^- e^+ \nu$$



Big Questions in Flavor Physics

Dynamics of flavor?

Why generations?
Why a hierarchy of masses
& mixings?



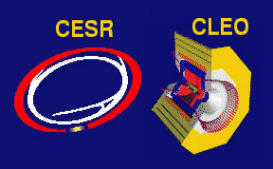
Origin of Baryogenesis?

Sakharov's criteria: Baryon number violation
CP violation Non-equilibrium

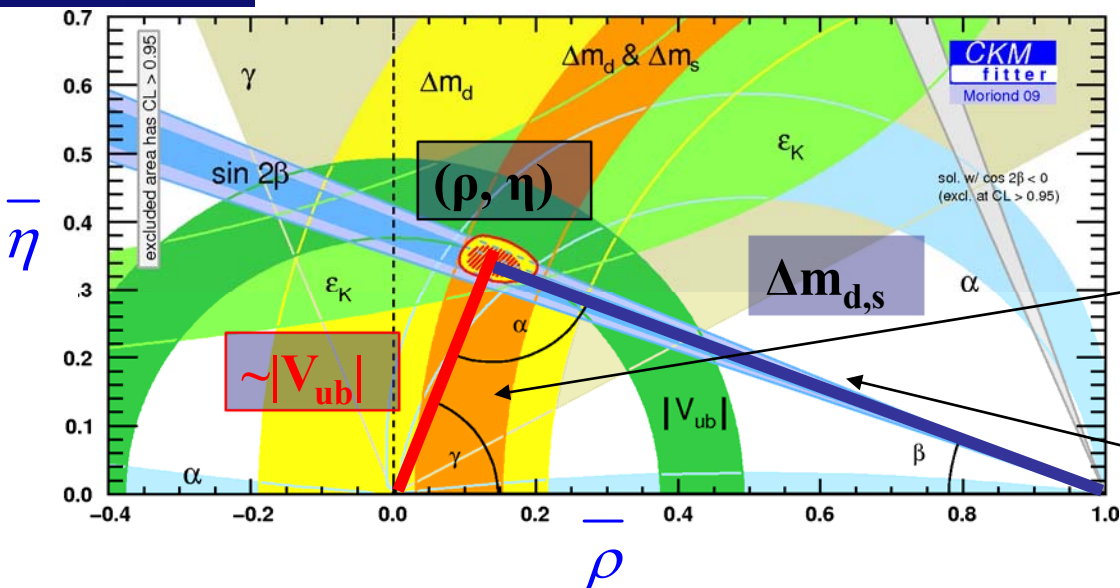
3 examples: Universe, kaons, beauty but Standard Model CP violation too small, need additional sources of CP violation

Connection between flavor physics & electroweak symmetry breaking?

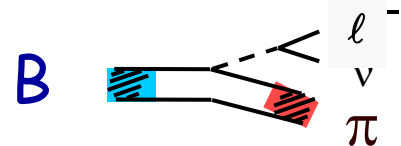
Extensions of the Standard Model (ex: SUSY) contain flavor & CP violating couplings that should show up at some level in flavor physics, but *precision* measurements and *precision* theory are required to detect the new physics



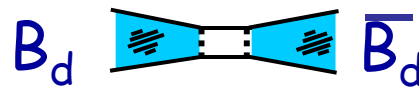
Precision Quark Flavor Physics



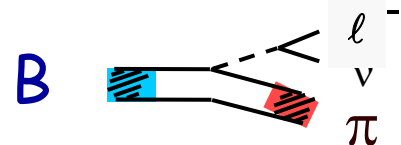
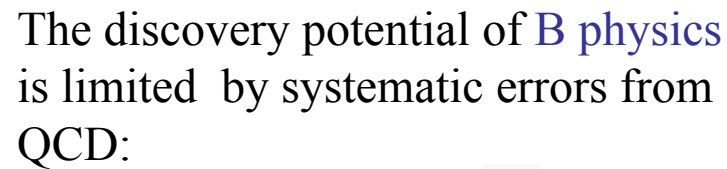
The discovery potential of B physics is limited by systematic errors from QCD:



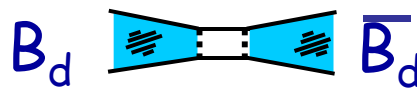
$$\propto [f^{B \rightarrow \pi}(q)]^2 |V_{ub}|^2$$



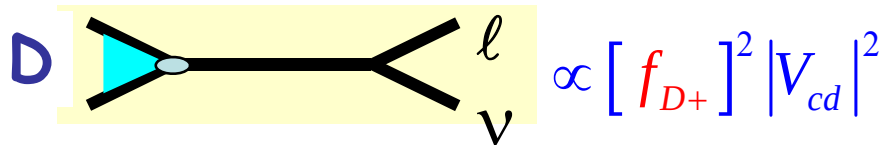
$$\propto [f_{B_d}]^2 |V_{td}|^2$$



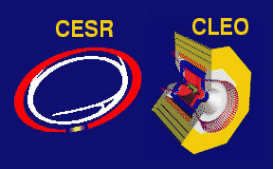
$$\propto \left[f^{B \rightarrow \pi}(q) \right]^2 |V_{ub}|^2$$



$$\propto \left[f_{Bd} \right]^2 \left| V_{td} \right|^2$$

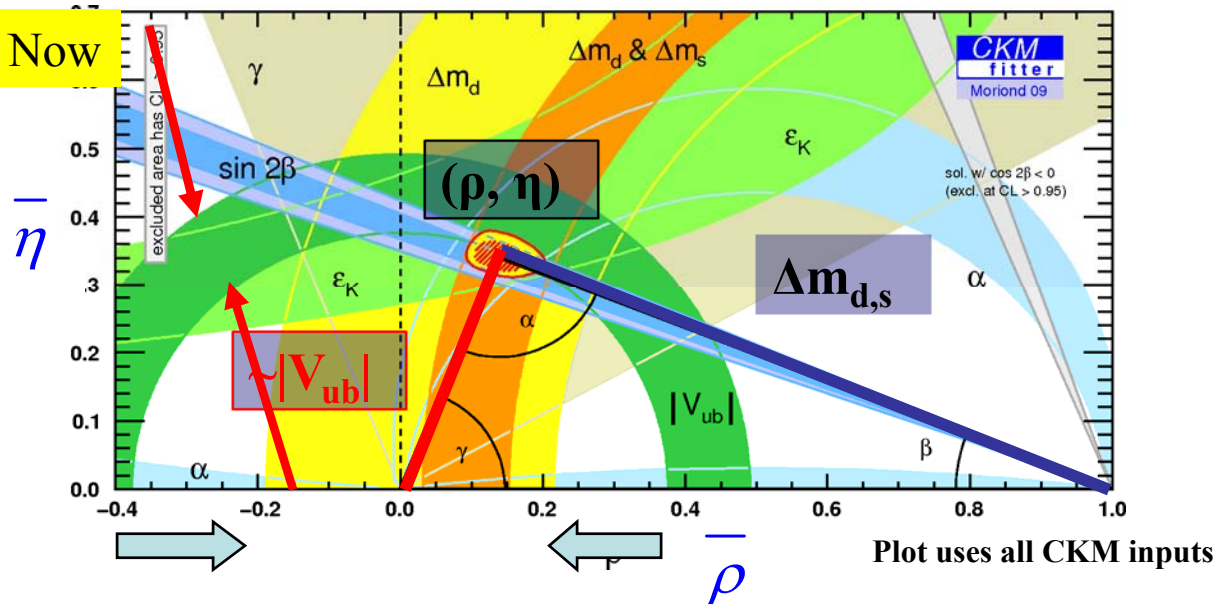
$$D \rightarrow \ell \pi \propto [f^{D \rightarrow \pi}(q)]^2 |V_{cd}|^2$$


+ $\text{Br}(\text{B} \rightarrow \text{D}) \sim 100\%$ *absolute D hadronic rates* normalize B physics
important for V_{cb} (scale of triangle) - also normalize D physics

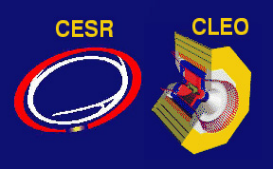


Precision theory + charm = large impact

Now

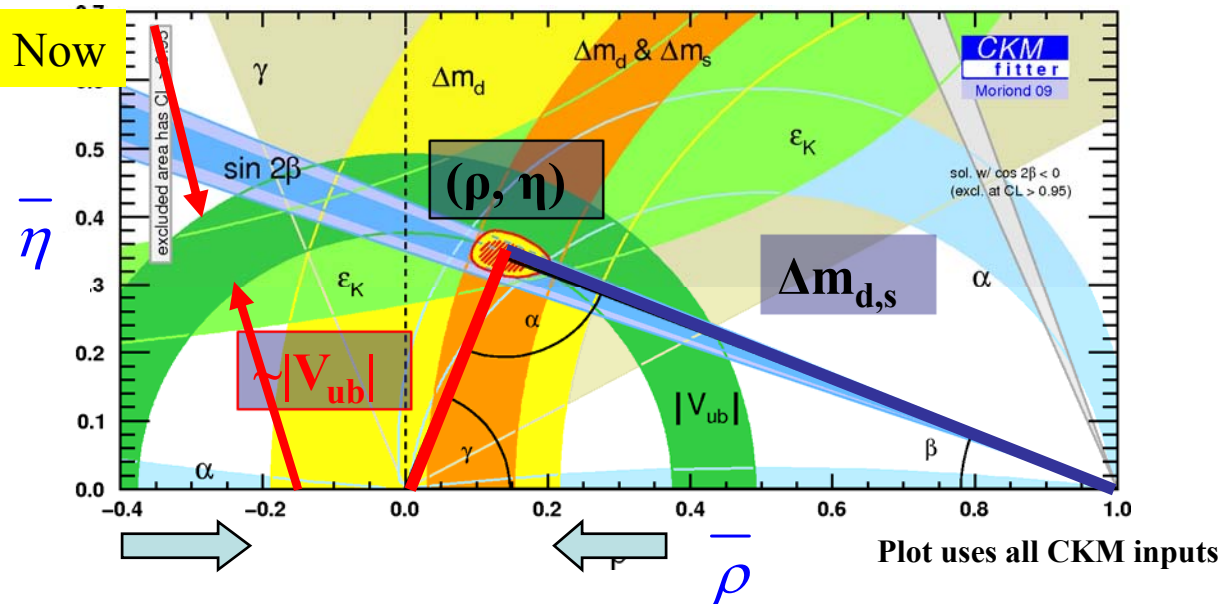


Theoretical errors dominate width of bands

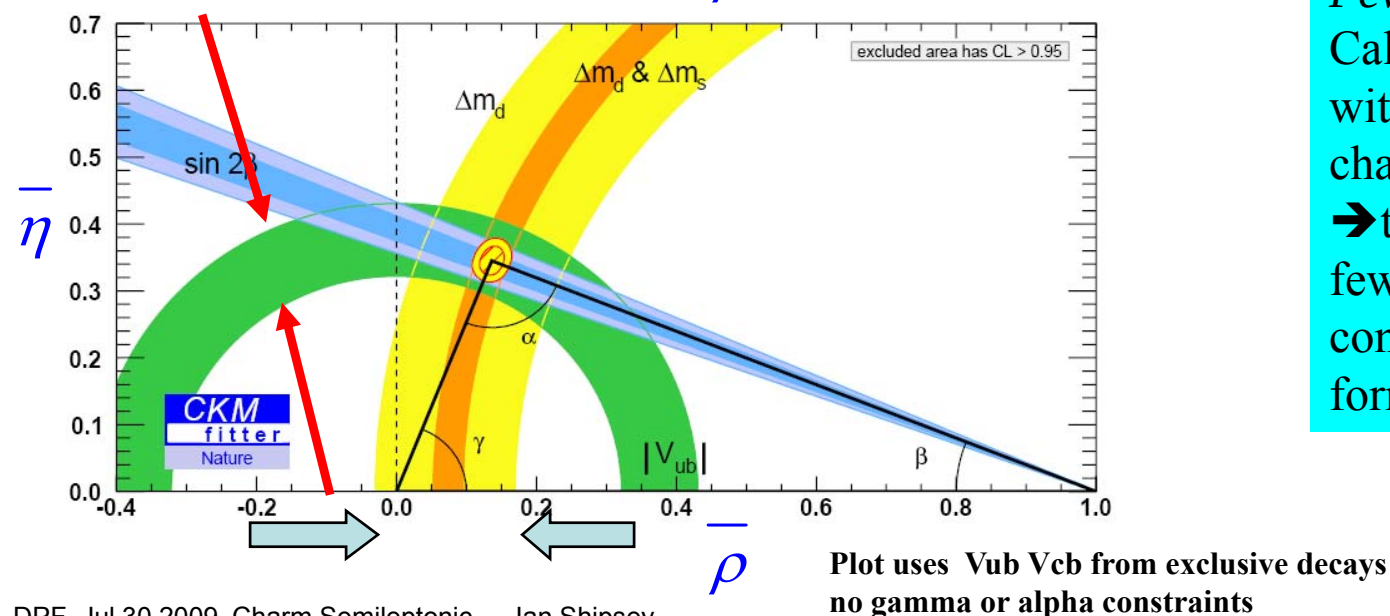


Precision theory + charm = large impact

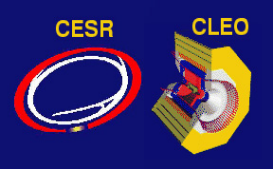
Now



Theoretical errors dominate width of bands

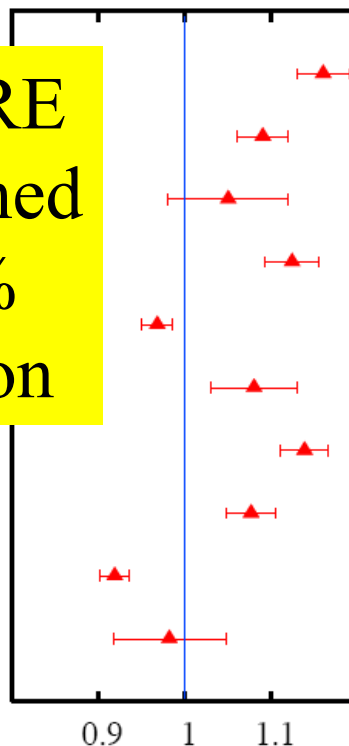


Few % precision QCD Calculations tested with few % precision charm data
→ theory errors of a few % on B system decay constants & semileptonic form factors



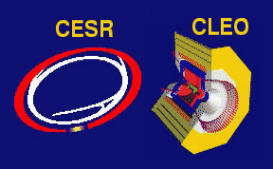
Precision theory? Lattice QCD

BEFORE
Quenched
10-15%
precision



f_π
 f_K
 $3m_\Xi - m_N$
 m_Ω
 $\psi(1P-1S)$
 $2m_{B_{s,av}} - m_Y$
 $Y(3S-1S)$
 $Y(2P-1S)$
 $Y(1P-1S)$
 $Y(1D-1S)$

$\frac{\text{theory-expt}}{\text{expt}}$



Precision theory? In 2003 a breakthrough in Lattice QCD

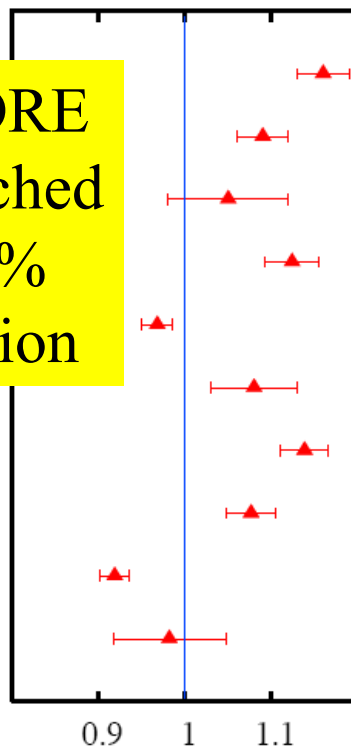
Recent revolutionary progress in algorithms allows inclusion of QCD vacuum polarization. LQCD demonstrated it can reproduce a wide range of mass differences & decay constants. *These were postdictions*

BEFORE
Quenched
10-15%
precision

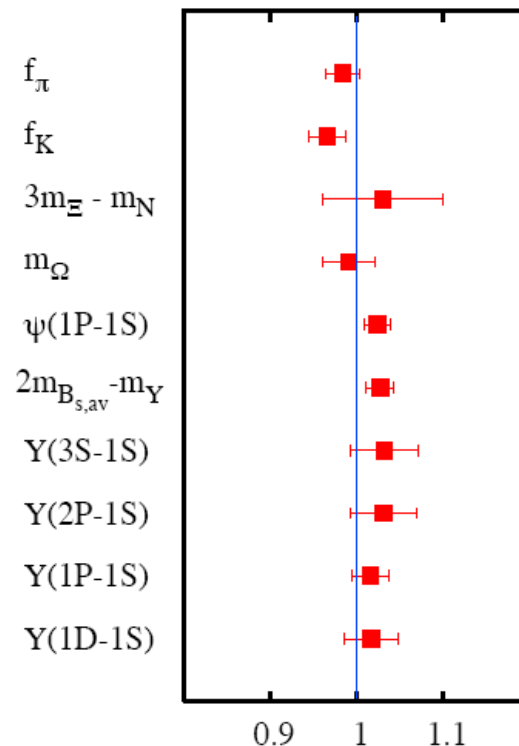
This dramatic improvement needs validation of predictions. $m(B_c)$ successful.

Charm decay constants f_{D^+} & f_{D_s}

Charm semileptonic form factors

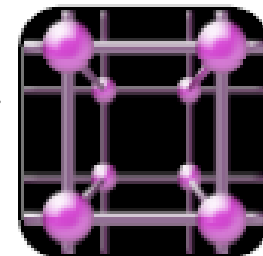


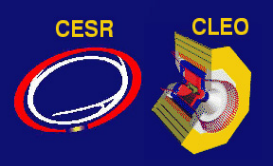
$\frac{\text{theory-expt}}{\text{expt}}$



$\frac{\text{theory-expt}}{\text{expt}}$

Understanding strongly coupled systems is important beyond flavor physics. LHC might discover new strongly interacting physics



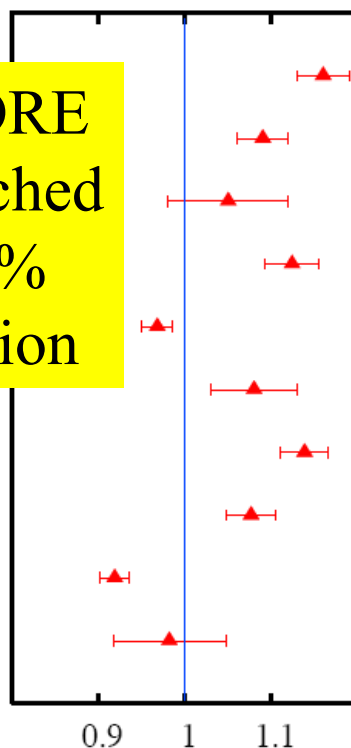


Precision theory? In 2003 a breakthrough in Lattice QCD

Recent revolutionary progress in algorithms allows inclusion of QCD vacuum polarization. LQCD demonstrated it can reproduce a wide range of mass differences & decay constants. *These were postdictions*

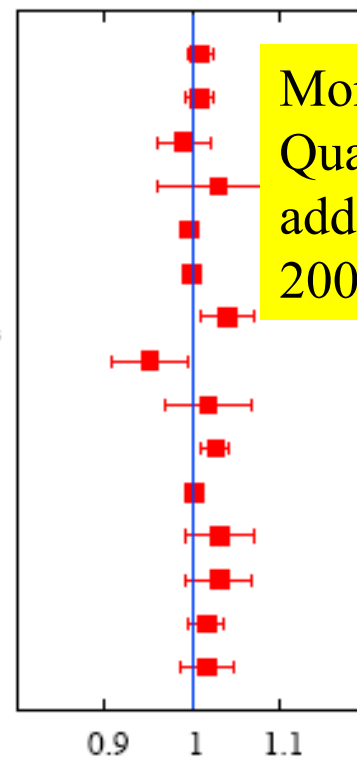
This dramatic improvement needs validation of predictions. $m(B_c)$ successful. *Charm* decay constants f_{D^+} & f_{D_s}
Charm semileptonic form factors

BEFORE
Quenched
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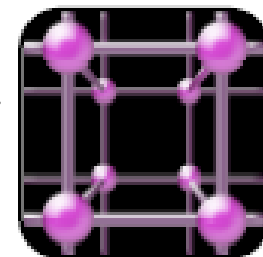
f_π
 f_K
 m_Ω
 $3m_\Xi - m_N$
 m_{D_s}
 m_D
 $m_{D_s^*} - m_{D_s}$
 $m_\psi - m_{\eta_c}$
 $\psi(1P-1S)$
 $2m_{B_{s,2V}} - m_Y$
 m_{B_c}
 $Y(3S-1S)$
 $Y(2P-1S)$
 $Y(1P-1S)$
 $Y(1D-1S)$

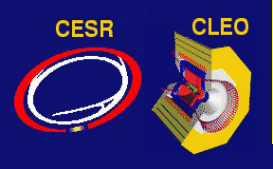


$\frac{\text{theory-expt}}{\text{expt}}$

More
Quantities
added
2007

Understanding strongly coupled systems is important beyond flavor physics. LHC might discover new strongly interacting physics





Precision Experiment for charm?

