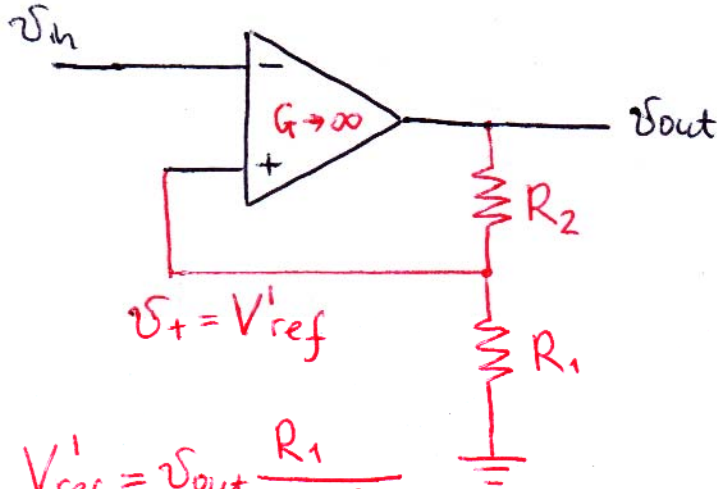


Lecture 6

Schmitt trigger

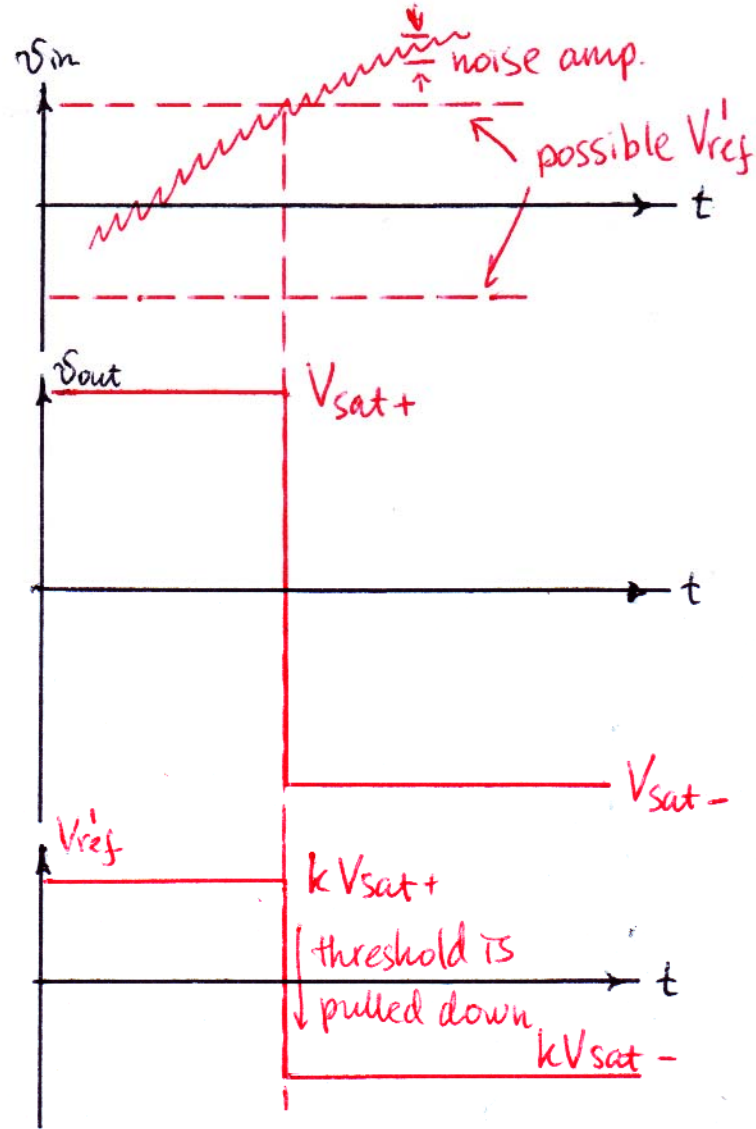


$$V_{ref}' = V_{out} \frac{R_1}{R_1 + R_2}$$

$$= V_{out} \cdot k$$

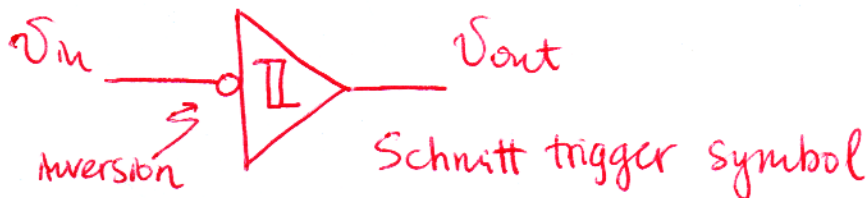
$$\Delta V_{ref}' = k(V_{sat+} - V_{sat-})$$

if $\Delta V_{ref}' > \text{noise amp. in } V_{in}$, \Rightarrow
 Switching is insensitive to noise



