



Cornell University
Laboratory for Elementary-Particle Physics



ERL injector prototype project at Cornell University

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Cornell University

Laboratory for Elementary-Particle Physics



- Intro to ERL as an x-ray light source
- Overall injector layout
- Injector optimizations (without the merger)
- DC gun & photocathode & laser issues for beam brightness
- Matching to the main linac & merger
- Beam physics experimental program



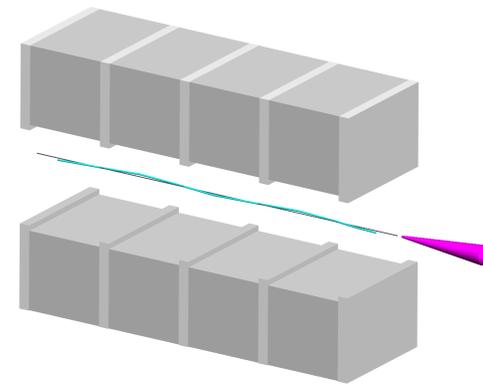
Future hard x-ray source





X-ray characteristics needed

- For a properly tuned undulator (non-SASE): x-ray phase space is a replica from electron bunch + convolution with the diffraction limit
- ideally, one wants the phase space to be diffraction limited (i.e. full transverse coherence), e.g. $\epsilon_{\perp, \text{rms}} = \lambda/4\pi$, or 0.1 \AA for 8 keV x-rays (Cu K_{α}), or $\epsilon_{\perp n, \text{rms}} = \mathbf{0.1 \mu\text{m}}$ normalized at 5 GeV



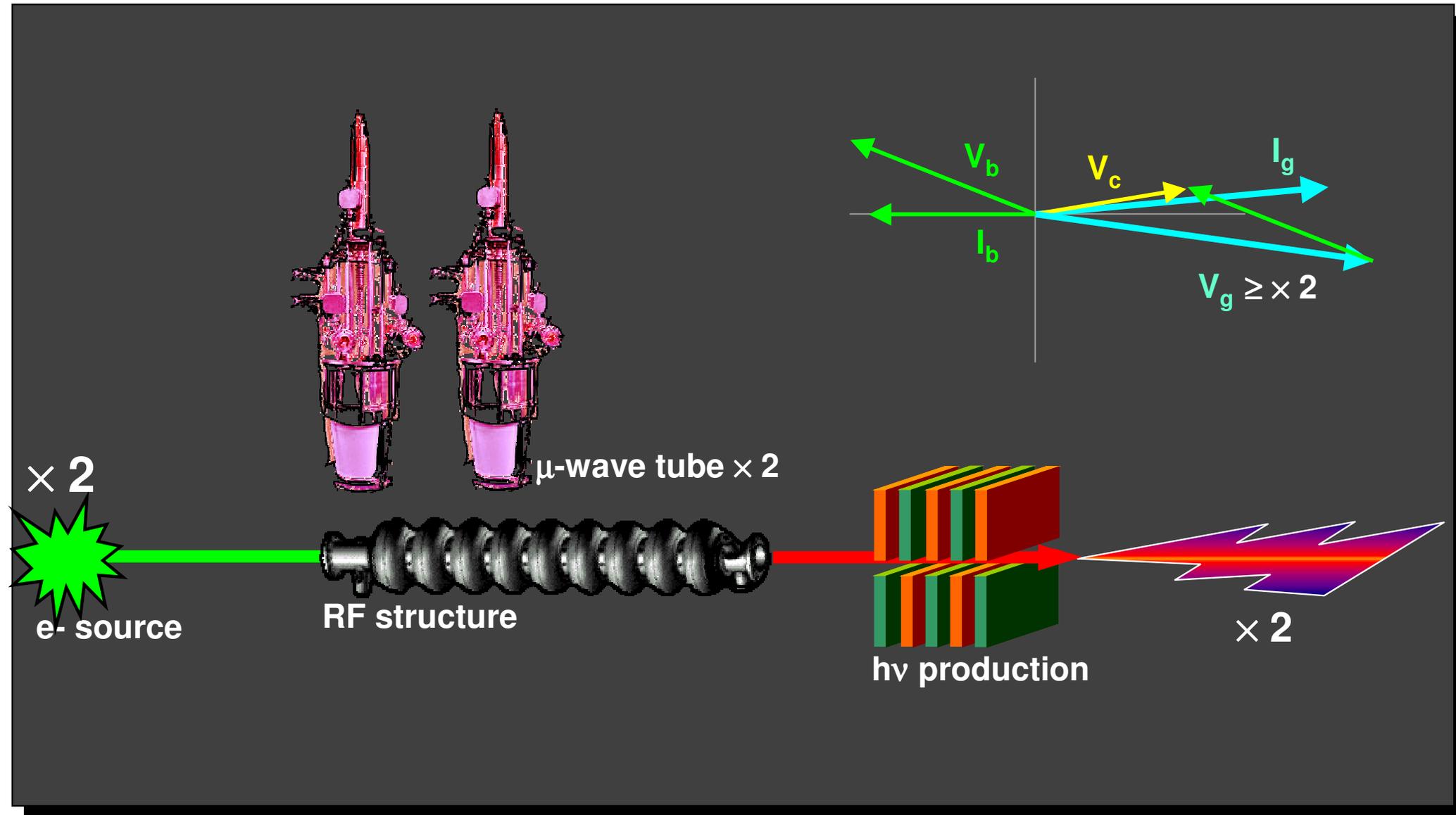
Flux ph/s/0.1%bw

Brightness ph/s/mrad²/0.1%bw

Brilliance **ph/s/mm²/mrad²/0.1%bw**

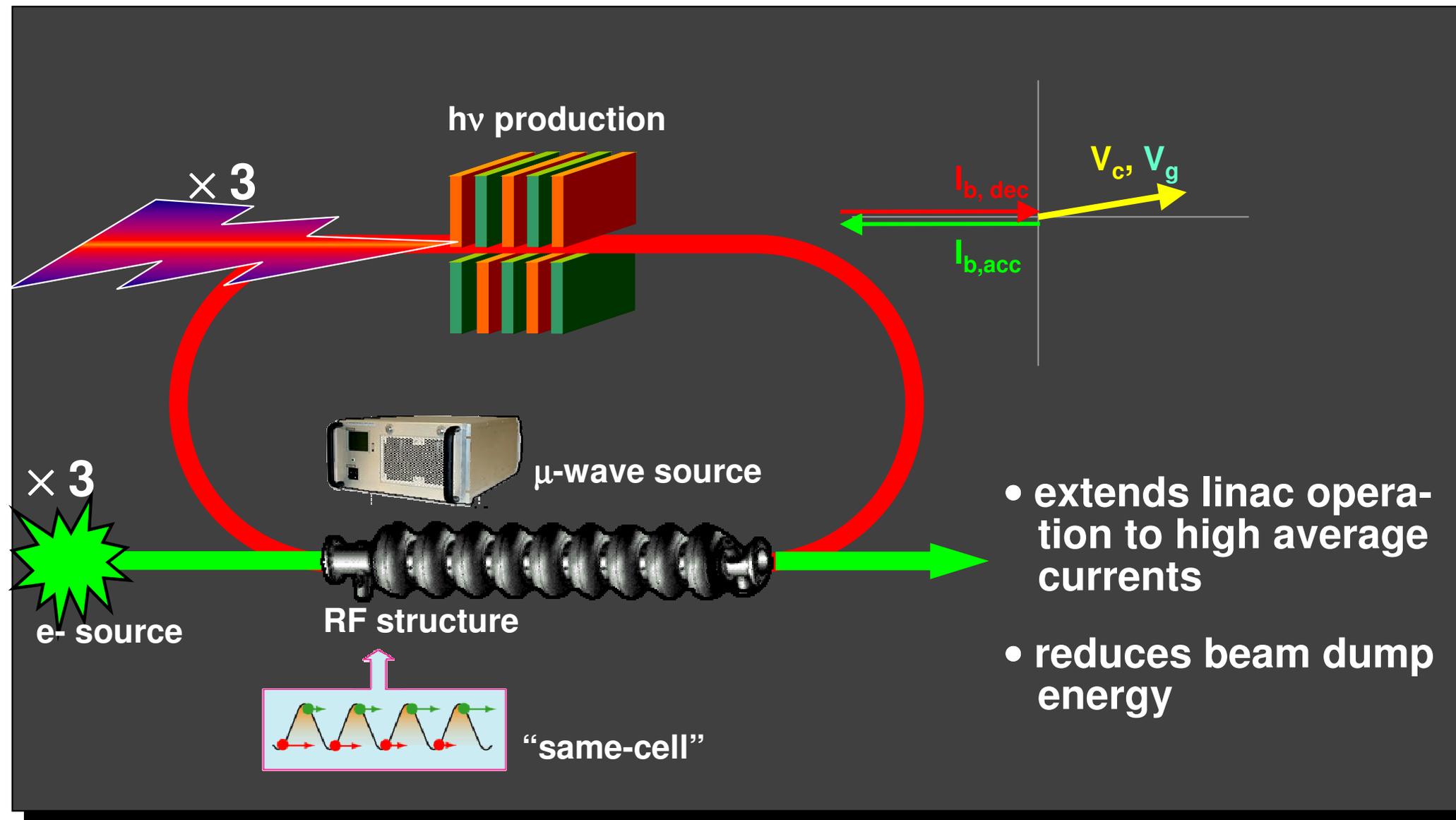


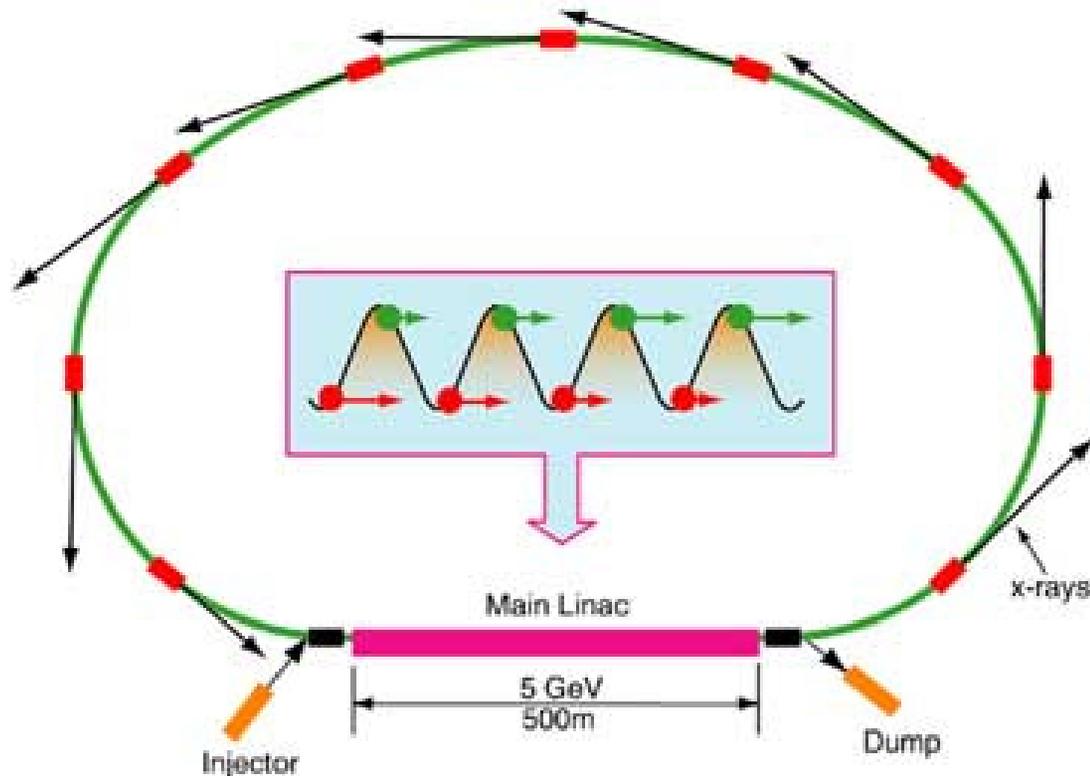
Linac based approach





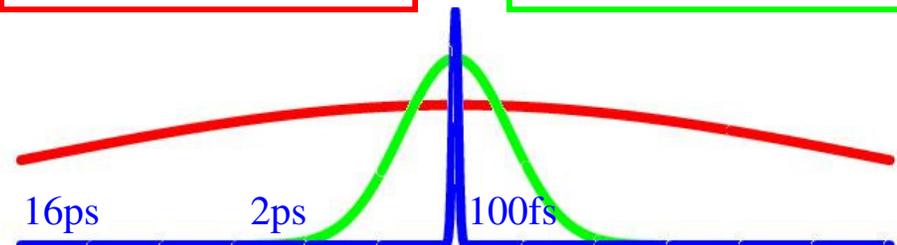
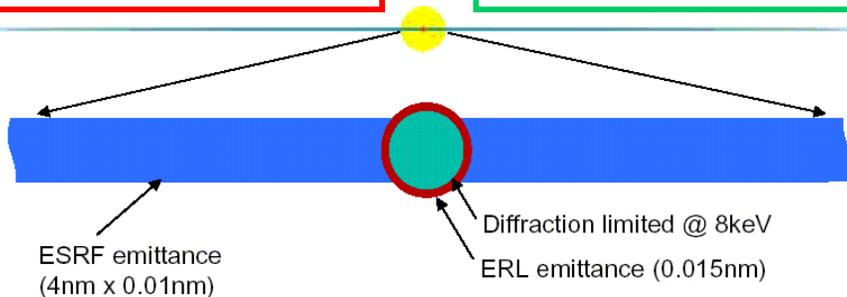
Energy recovery concept





ESRF 5GeV@100mA → ERL 5GeV@100mA

ESRF 5GeV@100mA → ERL 5GeV@100mA

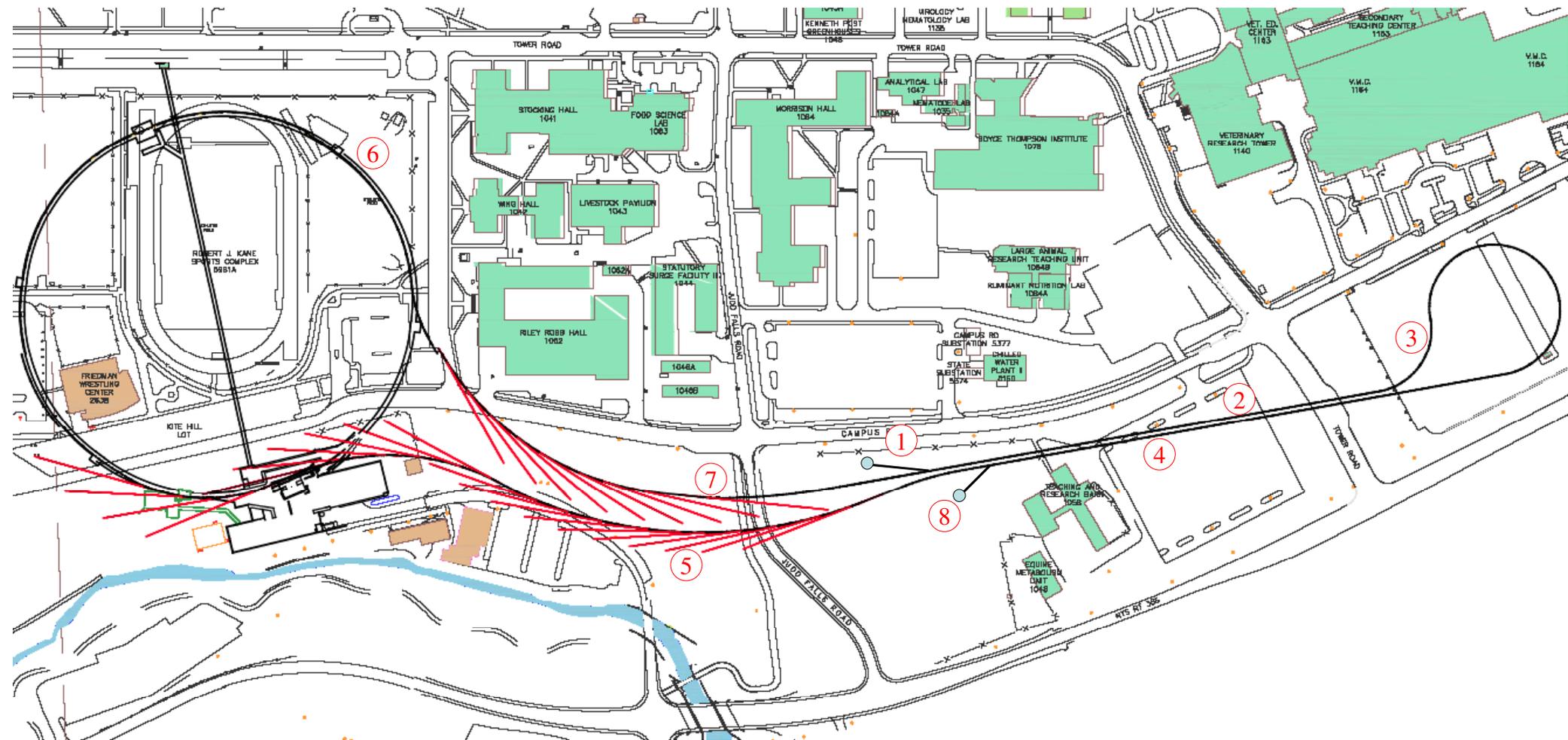


Much smaller ($\times 100$) horizontal emittance

Much shorter ($\times 100$) pulses



Cornell plans





- Brightness figure of merit (FOM) $\frac{I}{(\epsilon_x + \lambda/4\pi)(\epsilon_y + \lambda/4\pi)}$ for 1Å