Circa 2004 (pre-CLEO-c)

Key leptonic, semileptonic & hadronic modes:

Experiment : Theory

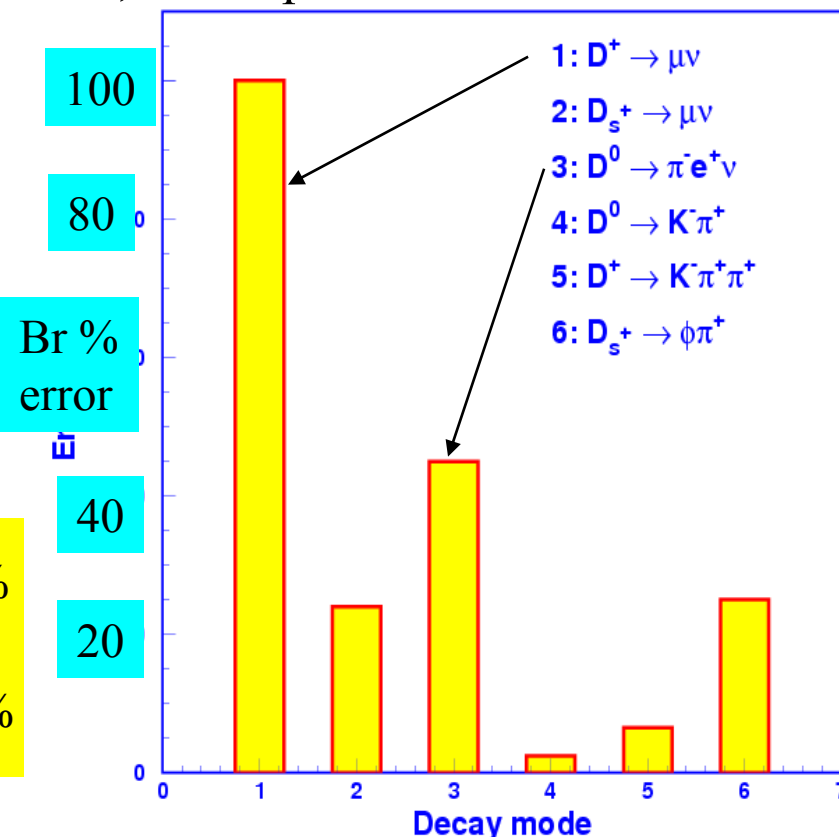
Poorly known $\rightarrow$

$$\frac{Br}{\tau} = \Gamma$$

Measured very precisely
0.4-0.8%

$$\frac{\delta B}{B}(D \rightarrow \pi e^+ \nu) = 45\%$$

$$\frac{\delta B}{B}(D^+ \rightarrow \mu^+ \nu) = 100\%$$

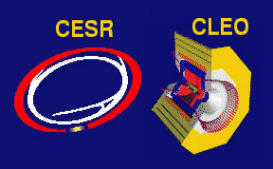


Before CLEO-c precise measurements of charm decay constants and form factors did not exist, because at Tevatron/FT/ B factories:

$$Br(D \rightarrow X) = \frac{\#X \text{ Observed}}{\text{efficiency} \times \#D\text{'s produced}}$$

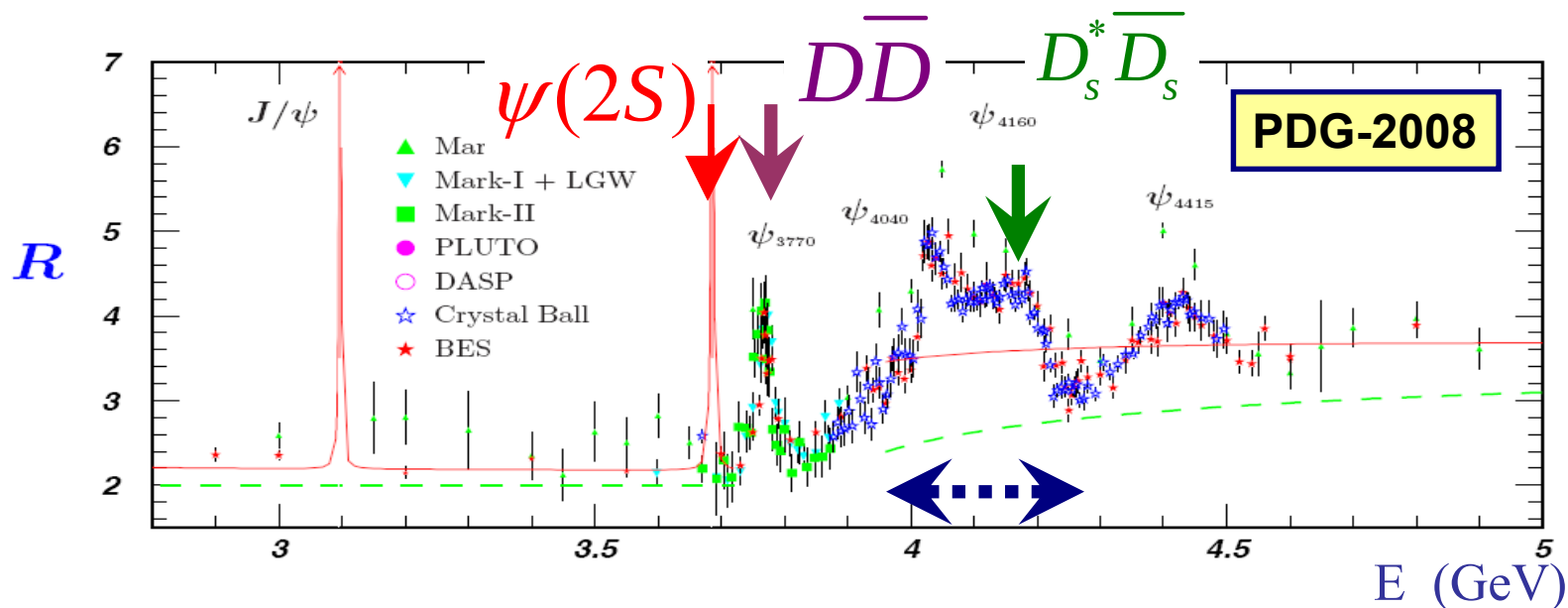
Backgrounds are large.

#D's produced is usually not well known.



CLEO-c: World's largest data sets at charm threshold

CLEO-c: Oct. 2003 – March 2008, **CESR (10GeV) → CESR-c at 4GeV**
CLEO III detector → CLEO-c



$\sqrt{s}$ (MeV) Ldt (pb⁻¹)

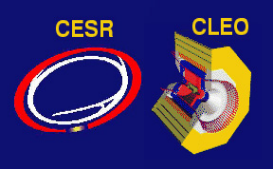
3686 54 $N(\psi(2S)) \approx 27M$

3773 818 $\psi(3770) \rightarrow D\bar{D} \approx 5 \times 10^6 D\bar{D}$

4170 600 $D_{(s)}^{(*)} \bar{D}_{(s)}^{(*)} \approx 6 \times 10^5 D_s^* \bar{D}_s$

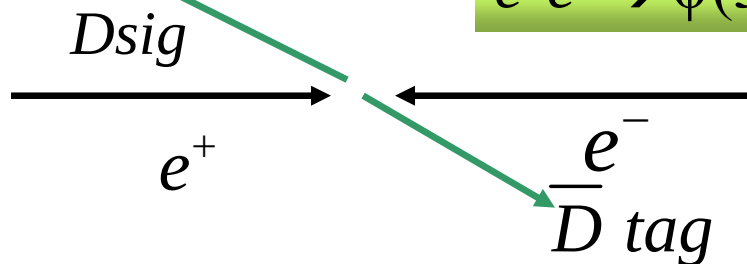
X86 MARK III
X25 BES II

First sample at this energy



$\psi(3770)$ Analysis Strategy

$$e^+e^- \rightarrow \psi(3770) \rightarrow D\bar{D}$$

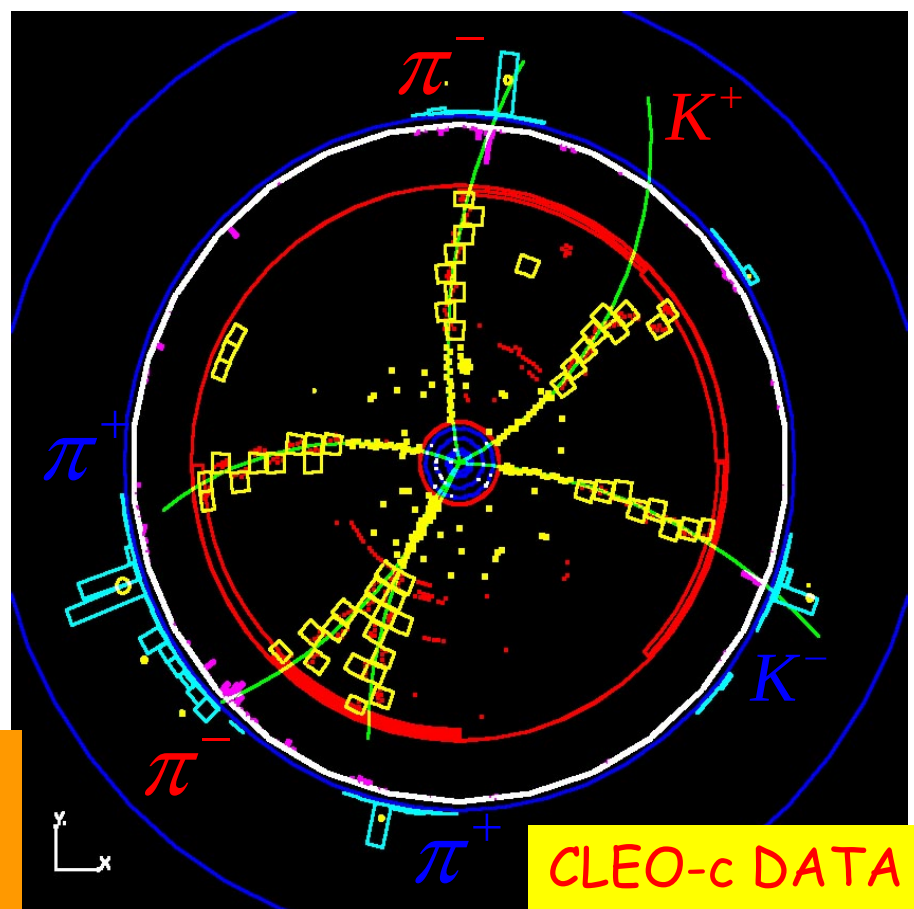


$\psi(3770)$ is to charm
what Y(4S) is to beauty

- ❑ Pure DD, no additional particles ($E_D = E_{\text{beam}}$).
- ❑ $\sigma(\text{DD}) = 6.4 \text{ nb}$ (Y(4S) $\rightarrow$ BB $\sim 1 \text{ nb}$)
- ❑ Low multiplicity $\sim 5\text{-}6$ charged particles/event

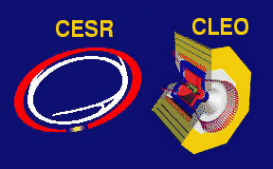
➔ high tag efficiency: $\sim 20\%$ of events
Compared to $\sim 0.1\%$ of B's at the Y(4S)

A little luminosity goes a long way:
Tagging ability:
D tags in 800 pb^{-1} @ charm factory
 $\sim$ # B tags in 1300 fb^{-1} @ Y(4S)



$$\psi(3770) \rightarrow D^+ D^-$$

$$D^+ \rightarrow K^- \pi^+ \pi^+, \quad D^- \rightarrow K^+ \pi^- \pi^-$$

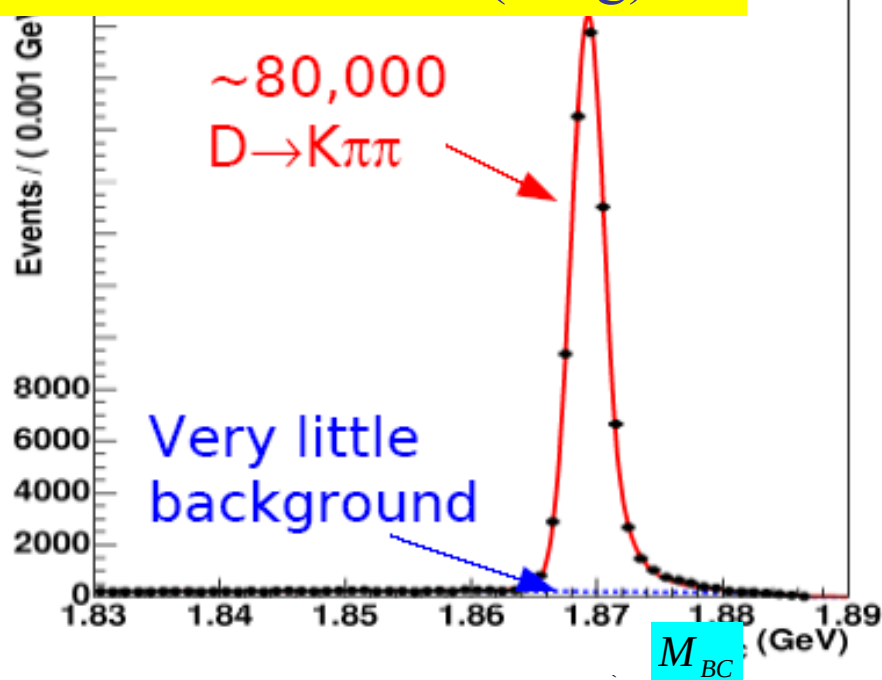


Absolute Charm Branching Ratios at Threshold

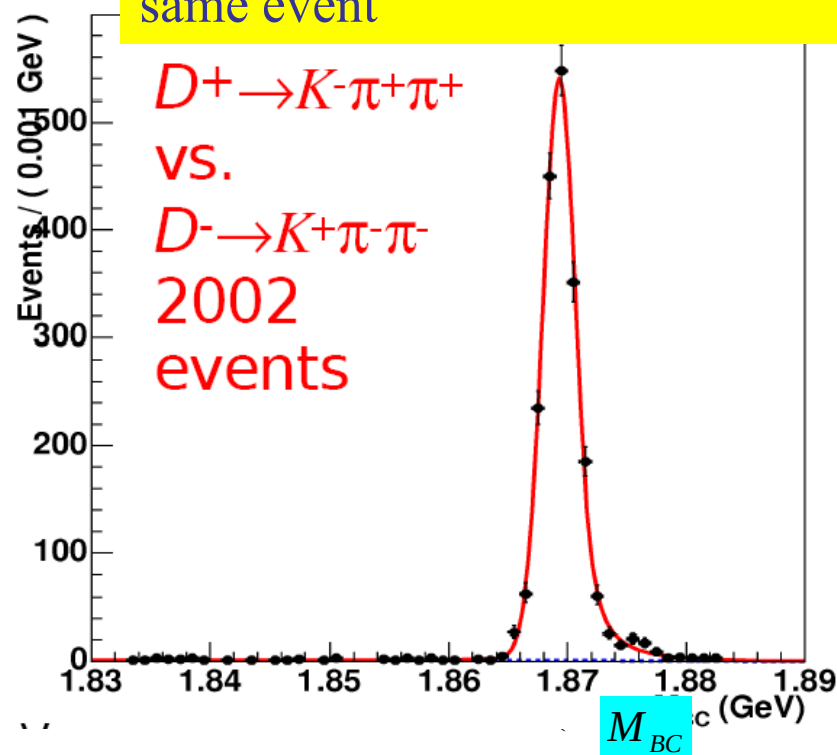
281/pb

$$E_D \Rightarrow E_{beam} : \Delta E = E_D - E_{beam} \quad M_{BC} = \sqrt{E_{beam}^2 - |\vec{p}_D|^2}$$

1 D reconstructed (a tag)

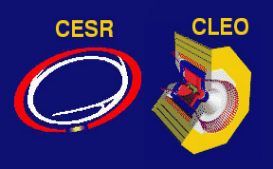


1D⁺ & 1D⁻ reconstructed in same event



Independent of
L and cross
section

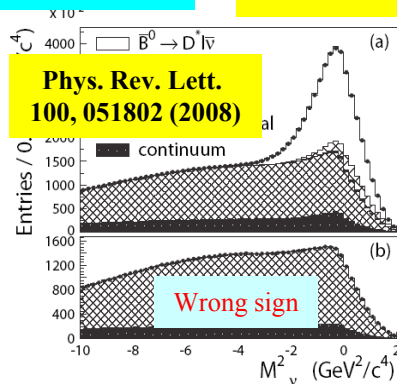
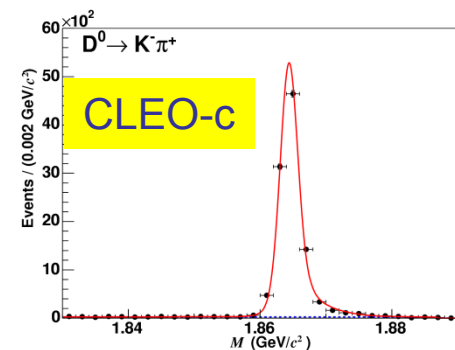
$$B(D^- \rightarrow K^+ \pi^- \pi^-) = \frac{\#(K^+ \pi^- \pi^-) \text{ Observed in tagged events}}{\text{detection efficiency for } (K^+ \pi^- \pi^-) \bullet \#D \text{ tags}}$$



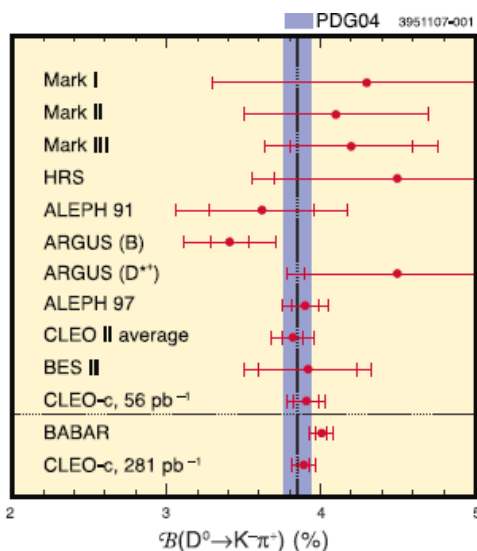
$B(D^0 \rightarrow K^- \pi^+)$

Sets scale of bd triangle

BABAR



$\mathcal{B}$ (%)	Error(%)	Source
3.80 ± 0.09	2.4	PDG04
$3.891 \pm 0.035 \pm 0.069$	2.0	CLEO-c 281/pb
$4.007 \pm 0.037 \pm 0.072$	2.0	BABAR



Syst. limited: 2%

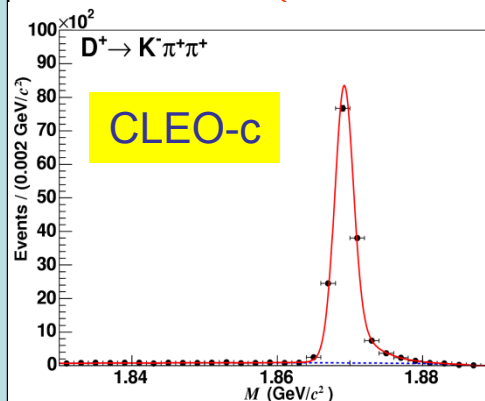
CLEO-c & BABAR agree vastly superior S/N at CLEO-c

charm hadronic scale is finally on a SECURE FOUNDATION

Phys. Rev. D 76, 112001 (2007)

$B(D^+ \rightarrow K^- \pi^+ \pi^+)$

Previous best:



CLEO-c

measure:

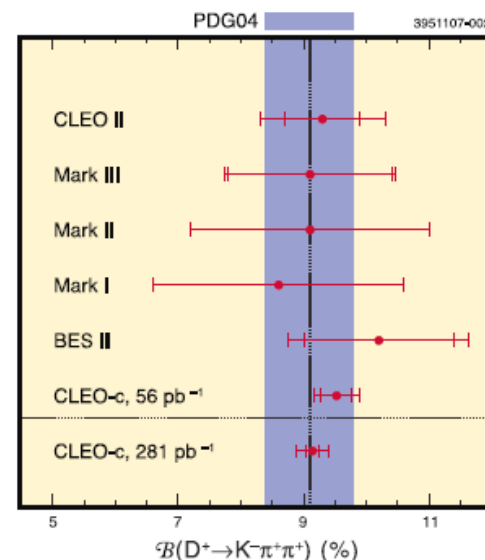
$$\frac{B(D^{*+} \rightarrow D^0 \pi^+) B(D^0 \rightarrow K^- \pi^+)}{B(D^{*+} \rightarrow D^+ \pi^0) B(D^+ \rightarrow K^- \pi^+ \pi^+)}$$

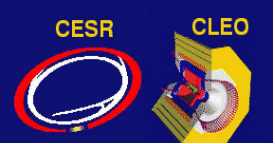
dependent on
 $B(D^0 \rightarrow K^- \pi^+)$

$\mathcal{B}$ (%)	Error(%)	Source
$9.3 \pm 0.6 \pm 0.8$	10.8	CLEO
$9.1 \pm 1.3 \pm 0.4$	14.9	MKIII
9.1 ± 0.7	7.7	PDG04
$9.14 \pm 0.10 \pm 0.17$	1.9	CLEO-c 281/pb

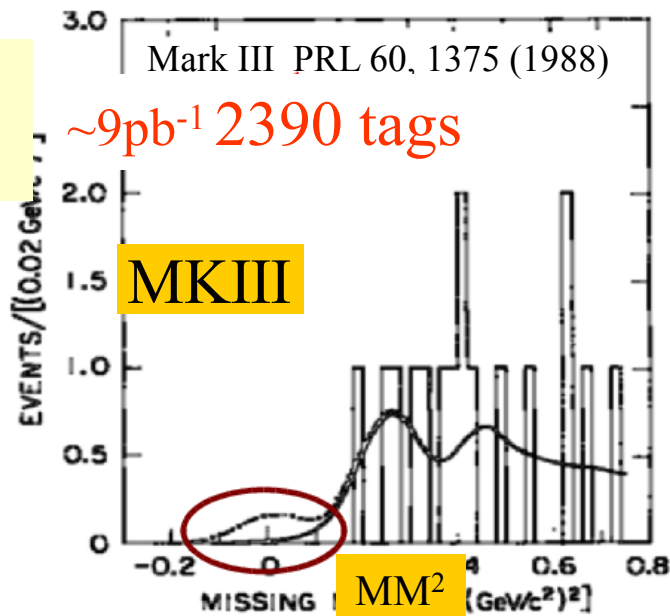
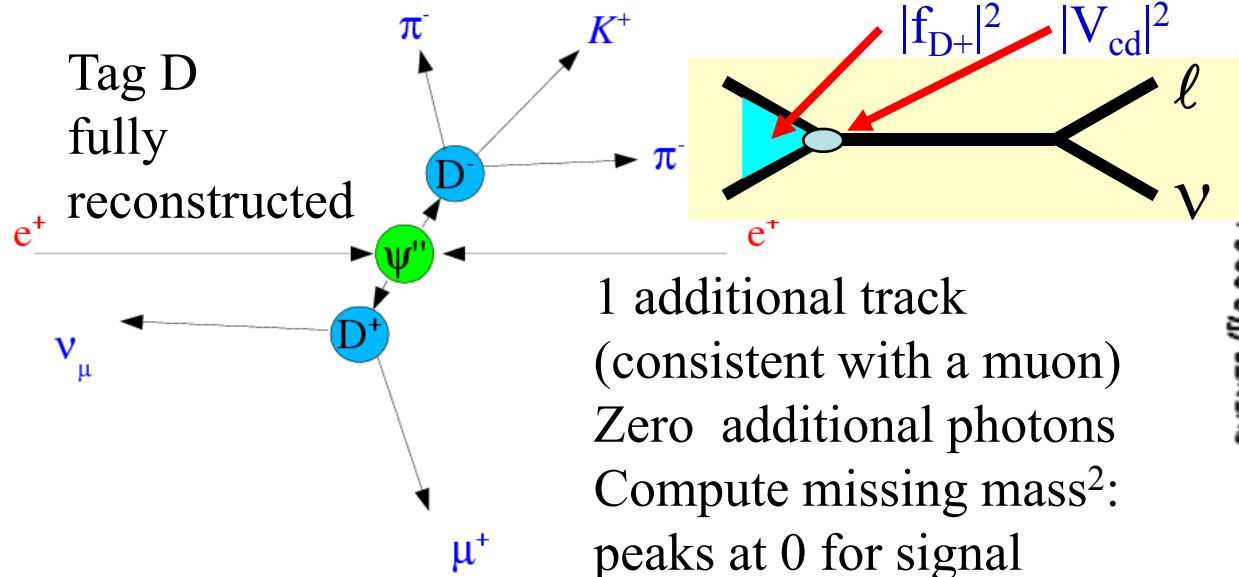
now: $B(D^+ \rightarrow K^- \pi^+ \pi^+)$ independently measured

CLEO-c x 3.5
More precise than PDG





f_{D^+} from Absolute $\text{Br}(D^+ \rightarrow \mu^+ \nu)$ at $\psi(3770)$



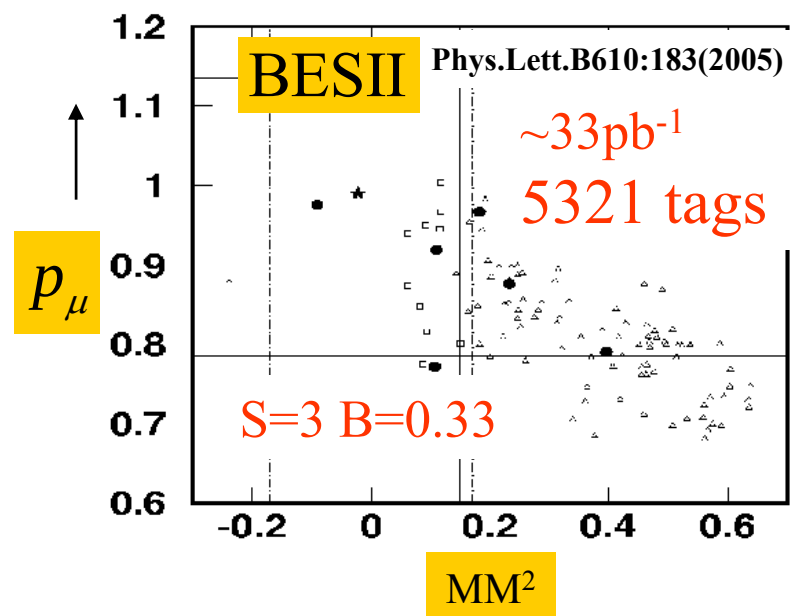
$$MM^2 = (E_D - E_\mu)^2 - (\vec{P}_D - \vec{P}_\mu)^2$$

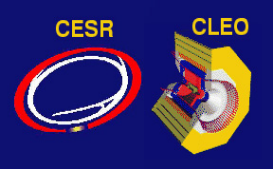
where $E_D = E_{\text{beam}}$, $\vec{P}_D = -\vec{P}_{D\text{tag}}$

$$B(D^+ \rightarrow \mu \nu) \times 10^{-4} \quad f_D \text{ MeV}$$

MkIII < 7.2 < 290

BESII $12.2^{+11.1}_{-5.3} \pm 0.11$ $371^{+129}_{-119} \pm 25$

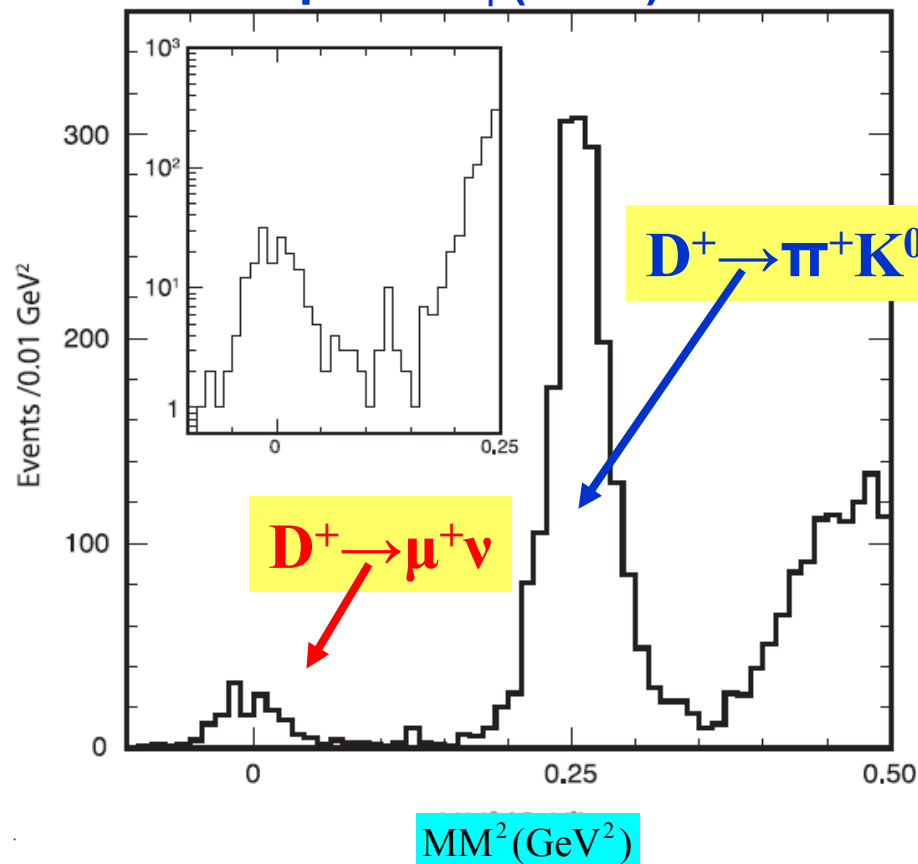




f_{D^+} from $D^+ \rightarrow \mu^+ \nu$

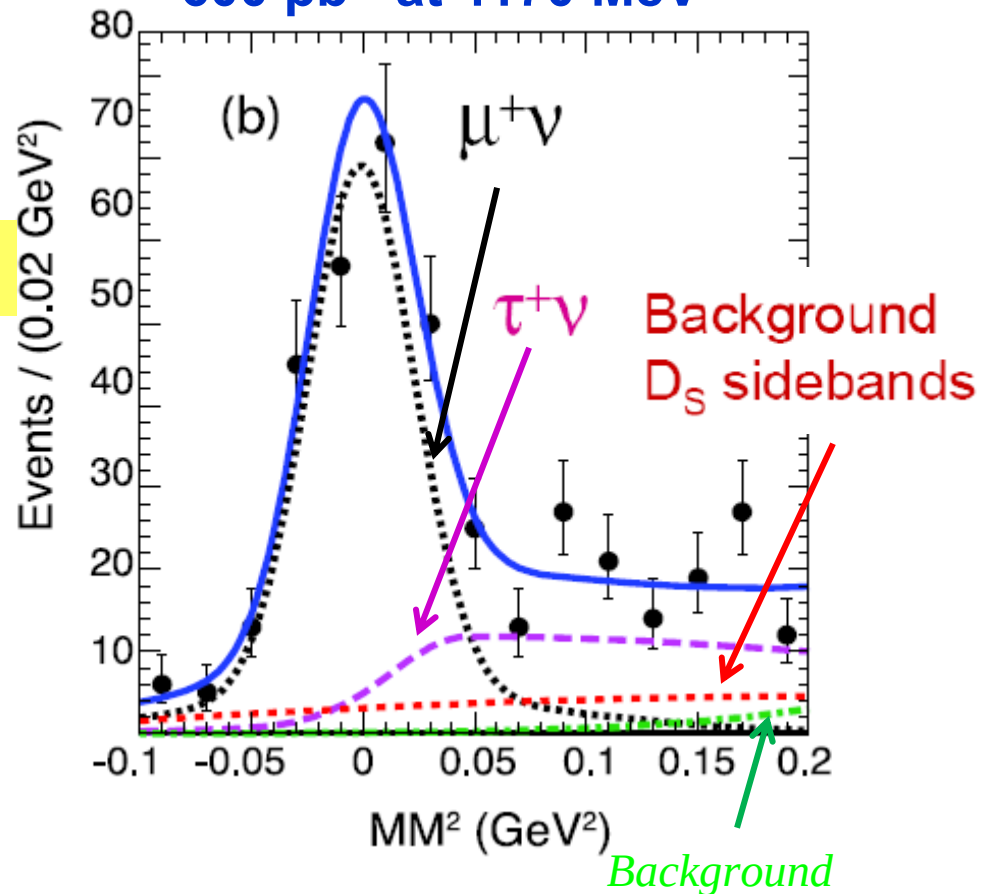
f_{D_s} from $D_s \rightarrow \mu^+ \nu$ & $\tau^+ (\pi^+ \nu) \nu$

818 pb⁻¹ at $\psi(3770)$



PRD 78,052003 (2008)

600 pb⁻¹ at 4170 MeV

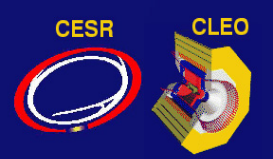


PRD 79,052001(2009)

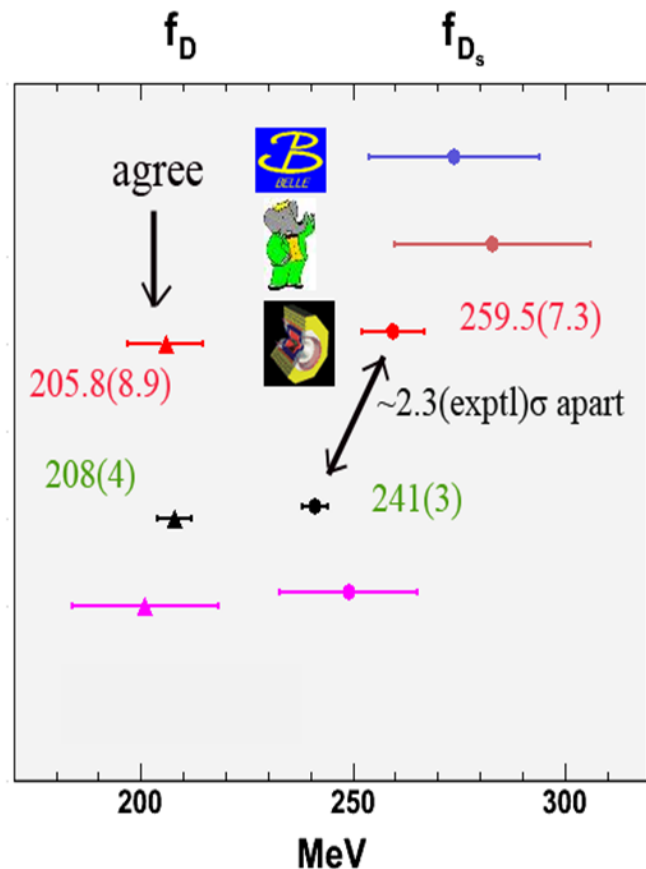
$D_s \rightarrow 3\pi / K^0 \pi / \eta \pi$

f_{D_s} Method 2: $D_s \rightarrow \tau^+ \nu, \tau^+ \rightarrow e^+ \nu \nu$

PRD 79:052002,2009



Comparison to LQCD



Belle

BaBar

PRL 98, 141801 (2008)

CLEO-c

PRD 79,052001(2009)

PRD 79:052002,2009 (D)

Lattice(HPQCD+UKQCD)

PRL100, 062002 (2008)

Lattice(FNAL+MILC+HPQCD)

PRL95, 122002 (2005)

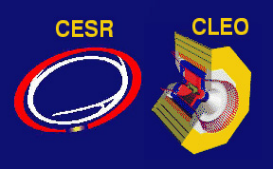
CLEO f_D consistent with calculations
(4% test of lattice) 😊

CLEO f_{D_s} (and Belle & BABAR) higher
than most theoretical expectations

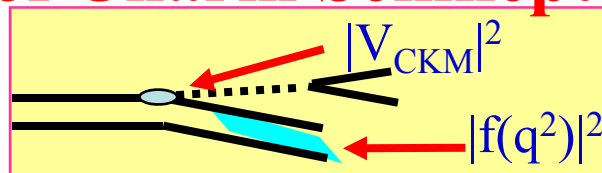
CLEO f_{D_s} is $\sim 2.3\sigma$ above the most recent
& precise LQCD calculations

*Ds leptonic decay width could be
modified by new physics example:
Dobrescu and Kronfeld arXiv:0803.0512*

The difference between experiment HPQCD+UKQCD could be due to new physics, unlikely statistical fluctuations in experiment or lattice calculations or systematic uncertainties which are not understood in the lattice calculation or experiment. *BES III measurements are eagerly awaited.*



Importance of Charm Semileptonic Decays



$$\frac{d\Gamma}{dq^2} \propto |V_{cs(d)}|^2 |f_+^{D \rightarrow (K)\pi}(q^2)|^2$$

1 Assuming theoretical

form factors $\Rightarrow V_{cs}$ and V_{cd}

2 Assuming V_{cs} and V_{cd} known, we can check theoretical calculations of the form factors

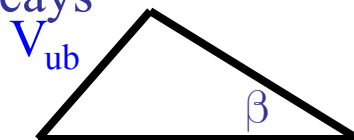
3 Potentially useful input to V_{ub} from exclusive B semileptonic decays

$Br(B \rightarrow \pi l \nu) \sim 6\%$ precision
BABAR/Belle/CLEO(HFAG)

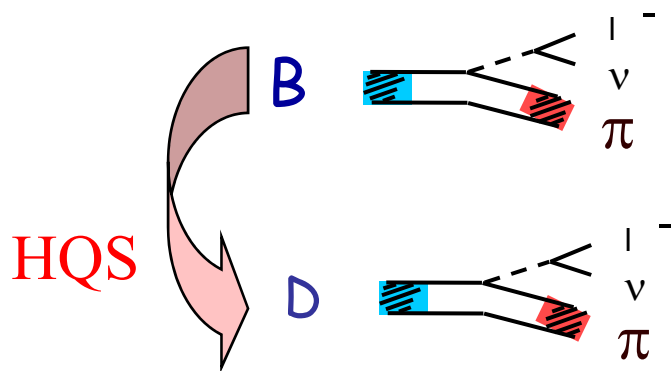
(summer 2008)

Expt. 5%
 $q^2 > 16 \text{ GeV}^2$

$$|V_{ub}| = (3.62 \pm 0.22 \pm_{-0.41}^{+0.63}) \times 10^{-3} \pm \text{exp} \pm \text{LQCD}$$