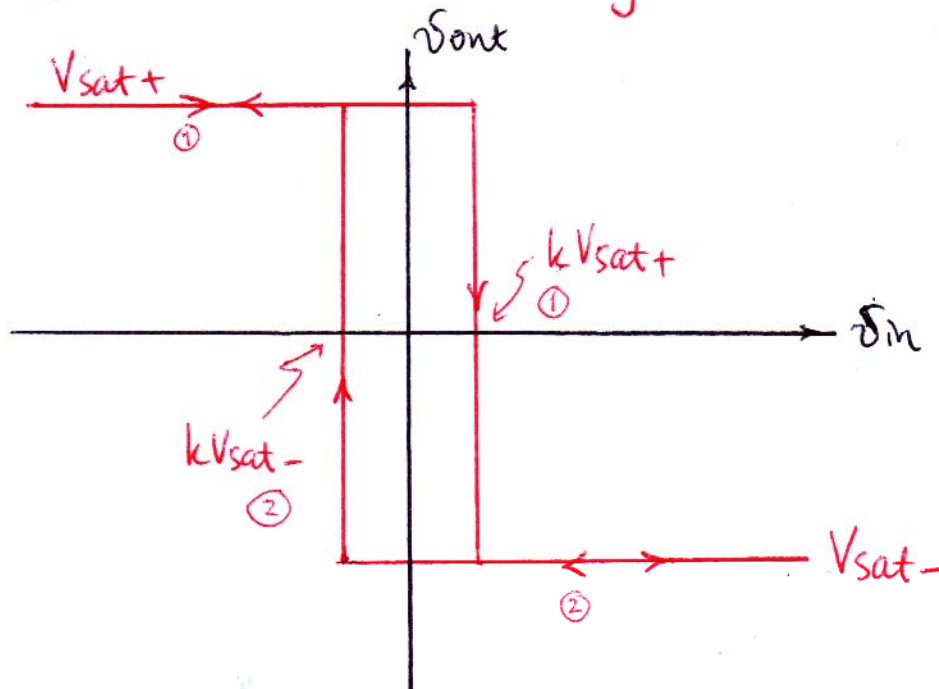
- this is an example of positive feedback
 (part of V_{out} is returned to V_+ input)

- positive feedback accelerates the current trend
 through whisking the threshold (limited by S.R.)



Transfer characteristic (hysteresis)