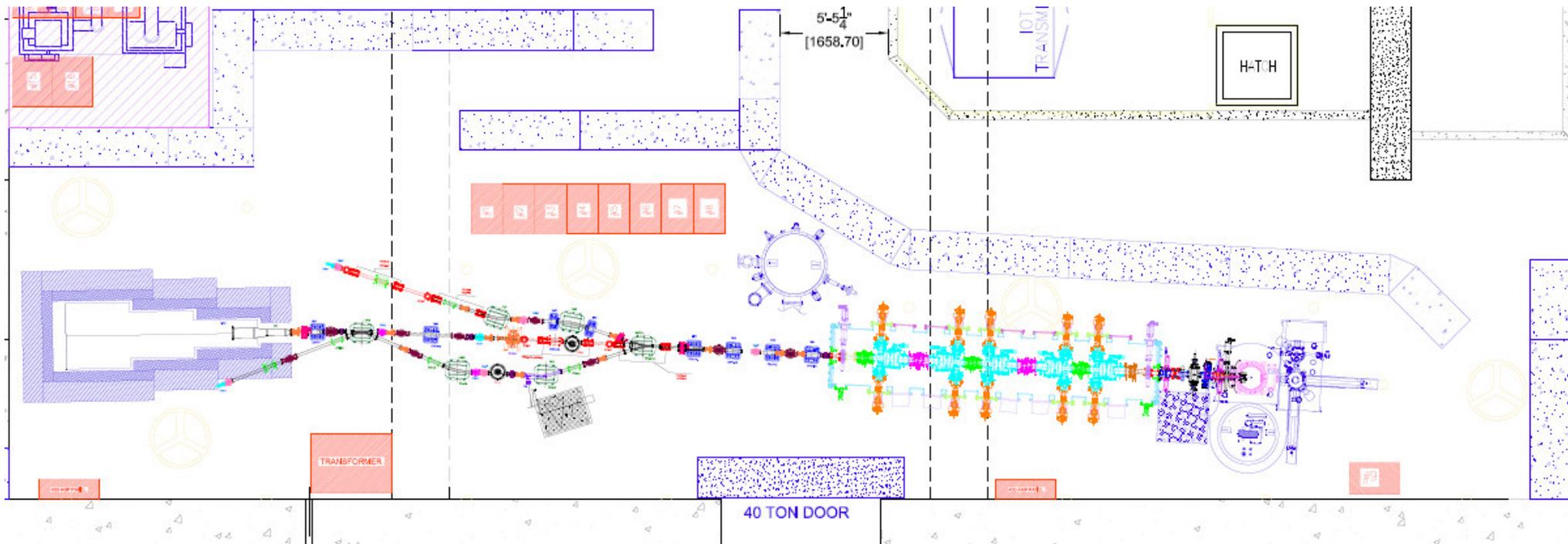
Light source	I (A)	ϵ_x (nm-rad)	ϵ_y (nm-rad)	FOM (A/nm ² /rad ²)
ESRF	0.2	3.7	0.010	3.0
Petra-III	0.1	1.0	0.010	5.5
NSLS-II*	0.5	1.54	0.008	20.24
UHXS(ESRF)	0.5	0.2	0.005	185.6

- 5 GeV ERL to achieve the same brightness per m of ID as Petra-III / **NSLS-II** / **UHXS(ESRF)** needs **1.3 / 0.6 / 0.15** μm rms normalized emittance for 77 pC bunch (100 mA average current at 1.3 GHz bunch rep rate) assuming no emittance degradation downstream

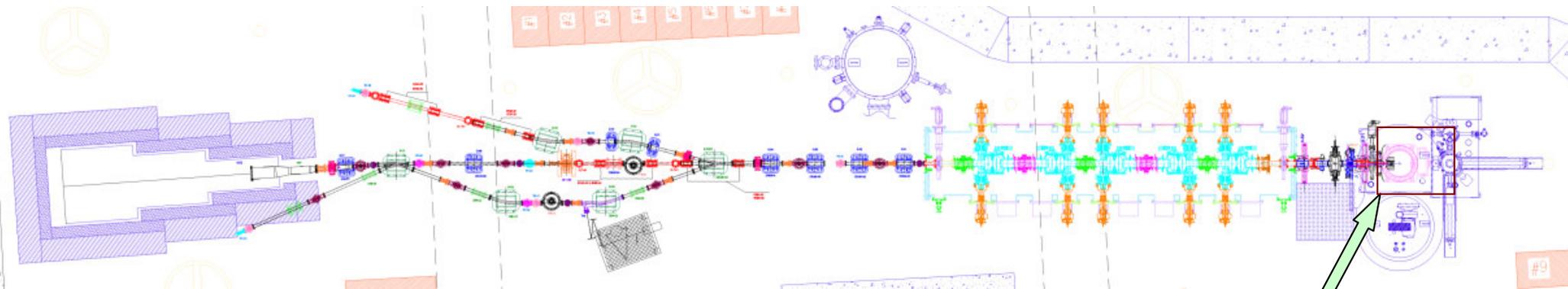
* without use of damping wigglers



ERL injector prototype

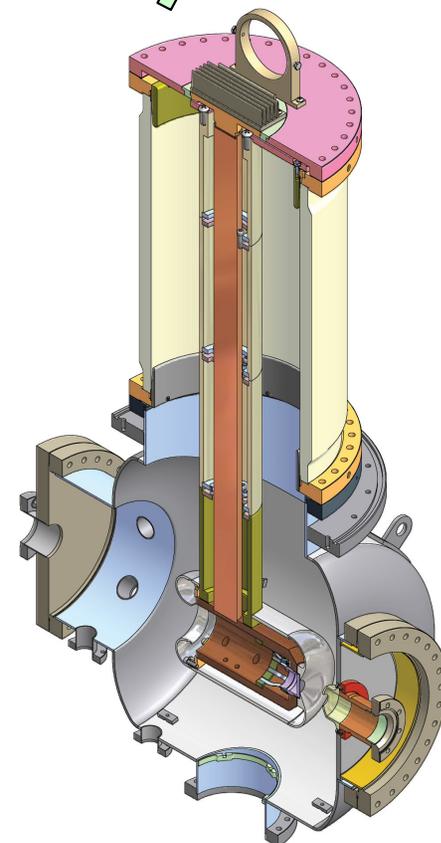


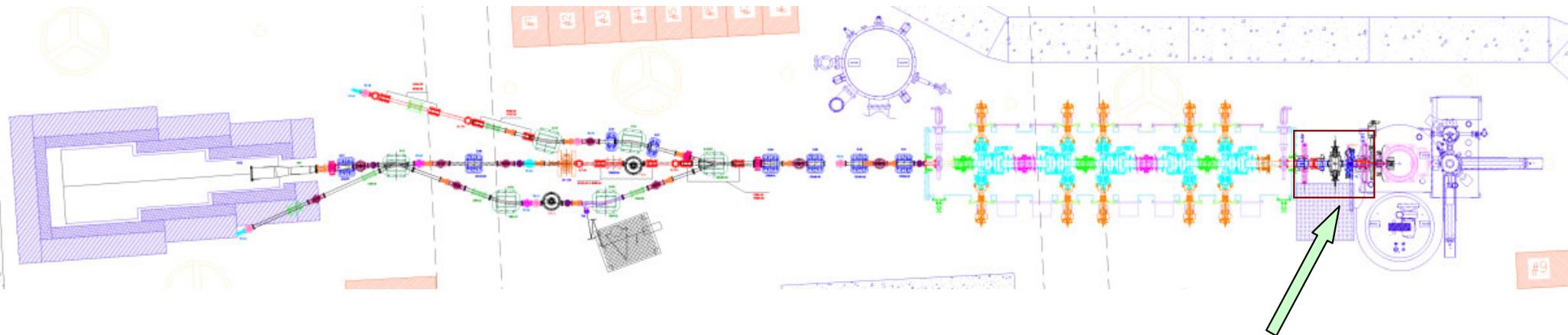
- HV DC gun based photoinjector
- up to **100 mA** average current, **5-15 MeV** beam energy
- norm. rms emittance $\leq 1 \mu\text{m}$ at **77 pC/bunch**
- rms bunch length **0.6 mm**, energy spread **0.1%**



DC gun

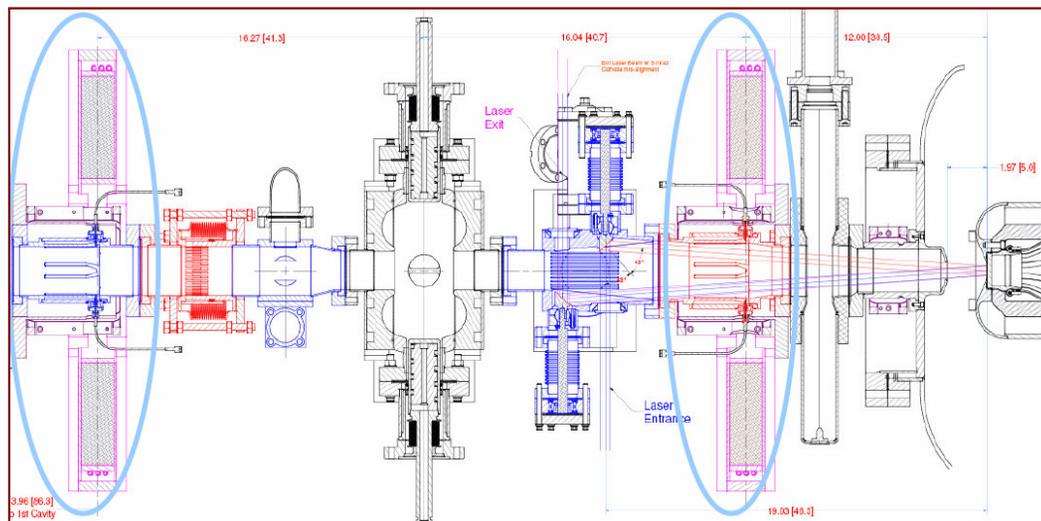
- Designed & built for 750 kV max voltage
- Cathode preparation chamber with load-lock for cathode transport into the gun
- Excellent vacuum in the low 10^{-12} Torr range (essential for good lifetime of NEA photocathodes) by reduction of outgassing (H) via 400 C air-bake, 20000 l/s NEG pumping capacity and 400 l/s ion pump

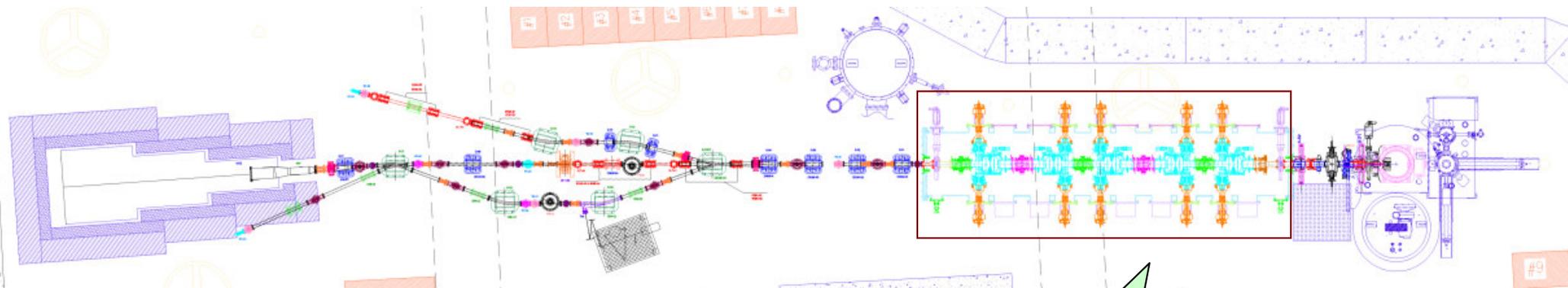




Injector front end

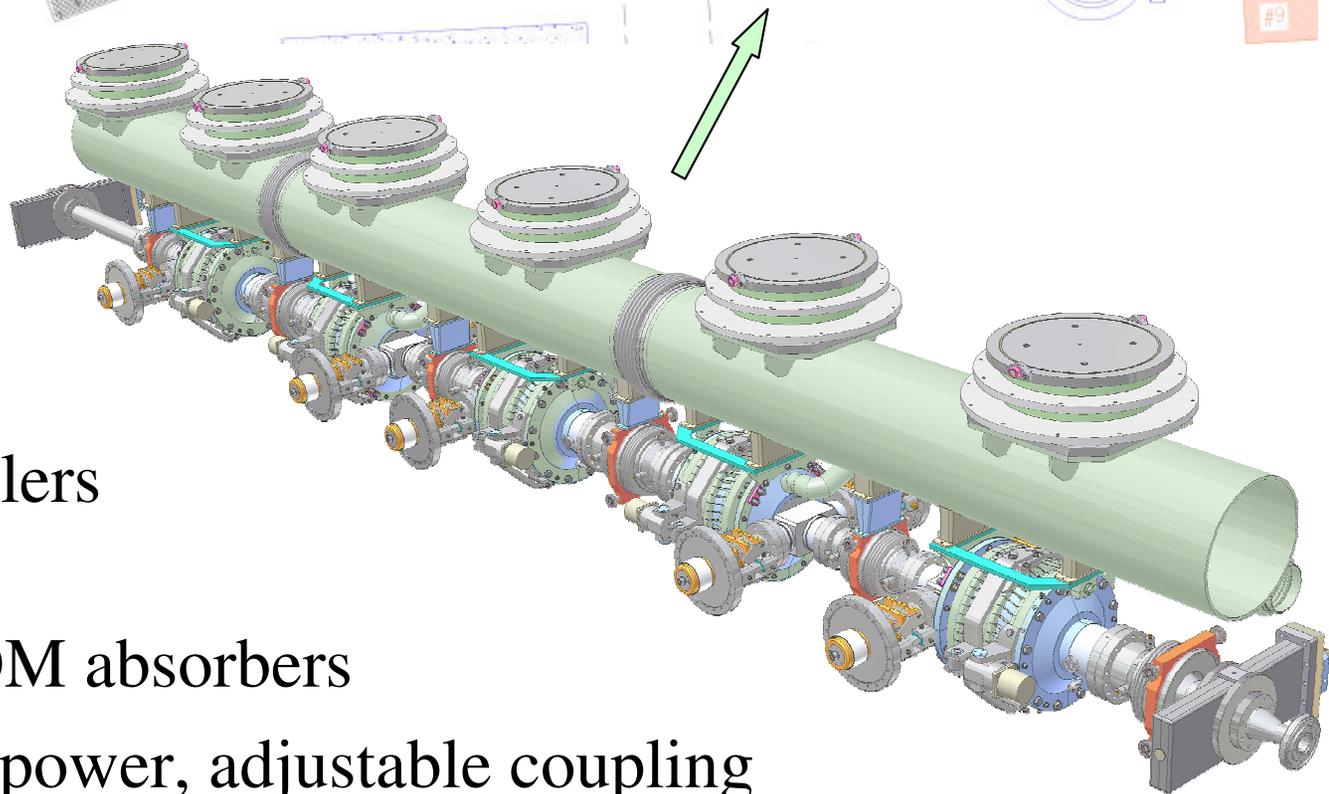
- Two solenoids for emittance compensation and matching into the injector's linac
- Copper buncher cavity with max bunching voltage of 200 kV