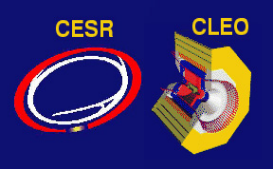
~11- 17% e.g.
HPQCD & FNAL



$$\propto [f^{B \rightarrow \pi}(q)]^2 |V_{ub}|^2$$

$$\propto [f^{D \rightarrow \pi}(q)]^2 |V_{cd}|^2$$

Related at
same invariant
4 velocity

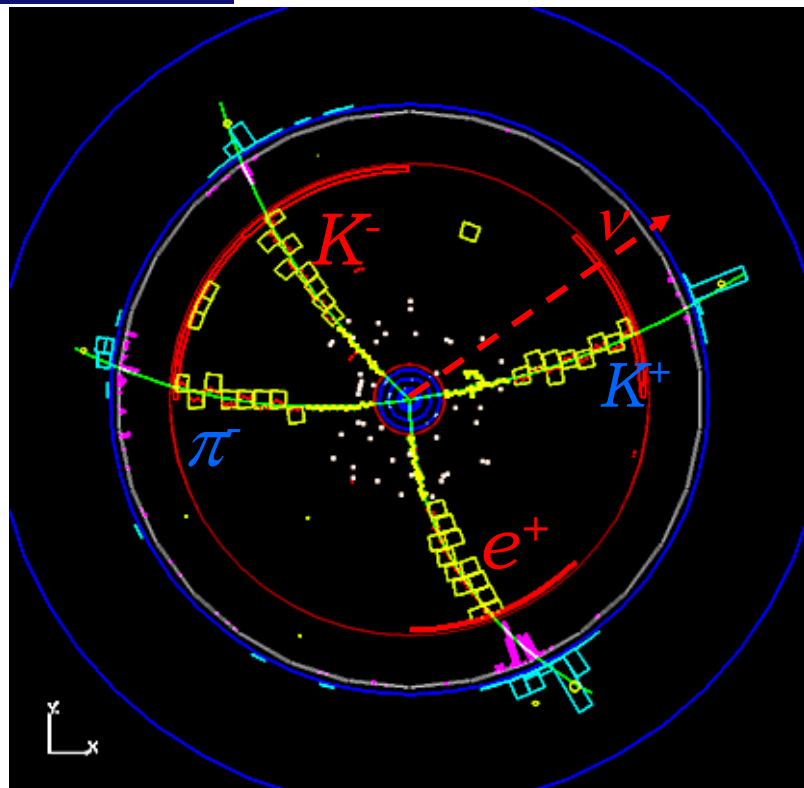


Absolute Semileptonic Branching Fractions

The neutrino direction is determined to 1°

no kinematics ambiguity

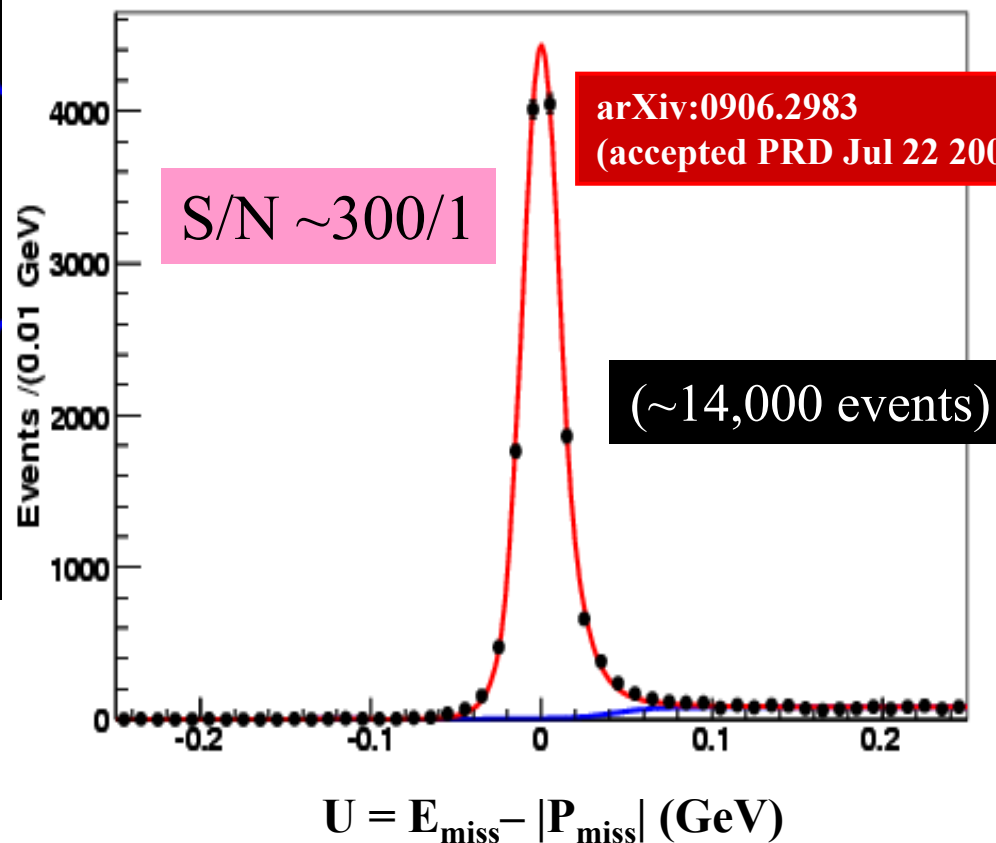
$$U \equiv E_{\text{miss}} - |\vec{p}_{\text{miss}}| = 0$$



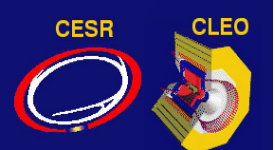
$$\psi(3770) \rightarrow D^0 \bar{D}^0$$

$$\bar{D}^0 \rightarrow K^+ \pi^-, D^0 \rightarrow K^- e^+ \nu$$

Tagging creates a single D beam
of known 4-momentum



$$\mathcal{B}(D \rightarrow K e \nu) = \frac{N(D \rightarrow K e \nu)}{\text{Efficiency} \times N_{\text{tags}}}$$

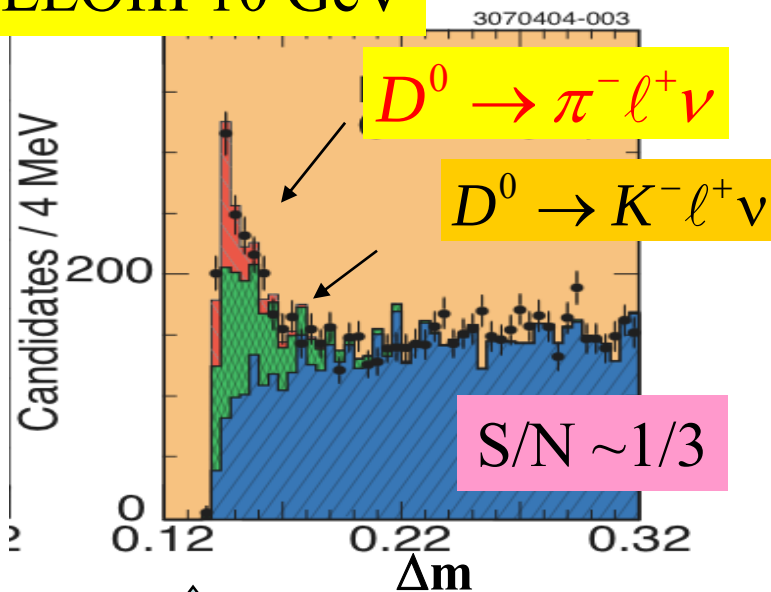


$$D^0 \rightarrow \pi^- e^+ \nu$$

arXiv:0906.2983
(accepted PRD Jul 22 2009)

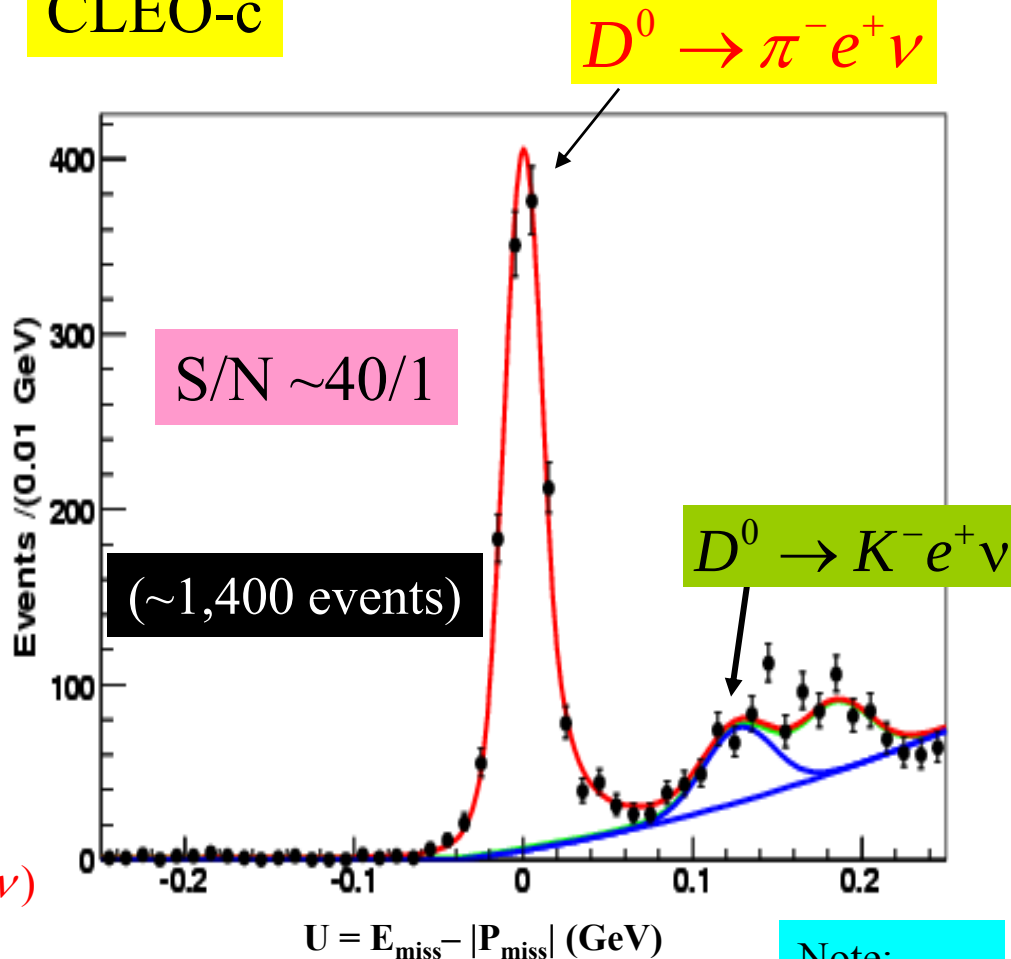
CLEOIII 10 GeV

CLEO-c



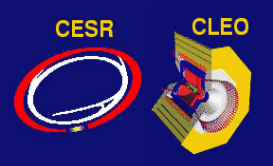
Compare to:
state of the
art measurement
at 10 GeV (CLEO III)
PRL 94, 11802 (2004)

Tag with $D^{*+} \rightarrow D^0 \pi_s$
 $D^0 \rightarrow \pi^- \ell^+ \nu$
observable:
 $\Delta m = m(\pi_s \pi \ell \nu) - m(\pi \ell \nu)$



Note:
kinematic
separation.

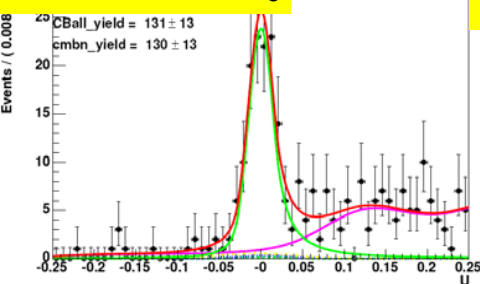
Only other high statistics measurement is from Belle
282/fb (x350 CLEO-c) 222 ± 17 events S/N 4/1



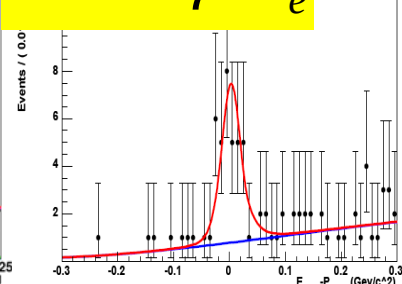
CLEO-c semileptonic tagging analysis technique: big impact

1st Observations:

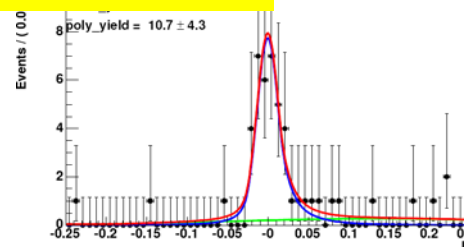
$$D^0 \rightarrow \rho^- e^+ \nu_e$$



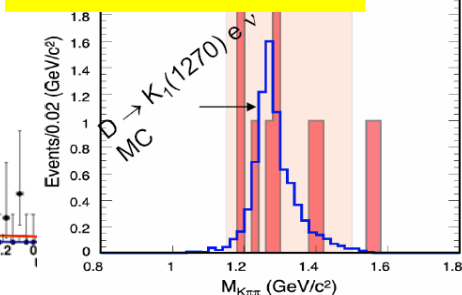
$$D^+ \rightarrow \eta e^+ \nu_e$$



$$D^+ \rightarrow \omega e^+ \nu_e$$



$$D^0 \rightarrow K^- \pi^+ \pi^- e^+ \nu_e$$



$$+ D^+ / D^0 \rightarrow X e^+ \nu_e$$

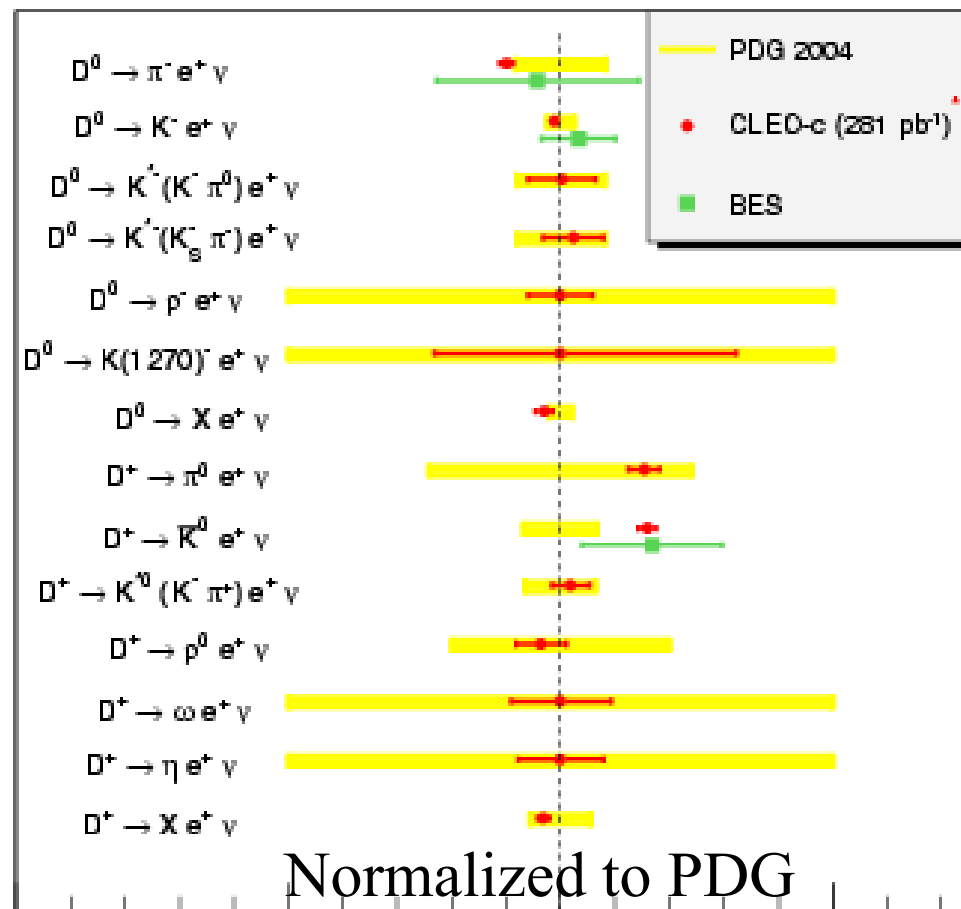
$$D \rightarrow K^* e^+ \nu_e$$

form factors

Note: use PDG2004, as PDG2006 & PDG2008 are dominated by CLEO-c measurements

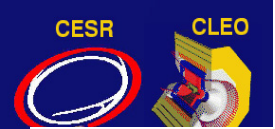
PRL 97, 251801 (2006);
arXiv:0906.2983(accepted PRD);
PRL 100, 251802(2008);
PRD, 77, 112005(2008);
PRD, 74, 052001(2006);
PRL 102, 081801(2009);
PRL 99, 191801 (2007);

Precision Measurements:



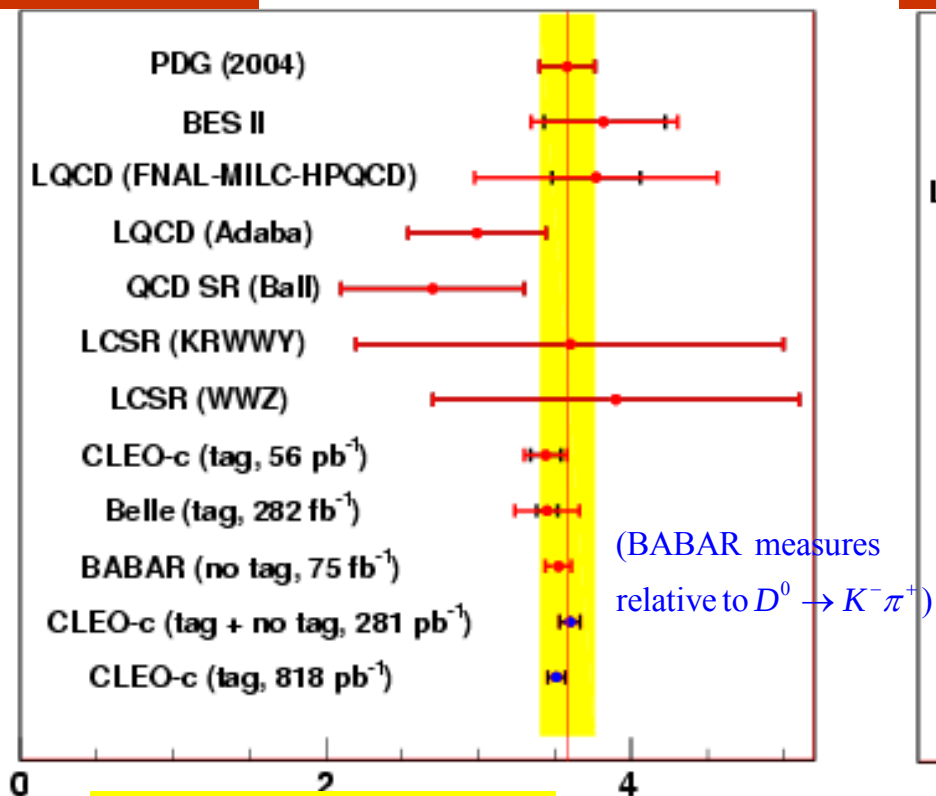
$D \rightarrow K^* e^+ \nu$ branching fractions are for 56/pb
 $D \rightarrow \pi^- / K^- / \pi^0 / \bar{K}^0 e^+ \nu$ branching fractions are for 818/pb

CLEO's measurements most precise for ALL modes; **4 modes** observed for the first time



$D \rightarrow K, \pi e \nu$ Branching Fractions

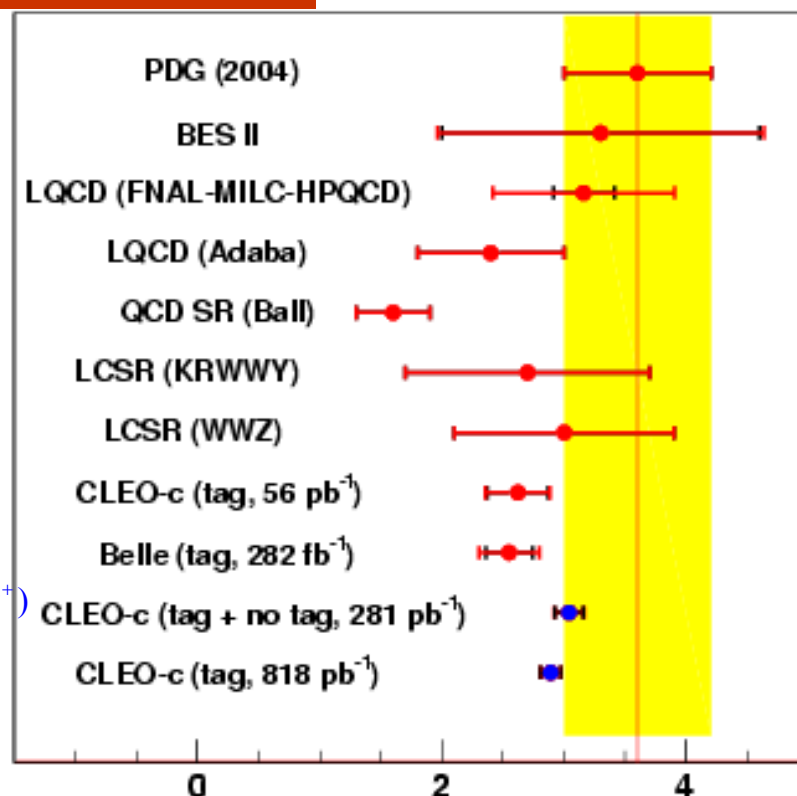
$D \rightarrow K e^+ \nu$



$B(D^0 \rightarrow K^- e^+ \nu)$
 3.50(3)(4)%
 (CLEO-c 818 pb⁻¹)

$\sigma(B(K e \nu)) / B(K e \nu) \sim 1.4\%$
 $\sigma(B(\pi e \nu)) / B(\pi e \nu) \sim 3.0\%$

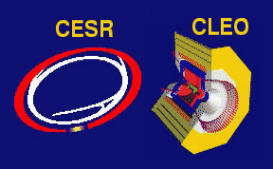
$D \rightarrow \pi e^+ \nu$



$B(D^0 \rightarrow \pi^- e^+ \nu)$
 0.288(8)(3)%

arXiv:0906.2983
 (accepted PRD Jul 22 2009)

Precision measurements from BABAR/Belle/CLEO-c.
CLEO-c most precise. Theoretical precision lags experiment.