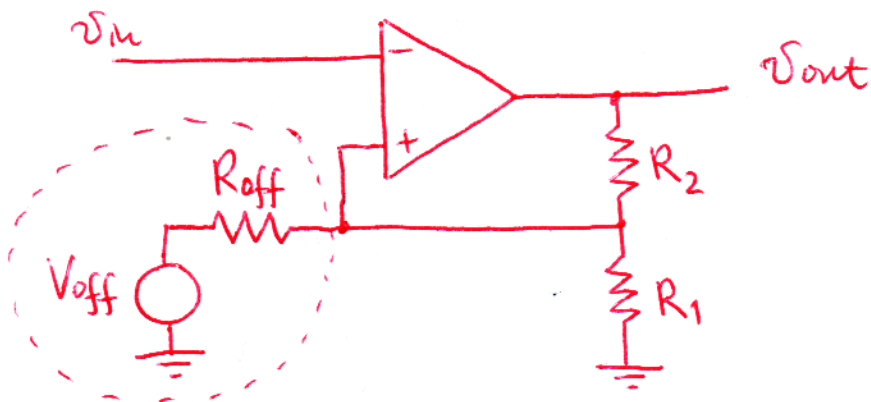
②



- threshold now depends on past history

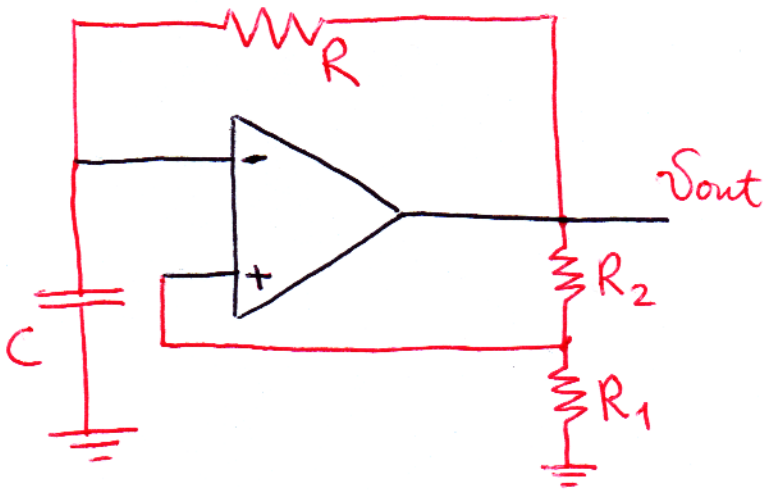
The thresholds are symmetric around 0 ($|V_{sat-}| = V_{sat+}$)

Q: How to make them asymmetric?

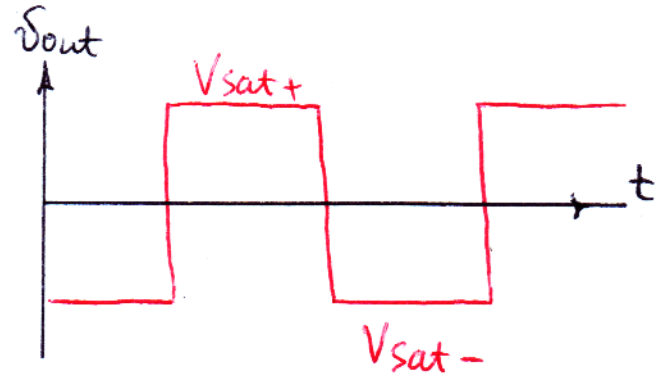


Astable multivibrator (oscillator)

(3)



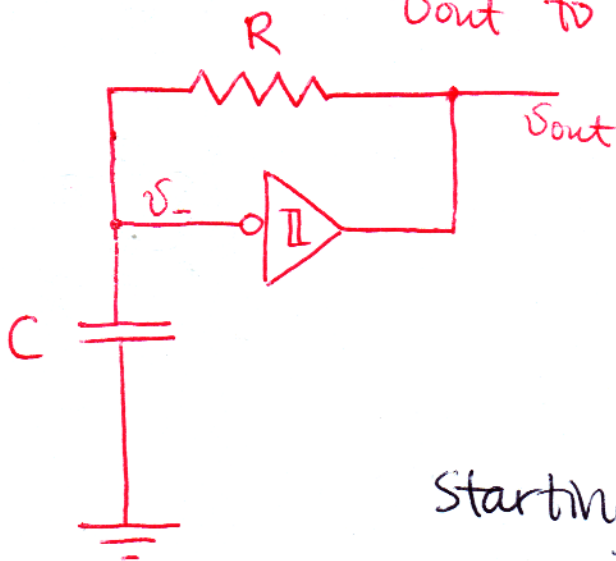
- op-amp supplies its own input



Strategy for solving unknown circuits :

recognize the parts we already know

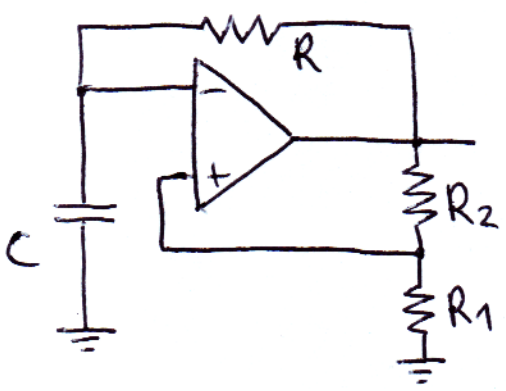
$\left\{ \begin{array}{l} R_1, R_2, \text{ op-amp} = \text{Schmitt trigger} \\ R, C = \text{low-pass filter (transmitting } V_{\text{out}} \text{ to } V_-) \end{array} \right.$