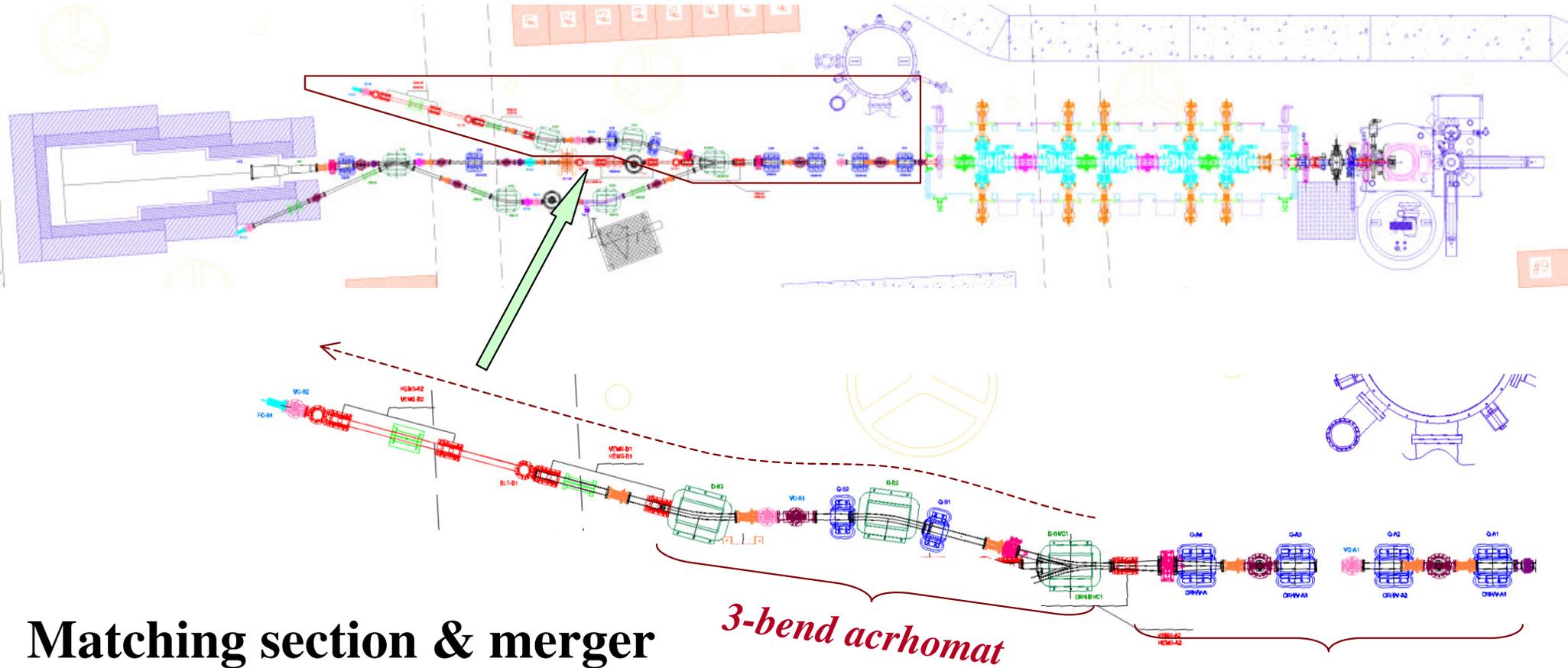
Injector cryomodule

- 5 SRF cavities with symmetric input couplers to avoid RF kick
- Broadband ferrite HOM absorbers
- 0.5 MW installed RF power, adjustable coupling
- Energy gain per cavity 1-3 MeV



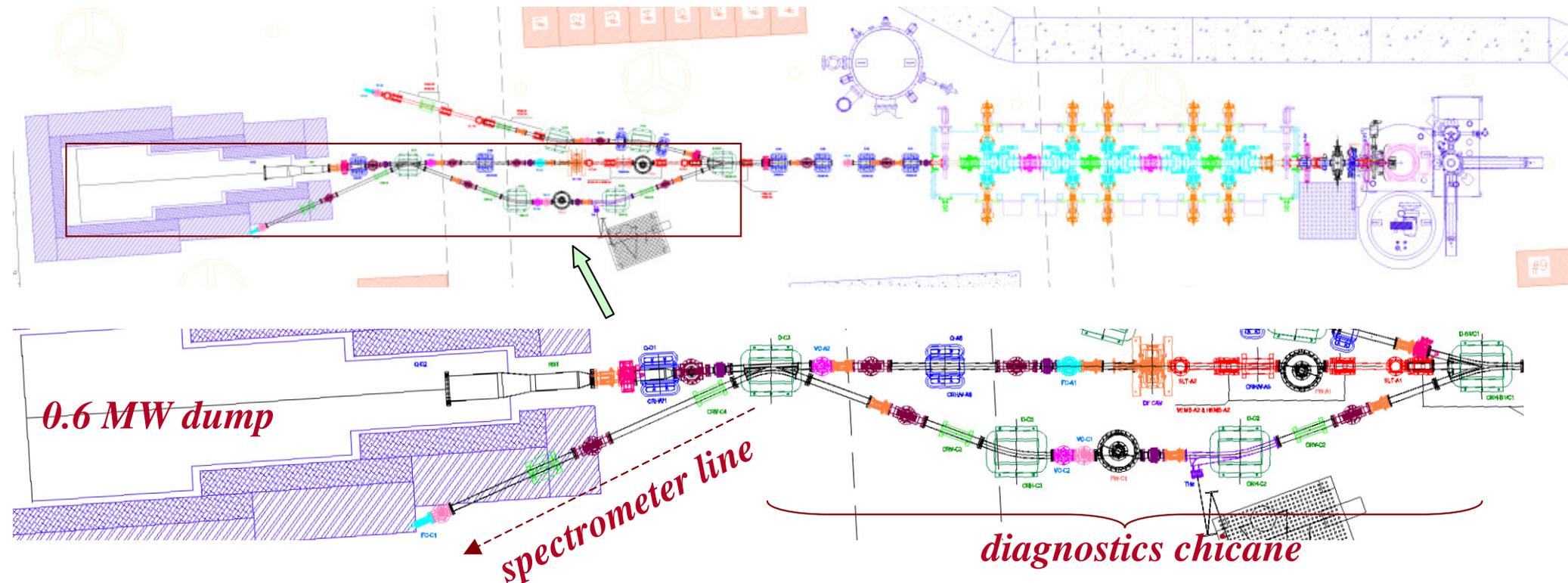


ERL injector components



Matching section & merger

- 4-quad telescope for flexible matching into merger & main linac
- 15° 3-bend achromat followed by diagnostics section designed to take low beam power ($\sim 100 \mu\text{A}$ average current)



Diagnostics line & how power dump

- chicane and straight-ahead beamline which handles average beam current of up to 100 mA
- Interceptive and non-interceptive diagnostics for characterization of single bunch and intra-bunch effects



S.c. compensation concept

Serafini PRE **55**, 7565

$$\sigma'' + K_r \sigma = \frac{I}{2I_0(\beta\gamma)^3 \sigma} + \frac{\epsilon_{n,th}^2}{(\beta\gamma)^2 \sigma^3}$$

focusing s.c. emittance

$$\epsilon_{n,th}(\zeta) \equiv \frac{\beta\gamma}{2} \sqrt{\langle r^2 \rangle_\zeta \langle r'^2 \rangle_\zeta - \langle rr' \rangle_\zeta^2}$$

Needle beam: $I \rightarrow Ig(\zeta)$

$$\sigma_{eq}(g(\zeta)) = \left(\frac{Ig(\zeta)}{2I_0(\beta\gamma)^3 K_r} \right)^{1/2}$$

equilibrium flow condition for slice

$$\delta\sigma''(\zeta) + \left[K_r + \frac{Ig(\zeta)}{2I_0(\beta\gamma)^3 \sigma_{eq}^2 g(\zeta)} \right] \delta\sigma(\zeta) = 0 \quad \text{or}$$

oscillation frequency current independent

$$\delta\sigma''(\zeta) + 2K_r \delta\sigma(\zeta) = 0,$$



- Cut the number of decision variables to some reasonable number (2-4) perhaps by using a simplified theoretical model to guide you in this choice
- **Large regions of parameter space remain unexplored**
- Optimize the injector varying the remaining variables with the help of a space-charge code to meet a fixed set of beam parameters (e.g. emittance at a certain bunch charge and a certain length)
- **One ends up with a *single-point* design without capitalizing on beneficial trade-offs that are present in the system**

Primary challenge in exploring the full parameter space is computational speed



- work harder
- work smarter
- get help

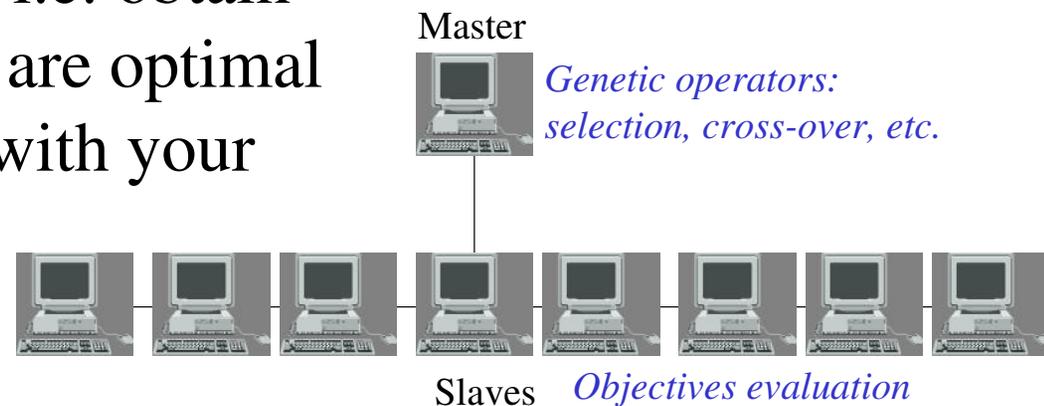


- processor speed
- algorithms
- parallel processing

Solution: use parallel MOGA

*Multi*Objective *Genetic* Algorithm

- throw in all your design variables
- map out whole Pareto front, i.e. obtain multiple designs all of which are optimal
- use realistic injector model with your favorite space charge code





Multi-objective optimization

$$\left. \begin{array}{l} \text{maximize} \quad f_m(x_1, x_2, \dots, x_n), \quad m = 1, 2, \dots, M; \\ \text{subject to} \quad g_j(x_1, x_2, \dots, x_n) \geq 0, \quad j = 1, 2, \dots, J; \\ \quad \quad \quad x_i^{(L)} \leq x_i \leq x_i^{(U)}, \quad i = 1, 2, \dots, n. \end{array} \right\}$$

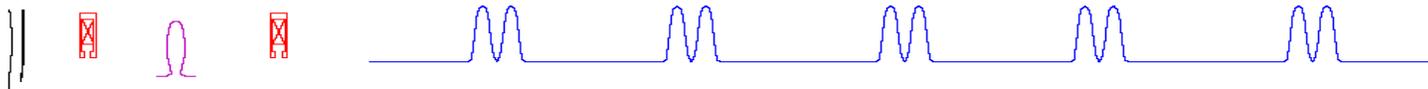
Definition 1. A solution \mathbf{x}_a is said to dominate the other solution \mathbf{x}_b if the solution \mathbf{x}_a is not worse than \mathbf{x}_b in all objectives and \mathbf{x}_a is strictly better than \mathbf{x}_b in at least one objective. In other words, $\forall m \in 1, 2, \dots, M : f_m(\mathbf{x}_a) \geq f_m(\mathbf{x}_b)$ and $\exists m' \in 1, 2, \dots, M : f_{m'}(\mathbf{x}_a) > f_{m'}(\mathbf{x}_b)$.

Definition 2. Among a set of solutions \mathcal{P} , the nondominated subset of solutions \mathcal{P}' are those that are not dominated by any member of the set \mathcal{P} .

When the set \mathcal{P} is the entire search space resulting nondominated set is called the Pareto-optimal set.



Vilfredo Pareto, 1848-1923



Fields:

DC Gun Voltage (300-900 kV)
2 Solenoids
Buncher
SRF Cavities Gradient (5-13 MV/m)
SRF Cavities Phase

Bunch & Photocathode:

E_{thermal}
Charge

Positions:

2 Solenoids
Buncher
Cryomodule

Laser Distribution:

Spot size
Pulse duration (10-30 ps rms)
{tail, dip, ellipticity} $\times 2$

Total: 22-24 dimensional parameter space to explore



Takes some 10^5 simulations

$E_{\text{therm}} = 35 \text{ meV}$ (aka GaAs @ 780 nm)

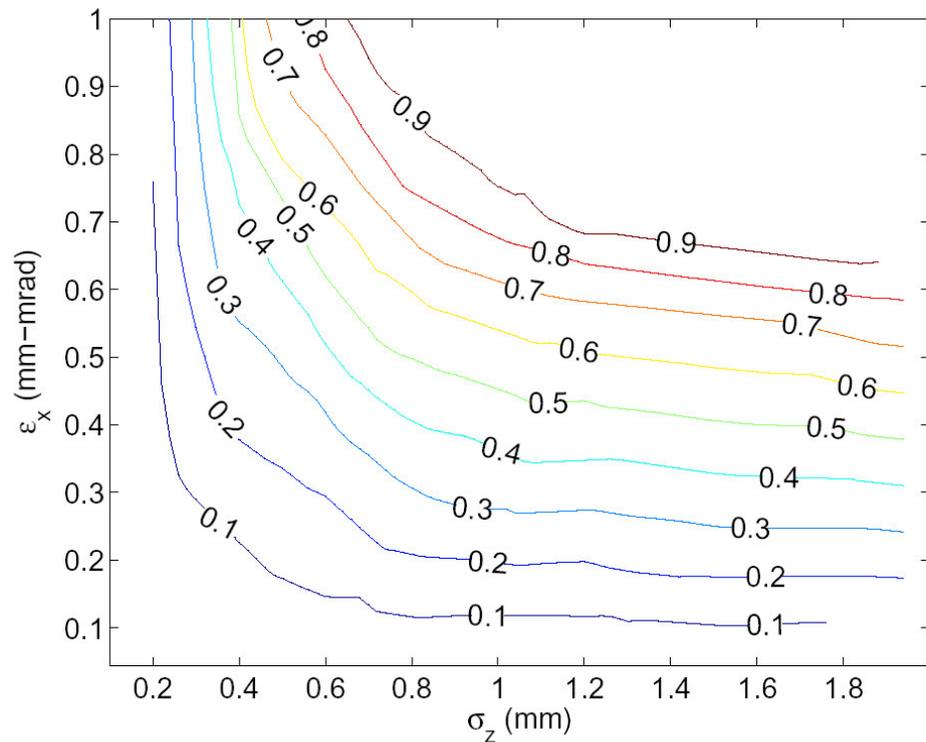


FIG. 10: Transverse emittance vs. bunch length for various charges in the injector (nC).