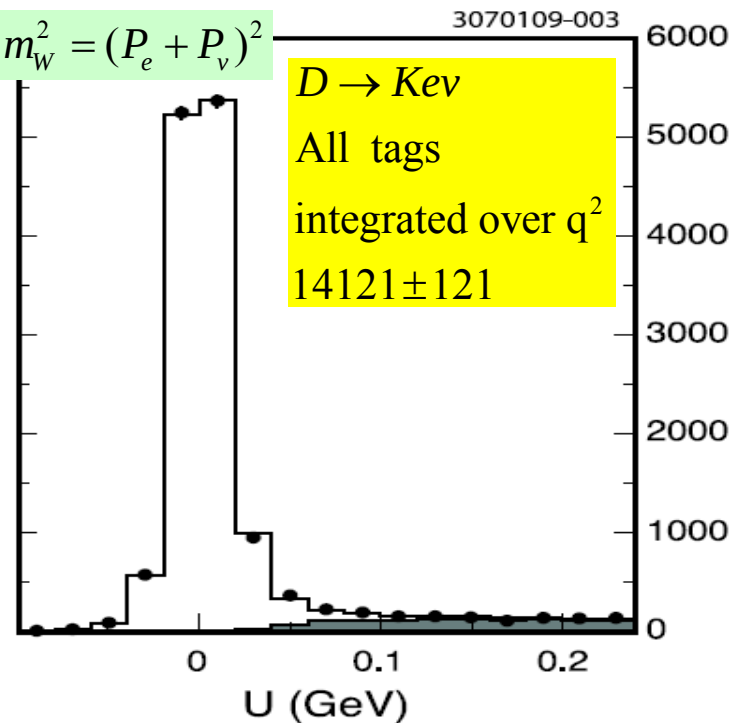
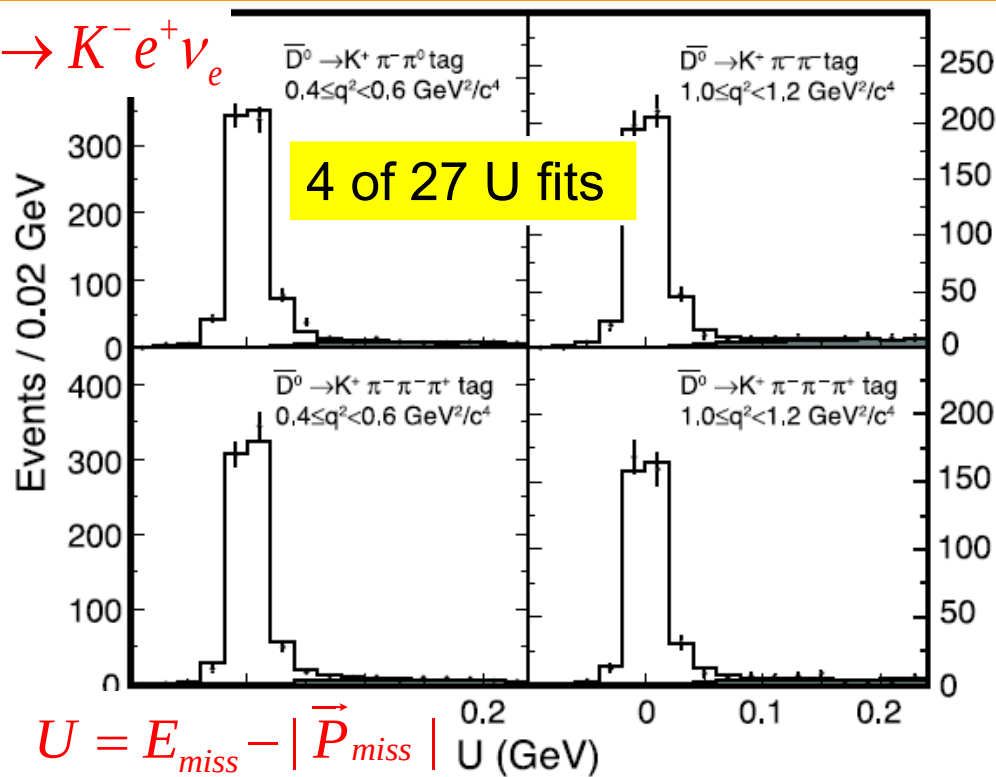
Measuring the form factor in $D \rightarrow K/\pi e \nu$

$$\frac{d\Gamma(D \rightarrow K e \nu)}{dq^2} = \frac{G_F^2}{24\pi^3} P_K^3 |f_+(q^2)|^2 |V_{cs}|^2$$

$$q^2 = m_W^2 = (P_e + P_\nu)^2$$

Form factor $\rightarrow$ probability hadron forms as a function of q^2

$D^0 \rightarrow K^- e^+ \nu_e$



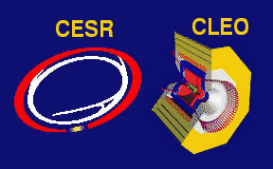
□ We perform binned likelihood fits to U distributions in each q^2 bin and each tag mode

□ Signal shapes are taken from signal MC, smeared with double Gaussians

□ Background shapes are taken from MC with all $D\bar{D}$ and non- $D\bar{D}$ decays

S/N	$\sim 300/1$
Signal events	~ 14000
U resolution	~ 10 MeV
q^2 resolution	~ 0.008 GeV^2/c^4

arXiv:0906.2983 (accepted PRD Jul 22 2009)



$D \rightarrow K/\pi e^+ \nu$: Fits to the $d\Gamma/dq^2$ Distributions

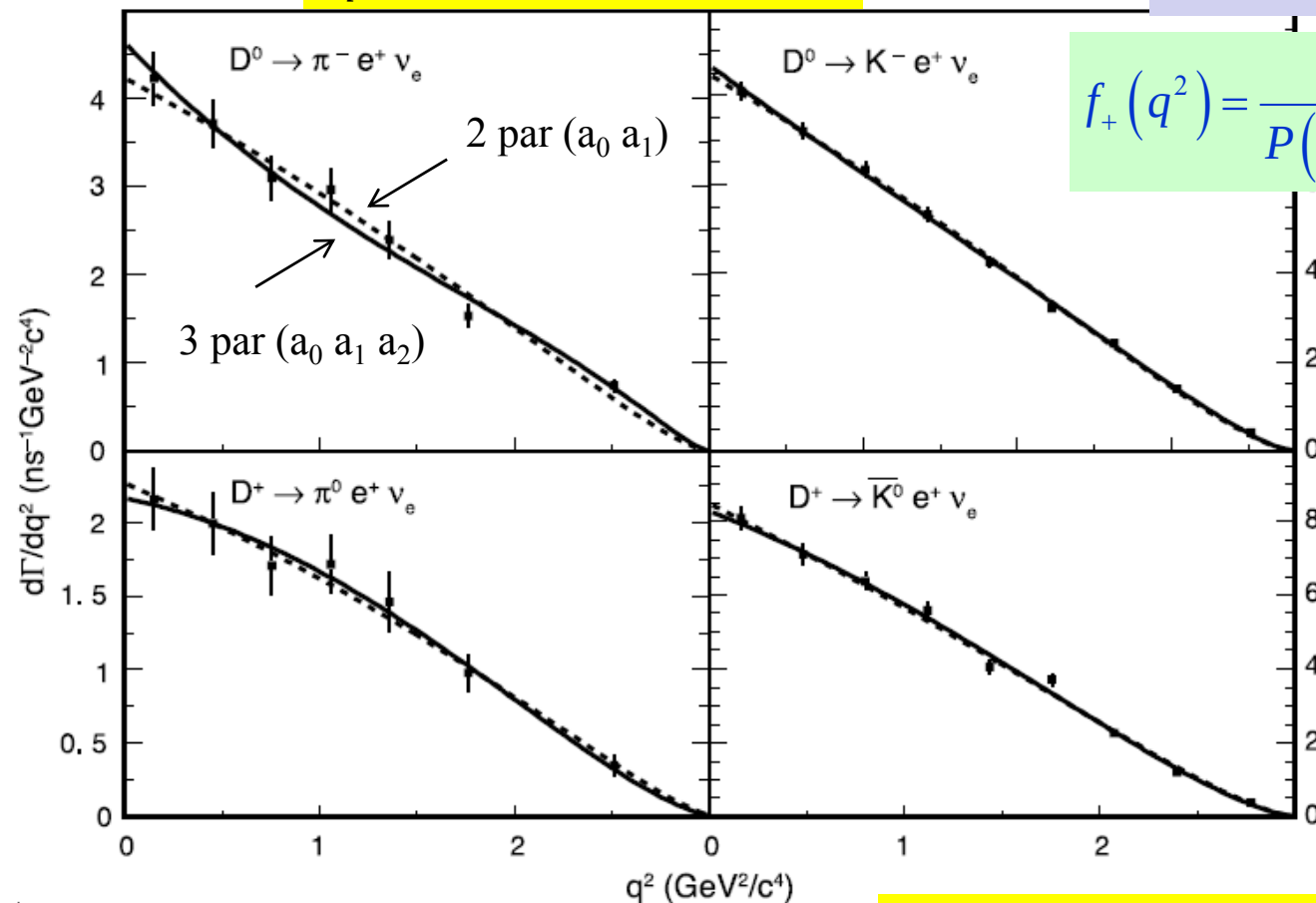
$$\frac{d\Gamma}{dq^2} = \frac{G_F^2}{24\pi^3} P_{K/\pi}^3 |f_+(q^2)|^2 |V_{cx}|^2$$

Fit to Becher-Hill Series

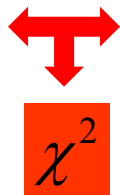
$$f_+(q^2) = \frac{1}{P(q^2)\phi(q^2,0)} \left[\sum_k a_k z^k(q^2,0) \right]$$

Other form factor parameterizations exist, but are only used as functional forms as their physical pictures are not supported by the data

Simultaneous fits to isospin conjugate modes are also performed

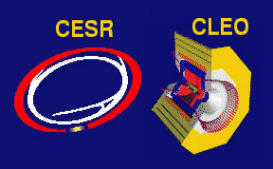


Experimentally measured
decay rates $\Gamma_i^{measured}$



Theoretically predicted decay rates

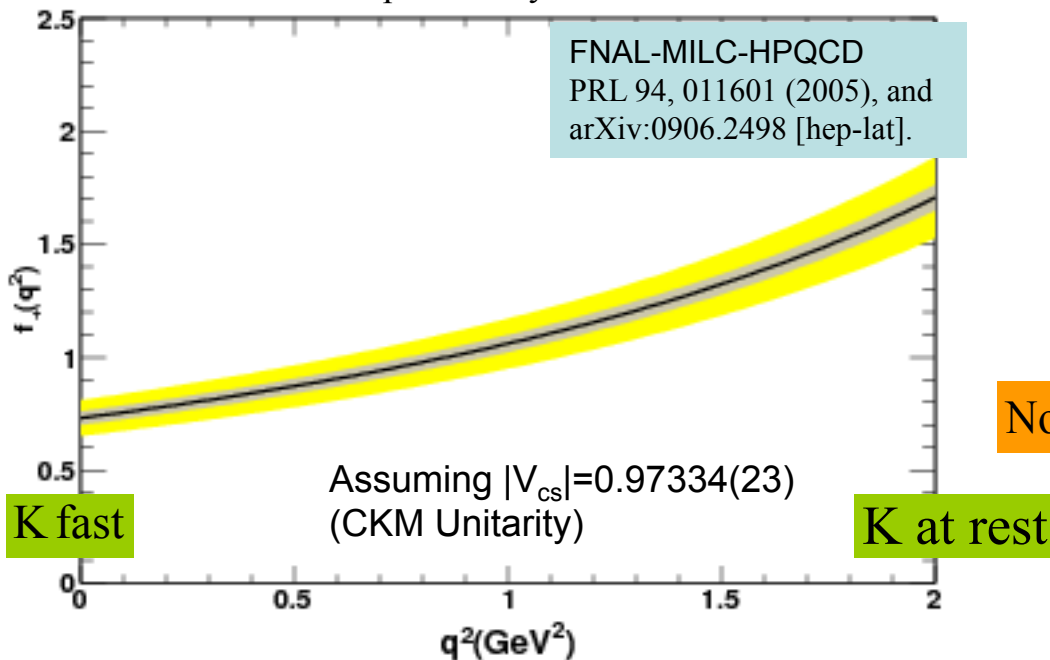
$$\Gamma_i^{predicted} = \int d\Gamma = \frac{G_F^2 |V_{Qq'}|^2}{24\pi^3} \int |f_+(q^2)|^2 p_P^3 dq^2$$



$D \rightarrow Ke^+ \nu$ Form Factor: test of LQCD

$$\frac{d\Gamma}{dq^2} = \frac{G_F^2}{24\pi^3} P_K^3 |f_+(q^2)|^2 |V_{cs}|^2$$

Form factor measures probability hadron will be formed

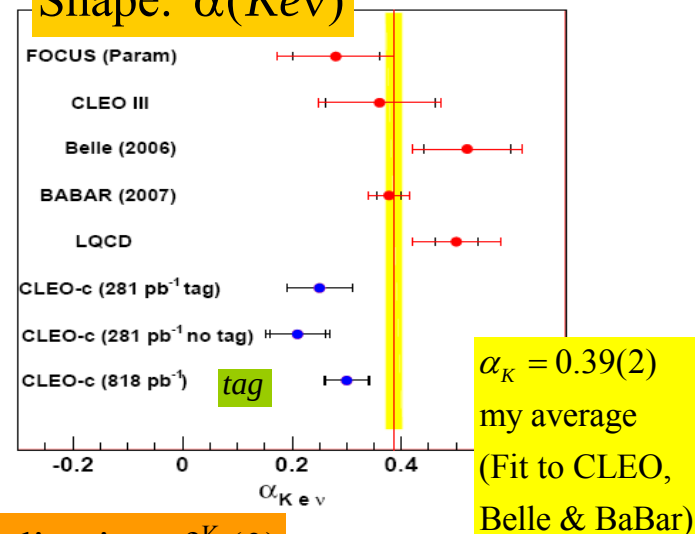


Modified pole model used as example

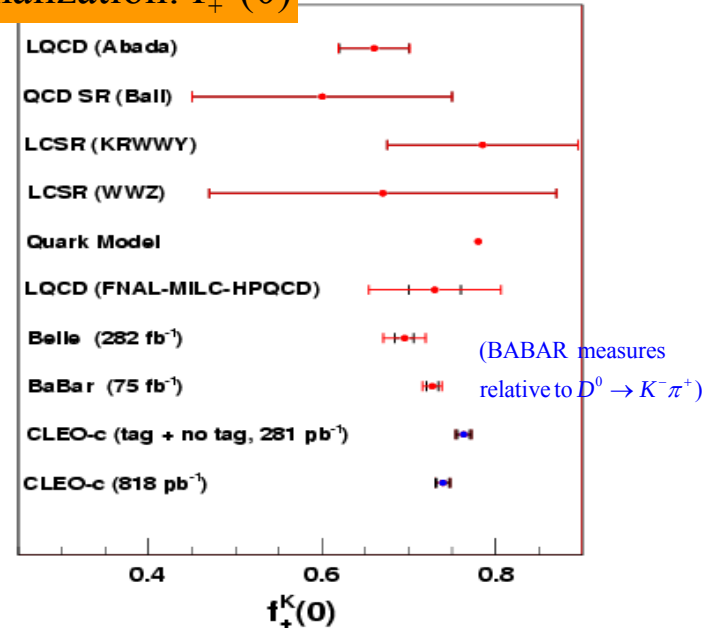
$$f_+(q^2) = \frac{f_+(0)}{(1 - q^2/m_{pole}^2)(1 - \alpha q^2/m_{pole}^2)}$$

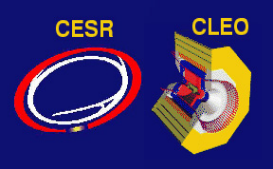
Normalization: experiments (1.2%) consistent with LQCD (10%). *Theoretical precision lags.*
CLEO-c prefers smaller value for shape parameter, α

Shape: $\alpha(K e \nu)$



Normalization: $f_+^K(0)$

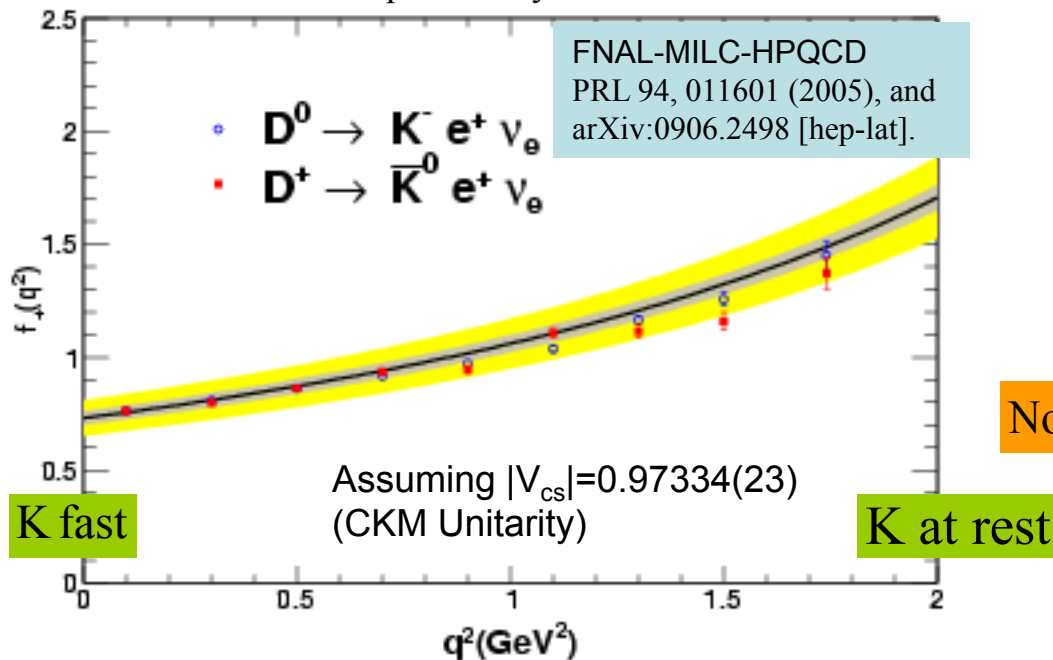




$D \rightarrow Ke^+ \nu$ Form Factor: test of LQCD

$$\frac{d\Gamma}{dq^2} = \frac{G_F^2}{24\pi^3} P_K^3 |f_+(q^2)|^2 |V_{cs}|^2$$

Form factor measures probability hadron will be formed

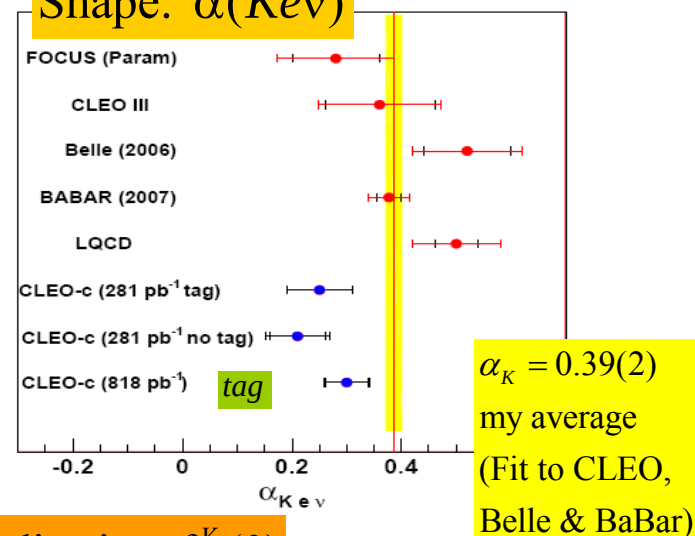


Modified pole model used as example

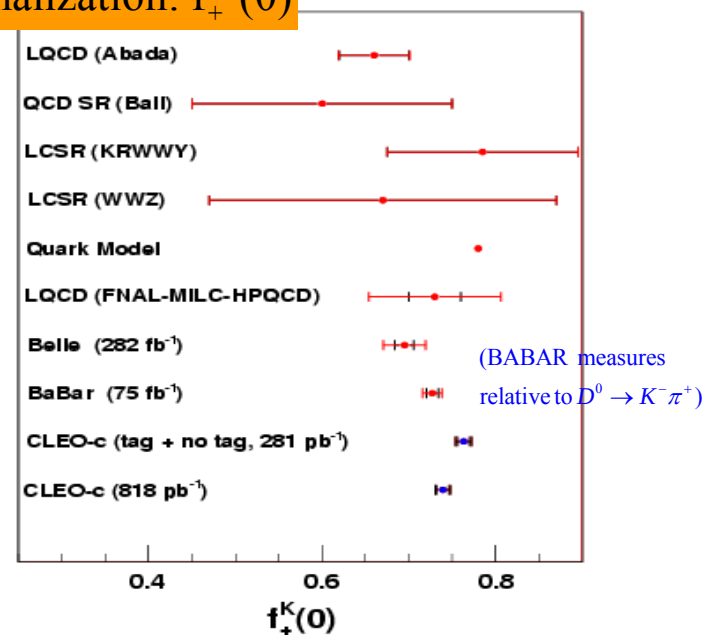
$$f_+(q^2) = \frac{f_+(0)}{(1 - q^2/m_{pole}^2)(1 - \alpha q^2/m_{pole}^2)}$$

