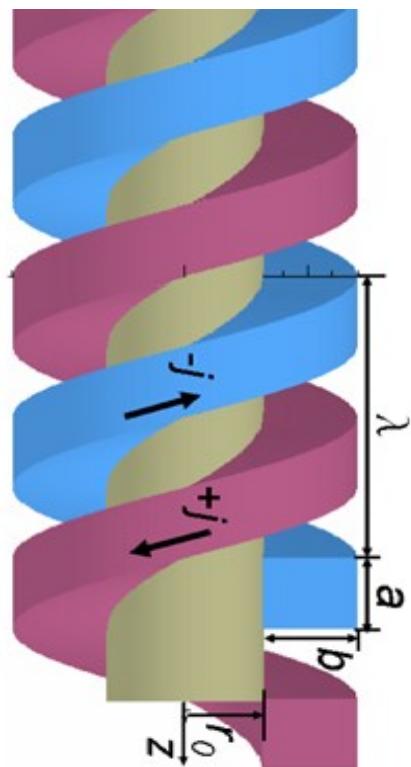


Helical Undulator Magnetic Field Optimization

Magnetic field vs conductor geometry



$b \times a = 25 \text{ cm}^2$, assuming the same number of conductors

Previously was chosen

$$a=5 \text{ cm},$$

$$b=5 \text{ cm}$$

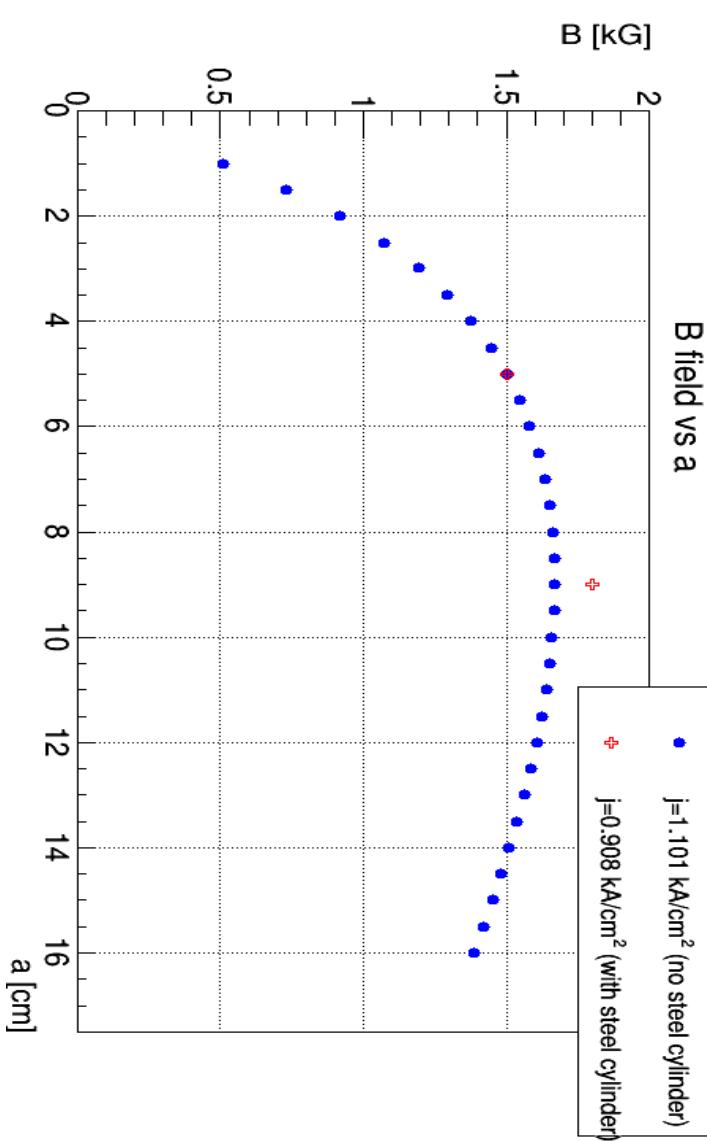
and used corresponding current density to get 1.5 kG on-axis field.