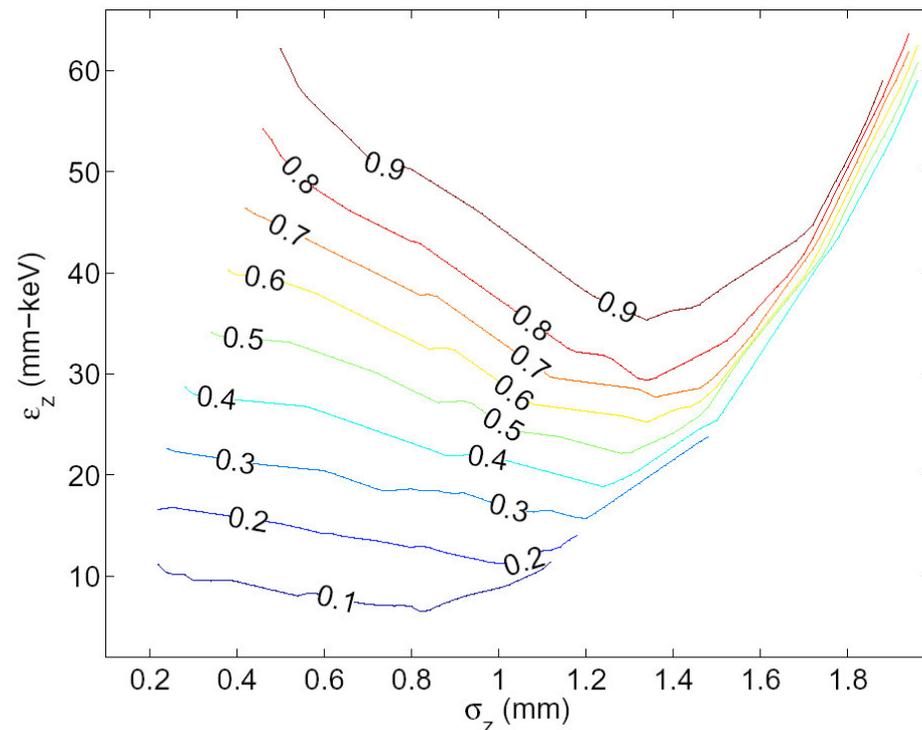
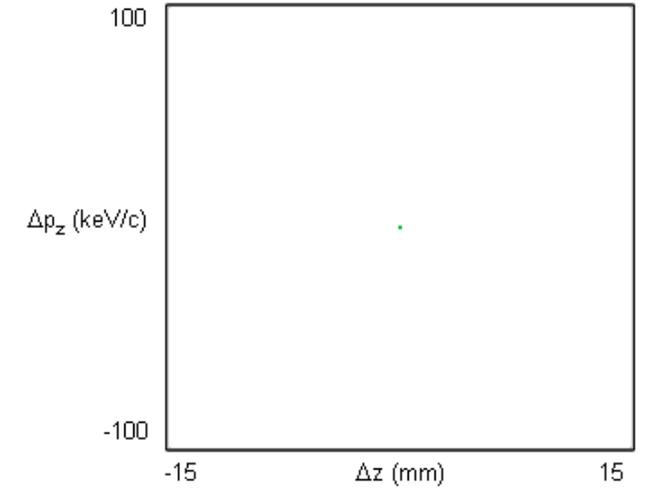
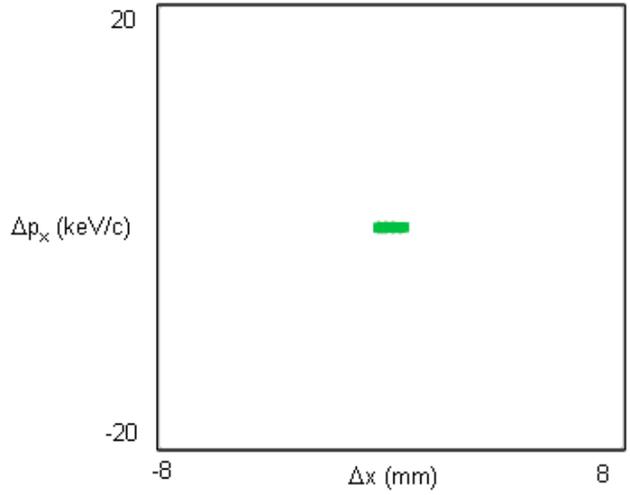
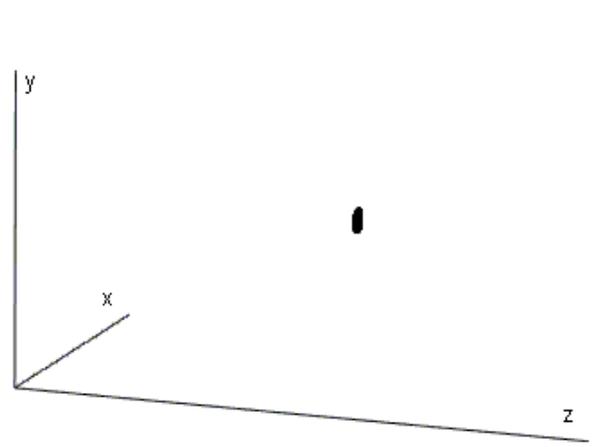
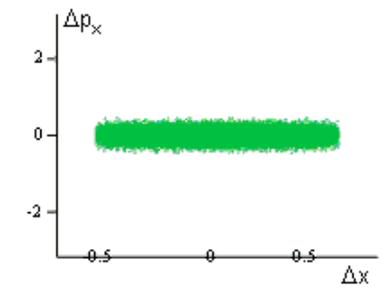
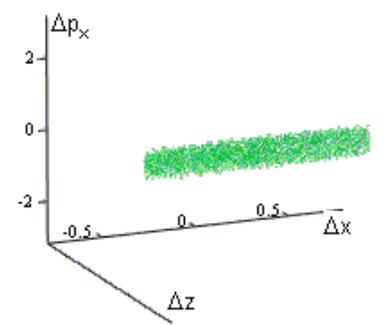


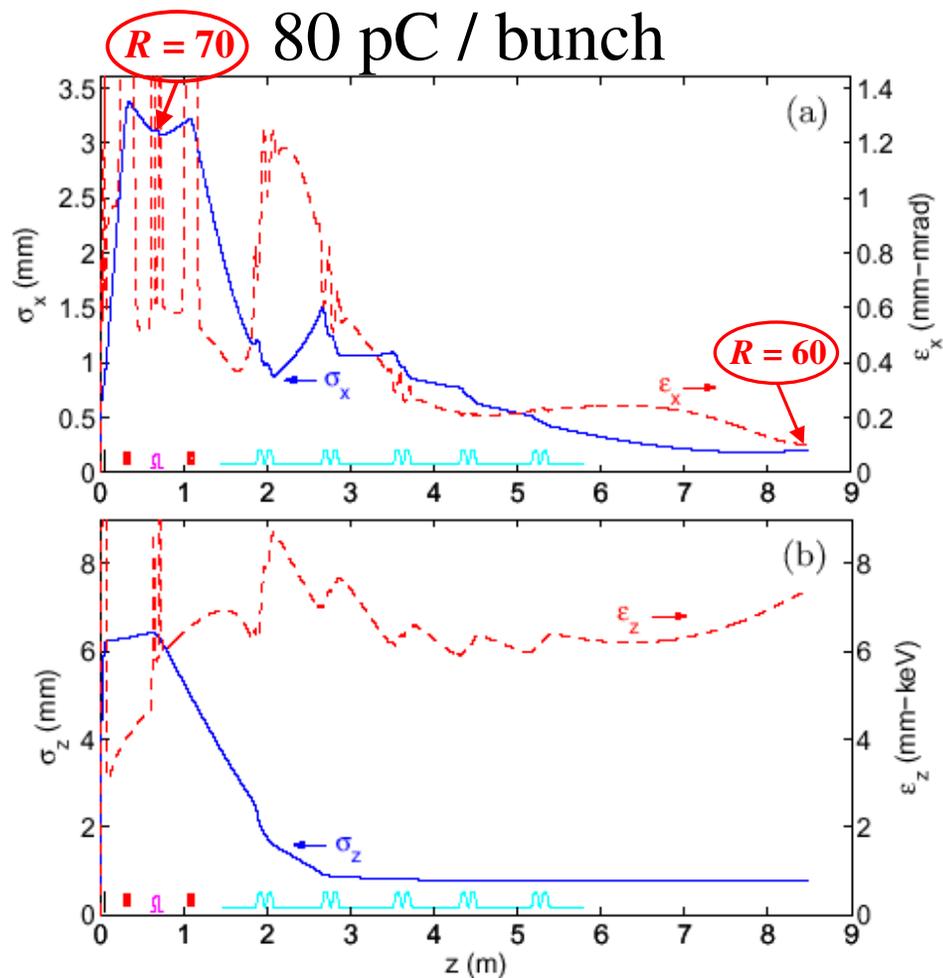
FIG. 11: Longitudinal emittance vs. bunch length for various charges in the injector (nC).

MOO problem: $\left\{ \begin{array}{l} \text{minimize emittance} \\ \text{minimize bunch length} \\ \text{maximize bunch charge} \end{array} \right.$



$z = 0.000$ m
 $p_z = 0.000$ MeV/c
 $\sigma_x = 0.294$ mm $\epsilon_x = 0.077$ mm-mrad
 $\sigma_z = 0.000$ mm $\epsilon_z = 0.000$ mm-keV





$$R \equiv \frac{I}{I_0 \beta \gamma} \frac{\sigma_x^3}{(\sigma_x + \sigma_y) \epsilon_{n,x}^2}$$

emittance dominated beam if $R \ll 1$

Beam in optimized injector is space charge dominated even at > 10 MeV

FIG. 3: Beam evolution in the injector for 80 pC bunch charge: transverse (a) and longitudinal (b) emittances (dashed) and sizes (solid) vs. position in the injector.



- Parallel multi-objective optimizations is a powerful tool to explore limits of the system
- Is not meant to substitute but rather complement analytical & intuitive picture of what's going on
- Not a substitute for accurate model of the physics of what's going on (i.e. 'garbage in, garbage out')



- **Low thermal energy photocathodes**
- **Min laser spot size**
- **Max gun voltage**

- Rapid acceleration
- ‘adiabatic’ focusing and bunching
- Transverse laser shaping
- Temporal pulse shaping (**fast emission photocathodes**)

- **short bunch length**
- **tight focus**
- **reduced field gradient**

■ helps here, neutral elsewhere

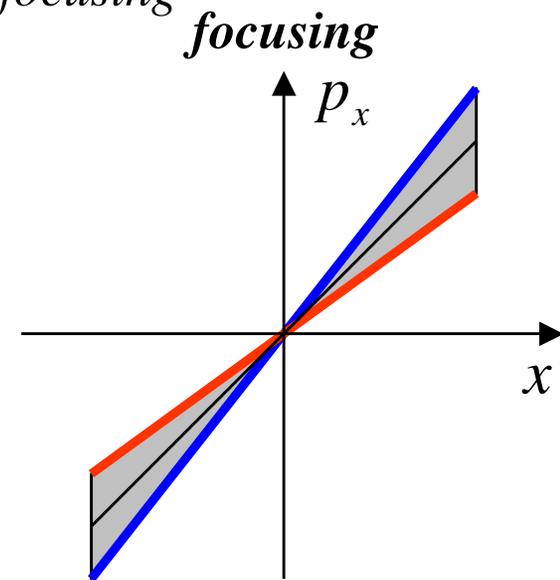
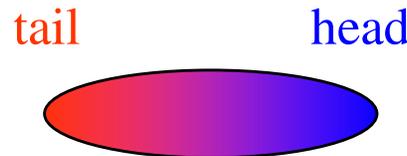
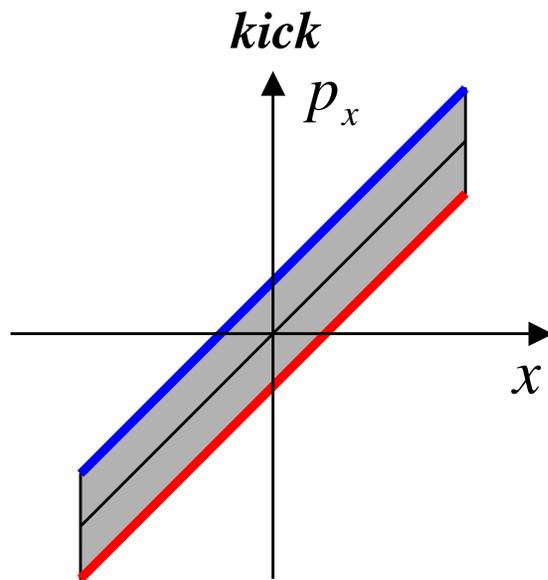
■ helps here, may harm elsewhere



RF-induced emittance

$$\epsilon_n = \frac{1}{mc} \sqrt{\langle x^2 \rangle \langle p_x^2 \rangle - \langle xp_x \rangle^2}$$

$$p_x(x, z) = p_x(0,0) + \underbrace{\frac{\partial p_x}{\partial x}}_{\text{kick}} x + \underbrace{\frac{\partial p_x}{\partial z}}_{\text{focusing}} z + \underbrace{\frac{\partial^2 p_x}{\partial x \partial z}}_{\text{focusing}} xz + \dots$$



$$\epsilon_{\text{kick}} = \frac{1}{mc} \left| \frac{\partial p_x}{\partial z} \right| \sigma_x \sigma_z$$

$$\epsilon_{\text{focus}} = \frac{1}{mc} \left| \frac{\partial^2 p_x}{\partial z \partial x} \right| \sigma_x^2 \sigma_z$$

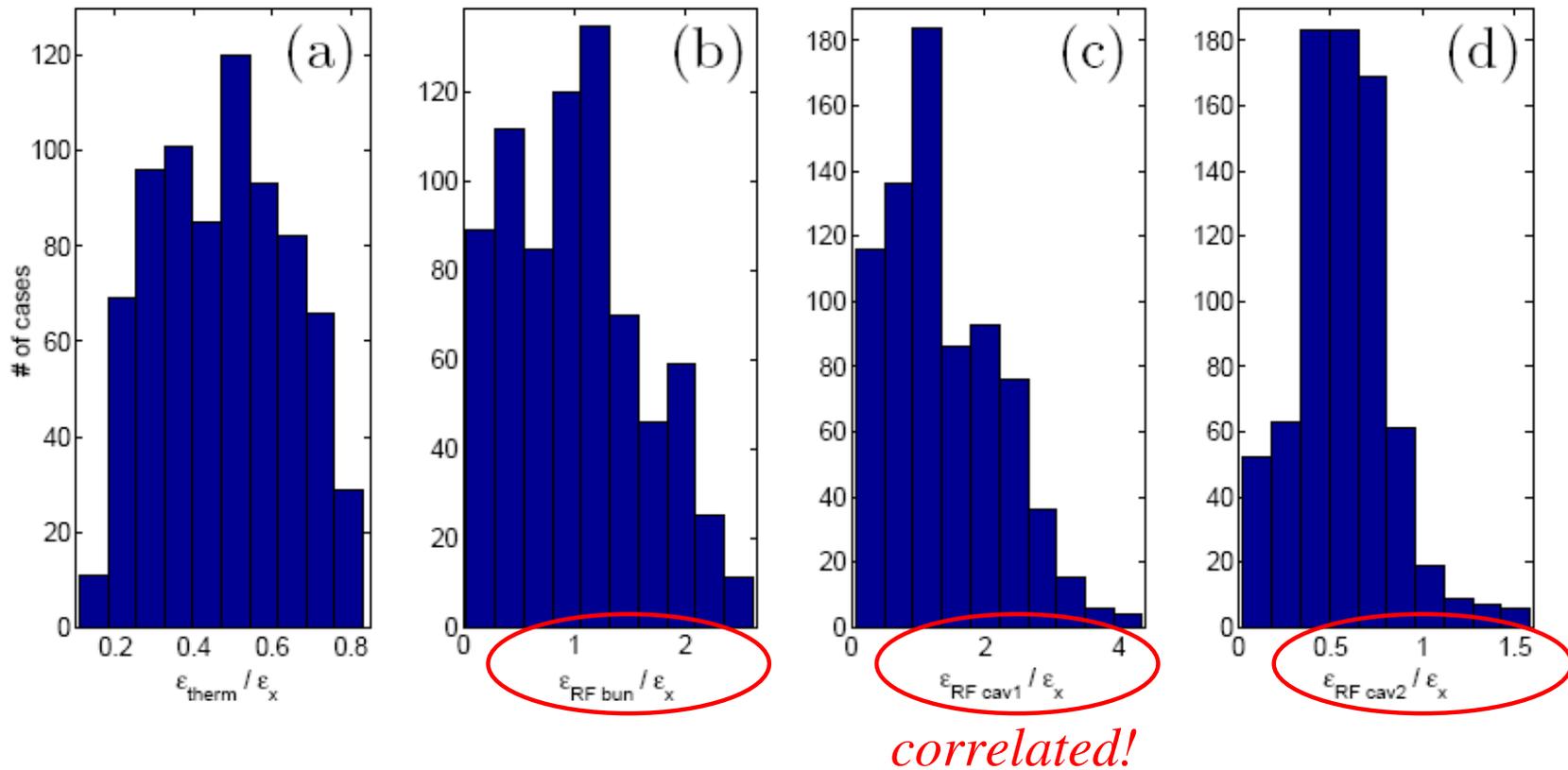
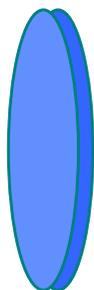


FIG. 12: Histogram showing (a) thermal emittance and estimated RF correlated emittances due to (b) the buncher and the first two SRF cavities (c,d) relative to the final transverse emittance for optimized injector settings with the bunch charge between 10 pC and 1 nC.