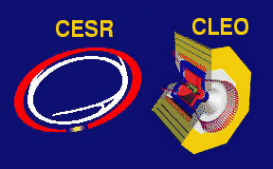
CLEO-c prefers smaller value for shape parameter, α
 Normalization: experiments (1.2%) consistent with LQCD (10%). *Theoretical precision lags.*

Shape: $\alpha(Kev)$



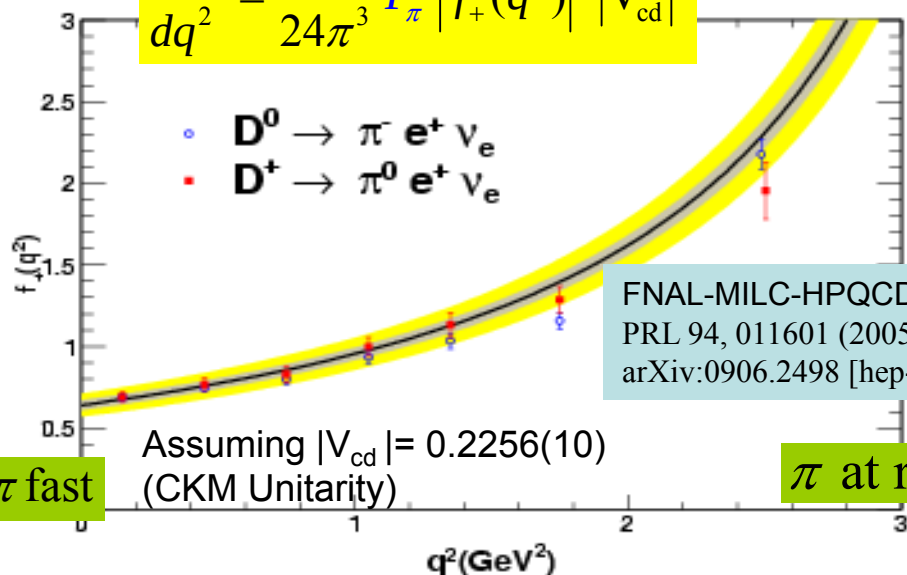
Normalization: $f_+^K(0)$





$D^0 \rightarrow \pi^- e^+ \nu$ Form Factor: test of LQCD

$$\frac{d\Gamma}{dq^2} = \frac{G_F^2}{24\pi^3} p_\pi^3 |f_+(q^2)|^2 |V_{cd}|^2$$



π fast

π at rest

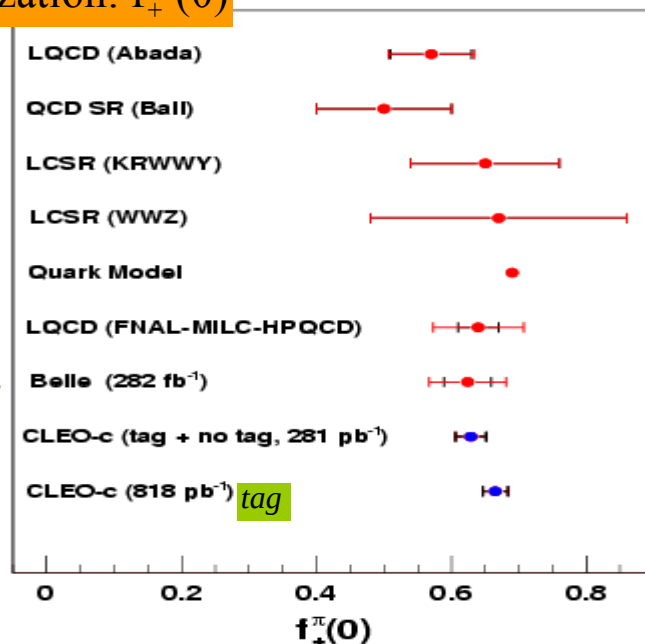
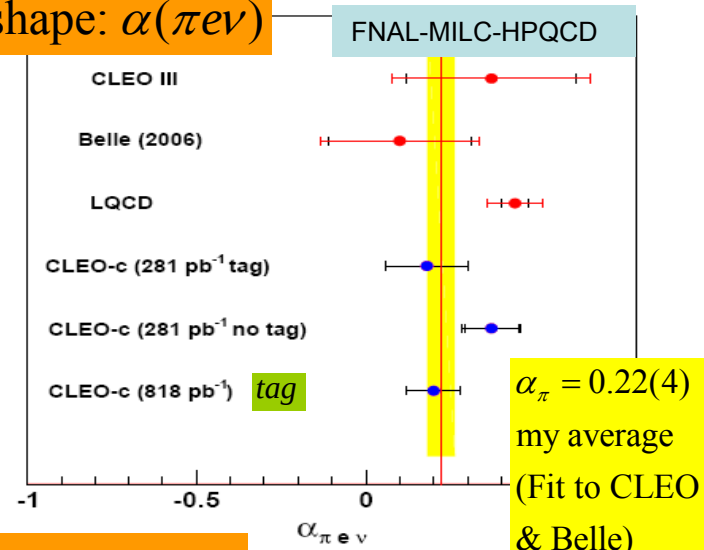
Normalization: $f_+^\pi(0)$

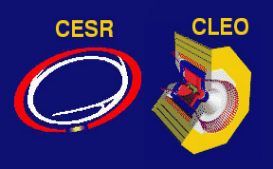
Modified pole model used as example

$$f_+(q^2) = \frac{f_+(0)}{(1 - q^2/m_{pole}^2)(1 - \alpha q^2/m_{pole}^2)}$$

Normalization experiments (2%) consistent with LQCD (10%). CLEO-c is most precise. *Theoretical precision lags.*

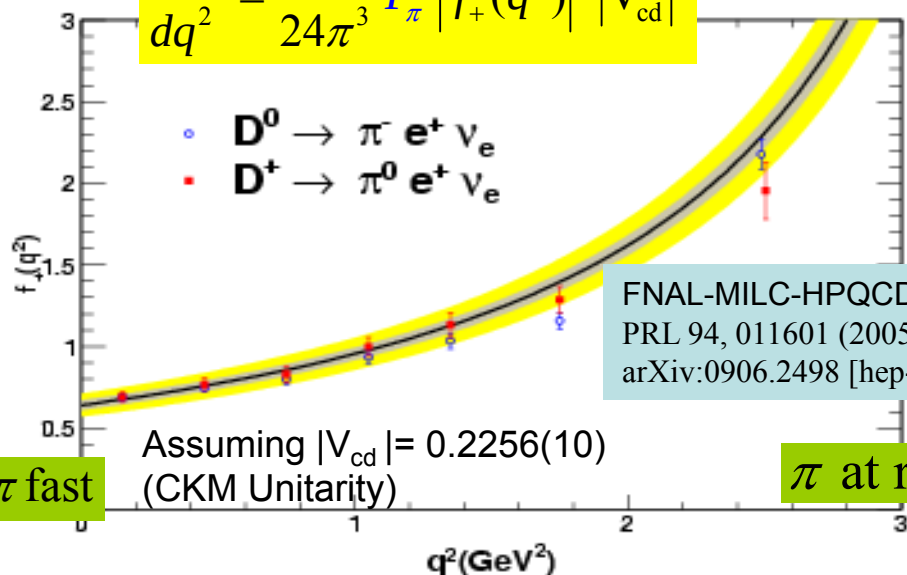
shape: $\alpha(\pi e \nu)$





$D^0 \rightarrow \pi^- e^+ \nu$ Form Factor: test of LQCD

$$\frac{d\Gamma}{dq^2} = \frac{G_F^2}{24\pi^3} p_\pi^3 |f_+(q^2)|^2 |V_{cd}|^2$$

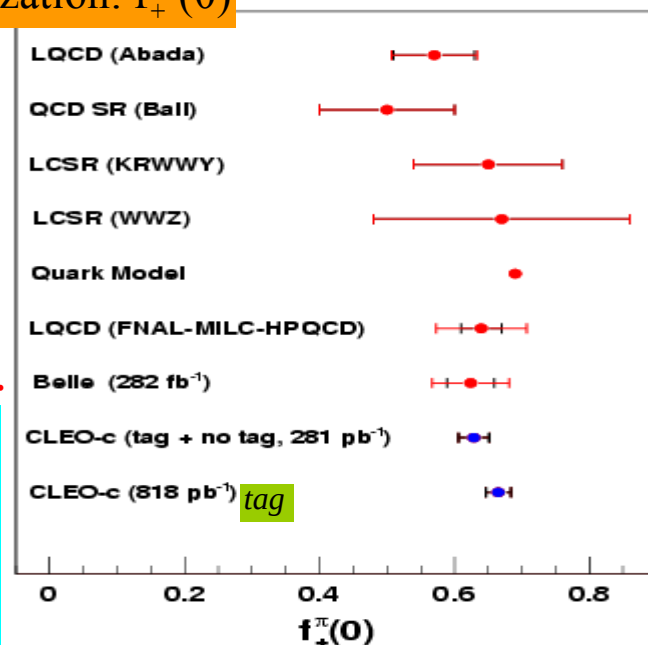
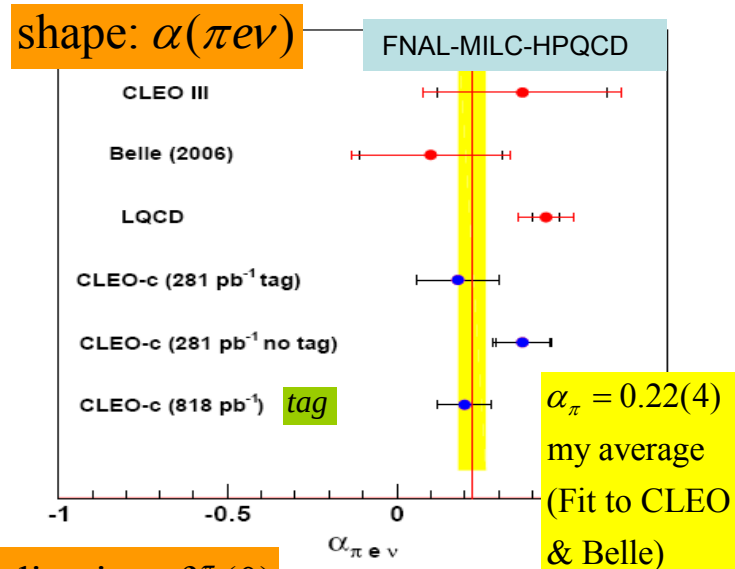


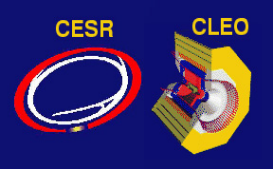
Modified pole model used as example

$$f_+(q^2) = \frac{f_+(0)}{(1 - q^2/m_{pole}^2)(1 - \alpha q^2/m_{pole}^2)}$$

Normalization experiments (2%) consistent with LQCD (10%). CLEO-c is most precise. *Theoretical precision lags.*

The data determines $|V_{cd}|f_+(q^2)$. To extract $|V_{cd}|$ we fit to $|V_{cd}|f_+(q^2)$ using Becher-Hill z -expansion to determine $|V_{cd}|f_+(0)$ & use $f_+(0)$ from LQCD (FNAL-MILC-HPQCD.) Same for $|V_{cs}|$





$|V_{cs}|$ & $|V_{cd}|$ Results

arXiv:0906.2983
(accepted PRD Jul 22 2009)

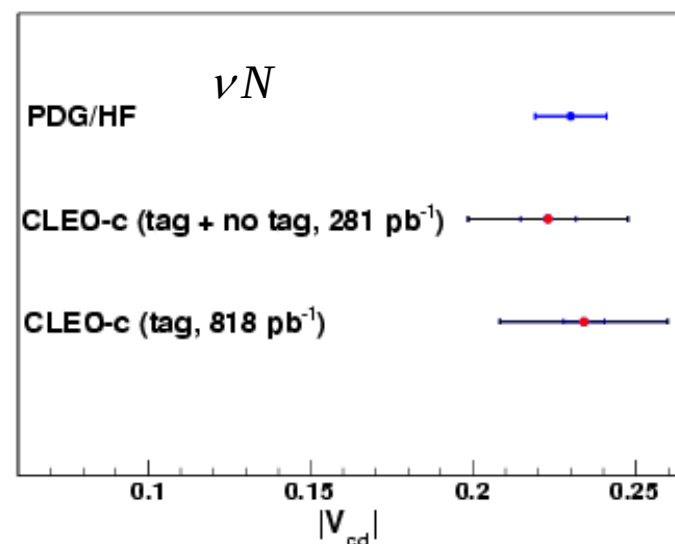
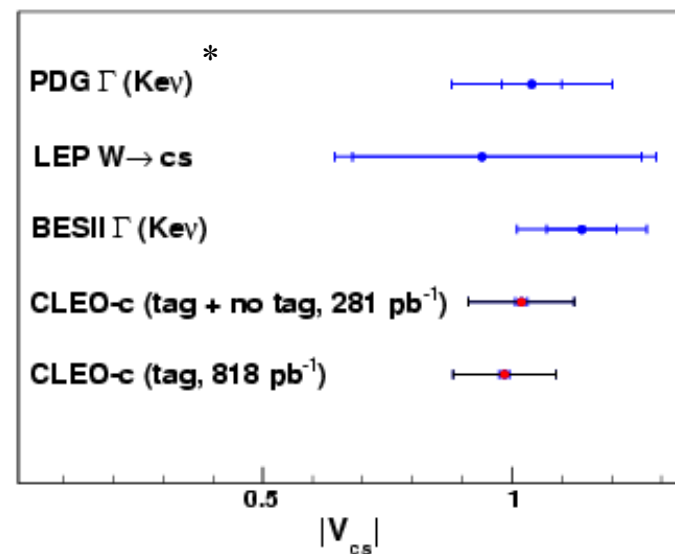
CLEO-c: the most precise *direct* determination of V_{cs}

$$\sigma(|V_{cs}|)/|V_{cs}| \sim 1.1\%(\text{expt}) \oplus 10\%(\text{theory})$$

CLEO - c	$ V_{cs} $		
(818 pb ⁻¹)	0.985	± 0.009	± 0.006 ± 0.103
	stat	syst	theory

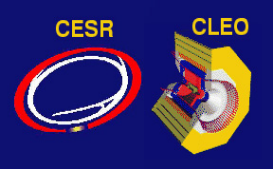
CLEO-c: $\sigma(|V_{cd}|)/|V_{cd}| \sim 3.1\%(\text{expt}) \oplus 10\%(\text{theory})$
 νN remains most precise determination (*for now*)

CLEO - c	$ V_{cd} $		
(818 pb ⁻¹)	0.234	± 0.007	± 0.002 ± 0.025
	stat	syst	theory



* PDG2002

Fits use Becher-Hill z-expansion



$|V_{cs}|$ & $|V_{cd}|$ Results

arXiv:0906.2983
(accepted PRD Jul 22 2009)

THEORY UNCERTAINTY REMOVED

CLEO-c: the most precise *direct* determination of V_{cs}

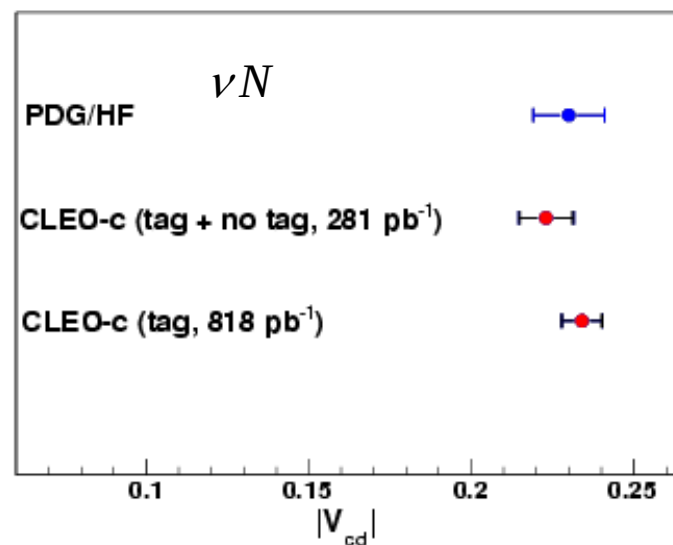
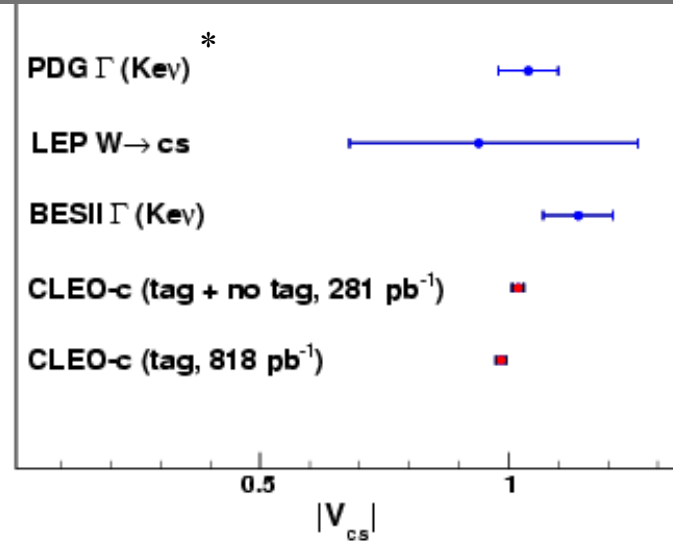
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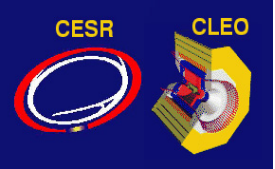
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 νN remains most precise determination (*for now*)

CLEO - c	$ V_{cd} $		
(818 pb ⁻¹)	0.234	± 0.007	± 0.002 ± 0.025
	stat	syst	theory

LQCD form factors with improved precision are eagerly awaited



* PDG2002



Unitarity Test: Compatibility of charm & beauty sectors of CKM matrix?

arXiv:0906.2983
(accepted PRD Jul 22 2009)

$|V_{cd}|$ & $|V_{cs}|$ indirect

1) K & nucleon

$$|V_{ud}| \approx |V_{cs}| \text{ \& } |V_{cd}| \approx |V_{us}|$$

2) B physics

Indirect = global CKM fit = 1+2

$|V_{cd}|$ & $|V_{cs}|$ direct

(D semileptonic decays CLEO)