With

$$a=9 \text{ cm},$$

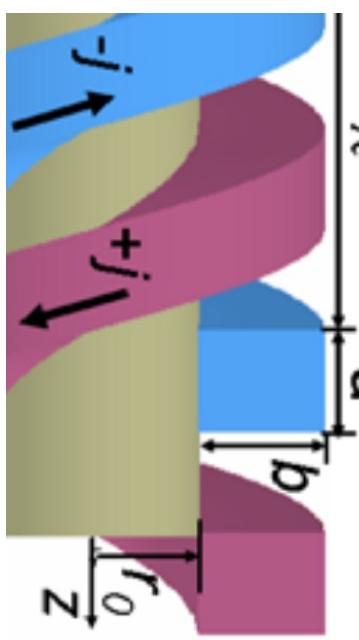
$$b=2.8 \text{ cm}$$

we get about 20% higher on-axis field

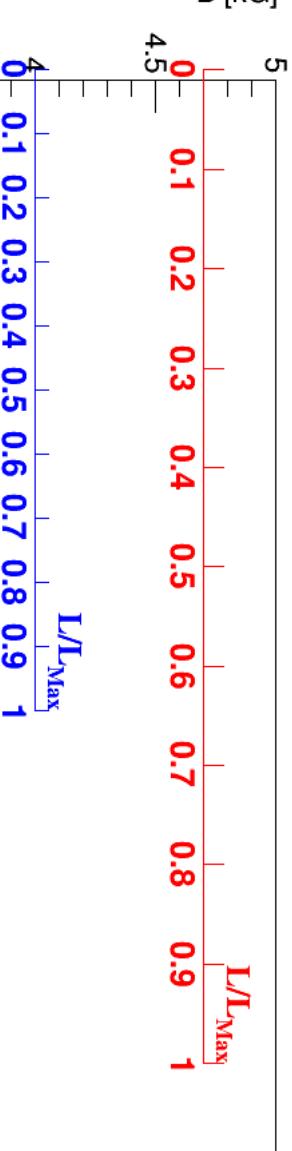


Magnetic field vs steel-spiral geometry

L_{steel}



On-axis B field vs steel width (L)