More often than not $A \gg 1$ in photoinjectors, i.e. the bunch looks like a pancake near the cathode (!).



From PHYS101 (note a factor of 2 due to image charge)

$$E_{s.c.} = \frac{\sigma}{\epsilon_0} \rightarrow q = 4\pi\epsilon_0 E_{cath} \sigma_x^2$$
$$= 0.11 \times E_{cath} [\text{MV/m}] \sigma_x [\text{mm}]^2 \text{ nC}$$

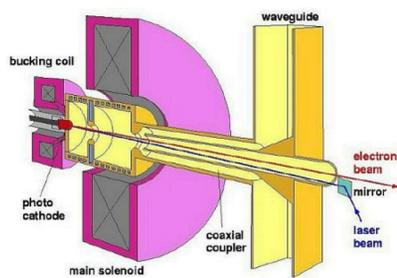
Lower limit on emittance due to cathode and available field:

$$\epsilon_n [\text{mm - mrad}] \approx 4 \sqrt{q [\text{nC}] \frac{E_{th} [\text{eV}]}{E_{cath} [\text{MV/m}]}}$$



Gun & cathode package

NCRF



pulsed!

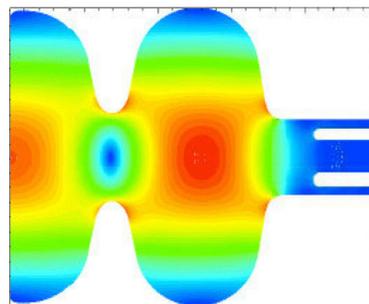
$$E_{\text{cath}} = 120 \text{ MV/m}$$

$$\tau_{\text{laser}} = 2.7 \text{ ps rms}$$

$$\sigma_{\text{laser}} = 0.5 \text{ mm rms}$$

$$\tau_{\text{laser}} \rightarrow z = 0.08 \text{ mm}$$

SRF



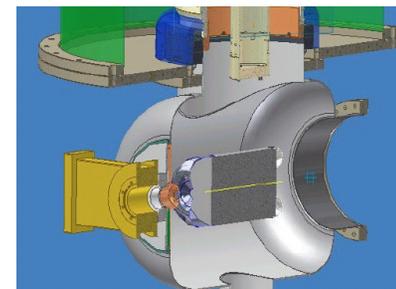
$$E_{\text{cath}} = 43 \text{ MV/m}$$

$$\tau_{\text{laser}} = 5.8 \text{ ps rms}$$

$$\sigma_{\text{laser}} = 0.85 \text{ mm rms}$$

$$\tau_{\text{laser}} \rightarrow z = 0.12 \text{ mm}$$

DC

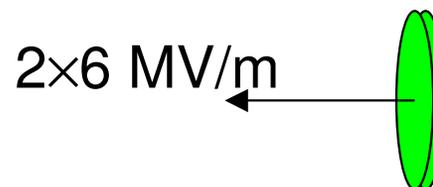


$$E_{\text{cath}} = 8 \text{ MV/m}$$

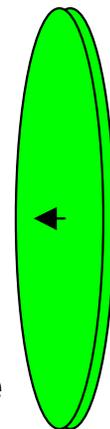
$$\tau_{\text{laser}} = 13 \text{ ps rms}$$

$$\sigma_{\text{laser}} = 2 \text{ mm rms}$$

$$\tau_{\text{laser}} \rightarrow z = 0.12 \text{ mm}$$



2x1 MV/m



$$E_{\text{cath}} / E_{\text{s.charge}}$$

=

$$E_{\text{cath}} / E_{\text{s.charge}}$$

=

$$E_{\text{cath}} / E_{\text{s.charge}}$$

same simulated emittance



Gun technology choice

Emittance compensation can be achieved despite reduced flexibility in solenoid positioning

	Q [nC]	Rms bunch Length (compressed)	Ex [mm-mrad]	Cathode material(&)	Band Peak field
RF	1 / 0.2	2.8 ps / 1.7 ps	0.72 / 0.3 (**)	Copper, 700 meV	S-Band [120 MV/m]
DC	1/ 0.1	3ps / 3ps	0.8 / 0.14 (**)	GaAs 35 meV	[15 MV/m] (Average)
SRF	1 / 0.1(*)	5.7 ps/ 2.7 ps	0.8 / 0.23 (**)	"metallic" 184 meV	L-Band [60MV/m]

(*) scaled

(**) limited by thermal emittance

(&) Copper and GaAs use measured values, but SRF gun uses generic metallic cathode

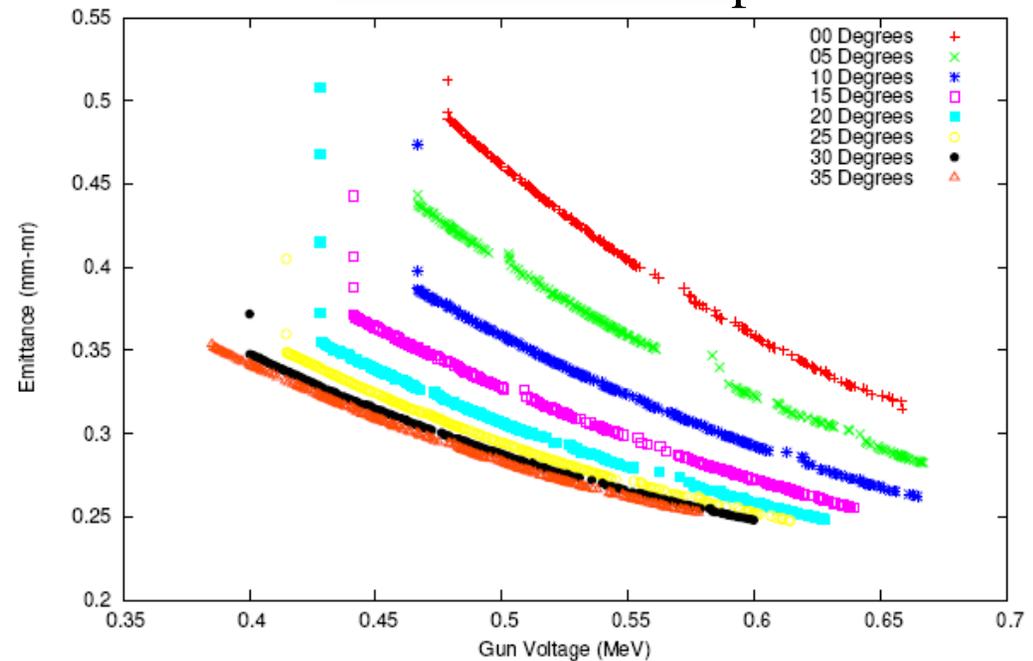
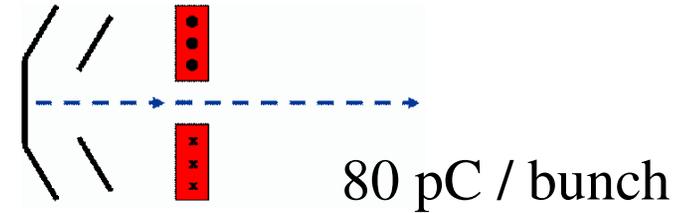
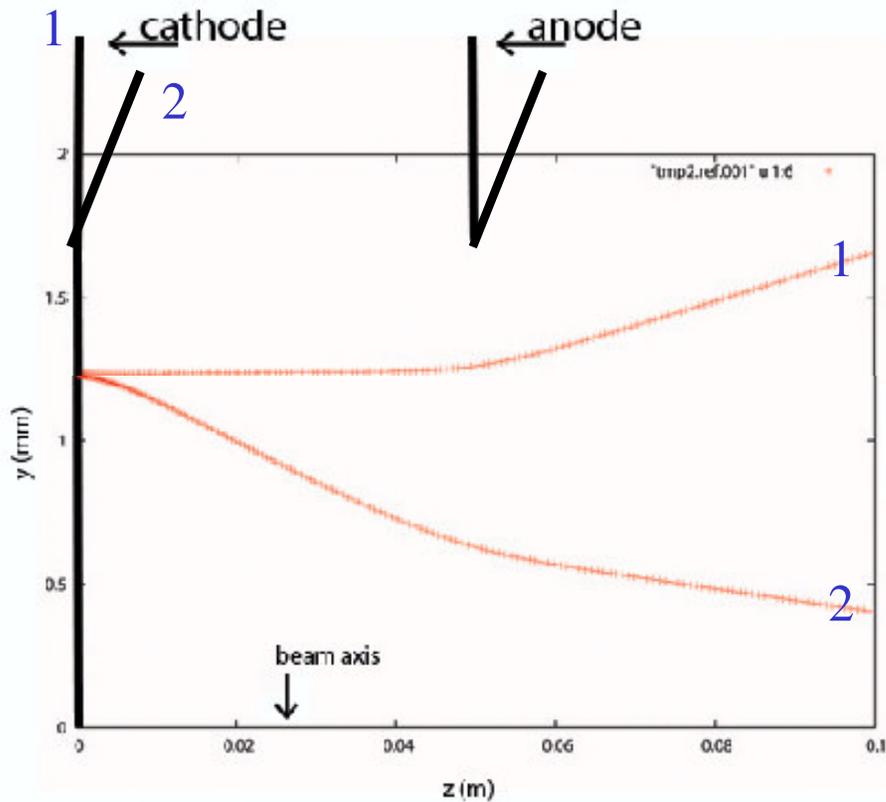
number for thermal emittance (0.3 mm-mrad per 1 mm full radius)

$$\epsilon_n [\text{mm-mrad}] \approx 4 \sqrt{q[\text{nC}] \frac{E_{th}[\text{eV}]}{E_{cath}[\text{MV/m}]}}$$

RF and DC guns computations are based on optimum emission pulse "3D-ellipsoid", whereas SRF gun computation uses "beer can"



DC gun focusing



- Focusing at the cathode is achieved through electrode shaping (25° angle), brings emittance down by a factor of ~ 2
- The drawback is increased aberrations from the gun (an issue when scanning laser spot on the cathode to increase re-Cs interval)

Distance to 1st SRF cavity

1.25 m

2.3 m

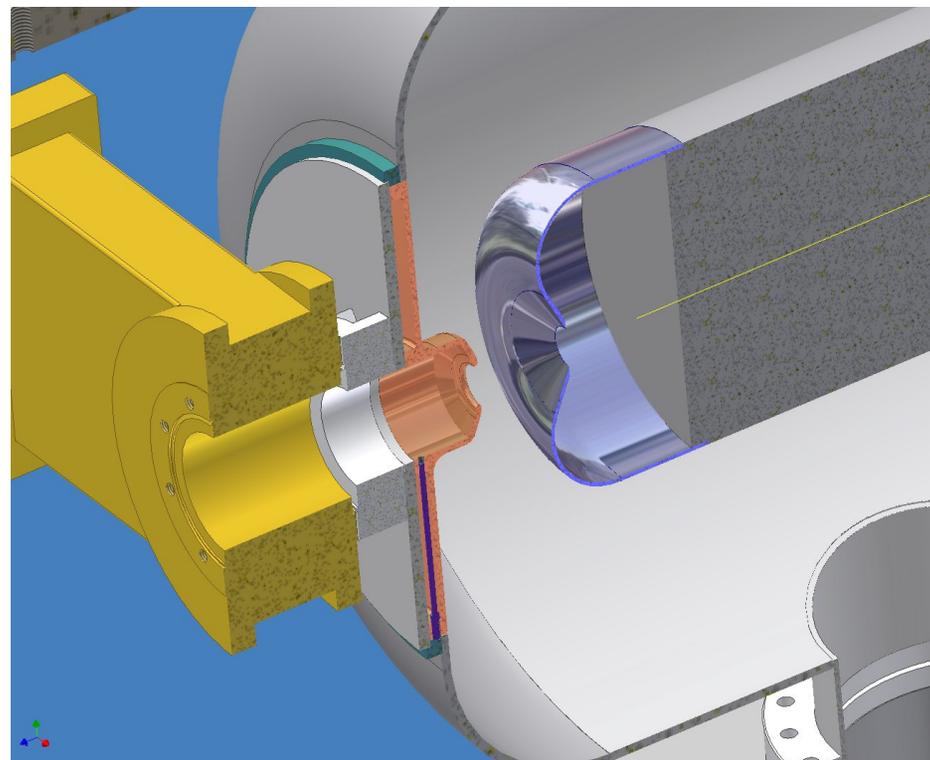
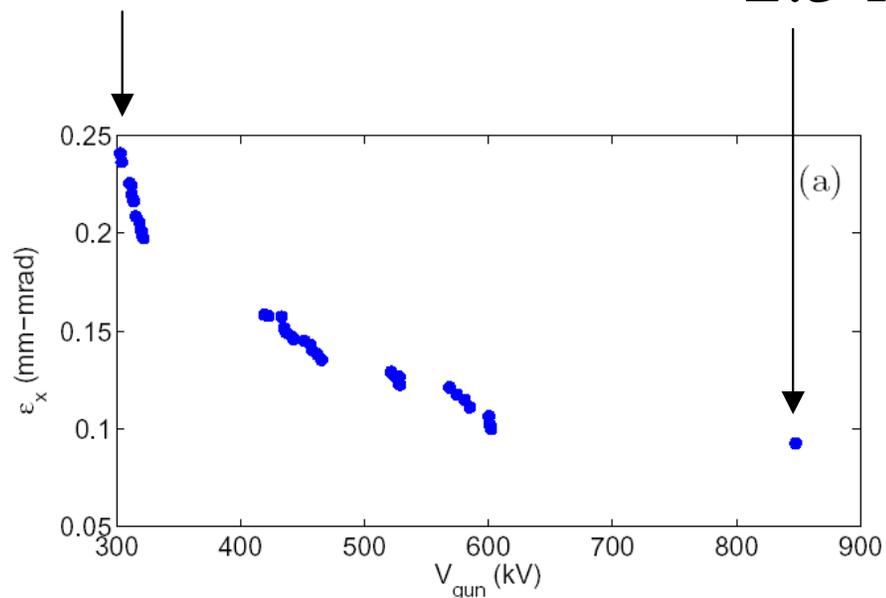


FIG. 5: Emittance vs. voltage in the gun for (a) 80 pC and (b) 0.8 nC bunch charges. The average bunch length corresponding to these calculations was (a) 0.8 mm and (b) 0.9 mm.