$\Rightarrow V_-$ follows V_{out} with a time lag $\sim RC$

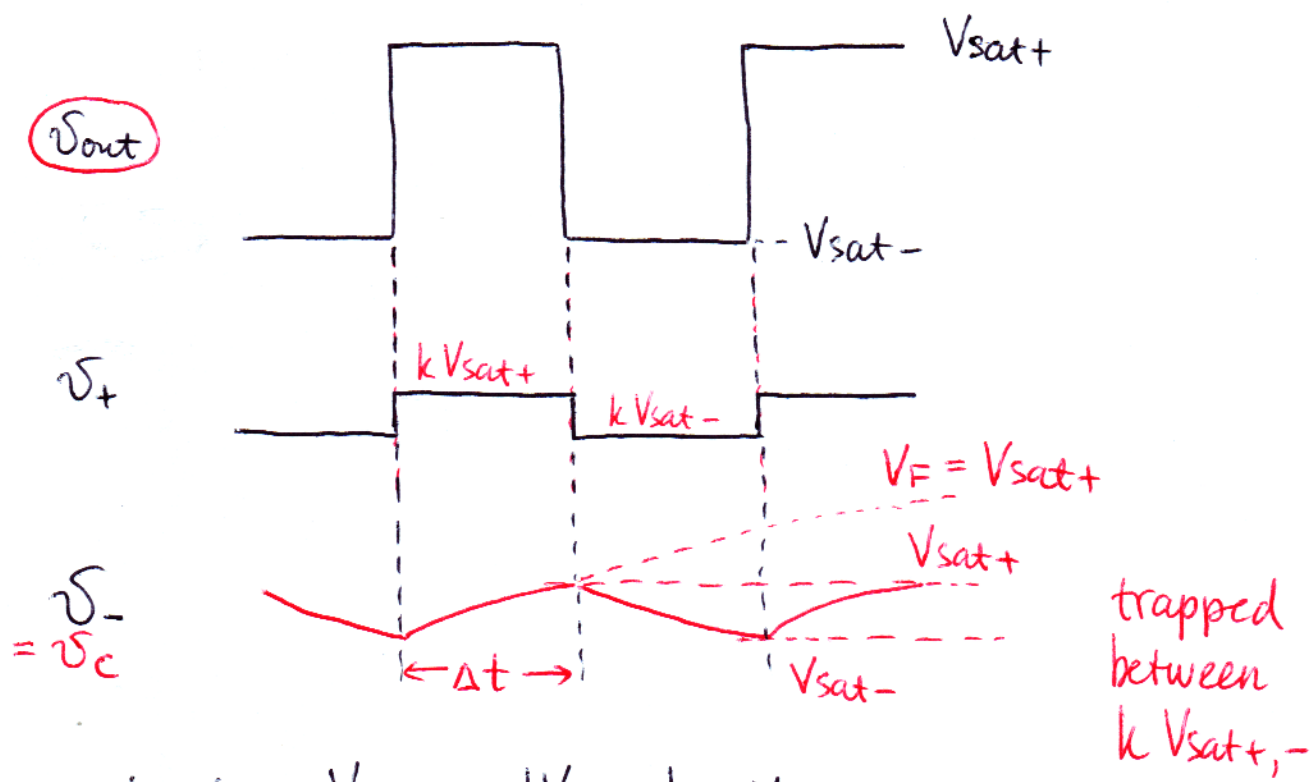
Starting oscillations :

- assume ideal op-amp ($G \rightarrow \infty$)
- there is always noise, so $V_+ = V_-$ is never true for long



- e.g. $V_+ > V_-$
- a) $V_{out} \rightarrow V_{sat+}$, $V_{ref}' = V_+ = k \cdot V_{sat+}$
 - b) $V_c \rightarrow V_{sat+}$, crosses V_{ref}' after $\sim RC$ time
 - c) $V_{out} \rightarrow V_{sat-}$, $V_{ref}' = k \cdot V_{sat-}$
 - d) $V_c \rightarrow V_{sat-}$, crosses V_{ref}'
 - e) go to a)

Analyze oscillator
volt. vs time



For simplicity $V_{sat+} = |V_{sat-}| = V_{sat}$

$$V_c(\Delta t) = V_F + (V_I - V_F) e^{-\frac{\Delta t}{RC}} \quad (*)$$

$V_I = -kV_{sat}$, $V_F = V_{sat}$ (volt. cap. would have if $\Delta t \rightarrow \infty$)

$V_c(\Delta t) = kV_{sat}$. Substitute into (*)

$$kV_{sat} = V_{sat} + (-kV_{sat} - V_{sat}) e^{-\frac{\Delta t}{RC}}, \Rightarrow \Delta t = RC \ln \frac{1+k}{1-k}$$

period = $2 \times \Delta t$; freq. = $1/(2 \times \Delta t)$.