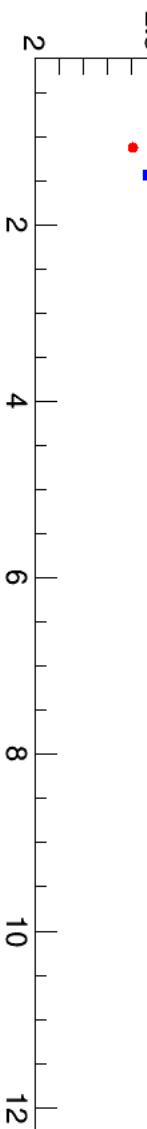
3

3.5

4

4.5

5



2

3

4

5

6

7

8

9

10

11

12



a=9 cm, b=2.8 cm

Magnetic field profile

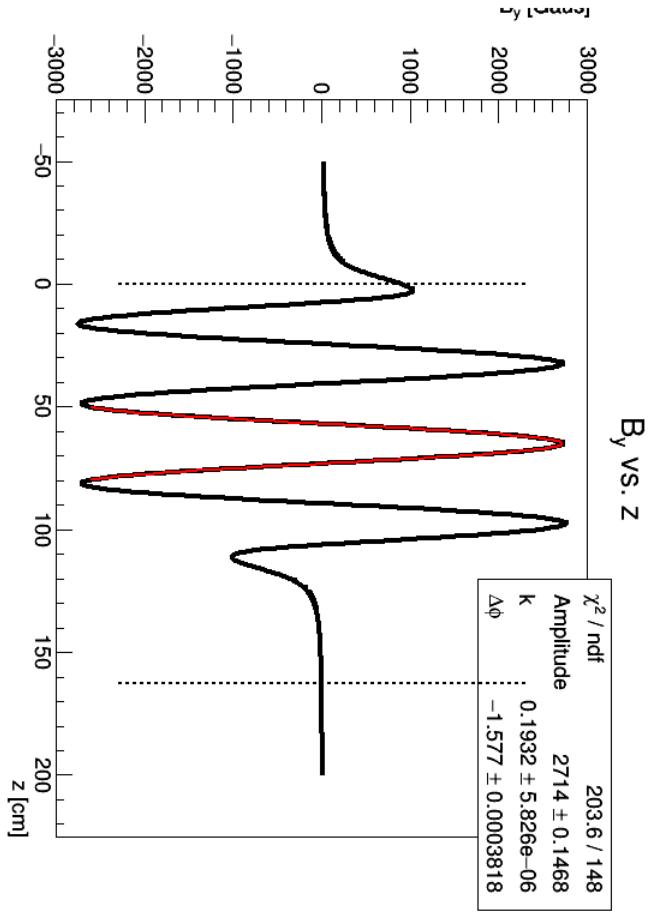
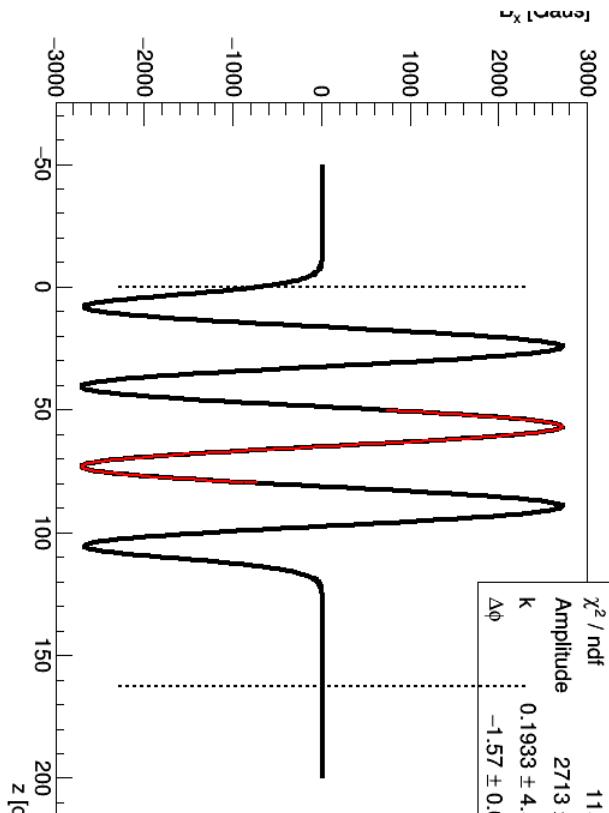
$$B_x(z) = \text{Amp} * \sin(kz + \Delta\phi)$$