Adopted distance to the 1st SRF cavity 2 m

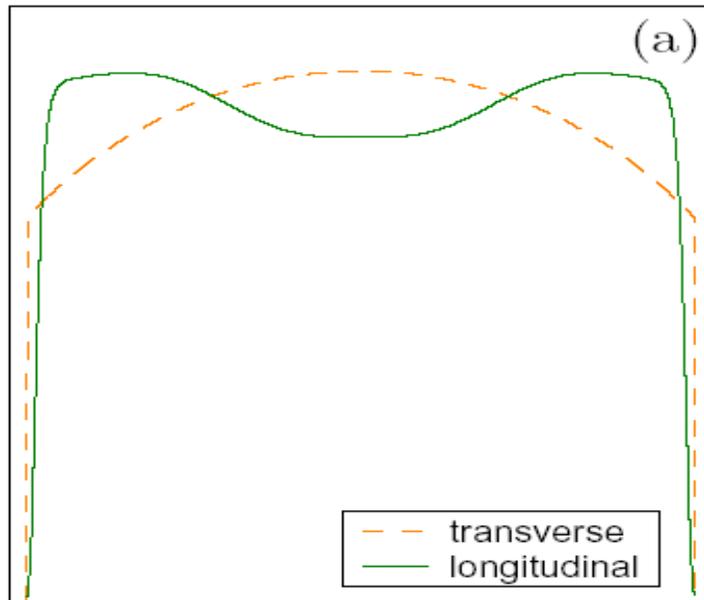


FIG. 6: Initial distribution profiles corresponding to minimal emittance at the end of the injector for (a) 80 pC and (b) 0.8 nC cases.

- Large factor (~ 5) in emittance is expected from proper transverse and longitudinal pulse shaping

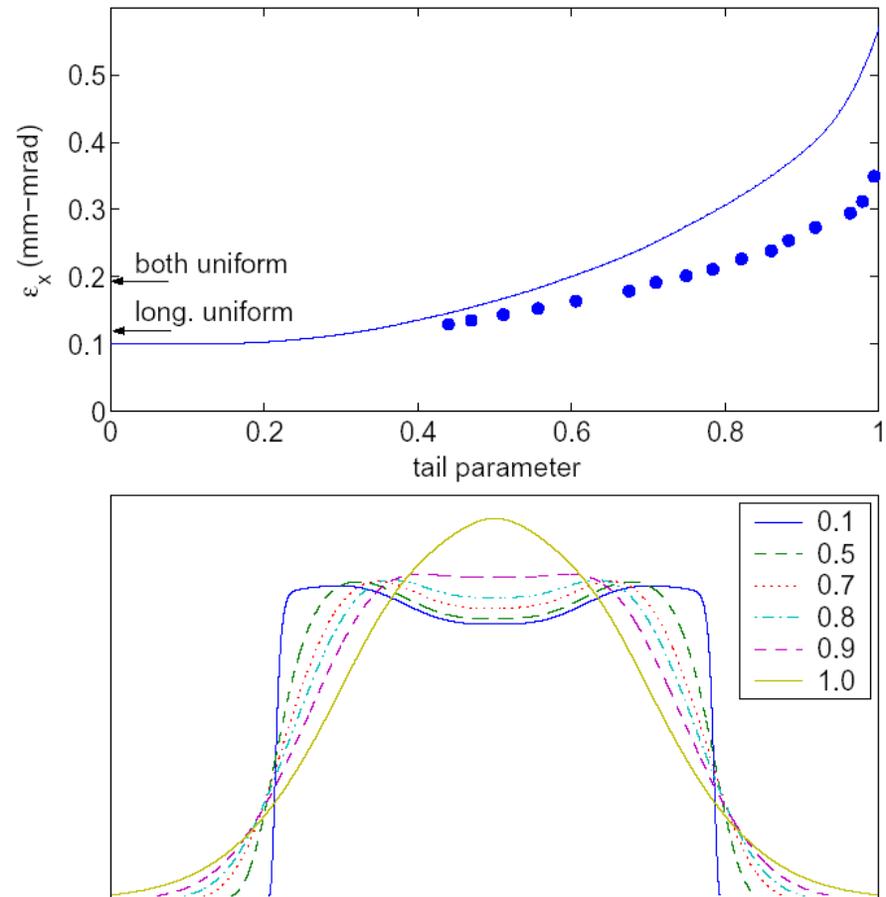
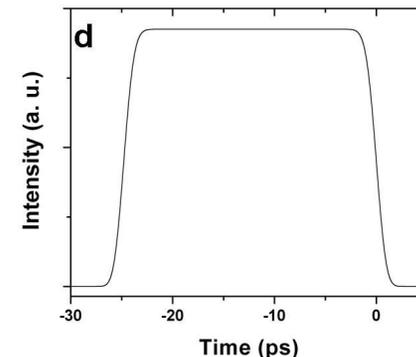
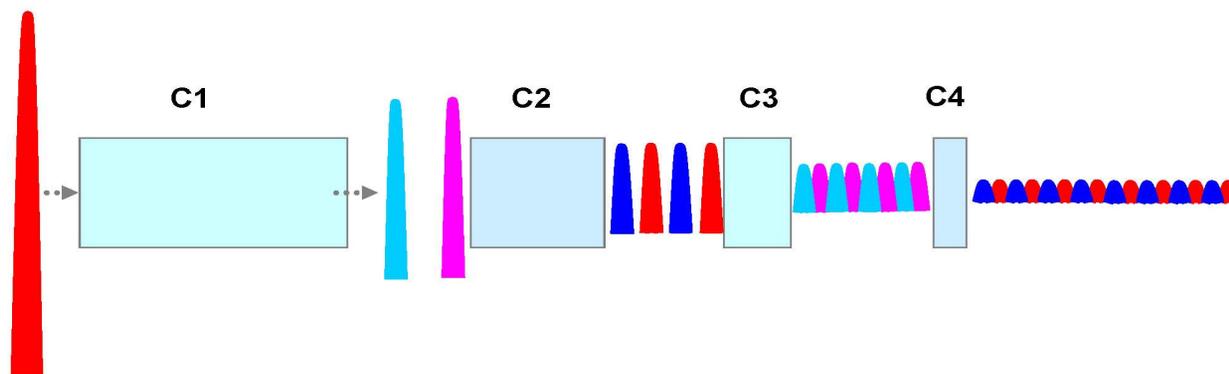


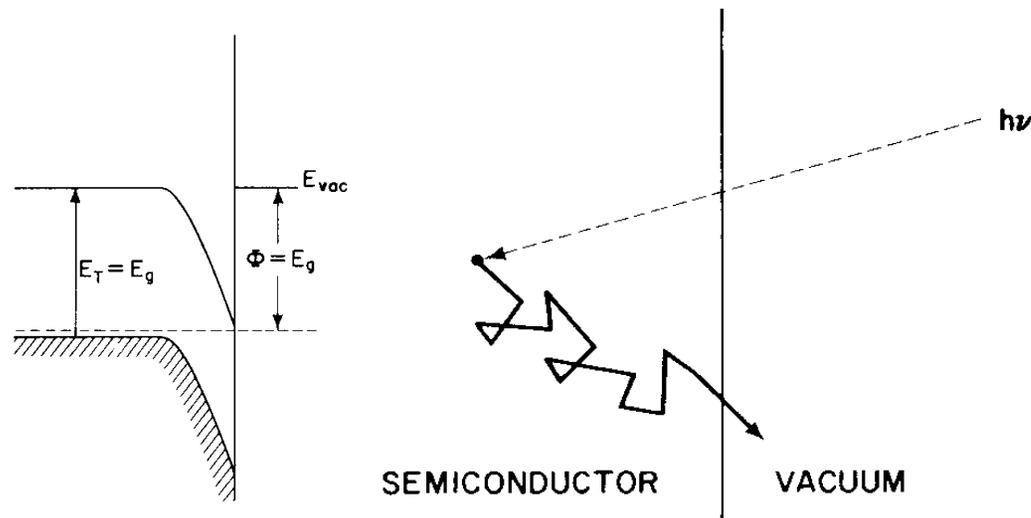
FIG. 7: 80 pC: emittance sensitivity (solid curve) to the longitudinal profile changes (top) and the corresponding profile shapes (bottom).

- Refractive beam shaper from Newport for transverse

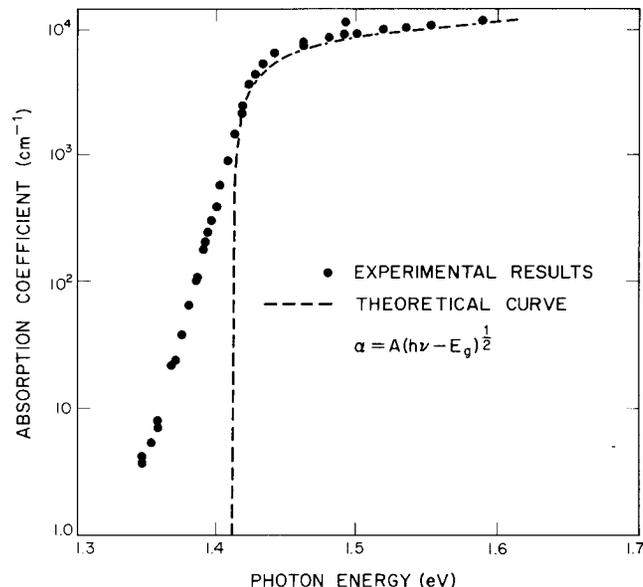


- Birefringent crystal set pulse stacker for temporal





- (1) photon excites electron to a higher-energy state;
- (2) electron-phonon scattering (~0.05 eV lost per collision);
- (3) escape with kinetic energy in excess to E_{vac}



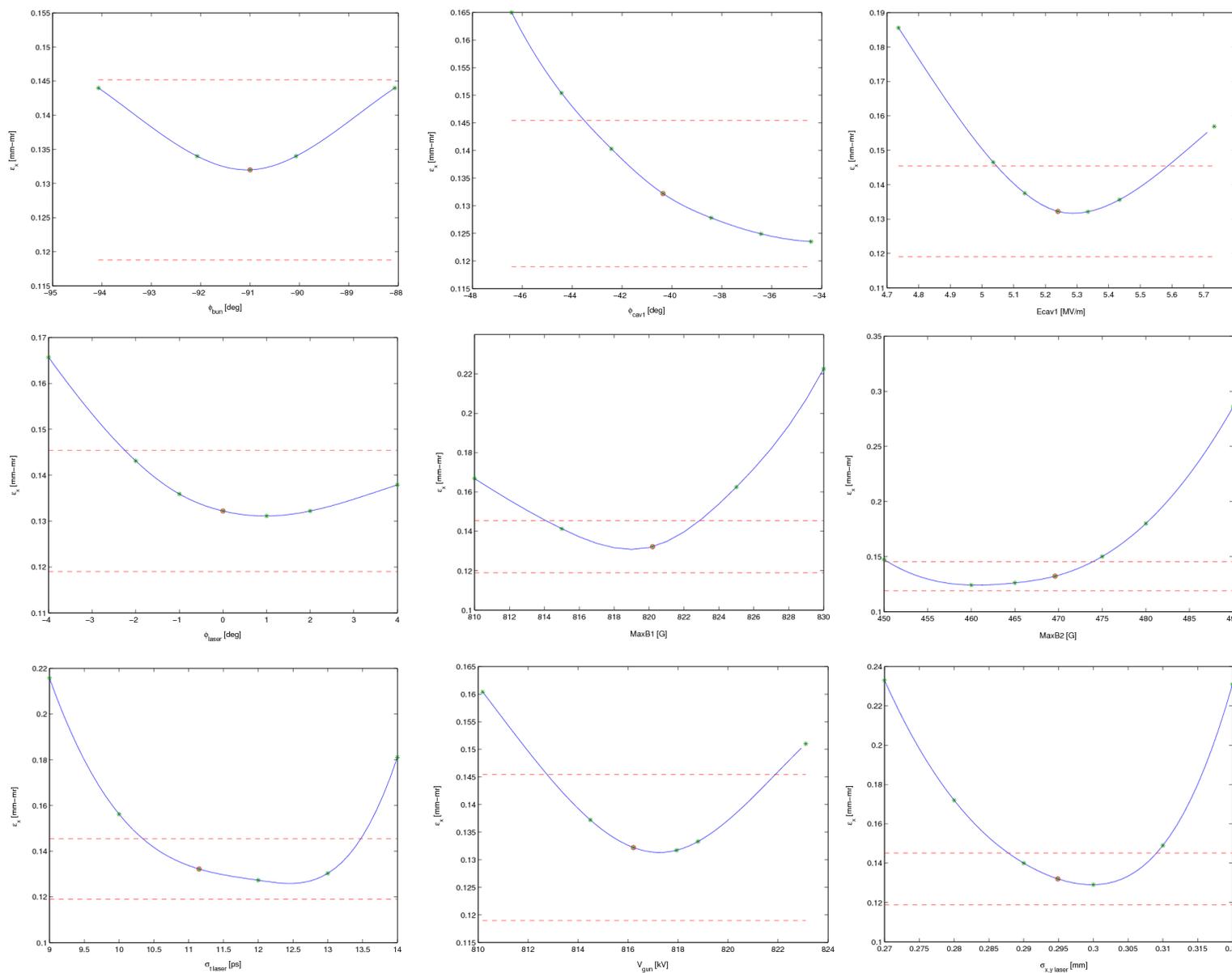
Absorption edge of GaAs at room temperature.

In GaAs the escape depth is sufficiently long so that photo-excited electrons are *thermalized* to the bottom of the conduction band before they escape.

