## Alexander Mikhailichenko, Jan 52018

## UNDULATORS FOR OSC (1)

Variant 1: WIDE CHAMBER


Variant 2: SEPARATE CHAMBER

## ZOOMED...



TWO ORIENTATIONS OF BYPASS- INSIDE OR OUTSIDE...
U1W

KICKER


Inside allocation might give some relief for design of crotch


Numbers in meters from center of Q49

## Two types of undulators are possible: the planar one and the helical one

In planar undulator the odd harmonics only have nonzero intensity in straightforward direction In helical undulator the first harmonic only has nonzero intensity in a straightforward direction;

$$
\begin{aligned}
\lambda_{\text {planar }}^{n} \cong & \frac{\lambda_{\text {Uplanar }}^{1}}{2 \gamma^{2} n} \cdot\left(1+K^{2} / 2\right) ;
\end{aligned} \quad \lambda_{\text {helical }}^{n} \cong \frac{\lambda_{\text {Uhelical }}^{1}}{2 \gamma^{2} \cdot n}\left(1+K^{2}\right), \quad n=1,2, \ldots .
$$

When the energy is higher, period of undulator should be bigger or amplifier should work at higher frequency;
Dependence on the $K$-factor is favorable for a helical undulator;

$$
K \leq 1, \gamma \approx 800(\text { for now })
$$

## $\mathrm{Cr}: Z n S e$


$\mathrm{Ti}: \mathrm{Al}_{2} \mathrm{O}_{3}$



So, two wavelengths are:

$$
\lambda_{\mathrm{T}: \mathrm{AlO}} \approx 750 \mathrm{~nm} \quad \text { and } \quad \lambda_{\mathrm{Cr}: Z \mathrm{ZnSe}} \approx 2500 \mathrm{~nm}
$$

With $K \approx 1, \gamma \approx 800(400 \mathrm{MeV})$ this yields:

$$
\begin{array}{ll}
\lambda_{\text {Uplanar }}^{T i: A l_{2} O_{3}} \cong 0.64 m ; & \lambda_{\text {Uplanar }}^{\text {Cr:ZSe }} \cong 2.13 \mathrm{~m} \\
\lambda_{\text {Uhelicalr }}^{T i: A l_{2} O_{3}} \cong 0.48 \mathrm{~m} & \lambda_{\text {Uhelical }}^{\text {Cr:ZSe }} \cong 1.6 \mathrm{~m}
\end{array}
$$

With $K \approx 1, \gamma \approx 600(300 \mathrm{MeV})$ this yields:

$$
\begin{aligned}
& \lambda_{\text {Uplanar }}^{T_{i: A l} l_{2} O_{3}} \cong 0.36 \mathrm{~m} ; \\
& \lambda_{\text {Uhelicalr }}^{T i: A l_{i} O_{3}} \cong 0.27 \mathrm{~m}
\end{aligned}
$$

$$
\begin{aligned}
& \lambda_{\text {Vplanar }}^{\text {Cr:ZnSe }} \cong 1.2 \mathrm{~m} ; \\
& \lambda_{\text {Uhelical }}^{C r: Z n S e} \cong 0.68 \mathrm{~m}
\end{aligned}
$$

## PLANAR UNDULATOR


$\lambda_{U} \cdot\left(1+\frac{K^{2}}{2}\right)$
--keep constant, while tapering at the edge with $K=1 / 4 ; 3 / 4 ; 1$

## CROSS SECTION SCALED VIEW




More detailed view...



Field elevation $\rightarrow$


First integral

## Field elevation across the pole apart from center

Current density is
$2.5 \mathrm{~A} / \mathrm{mm}^{2}$;
1kA total;
$\mathrm{K} \approx 1.15$


## Central region zoomed...



## HELICAL UNDULATOR



Could have an option to be tilted



Dipole mode
$\lambda_{\mathrm{U}}=35 \mathrm{~cm}$
$\mathrm{I}=3+0.75 \mathrm{kA}$ (total)

For current density $15 \mathrm{~A} / \mathrm{mm}^{2}$, the cross section comes to be

Area $\approx 250 \mathrm{~mm}^{2}$



## HELICAL UNDULATOR IN A QUADRUPOLE MODE



The same as in previous slide, but without painting the boundaries...

Period of helix $=35 \mathrm{~cm}$



## 20 kG in few places...



Planar dipole undulator is a no risk option (design and construction)

Helical dipole undulator is the same

Smallest operational energy of CESR is a decisive parameter...
Drawings could be made in one month after the final version is chosen

## THE END

## Titanium Sapphire $\mathrm{Ti}^{\mathbf{3 +}}: \mathrm{Al}_{2} \mathbf{O}_{3}$