B_x vs. z



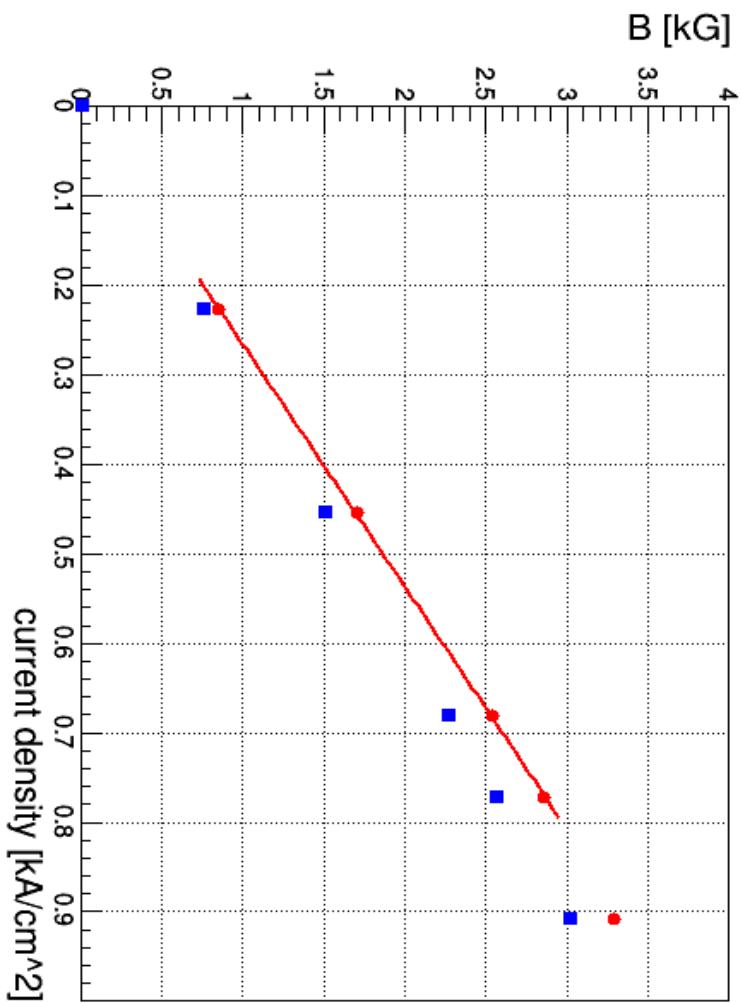
$$B_x(z) = \text{Amp} * \cos(kz + \Delta\phi)$$

B_y vs. z



Magnetic field vs current density

On-axis field vs current density



a=5 cm,
b=5 cm,

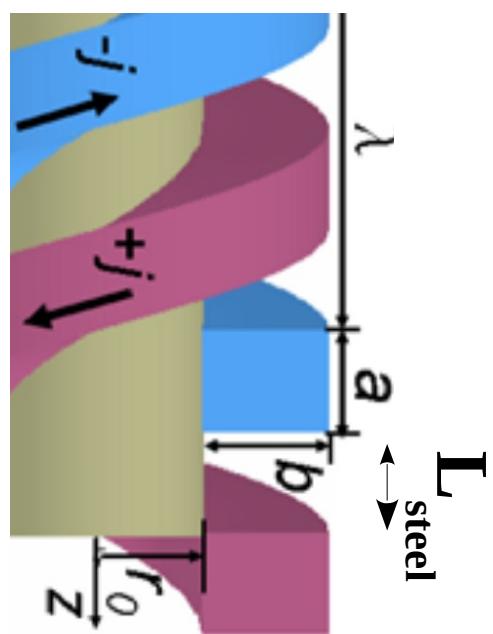
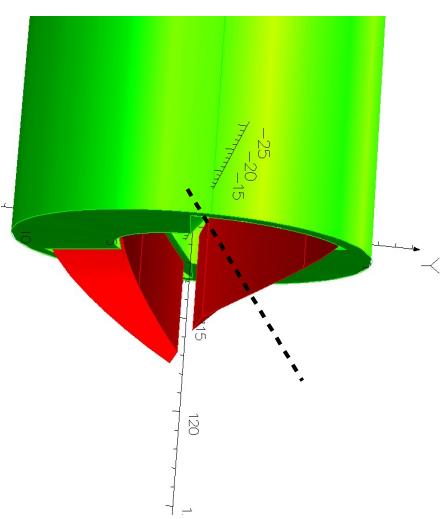
L_{steel} = 10 cm, steel (90% of available space)

$$J_{\text{real}} = 1.24 * J_{\text{OPERA}} \quad \text{for } B_0 = 1.5 \text{ kG } J = 0.508 \text{ kA/cm}^2$$

a=9 cm,
b=2.8 cm,

L_{steel} = 6.5 cm, steel (90% of available space)

$$J_{\text{real}} = 1.32 * J_{\text{OPERA}} \quad \text{for } B_0 = 1.5 \text{ kG } J = 0.59 \text{ kA/cm}^2$$



Summary

- Adding spiral-steel material we can reduce the current density about twice
- On-axis transverse magnetic field still has Sin-Cos profile