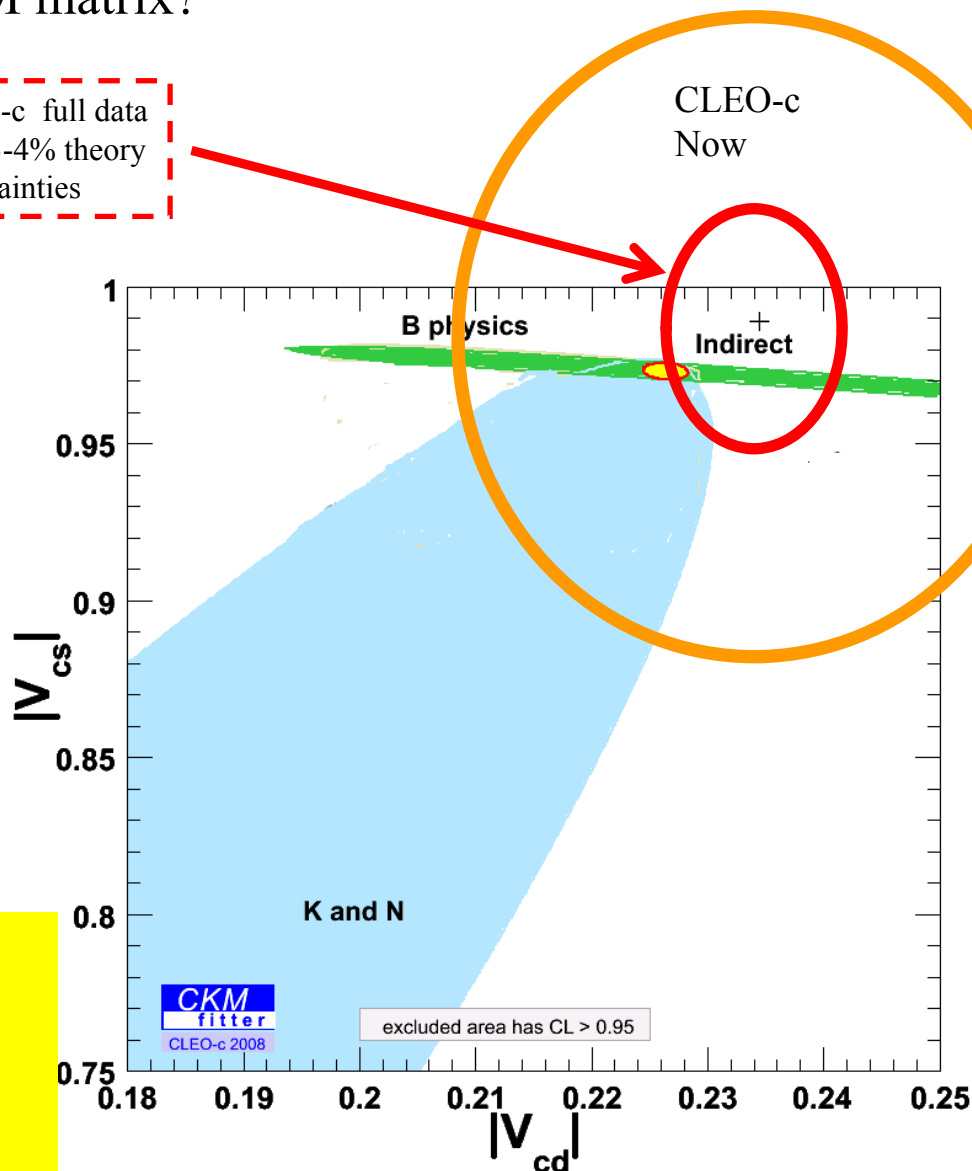
CLEO-c full data set

$$\sigma(|V_{cd}|) / |V_{cd}| \sim 3.1\% \oplus \text{theory}$$

$$\sigma(|V_{cs}|) / |V_{cs}| \sim 1.1\% \oplus \text{theory}$$

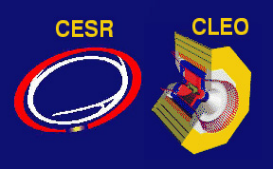
D semileptonic decays with comparable theory and experimental uncertainty may lead to interesting competition between direct and indirect constraints
We eagerly await new precise lattice calculations

CLEO-c full data set + 3-4% theory uncertainties



Plots by Sebastien Descotes-Genon & Ian Shipsey

See also talk by Descotes-Genon at joint BABAR-Belle-BESIII-CLEO-c Workshop 11/07, Beijing



Observe 6 Exclusive D_s Semileptonic Decays

- Similar to $D_s \rightarrow \mu \nu$ analysis: tag; reconstruct visible parts of signal; plot MM^2
- First absolute branching fraction measurements for D_s SL decays
- Total width of these exclusive modes is 16% lower than the D^0/D^+ semileptonic widths.
- Shed light on η - η' -glueball mixing
- Observation of a semileptonic decay including a scalar meson in the final state.

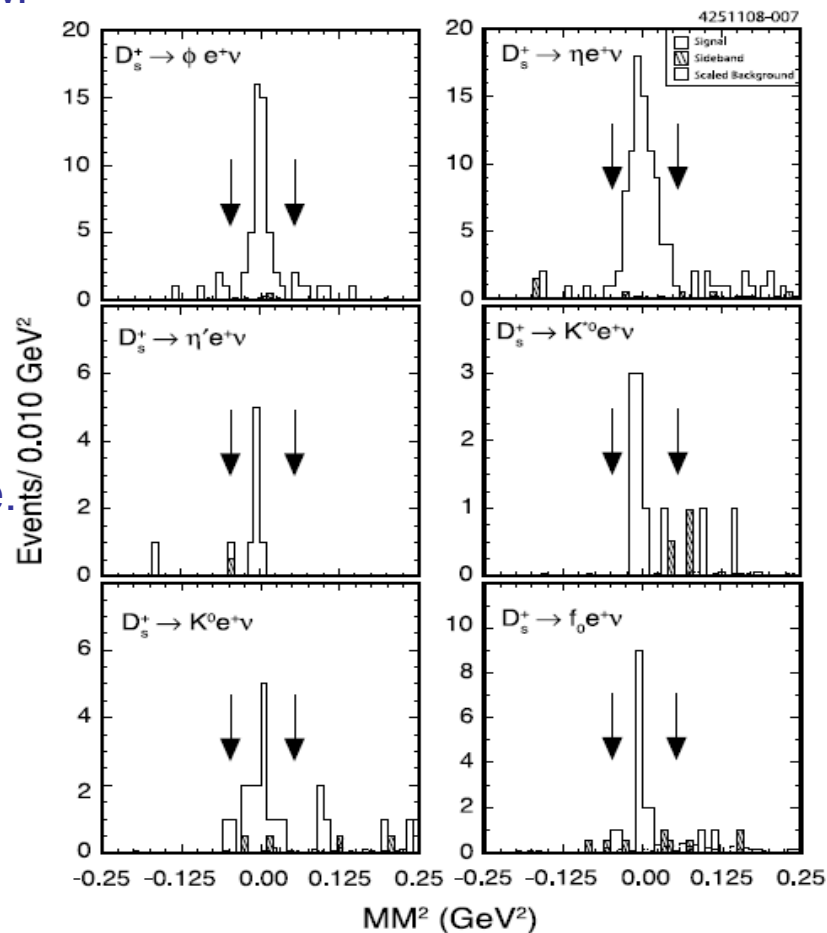
arXiv:0903:0601

Signal Mode	$\mathcal{B}(\%)$
$D_s^+ \rightarrow \phi e^+ \nu_e$	$2.29 \pm 0.37 \pm 0.11$
$D_s^+ \rightarrow \eta e^+ \nu_e$	$2.48 \pm 0.29 \pm 0.13$
$D_s^+ \rightarrow \eta' e^+ \nu_e$	$0.91 \pm 0.33 \pm 0.05$
$D_s^+ \rightarrow K^0 e^+ \nu_e$	$0.37 \pm 0.10 \pm 0.02$
$D_s^+ \rightarrow K^{*0} e^+ \nu_e$	$0.18 \pm 0.07 \pm 0.01$
$D_s^+ \rightarrow f_0 e^+ \nu_e$	$0.13 \pm 0.04 \pm 0.01$

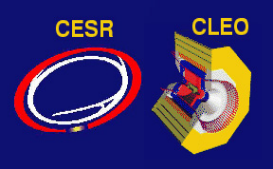
$$B(D_s^+ \rightarrow f_0(980)e^+\nu) \times B(f_0 \rightarrow \pi^+\pi^-)$$



$$D_s^+ \rightarrow f_0 e^+ \nu_e$$

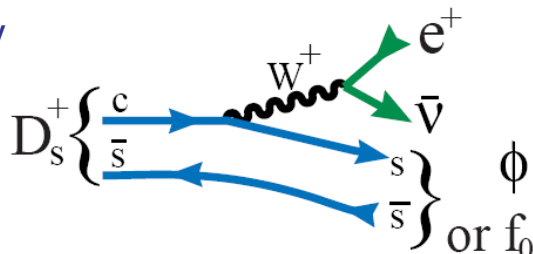


310 pb⁻¹ @4170 (Half of full dataset)



$D_s^+ \rightarrow f_0(980)e^+\nu$

- D_s semileptonic decays provide a very clean environment to study the properties of the $f_0(980)$ meson



600 pb⁻¹ @4170
(CLEO-c full dataset)

- It is suggested that $B_s \rightarrow J/\Psi f_0$ can be an alternative to $B_s \rightarrow J/\Psi \Phi$ to measure CP Violation in the B_s system

Stone & Zhang [PRD79, 074024]

- Many interesting results:

$$B(D_s^+ \rightarrow f_0(980)e^+\nu, f_0 \rightarrow \pi^+\pi^-) = (0.20 \pm 0.03 \pm 0.01)\%$$

$$B(D_s^+ \rightarrow \phi e^+\nu) = (2.36 \pm 0.23 \pm 0.13)\%$$

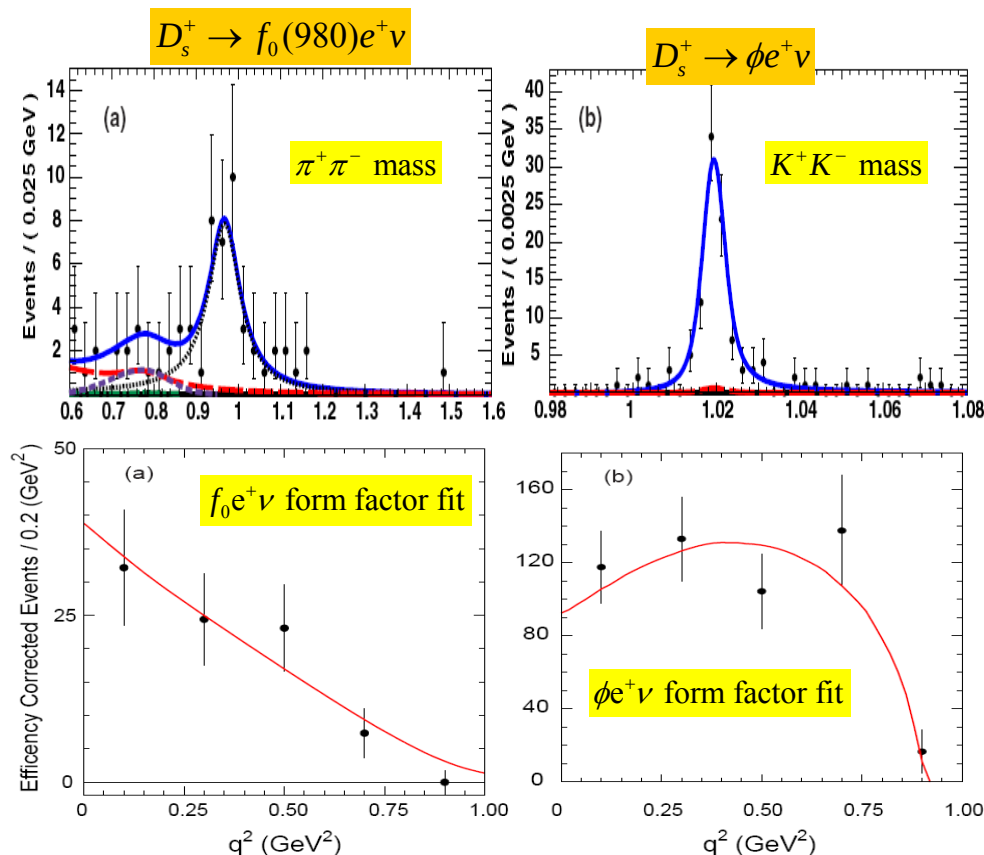
$$\frac{\Gamma(D_s^+ \rightarrow f_0(980)e^+\nu, f_0 \rightarrow \pi^+\pi^-)}{\Gamma(D_s^+ \rightarrow \phi e^+\nu, \phi \rightarrow K^+K^-)} \bigg|_{q^2=0} = (42 \pm 11)\%$$

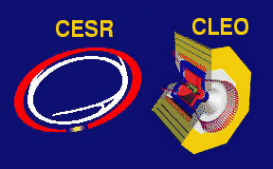
$$\left[\text{Predicted to equal } \frac{\Gamma(B_s \rightarrow J/\Psi f_0(980), f_0 \rightarrow \pi^+\pi^-)}{\Gamma(B_s \rightarrow J/\Psi \phi, \phi \rightarrow K^+K^-)} \right]$$

(Stone & Zhang)

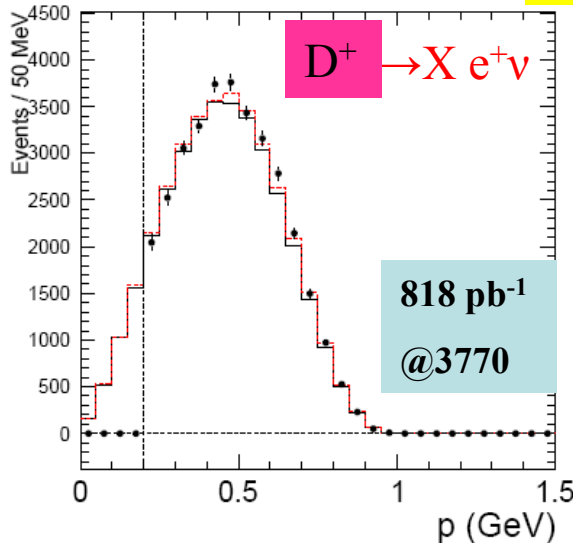
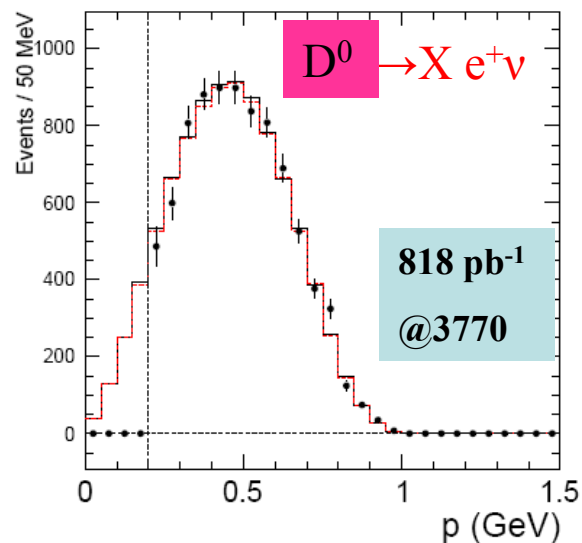
$$M_{f_0(980)} = (977_{-9}^{+11} \pm 1) \text{ MeV}, \Gamma_{f_0(980)} = (91_{-22}^{+30} \pm 3) \text{ MeV}$$

$$\text{Simple pole model } M_{\text{pole}} = (1.7_{-0.7}^{+4.5} \pm 0.2) \text{ GeV}$$

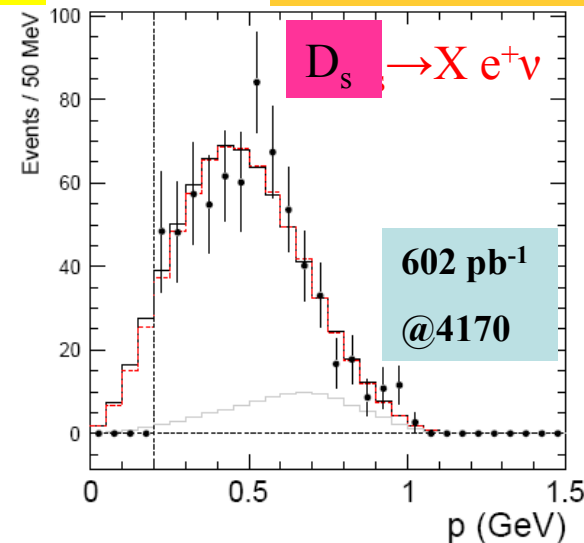




Inclusive Semileptonic Decays of $D^0, D^+,$ and D_s



NEW



PRELIMINARY

	$D^0 \rightarrow X e^+ \nu$	$D^+ \rightarrow X e^+ \nu$	$D_s \rightarrow X e^+ \nu$
Inclusive $\mathcal{B}$ (%)	$6.55 \pm 0.10 \pm 0.09$	$16.36 \pm 0.11 \pm 0.29$	$6.49 \pm 0.40 \pm 0.18$
Sum of exclusive $\mathcal{B}$ (%)	$6.1 \pm 0.2 \pm 0.2$	$15.1 \pm 0.5 \pm 0.5$	6.47 ± 0.60

□ Use knowledge of D semileptonic decay to extrapolate below the momentum cutoff (200 MeV/c)

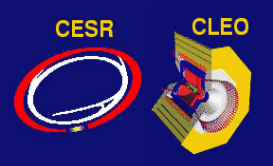
Any additional exclusive modes will have small branching ratios

$$\Gamma_{D^+}^{SL} / \Gamma_{D^0}^{SL} = 0.99 \pm 0.02 \pm 0.02$$

Isospin symmetry

$$\Gamma_{D_s^+}^{SL} / \Gamma_{D^+}^{SL} = 0.81 \pm 0.05 \pm 0.03$$

SU(3) is broken



Summary of CLEO-c CKM physics motivated measurements

CLEO-c hadronic D^0 , D^+ and D_s branching fractions more precise than PDG averages: (for D^0 , D^+ 2% precision is syst.limited) CLEO establishes charm hadronic scale

Most precise: $f_{D^+} = (205.8 \pm 8.5 \pm 2.5) \text{ MeV}$ consistent with LQCD $\rightarrow 1\%$ (2 MeV) full data

Most precise: $f_{D_s} = (259.5 \pm 6.6 \pm 3.1) \text{ MeV} \sim 2.3\sigma$ higher than LQCD.

To interpret as "prosaic" or "exciting": requires more data (BES III)

Most precise measurement of form factors magnitudes in $D \rightarrow K/\pi e \nu$

Most precise $|V_{cs}| = 0.985 \pm 0.009 \pm 0.006 \pm 0.103_{\text{theory}}$

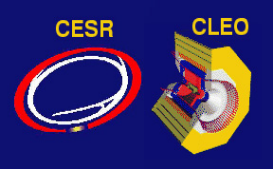
$|V_{cd}| = 0.234 \pm 0.007 \pm 0.002 \pm 0.025_{\text{theory}}$

Most precise determination from semileptonic decay

6 exclusive D_s semileptonic decays & measurement of form factor in $D_s \rightarrow f_0(980)e^+\nu$. $SU(3)$ is broken in $D \rightarrow Xe \nu$ decays

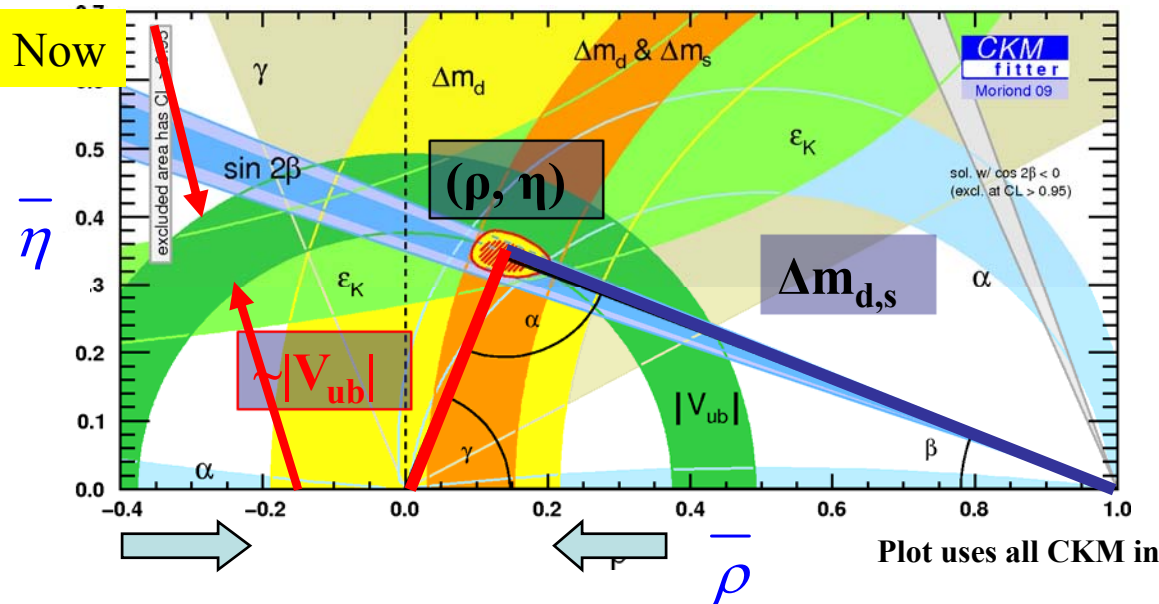
~ 90 CLEO-c papers now published or submitted, & many more analyses to come.