Response time $\sim (10^{-4} \text{ cm}) / (10^7 \text{ cm/s}) = 10 \text{ ps}$ (wavelength dependant) – may preclude use of optimum pulse duration & temporal shaping \rightarrow will use longer pulse

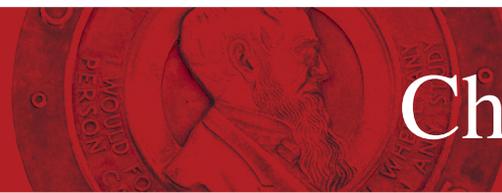


Tolerances for optimum



10% increase in
emittance (p-t-p)

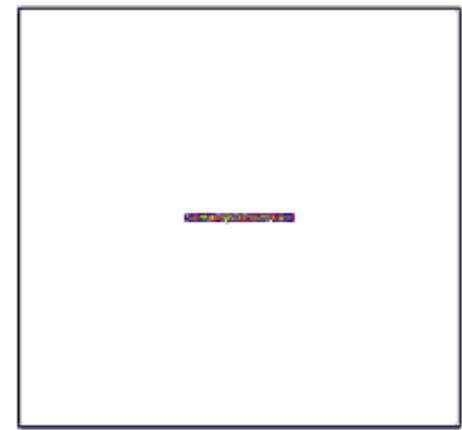
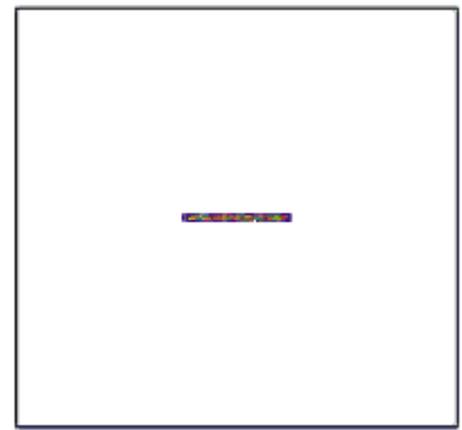
BunPhase	3.5°
Cav1Phase	3.0°
Ecav1	3.8%
Lphase	2.4°
B1	0.37%
B2	0.85%
Qbunch	3.7%
Trms	8.0%
Vgun	0.39%
XYrms	2.4%



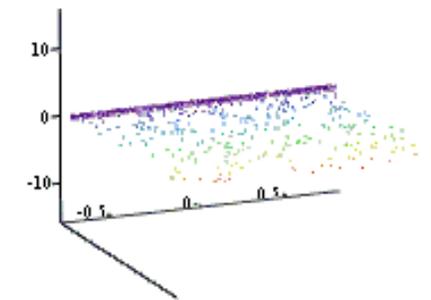
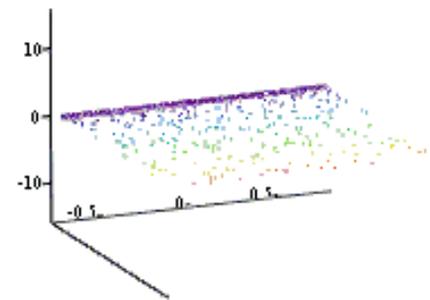
- Beam has to be matched into the main linac and taken through the merger while being space-charge dominated → work out procedures for space-charge friendly optics tune-up procedures
- Final beam properties are very sensitive to about ten different parameters that need to be ‘set right’ → controls and diagnostics must be up to the task to provide the necessary guidance

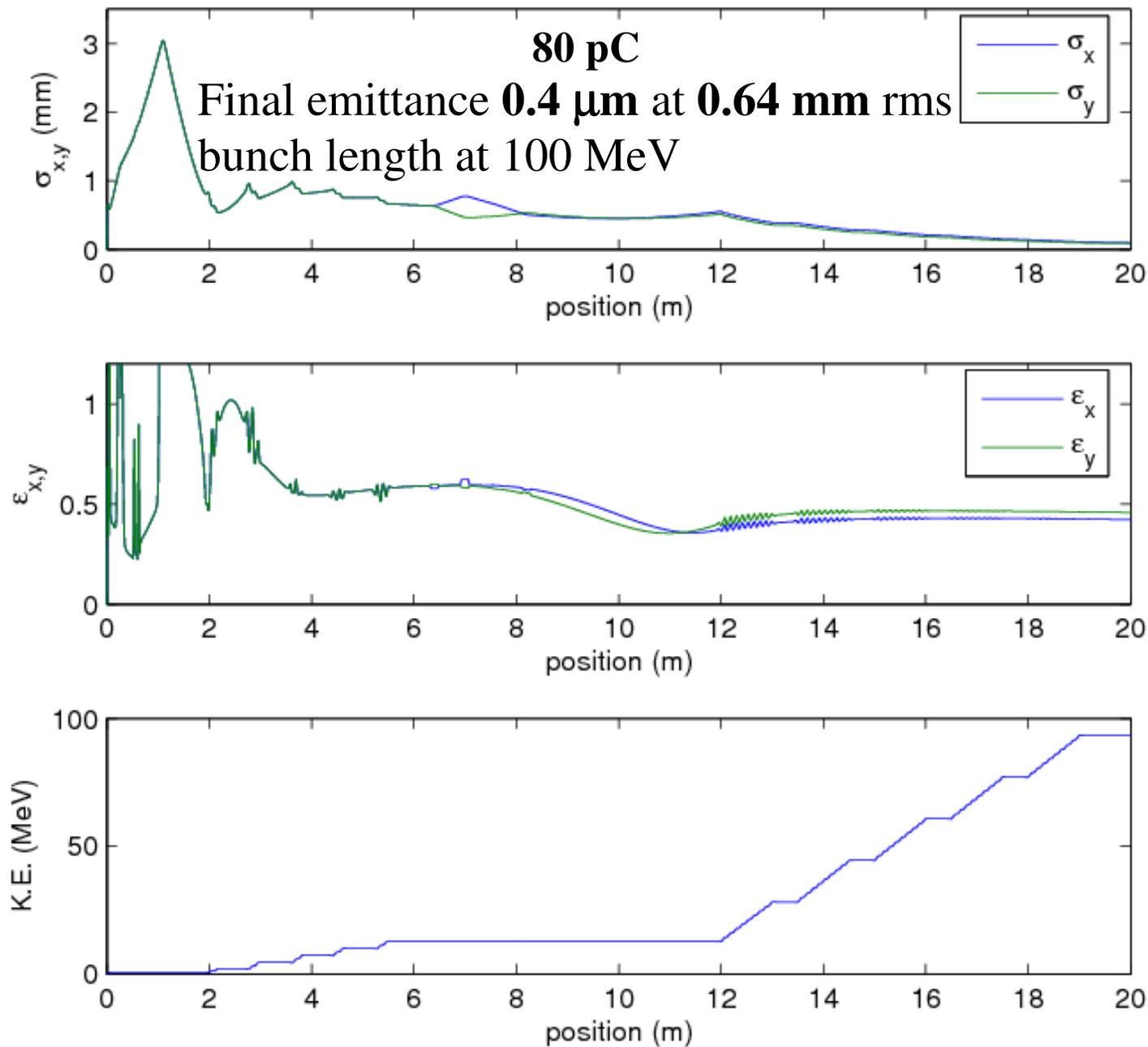


Adding quads and main linac



$z = 0.000$ m
 $p_z = 0.000$ MeV/c
 $\sigma_x = 0.640$ mm $s_x = 0.167$ mm-mrad
 $\sigma_y = 0.640$ mm $s_y = 0.167$ mm-mrad
 $\sigma_z = 0.000$ mm $s_z = 0.000$ mm-keV



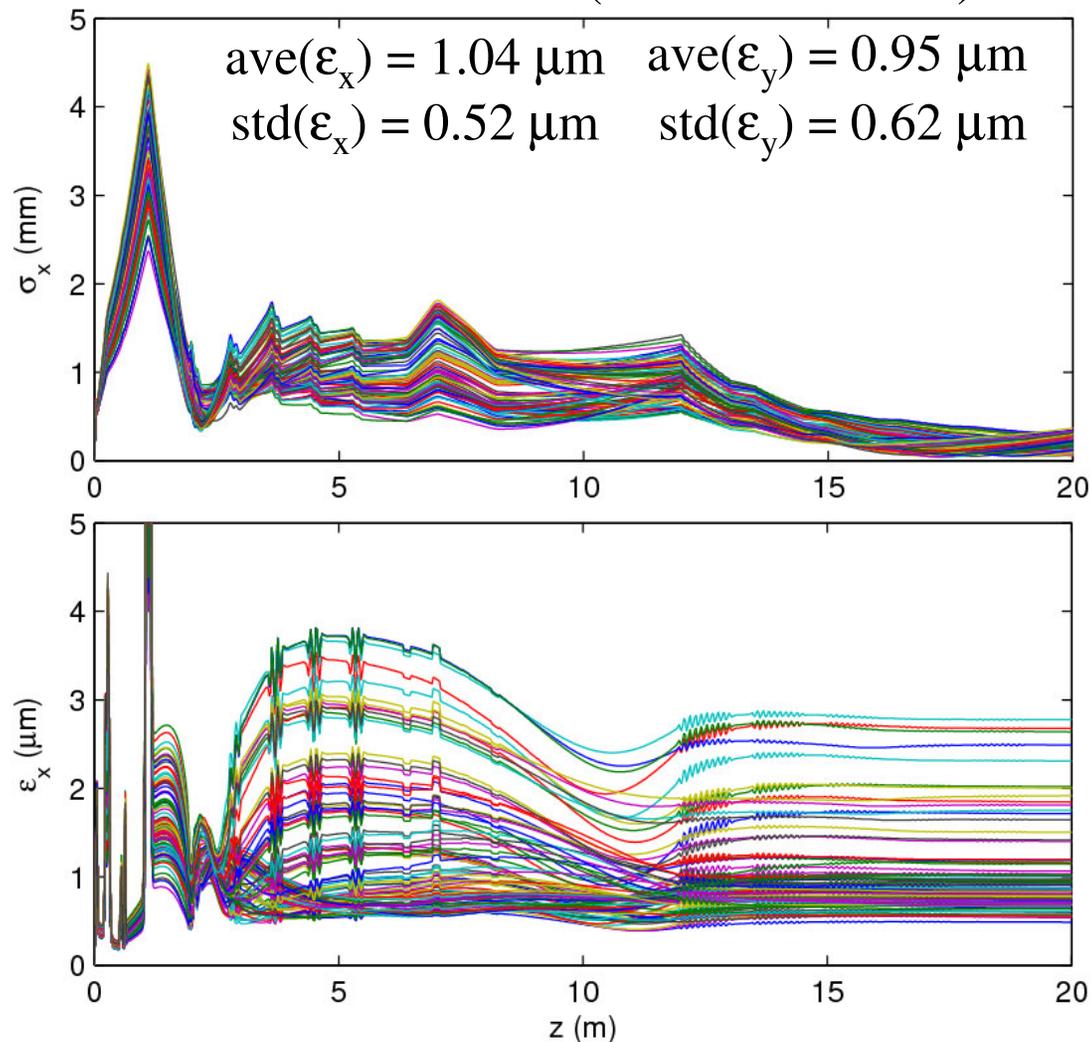


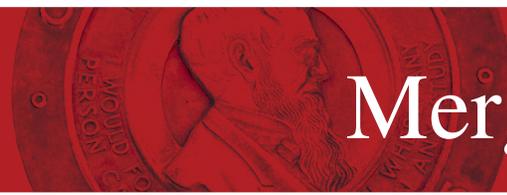


- Virtual injector allows absolute control of parameters, real system with a dozen of sensitive parameters will not

Pulse duration rms	21.5 ± 1.4 ps
Spot size rms	0.640 ± 0.057 mm
Charge	80 ± 5.8 pC
Solenoid1 Bmax	0.491 ± 0.010 kG
Solenoid2 Bmax	0.532 ± 0.010 kG
Cavity1 phase	-41.6 ± 1.7 deg
Cavity2 phase	-31.9 ± 2.0 deg
Cavity3-5 phase	-25.7 ± 2.0 deg
Buncher Emax	1.73 ± 0.04 MV/m
Cavity1 Emax	15.4 ± 0.3 MV/m
Cavity2 Emax	26.0 ± 0.5 MV/m
Cavity3-5 Emax	27.0 ± 0.5 MV/m
Q1_grad	-0.124 ± 0.002 T/m
Q2_grad	0.184 ± 0.002 T/m
Q3_grad	0.023 ± 0.002 T/m
Q4_grad	-0.100 ± 0.002 T/m

100 random seeds (outliers removed)

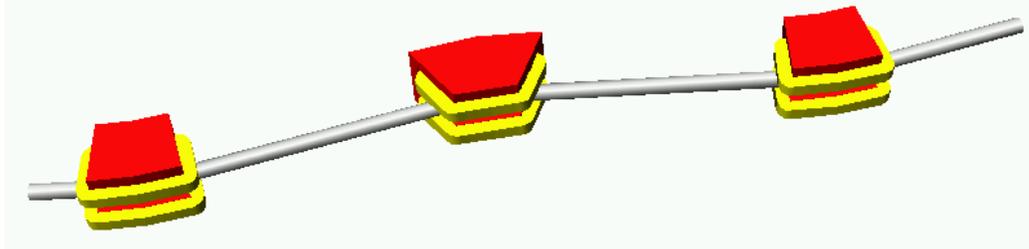




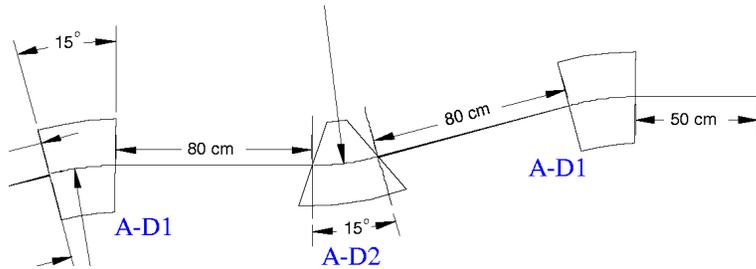
- Asymmetric transport \rightarrow x-y coupling term in beam envelope equation
- Energy change in non-zero dispersion section (CSR and space charge) \rightarrow emittance growth



Merger: 1D CSR estimate

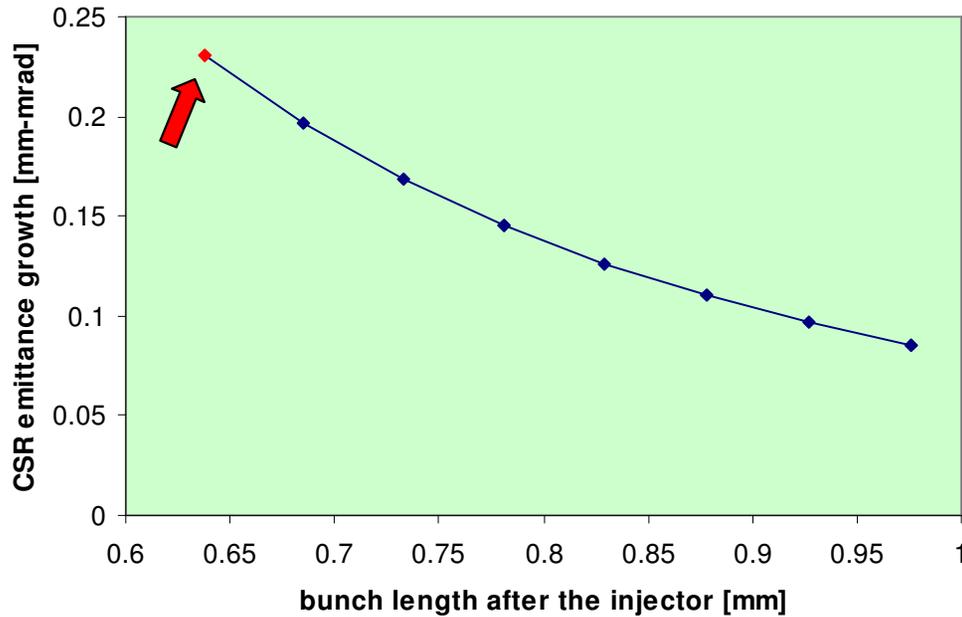


$$\Delta\varepsilon_{x,n,CSR} \approx 0.2 \mu\text{m}$$

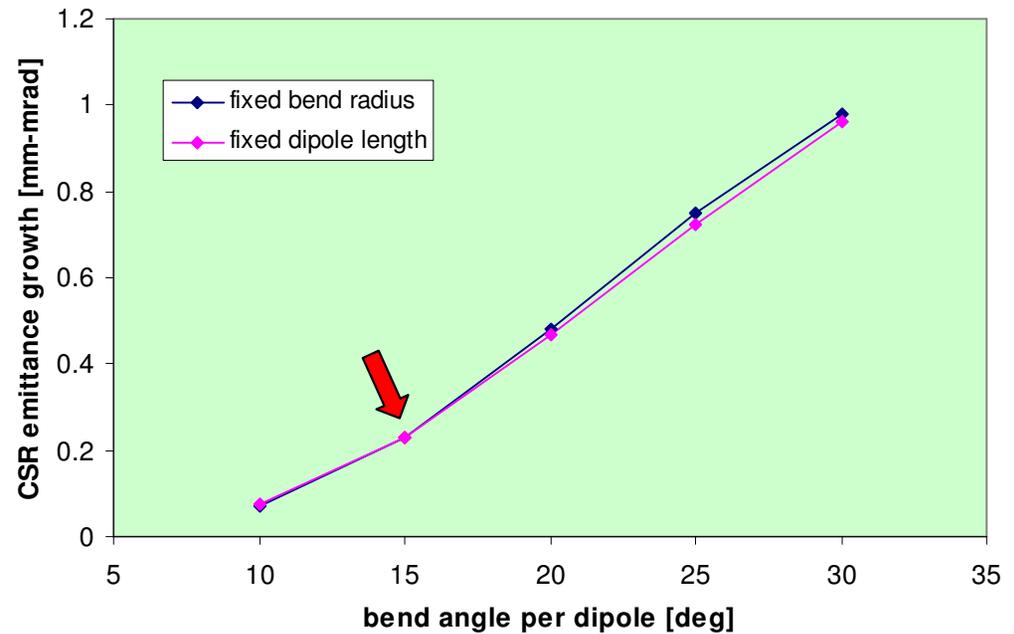


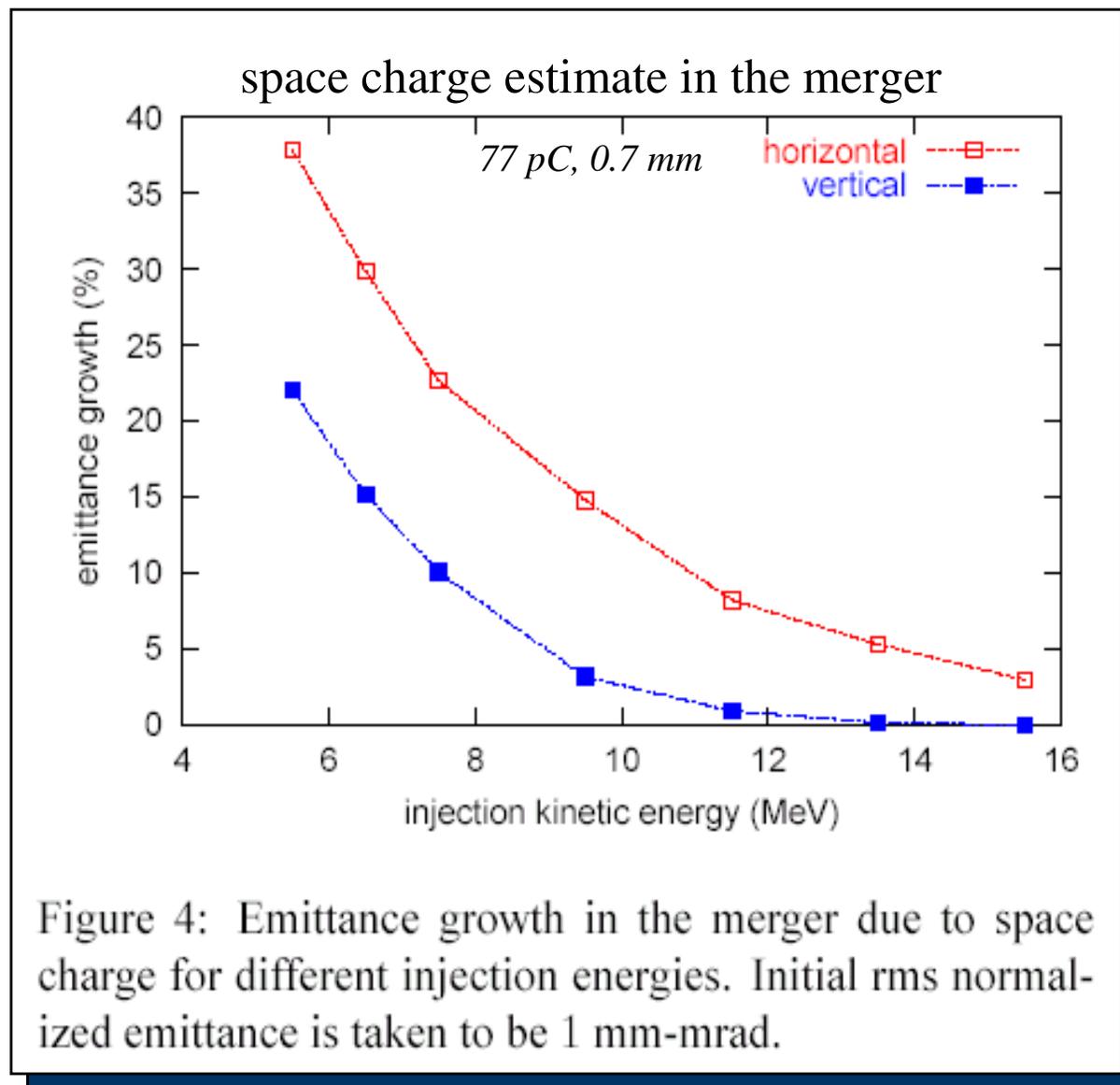
elegant

three 15-deg dipole merger

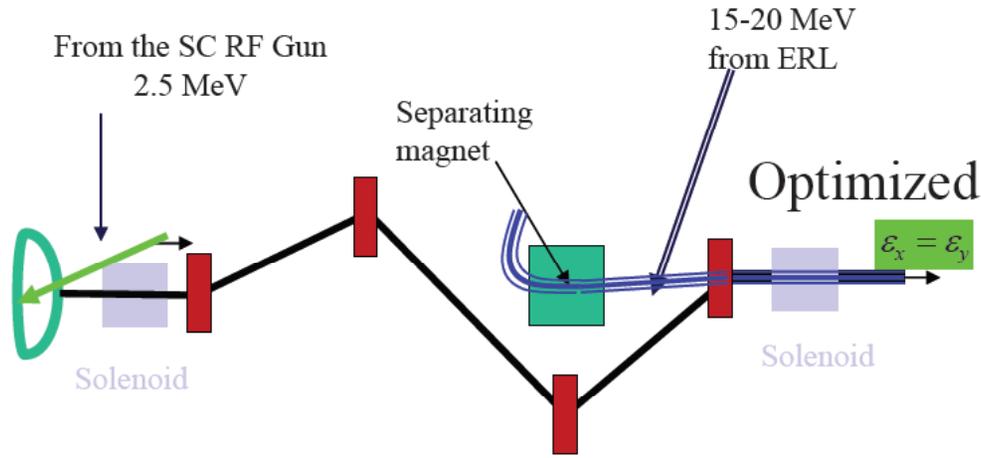


bunch length before the merger is 0.6 mm





- BNL's "zigzag" merger



$$\delta_i(s) = \delta_{i0} + s \cdot g(\zeta_i) \Rightarrow 4 \text{ "Achromat" conditions}$$

$$\int_0^s K_o(s') \cdot m_{11}(s') ds' = 0; \quad \int_0^s K_o(s') \cdot s \cdot m_{11}(s') ds' = 0;$$

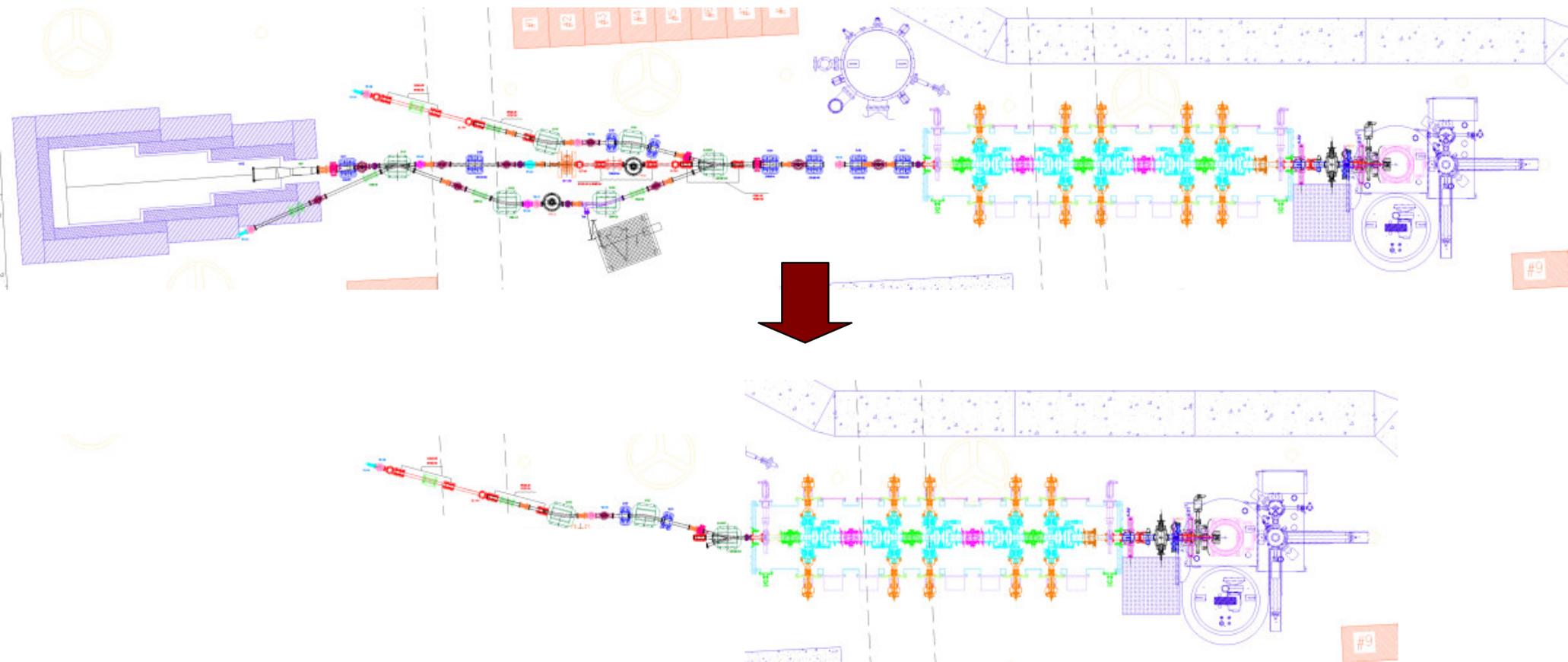
$$\int_0^s K_o(s') \cdot m_{12}(s') ds' = 0; \quad \int_0^s K_o(s') \cdot s \cdot m_{12}(s') ds' = 0;$$

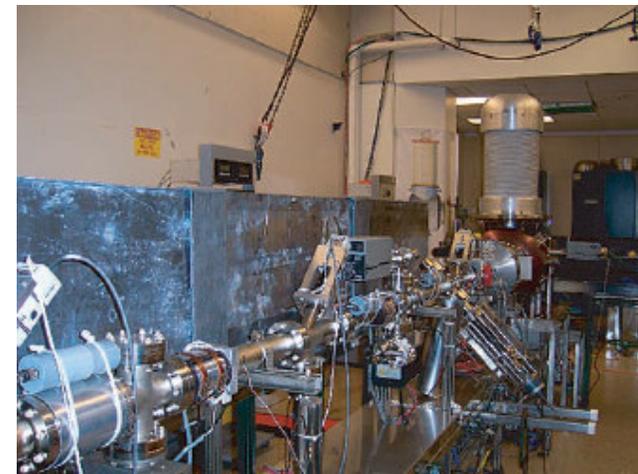
- Good: emittance growth due to linear correlated energy spread from space charge is canceled to first order
- Bad: does not separate 2 beams (works for BNL because recirculating energy is only 15-20 MeV)
- Bad: is longer than Cornell's present 3-bend achromat, comparison yielded similar emittance growth for the two



Alternative merger scenarios

- Eliminate quad telescope and move the merger as close as possible to the cryomodule. Rely on RF focusing for beam matching. Live with asymmetry.



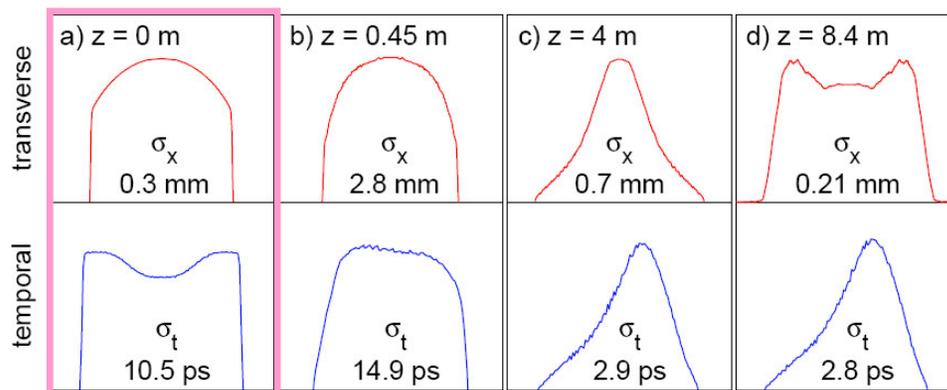


Gun development lab

• I. Initial gun/cathode/laser characterization

– without space charge

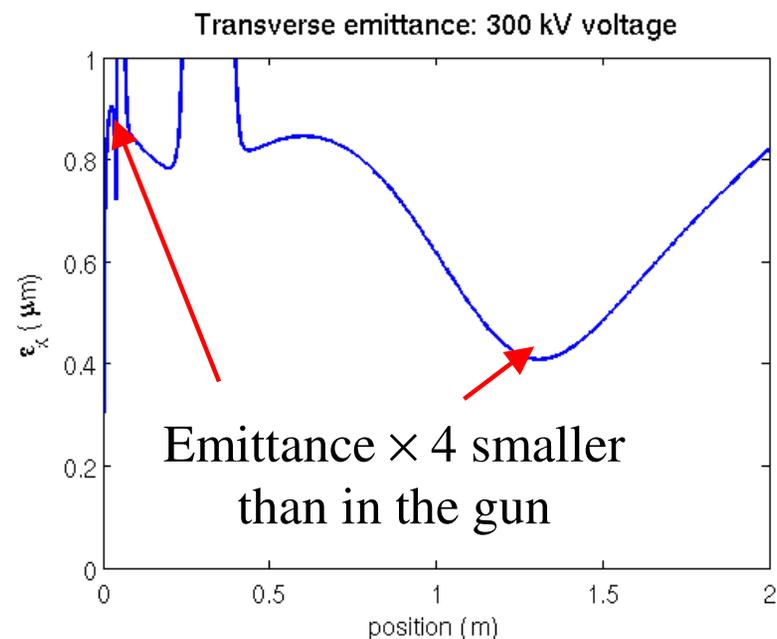
- Laser temporal profile characterization (optical)
- Gun focusing & aberration study as a function of voltage
- Thermal emittance characterization of GaAs, GaAsP
- Photocathode temporal response measurements



electron shape along the injector corresponding to small emittance



- **II. Nominal charger per bunch, low rep rate**
 - Emittance compensation without bunch compression: gun followed by the solenoid;
 - Benchmarking of existing space charge codes;
 - Solenoid and gun voltage scans; gun aberration study in the presence of the space charge for scanned laser





- III. Full injector layout: setting up of elements with prescribed strength, system debugging
 - Without space charge
 - Beam based alignment in optical elements;
 - Setting RF phases
 - Central orbit fitting to ensure agreement with the model that uses realistic E&M field maps of the elements.
Calibration of control signals with descriptors used in the simulations (to be preceded by implementation of computational model to EPICS interface)



- IV. Straight line injector performance (before merger)
 - Nominal bunch charge, low rep rate
 - Use prescribed by simulations element settings. Measure projected emittance after the SRF cryomodule. Compare with extensive simulations done for this case.
 - Stab at online emittance optimization. Quads remain turned off.



- **V. Longitudinal issues**
 - Nominal bunch charge, low rep rate, to 0.6 MW dump
 - Measurement of slice emittance (slit pair & TM110 cavity), and the bunch length for optimum point found in [IV];
 - Energy spread measurements with a screen in the chicane & energy spread minimization;
 - OTR bunch length measurements, bunch length measurements with RF zero-phase method



- VI. Through the merger
 - Nominal bunch charge, low rep rate
 - Setting of beta-function for space charge dominated beam (quad telescope is employed starting from that stage). Initially, setup the beam with negligible bunch charge and BPMs/betatron phase advance (i.e. quads & merger debugging). Eventually, the nominal charge per bunch is characterized at the location of viewscreens, comparing the spot size with the code's predictions.
 - Series of emittance measurements (both planes) before and after the merger. Study of the emittance growth as a function of Twiss parameters (quads breaking 2D symmetry), bunch length, bunch charge, beam energy.



- VII. High average current
 - Nominal bunch charge, high rep rate
 - Flying wire transverse profile measurements and comparisons with the low rep rate case;
 - Flying wire transverse profile measurements in the chicane for energy spread information, comparison with the low rep rate case;
 - THz non-interceptive diagnostics of bunch length, comparison with the low rep rate case