Longer term the charm factory mantle passes to BES III



Precision theory + charm = large impact

Now

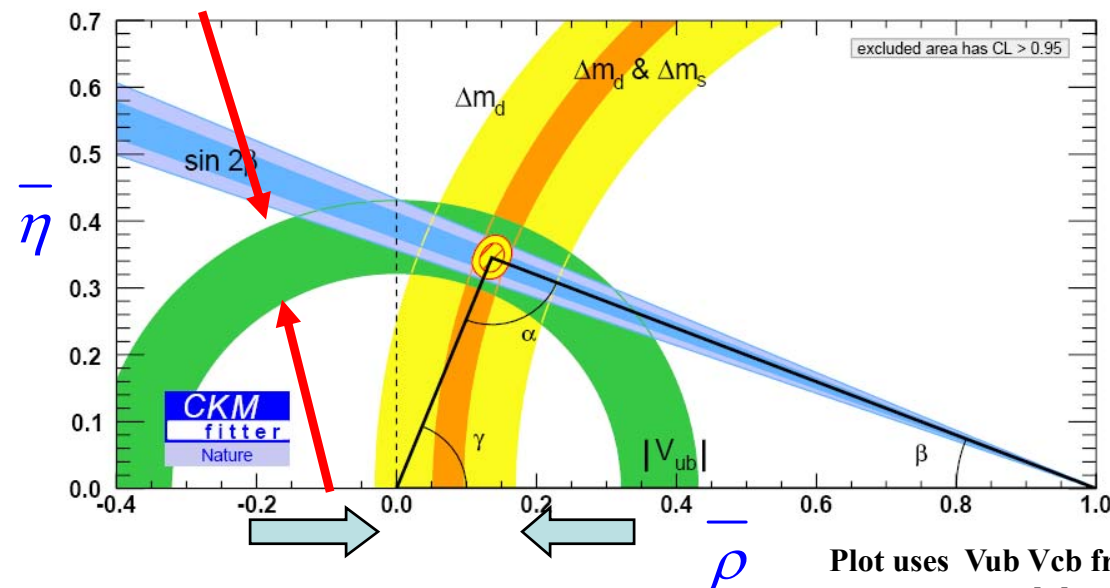


* CLEO-c: a major contribution to the goal the lower plot represents

* LQCD has been validated at the 4% level (f_{D^+})

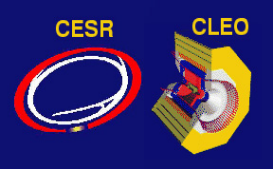
* A triumph for theory & experiment!

More precise LQCD form factor calculations needed
more data → BESIII

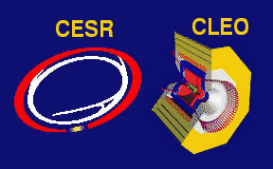


Plot uses $V_{ub} V_{cb}$ from exclusive decays
no gamma or alpha constraints

Few % precision QCD
Calculations tested
with few % precision
charm data
→ theory errors of a
few % on B system decay
constants & semileptonic
form factors



Additional Material



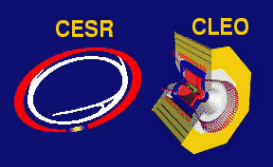
Semileptonic Decay Form Factors

- ❑ Form factors relate to the probability of forming final state at given q^2 .
- ❑ Theoretical predictions for form factors are needed to turn the measured rates into $|V_{cx}|$ determinations.
- ❑ Theory often calculates this probability at fixed q^2 and uses parameterizations to extrapolate to full q^2 range.
- ❑ Theoretical approaches include phenomenological models, QCD sum rules, and LQCD.
- ❑ LQCD is systematically improvable and aims for several percent precision (we focus on this)
- ❑ Assuming zero lepton mass:

h – pseudoscalar:

$$H^\mu = f_+(q^2)(P_D + P_h)^\mu$$

$$\frac{d\Gamma}{dq^2} = \frac{G_F^2}{24\pi^3} P_K^3 |f_+(q^2)|^2 |V_{cs}|^2$$



Form Factor Parameterizations

In general:

$$f_+(q^2) = \frac{f_+(0)}{1-\lambda} \frac{1}{\left(1-q^2/m_{pole}^2\right)} + \frac{1}{\pi} \int_{(m_D+m_P)^2}^{\infty} \frac{\text{Im}(f_+(t))}{t-q^2-i\epsilon} dt$$

Models

Single pole

$$f_+(q^2) = \frac{f_+(0)}{\left(1-q^2/m_{pole}^2\right)}$$

Measure $f_+(0)$ & m_{pole}

Modified Pole

$$f_+(q^2) = \frac{f_+(0)}{\left(1-q^2/m_{pole}^2\right)\left(1-\alpha q^2/m_{pole}^2\right)}$$

Measure $f_+(0)$ & α

$$m_{pole} = m(D_{(s)}^*)$$

(Allows for additional poles)

Series Expansion

form factors can be written as: $f_+(q^2) = \frac{1}{P(q^2)\phi(q^2)} \sum_{k=0}^{\infty} a_k(t_0)[z(q^2, t_0)]^k$

accounts for D_s^* pole

ensure a_k 's good behaviour

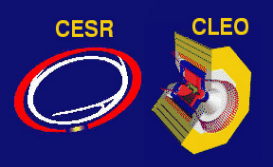
$$z(q^2, t_0) = \frac{\sqrt{t_+ - q^2} - \sqrt{t_+ - t_0}}{\sqrt{t_+ - q^2} + \sqrt{t_+ - t_0}}$$

$$t_{\pm} \equiv \left(M_D \pm m_{K,\pi}\right)^2, \quad t_0: \text{arbitrary } q^2 \text{ value that maps to } z=0$$

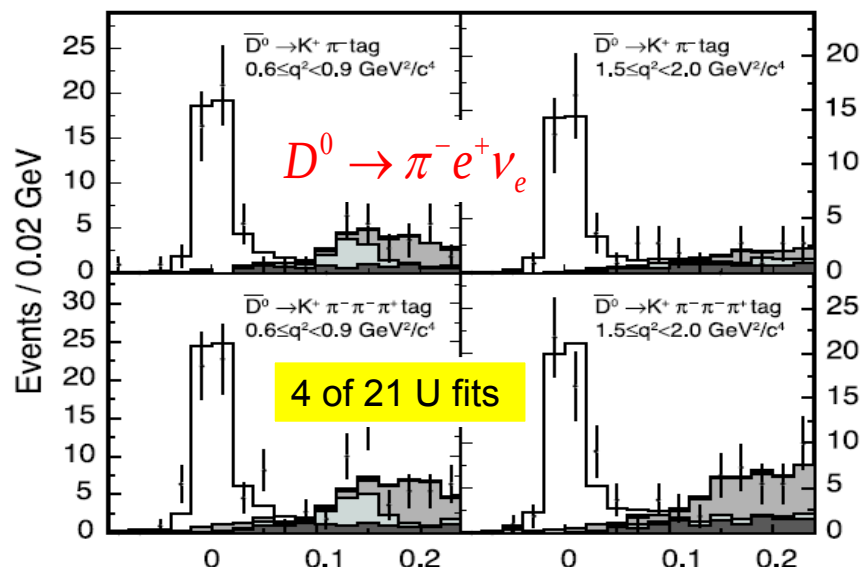
z is small and converges quickly, linear or quadratic is sufficient to describe the data

Becher & Hill, *Phys. Lett. B* 633, 61 (2006)

Measure a_0 , $r_1 = a_1/a_0$, and $r_2 = a_2/a_0$



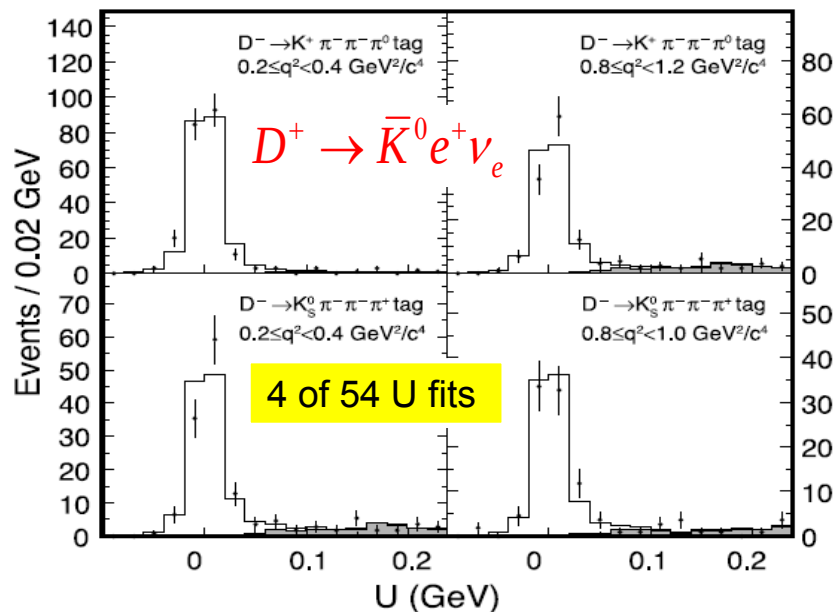
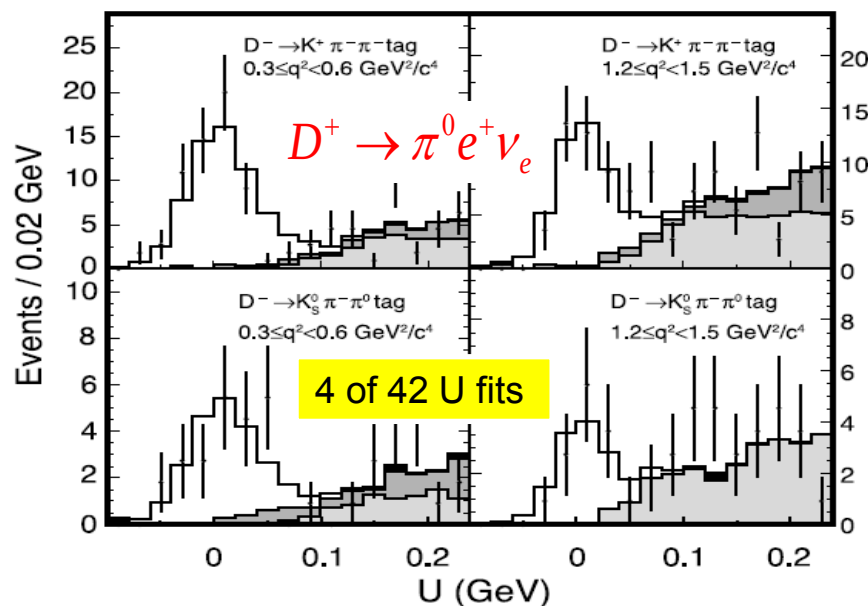
Measuring the form factor in $D \rightarrow K/\pi e \nu$

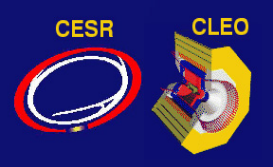


$$D^0 \rightarrow \pi^- e^+ \nu_e$$

S/N	~40/1
Signal events	~1400
U resolution	~10 MeV
q^2 resolution	~0.008 GeV^2/c^4

arXiv:0906.2983
(accepted PRD Jul 22 2009)



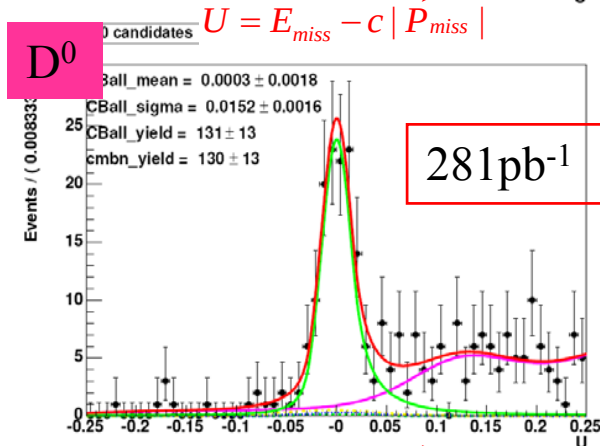
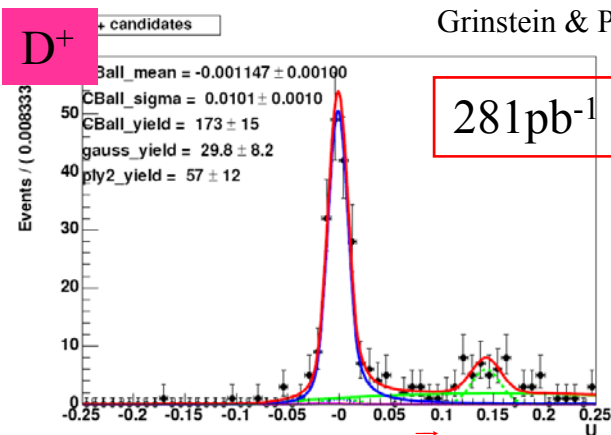


$D \rightarrow \rho e \nu$ (tagged, 281/pb)

Interest: 1st measurement of FF in Cabibbo suppressed charm $P \rightarrow V$ decays +

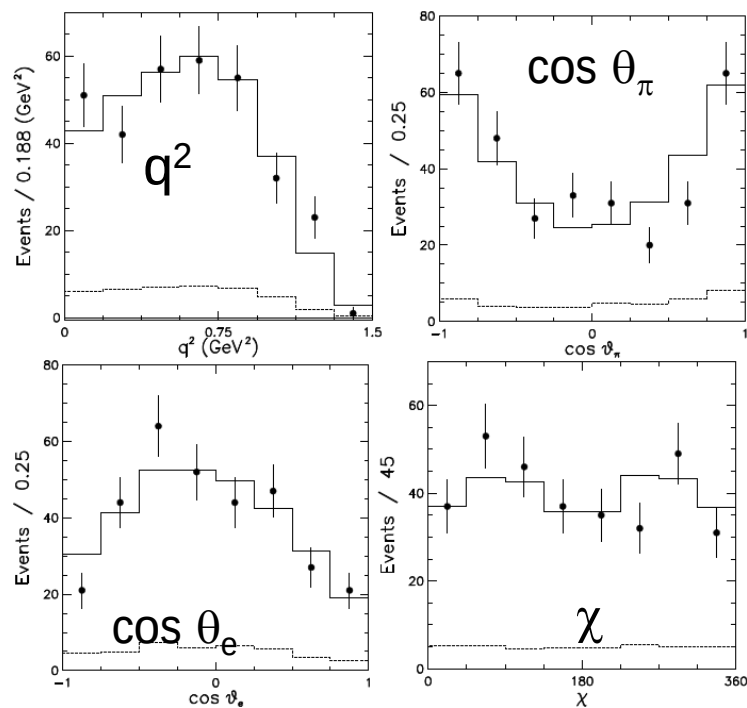
$$\frac{d\Gamma(B \rightarrow \rho e \nu) / dq^2}{d\Gamma(B \rightarrow K^* \ell^+ \ell^-) / dq^2} \propto \frac{|V_{ub}|^2}{|V_{cb}|^2} \quad \text{Need } D \rightarrow K^* e \nu, \\ D \rightarrow \rho e \nu \text{ FF}$$

Grinstein & Pirjol [hep-ph/0404250]



$$U = E_{\text{miss}} - c |\vec{P}_{\text{miss}}|$$

Fixed background shape and signal tails from MC



Line is projection for fitted R_V, R_2

$$B(D^0 \rightarrow \rho^- e^+ \nu) = (1.56 \pm 0.16 \pm 0.09) \times 10^{-3}$$

$$B(D^+ \rightarrow \rho^0 e^+ \nu) = (2.32 \pm 0.20 \pm 0.12) \times 10^{-3}$$

Isospin average:

$$\Gamma(D^0 \rightarrow \rho^- e^+ \nu) = (0.41 \pm 0.03 \pm 0.02) \times 10^{-2} \text{ ps}^{-1}$$

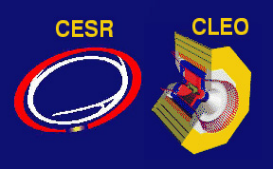
Simultaneous fit to $D^+ \rightarrow \rho^0 e \nu$, $D^0 \rightarrow \rho^- e \nu$

$$R_V = 1.40 \pm 0.25 \pm 0.03$$

$$R_2 = 0.57 \pm 0.18 \pm 0.06$$

PRELIMINARY

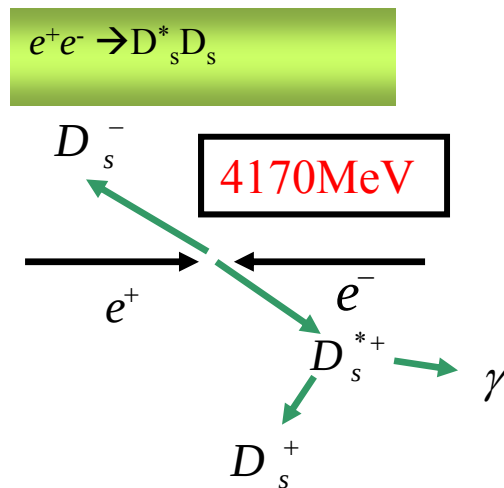
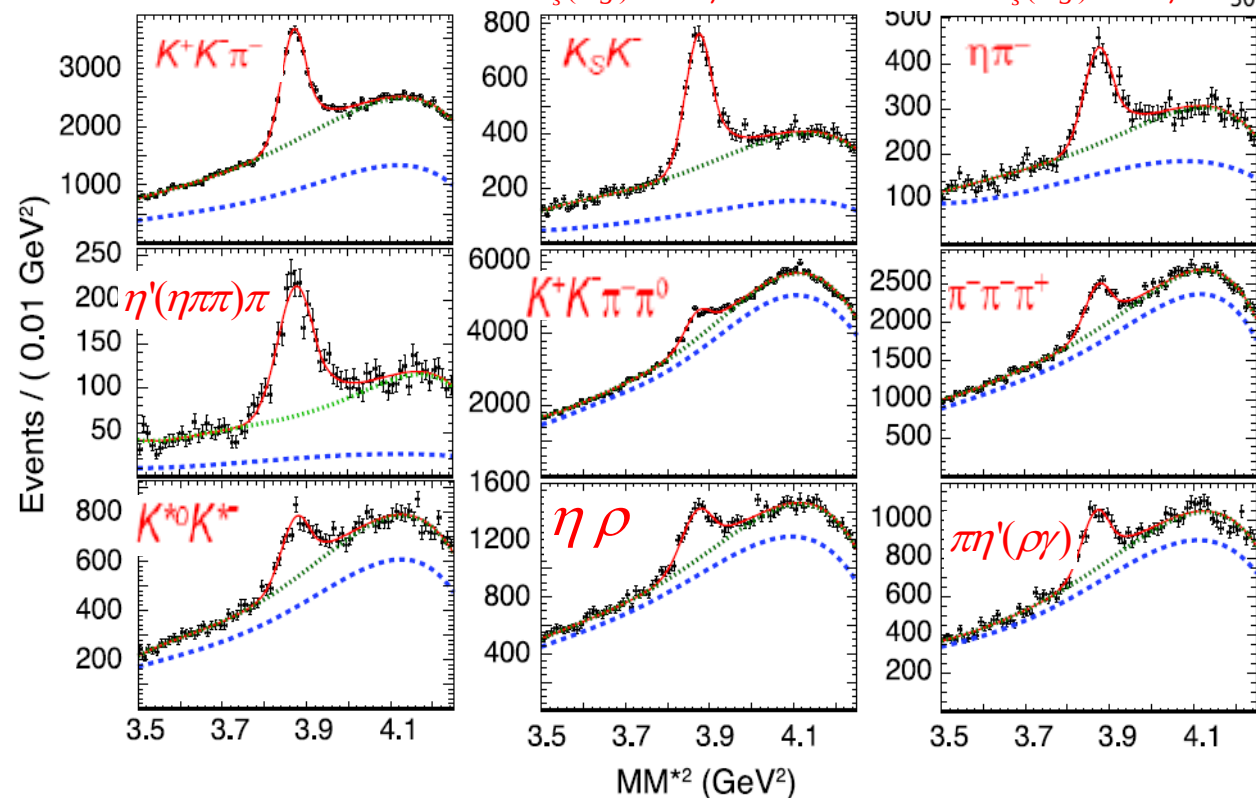
Update to full data set soon



D_s^+ Exclusive Semileptonic Decays

- Candidate events are selected by reconstructing a D_s in several hadronic modes
- The tag is then combined with a well reconstructed γ ,
The missing mass squared against the γ -tag pair

$$MM^{*2} = (E_{CM} - E_{D_s(\text{tag})} - E_\gamma)^2 - (\vec{p}_{CM} - \vec{p}_{D_s(\text{tag})} - \vec{p}_\gamma)^2$$



9 D_s tag modes:
 $N(\text{tag})=70514 \pm 963$
 $N(\text{tag}+\gamma)=43859 \pm 936$
 reconstructed from
 $\sim 5.5 \times 10^5 D_s^* D_s$ events

arXiv: 0907.3201

(submitted to PRD Jul 18 2009)

600 pb^{-1} @4170

(CLEO-c full dataset)